

## HA NOI UNIVERSITY OF SCIENCE AND TECHNOLOGY SCHOOL OF INFORMATION AND COMMUNICATION TECHNOLOGY

## Cryptography IV

**Key Management** 

## Overview

- Key exchange
  - Session vs. interchange keys
  - Classical, public key methods
  - Key generation
- Cryptographic key infrastructure
  - Certificates
- Key storage

- Key escrow
- Key revocation

## Cryptographic protocols with applications

- Zero- Knowledge Protocols
- Subliminal channel
- Special signature schemes

Technology

 Electronic account-based payment systems

- Electronic anonymous cash systems
- Micropayment systems
- Secure multi-party computation
- Watermarking and DRM
- Diffie-Hellman key exchange
- Keberos

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## **Notation**

- $X \rightarrow Y: \{Z \mid\mid W\} k_{X,Y}$ 
  - X sends Y the message produced by concatenating Z and W enciphered by key k<sub>X,Y</sub>, which is shared by users X and Y
- $A \to T : \{Z\} k_A || \{W\} k_{A,T}$ 
  - A sends T a message consisting of the concatenation of Z enciphered using  $k_A$ , A's key, and W enciphered using  $k_{A,T}$ , the key shared by A and T
- $r_1$ ,  $r_2$  nonces (nonrepeating random numbers)

## Session key - Interchange key

- Alice wants to send a message m to Bob
  - Assume public key encryption
  - Alice know Bob's public key  $Z_B$
- Proposed protocol
  - Alice generates a random cryptographic key  $k_{\rm s}$  and uses it to encipher m
    - To be used for this message only
    - Called a session key
  - She enciphers  $k_s$  with Bob's public key  $Z_B$ 
    - $Z_B$  enciphers all session keys Alice uses to communicate with Bob
    - Called an interchange key
  - Alice sends Bob: { *m* } *k*<sub>s</sub> || { *k*<sub>s</sub> } *Z*<sub>B</sub>



## Why session key?

- Limits amount of traffic enciphered with single key
  - Standard practice, to decrease the amount of traffic an attacker can obtain
- Prevents some attacks
  - Example: Alice will send Bob message that is either "BUY" or "SELL". Eve computes possible ciphertexts {

    "BUY" } Z<sub>B</sub> and { "SELL" } Z<sub>B</sub>. Eve intercepts enciphered message, compares, and gets plaintext at once

## Key Exchange Algorithms

- Goal: Alice, Bob to get shared key (wo/ interchange key)
  - Key cannot be sent in clear
    - Attacker can listen in
    - Key can be sent enciphered, or derived from exchanged data plus data not known to an eavesdropper
  - Alice, Bob may use a trusted third party
  - All cryptosystems, protocols publicly known
    - Only secret data is the keys, ancillary information known only to Alice and Bob needed to derive keys
    - Anything transmitted is assumed known to attacker

## Classical Key Exchange

- Bootstrap problem: how do Alice, Bob begin?
  - Alice can't send it to Bob in the clear!
- Assume trusted third party, Cathy
  - Alice and Cathy share secret key  $k_{AC}$
  - Bob and Cathy share secret key  $k_{BC}$
  - Use this to exchange shared key  $k_s$

## Simple Protocol

Alice 
$$\frac{\{ \text{ request for session key to Bob } \} k_{AC}}{\{ k_s \} k_{AC} \| \{ k_s \} k_{BC}}$$
 Cathy

Alice  $\frac{\{ k_s \} k_{BC}}{\{ k_s \} k_{BC}}$  Bob



## **Problems**

- How does Bob know he is talking to Alice?
  - Replay attack: Eve records message from Alice to Bob, later replays it; Bob may think he's talking to Alice, but he isn't
  - Session key reuse: Eve replays message from Alice to Bob, so Bob re-uses session key
    - Eve may fortunately get a session key dropped by Alice
- Protocols must provide authentication and defense against replay

## Needham-Schroeder

Alice 
$$| Bob || r_1 || k_s || \{ Alice || k_s \} k_{BC} \} k_{AC}$$
 Cathy

Alice  $| Alice || Bob || r_1 || k_s || \{ Alice || k_s \} k_{BC} \} k_{AC}$  Cathy

Alice  $| Alice || k_s \} k_{BC}$  Bob

Alice  $| \{ r_2 \} k_s \} k_{BC}$  Bob



## Argument: Alice talking to Bob

- Second message
  - Enciphered using key only she, Cathy knows
    - So Cathy enciphered it
  - Response to first message
    - As  $r_1$  in it matches  $r_1$  in first message
- Third message

- Alice knows only Bob can read it
  - As only Bob can derive session key from message
- Any messages enciphered with that key are from Bob

