<epam>

# Dependency Theory – Part 2

**Relational Databases Basics** 



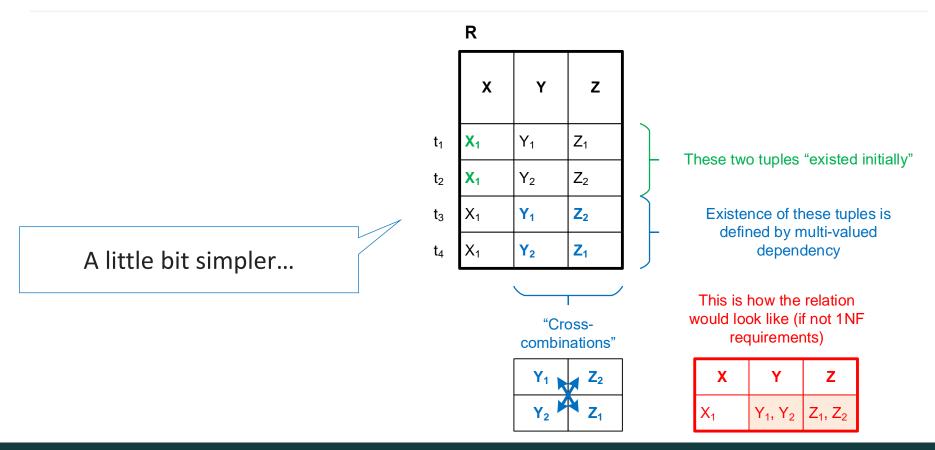
Just a quick reminder...

See the previous part for dependencies NF1-NFBC rely on.

**Multivalued dependency**  $({X} \rightarrow {Y})$  or  ${X} \rightarrow {Y}|{Z})$  – a dependency that forces a relation (with 3+ attributes at least), that has two tuples with the same value of one attribute, to have two more tuples with "cross-combination" of two other attribute values.

I know, it's hard ☺. But this <u>is</u> an extremely simplified representation.

#### Dependencies for the 4NF: multivalued dependency



#### Dependencies for the 4NF: multivalued dependency in real life

One faculty has several entrance exams, i.e.:

{ua\_faculty} → {ua\_exam}

One applicant may apply to several faculties, i.e.:

university\_application

For each applicant we have to add as many rows, as many exams there are on a faculty, this applicant applies to.

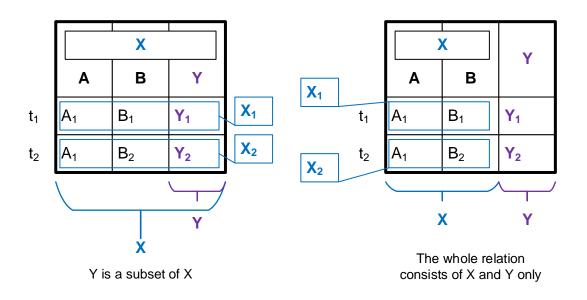
{ua_applicant} → {ua_fact	ua_applicant	ua_faculty	<u>ua_exam</u>
	Ivanov I.I.	Math. faculty	Computer science
	Ivanov I.I.	Math. faculty	Mathematics
	Ivanov I.I.	Phys. faculty	Computer science
For each applicant we	Petrov P.P.	Phys. faculty	Physics
have to add as many	Petrov P.P.	Math. faculty	Computer science
rows, as many exams there are on a faculty,	Petrov P.P.	Math. faculty	Mathematics
nis applicant applies to.	Sidorov S.S.	Phys. faculty	Computer science
	Sidorov S.S.	Phys. faculty	Physics

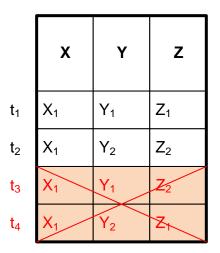
Trivial multivalued dependency — multivalued dependency  $\{X\} \rightarrow \{Y\}$ , where Y is a subset of X, or the whole relation consists of X and Y only (i.e.  $R = X \cup Y$ ).

Nontrivial multivalued dependency — multivalued dependency  $\{X\} \rightarrow \{Y\}$ , where Y is NOT a subset of X, and the whole relation does NOT consist of X and Y only (i.e.  $R \neq X \cup Y$ ).

#### Dependencies for the 4NF: trivial multivalued dependency

For nontrivial – skip two slides back.





If  $X \to Z$  or  $Y \to Z$  dependency exists,  $t_3$  and  $t_4$  tuples can not exist (otherwise "one argument value – one function value" rule would be violated).

**Join dependency** – a dependency  $JD(R_1, R_2, ..., R_n)$  that forces a relation to comply with the rule: with any data inside the relation there should be possibility of lossless decomposition of R into  $R_1, R_2, ..., R_n$  projections.

**Trivial join dependency** – a dependency  $JD(R_1, R_2, ..., R_n)$ , in which at least one  $R_i$  component contains all relation attributes.

**Nontrivial join dependency** – a dependency  $JD(R_1, R_2, ..., R_n)$ , in which none of  $R_i$  components contain all relation attributes.

