

Extragalactic ISM and last gaps of intragalactic

Molecular clouds are self-gravitating.

Larsen's laws

• size - linewidth relation

$$\sigma_v \approx 1.1 \left(\frac{\text{size}}{\text{kpc}} \right)^{\gamma} \text{ km s}^{-1} \quad \gamma \approx 0.5$$

so velocity dispersion scales sublinear with the size of the cloud

• For large clouds (100 pc), $\sigma_v \approx 11 \text{ km s}^{-1} \gg C_s$, thus we have strong, supersonic shocks.

• Clouds are in virial equilibrium.

$$M = X \frac{\sigma_v^2 L}{G}, \quad X \sim 1 \text{ (shape, density profile, etc.)}$$

Virial equilibrium between self-gravity and random motions. So gravity counterbalance is provided by non-thermal random motions: turbulent cells.

• Average ~~column~~^{surface} density of cloud is always close to

$$\Sigma = 100 \text{ M}_\odot \text{ pc}^{-2}$$

3rd and 1st rule combine to 2nd!

$$M = \Sigma A = \Sigma \overset{\substack{\uparrow \\ \text{size}}}{L^2} = \Sigma L \sigma_v^2$$

We will use the virial equilibrium law a lot

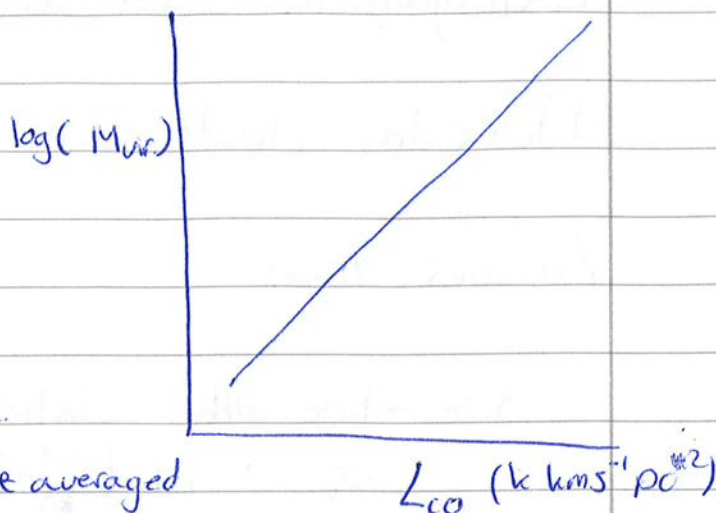
Using Virial Theorem we can find relation
between CO luminosity and H_2 mass

M_{vir} and L_{CO}
strongly coupled?

$$\sigma_v = \sqrt{\frac{GM}{5R}}$$

pretend 2 level system.

\bar{n}_x direction ~~are~~ averaged
radiation field.



could go from optically thin to thick case

escape probability

$$A_{10} \rightarrow A \quad \beta A_{10}$$

$$\bar{n}_x \rightarrow \bar{n}_x^0 \quad I = \text{external radiation field.}$$

$$\beta = \frac{1}{1 + \frac{1}{2} \tau_0}$$

$$\tau_0 = \frac{g_1}{g_2} \frac{A_{10} \lambda_{10}^3}{4 \pi n^{3/2} \sigma_v n_0 R \left(1 - \frac{n_1 g_0}{n_0 g_1}\right)}$$

↑ peak optical depth assuming Gaussian profile

$$\tau_0 \propto \frac{M}{\sigma_v}, \quad M \propto \int \tau_v dv \propto \tau_0 \sigma_v$$

two $\int \tau_v dv$ are the same, their column
densities are the same.

$$\tau_0 = \frac{g_1}{g_2} \frac{A_{10} \lambda_{10}^3}{8\pi} \left(\frac{S}{2\pi G} \right)^{1/2} \underbrace{\frac{n_0 R}{M^{1/2}}}_{\downarrow} \left(1 - \frac{g_0 n_1}{g_1 n_0} \right)$$

Now we calculate the emissivity we'd expect

$$I_{\nu}^{\text{opt. thin}} = \int n_1 A_{10} \frac{h\nu}{4\pi} \phi_{\nu} dS = n_1 A_{10} \frac{h\nu}{4\pi} \phi_{\nu}$$

$$I_{\nu}^{\text{opt. thick}} = \int n_1 \beta A_{10} \frac{h\nu}{4\pi} \phi_{\nu} dS = n_1 A_{10} \frac{h\nu}{4\pi} \phi_{\nu} \frac{1}{\tau_0 \approx 1}$$

$$\approx n_1 A_{10} \frac{h\nu}{2\pi} \frac{\phi_{\nu}}{\tau_0}$$

Insert τ_0 equation
(....)

$$\int_{\beta} T d\nu \text{ [K kms}^{-1}]$$

$$I_{\nu} = \frac{2k\nu^2}{c^2} T_{\beta}$$

$$= \frac{\sqrt{2}}{\sqrt{15}} \frac{n_1}{4\pi} \frac{nc}{h} \left(\frac{G m_H N}{M_{H_2}} \right) \frac{N_{H_2}}{\exp(h\nu/kT) - 1}$$

$N = \frac{\langle m \rangle}{m_{H_2}} \approx 2.8$ in average mol. cloud.

So indeed signal \propto column density cloud.

Dependence on :

- column density
- temperature
- $X_{CO} = X_{CO}(T) X_{CO}(n_{H_2}, T_{ex})$

This works if every cloud has on average the same structure.

can understand that T roughly constant
side radiation sets T . Every cm^3 cloud of H_2
has their own T , ρ & temperature

online: we can use CO as H_2 mass
estimate. } sleepy ?

~~comparable way~~ cm^3

can also derive mass using dust
emission, thus both CO (1-0) + dust.

Galactic ISM

strongly star forming regions

- Stars form in molecular clouds

- virial equilibrium

- if not, would collapse in freefall time
with no support: $\text{SFR}_{\text{Milky Way}} \sim 1300 \text{ } M_{\odot} \text{ yr}^{-1}$

actually $\text{SFR} \sim 3 \text{ } M_{\odot} \text{ yr}^{-1}$

support (random motion) need to be updated

continuously because quickly go down.

eg ULIRGS have SFR of 100's $M_{\odot} \text{ yr}^{-1}$

$$\text{IRGS: } \left\langle \frac{L_{\text{FIR}}}{M_{\text{H}_2}} \right\rangle = 100 L_{\odot} M_{\odot}^{-1}$$

$$\text{Milky Way: } \quad \quad \quad = 1.5 L_{\odot} M_{\odot}^{-1}$$

$$\text{on: } \quad \quad \quad = 400 L_{\odot} M_{\odot}^{-1}$$

ULIRGS form stars with efficient efficiency of
but then for whole galaxy!

WISE : PAH

↓

small dust grains

↓

IRAS dust

ULIRG power source

Most lines obscured due to dust. Need to go to millimeter lines. → mostly molecular lines.

Star formation : radiation mostly in UV

→ ~~PDR~~ PDR (photon dominated)

AGN : radiation is mostly x-ray

→ XDR

Observational differences

- presence / absence high excitation like fine structure lines
- " " " " CO "

AGN galaxy : [SIX], [NeV] etc, very high excitation lines

X-rays penetrate much deeper than UV. Dust heating is much more efficient in PDRs than in XDRs.

* Gas heating is much more efficient in XDRs compared to PDRs (10-50% vs <1%).

Photo-electron effect : most energy ~~is~~ goes into dust grain, only little into gas on dust grain

R: much higher CO lines. Warmer CO and
re of it.