## Argument: Bob talking to Alice

- Third message
  - Observe that: Enciphered using key only he and Cathy know
    - So Cathy enciphered it
  - Inside are the name Alice and the session key
    - Bob concludes that Cathy provided session key, saying Alice is the other party
- Fourth and Firth messages:
  - Use session key to determine if it is replay from Eve
    - If not, Alice will respond correctly in fifth message
    - If so, Eve can't decipher r<sub>2</sub> and so can't respond, or responds incorrectly



## Denning-Sacco Problem

- Assumption: all keys are secret
- Question: suppose Eve can obtain session key. How does that affect protocol?
  - In what follows, by chance Eve knows  $k_s$



## Solution

- In protocol above, Eve impersonates Alice
- Problem: replay in third step
  - First in previous slide
- Solution: use time stamp T to detect replay

# Needham-Schroeder with Denning-Sacco Modification

Alice Alice Bob 
$$|| r_1||$$
 Cathy

Alice Alice Bob  $|| r_1|| k_s || \{Alice || T || k_s \} k_B \} k_A$ 

Alice Alice Alice  $|| T || k_s \} k_B$ 

Alice  $|| T || k_s \} k_B$ 

Bob

Alice  $|| T || k_s || k_s$ 

Bob



## Still weakness, anyway

- If clocks not synchronized, may either reject valid messages or accept replays
  - Parties with either slow or fast clocks vulnerable to replay
  - Resetting clock does not eliminate vulnerability
- Use Otway-Rees protocol (Bishop's text)

## Kerberos

- Authentication system
  - Based on Needham-Schroeder with Denning-Sacco modification
  - Central server plays role of trusted third party ("Cathy")
- Ticket

- Issuer vouches for identity of requester of service
- Authenticator
  - Identifies sender

## Idea

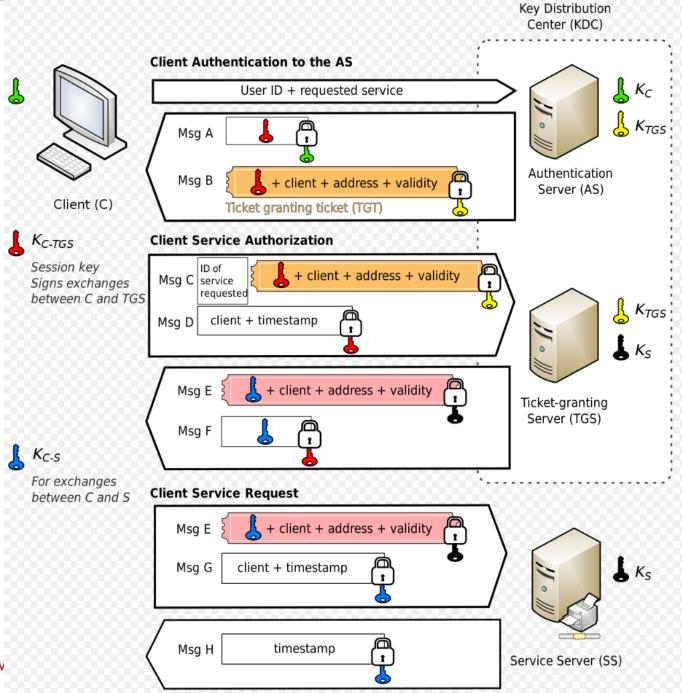
- Key Distribution Center (KDC) combines two severs:
  - Authentication Server, AS (Also, Kerberos server)
  - Ticket Granting Server, TGS
- User u authenticates to AS
  - Obtains ticket  $T_{u,TGS}$  for ticket granting service (TGS)
- User u wants to use service s:
  - User sends authenticator  $A_u$ , ticket  $T_{u,TGS}$  to TGS asking for ticket for service
  - TGS sends ticket  $T_{u.s}$  to user
  - User sends  $A_u$ ,  $T_{u,s}$  to server as request to use s
- Details in Bishop's text (Wiki also OK)



### **Protocol**

#### [From Wiki]

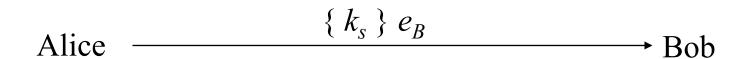
- Client Authentication to the AS
- Client Service Authorization
- Client Service Request





## Public Key Key Exchange

- Here interchange keys known
  - $e_A$ ,  $e_B$  Alice and Bob's public keys known to all
  - $d_A$ ,  $d_B$  Alice and Bob's private keys known only to owner
- Simple protocol
  - k<sub>s</sub> is desired session key





## Problem and Solution

- Vulnerable to forgery or replay
  - Because e<sub>B</sub> known to anyone, Bob has no assurance that Alice sent message
- Simple fix uses Alice's private key
  - k<sub>s</sub> is desired session key
  - Quiz: Can Eve impersonate Alice and succeed to share a k<sub>s</sub> with Bob?