#### elective

e_id	e_group	e_tutor	e_topic
157	1	33	Stop using ORMs!
248	8	24	MySQL vs
411	1	78	Oracle 999 overview
489	7	33	Arduino in free space

Functional dependencies:

$$\{e_id\} \rightarrow \{e_group\}$$
  
 $\{e_id\} \rightarrow \{e_tutor\}$   
 $\{e_id\} \rightarrow \{e_topic\}$ 

Join dependency:

P<sub>1(e\_id, e\_group)</sub>

e_id	e_group
157	1
248	8
411	1
489	7

P<sub>2(e\_id, e\_tutor)</sub>

	· - ; - ;	
e_id	e_tutor	
157	33	
248	24	
411	78	
489	33	

P<sub>3(e\_id, e\_topic)</sub>

e_id	e_topic
157	Stop using ORMs!
248	MySQL vs
411	Oracle 999 overview
489	Arduino in free space

#### workload

	w_tutor	w_subject	w_faculty
1)	Ivanov I.I.	Mathematics	Exact sciences
2)	Ivanov I.I.	Informatics	Natural science
3)	Petrov P.P.	Mathematics	Natural science
4)	Sidorov S.S.	Informatics	Cybernetics
5)	Petrov P.P.	Physics	Exact sciences
6)	Petrov P.P.	Mathematics	Exact sciences
7)	Ivanov I.I.	Mathematics	Natural science

Functional dependencies: none.

```
Join dependency:

JD({w_tutor, w_subject},
   {w_subject, w_faculty},
   {w_tutor, w_faculty})
```

There is a rule: "If a tutor deliver some subject S, and some faculty F has that subject S, and this tutor works on this faculty, he has to deliver the subject S on this faculty F".

- a) There is "Mathematics" on "Exact sciences" faculty (1).
- b) Petrov P.P. works on "Exact sciences" faculty (5).
- c) Petrov P.P. delivers "Mathematics" (3).

FOLLOWS: Petrov P.P. has to deliver "Mathematics" on "Exact sciences" faculty (6).

#### workload

	w_tutor	w_subject	w_faculty
(1)	Ivanov I.I.	Mathematics	Exact sciences
(2)	Ivanov I.I.	Informatics	Natural science
(3)	Petrov P.P.	Mathematics	Natural science
(4)	Sidorov S.S.	Informatics	Cybernetics
(5)	Petrov P.P.	Physics	Exact sciences
(6)	Petrov P.P.	Mathematics	Exact sciences
(7)	Ivanov I.I.	Mathematics	Natural science

Functional dependencies: none.

```
Join dependency:

JD({w_tutor, w_subject},
   {w_subject, w_faculty},
   {w_tutor, w_faculty})
```

There is a rule: "If a tutor deliver some subject S, and some faculty F has that subject S, and this tutor works on this faculty, he has to deliver the subject S on this faculty F".

- a) There is "Mathematics" on "Natural science" faculty (3).
- b) Ivanov I.I. works on "Natural science" faculty (2).
- c) Ivanov I.I. delivers "Mathematics" (1).

FOLLOWS: Ivanov I.I. has to deliver "Mathematics" on "Natural science" faculty (7).

#### workload

w_tutor	w_subject	w_faculty
Ivanov I.I.	Mathematics	Exact sciences
Ivanov I.I.	Informatics	Natural science
Petrov P.P.	Mathematics	Natural science
Sidorov S.S.	Informatics	Cybernetics
Petrov P.P.	Physics	Exact sciences
Petrov P.P.	Mathematics	Exact sciences
Ivanov I.I.	Mathematics	Natural science

#### P<sub>1(w\_tutor, w\_subject)</sub>

w_tutor	w_subject
Ivanov I.I.	Mathematics
Ivanov I.I.	Informatics
Petrov P.P.	Mathematics
Sidorov S.S.	Informatics
Petrov P.P.	Physics

#### P<sub>2(w\_subject, w\_faculty)</sub>

w_subject	w_faculty
Mathematics	Exact sciences
Informatics	Natural science
Mathematics	Natural science
Informatics	Cybernetics
Physics	Exact sciences

#### P<sub>3(w\_tutor, w\_faculty)</sub>

w_tutor	w_faculty
Ivanov I.I.	Exact sciences
Ivanov I.I.	Natural science
Petrov P.P.	Natural science
Sidorov S.S.	Cybernetics
Petrov P.P.	Exact sciences

While non two of these projections are enough to restore the initial relation ("new" records appear, all three projections are enough.

#### workload

w_tutor	w_subject	w_faculty
Ivanov I.I.	Mathematics	Exact sciences
Ivanov I.I.	Informatics	Natural science
Petrov P.P.	Mathematics	Natural science
Sidorov S.S.	Informatics	Cybernetics
Petrov P.P.	Physics	Exact sciences

Functional dependencies: none.

Join dependencies: none.

#### P<sub>1(w\_tutor, w\_subject)</sub>

<u>w_tutor</u>	w_subject	
Ivanov I.I.	Mathematics	
Ivanov I.I.	Informatics	
Petrov P.P.	Mathematics	
Sidorov S.S.	Informatics	
Petrov P.P.	Physics	

#### P<sub>2(w\_subject, w\_faculty)</sub>

w_subject	w_faculty	
Mathematics	Exact sciences	
Informatics	Natural science	
Mathematics	Natural science	
Informatics	Cybernetics	
Physics	Exact sciences	

#### P<sub>3(w\_tutor, w\_faculty)</sub>

w_tutor	w_faculty	
Ivanov I.I.	Exact sciences	
Ivanov I.I.	Natural science	
Petrov P.P.	Natural science	
Sidorov S.S.	Cybernetics	
Petrov P.P.	Exact sciences	

Non of these projections are enough to restore the initial relation.

**Domain dependency** – a dependency IN(A, S) that forces each and every value of A to be a member of S set.

**Key dependency** – a dependency KEY(K) that forces each and every K value to be unique.

#### Dependencies for the DKNF: domain dependency

#### event

e_date	e_dayofweek	
2018-05-01	Tuesday	
2018-05-01	Tuesday	
2018-05-02	Wednesday	
2018-05-02	Wednesday	

Domain dependency holds

#### event

e_date	e_dayofweek	
2018-05-01	Grapefruit	
2018-05-01	Tuesday	
2018-05-02	Wednesday	
2018-05-02	Wednesday	

Domain dependency is violated

#### Dependencies for the DKNF: key dependency

#### employee

e_passport	e_salary
AA123456	10 000
BB654321	12 000
CC112233	11 000
DD332211	10 500

Key dependency holds

#### employee

<u>e_passport</u>	e_salary	
AA123456	10 000	
AA123456	12 000	
CC112233	11 000	
DD332211	10 500	

Key dependency is violated

**Generalized join dependency** – a dependency USING(ACL):  $X_1, X_2, ..., X_n$  that forces relation R to comply with the rule: join operation on  $X_1, X_2, ..., X_n$  projections should produce a relation with the same header H as initial projection R had.

**Horizontal decomposition** – a decomposition of chronological relation into projections with explicit intervals ("from ... to...") a with implicit intervals ("from ... to NOW", "from NOW to ...").

**Vertical decomposition** – a decomposition of chronological relation into such relations that each new relation is in 6NF.

#### Dependencies for the 6NF: generalized join dependency

#### education\_path

<u>ep_student</u>	ep_period	ep_faculty	ep_group
13452	01.01.2018-31.05.2018	Chemistry	1
13452	01.03.2018-28.02.2018	Chemistry	5
13452	01.06.2018-01.12.2018	Physics	5

#### P<sub>1(ep\_student, ep\_period, ep\_faculty)</sub>

<u>ep student</u>	ep_period	ep_faculty
13452	01.01.2018-31.05.2018	Chemistry
13452	01.06.2018-01.12.2018	Physics

#### P<sub>2(ep\_student, ep\_period, ep\_group)</sub>

ep_student	ep_period	ep_group
13452	01.01.2018-28.02.2018	1
13452	01.03.2018-01.12.2018	5

There is no possibility to decompose vertically  $P_1$  and  $P_2$  any further (at least one of the new projections will be exactly the same as the initial one), thus  $P_1$  and  $P_2$  has trivial generalized join dependencies (or, in other words: they have no non-trivial generalized join dependencies).

## Dependencies for the 6NF: generalized join dependency

## $P_1$

ep_student	ep_period	ep_faculty
13452	01.01.2018-31.05.2018	Chemistry
13452	01.06.2018-01.12.2018	Physics
13452	02.12.2018-NOW	Biology

But we can still decompose these projections horizontally. Here is the example for  $P_1$ .

# P<sub>1\_DURING</sub>

<u>ep_student</u>	ep_period	ep_faculty
13452	01.01.2018-31.05.2018	Chemistry
13452	01.06.2018-01.12.2018	Physics

# P<sub>1\_NOW</sub>

ep_student	ep_start	ep_faculty
13452	02.12.2018	Biology

This is the ultimate possible decomposition ever.

## Dependencies for the 6NF: generalized join dependency

## $P_2$

ep_student	ep_period	ep_group
13452	01.01.2018-28.02.2018	1
13452	01.03.2018-01.12.2018	5
13452	02.12.2018-NOW	10

But we can still decompose these projections horizontally. Here is the example for  $P_2$ .

## P<sub>2\_DURING</sub>

ep_student	ep_period	ep_group
13452	01.01.2018-28.02.2018	1
13452	01.03.2018-01.12.2018	5

# P<sub>2\_NOW</sub>

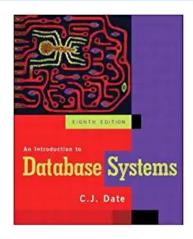
ep_student	ep_start	ep_group
13452	02.12.2018	10

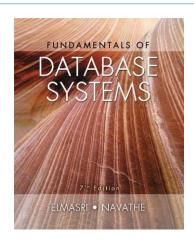
This is the ultimate possible decomposition ever.

That's all! © But please remember...

Dependency theory is much wider, deeper and complex, than any quick video may ever cover.

Refer to these (or any other) books for more information.





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# Dependency Theory – Part 2

**Relational Databases Basics** 