Alice 
$$\{\{k_s\}d_A\}e_B$$
 Bob



## **Notes**

- Can include message enciphered with  $k_s$
- Assumes Bob has Alice's public key, and vice versa
  - If not, each must get it from public server
  - If keys not bound to identity of owner, attacker Eve can launch a man-in-the-middle attack (next slide; Cathy is public server providing public keys)
    - Solution to this (binding identity to keys) discussed later as public key infrastructure (PKI)

## Man-in-the-Middle Attack

Alice Request Bob's public key Eve intercepts request Cathy

Eve Req. Bob's public key Cathy

Eve 
$$e_B$$
 Cathy

Alice Eve Eve

Alice Eve intercepts message Bob

Eve  $\{k_s\} e_E$  Eve intercepts message Bob



## **Key Generation**

- Goal: generate keys that are difficult to guess
- Problem statement: given a set of K potential keys, choose one randomly
  - Equivalent to selecting a random number between 0 and K-1 inclusive
- Why is this hard: generating random numbers
  - Actually, numbers are usually pseudo-random, that is, generated by an algorithm

## What is "Random"?

- Sequence of cryptographically random numbers: a sequence of numbers  $n_1, n_2, ...$  such that for any integer k > 0, an observer cannot predict  $n_k$  even if all of  $n_1, ..., n_{k-1}$  are known
  - Best: physical source of randomness
    - Random pulses
    - Electromagnetic phenomena
    - Characteristics of computing environment such as disk latency
    - Ambient background noise

## What is "Pseudorandom"?

- Sequence of cryptographically pseudorandom numbers: sequence of numbers intended to simulate a sequence of cryptographically random numbers but generated by an algorithm
  - Very difficult to do this well
    - Linear congruential generators  $[n_k = (an_{k-1} + b) \mod n]$  broken
    - Polynomial congruential generators  $[n_k = (a_j n_{k-1}^j + ... + a_1 n_{k-1} a_0) \mod n]$  broken too
    - Here, "broken" means next number in sequence can be determined

## Best Pseudorandom Numbers

- Strong mixing function: function of 2 or more inputs with each bit of output depending on some nonlinear function of all input bits
  - Examples: DES, MD5, SHA-1
  - Use on UNIX-based systems:

```
(date; ps gaux) | md5
```

where "ps gaux" lists all information about all processes on system

## Cryptographic Key Infrastructure

- Goal: bind identity to key
- Classical: not possible as all keys are shared
  - Use protocols to agree on a shared key (see earlier)
- Public key: bind identity to public key
  - Crucial as people will use key to communicate with principal whose identity is bound to key
  - Erroneous binding means no secrecy between principals
  - Assume principal identified by an acceptable name

## Certificates

- Create token (message) containing
  - Identity of principal (here, Alice)
  - Corresponding public key
  - Timestamp (when issued)
  - Other information (perhaps identity of signer)

signed by trusted authority (here, Cathy)

$$C_A = \{ e_A \mid \mid Alice \mid \mid T \} d_C$$

## Use

- Bob gets Alice's certificate
  - If he knows Cathy's public key, he can decipher the certificate
    - When was certificate issued?
    - Is the principal Alice?
  - Now Bob has Alice's public key
- Problem: Bob needs Cathy's public key to validate certificate
  - Problem pushed "up" a level
  - Two approaches: Merkle's tree, signature chains

## Certificate Signature Chains

- Create certificate
  - Generate hash of certificate
  - Encipher hash with issuer's private key
- Validate
  - Obtain issuer's public key
  - Decipher enciphered hash
  - Recompute hash from certificate and compare
- Problem: getting issuer's public key

## X.509 Chains

- Some certificate components in X.509v3:
  - Version

- Serial number
- Signature algorithm identifier: hash algorithm
- Issuer's name; uniquely identifies issuer
- Interval of validity
- Subject's name; uniquely identifies subject
- Subject's public key
- Signature: enciphered hash

## X.509 Certificate Validation

- Obtain issuer's public key
  - The one for the particular signature algorithm
- Decipher signature
  - Gives hash of certificate
- Recompute hash from certificate and compare
  - If they differ, there's a problem
- Check interval of validity
  - This confirms that certificate is current

### Issuers

- Certification Authority (CA): entity that issues certificates
  - Multiple issuers pose validation problem
  - Alice's CA is Cathy; Bob's CA is Don; how can Alice validate Bob's certificate?
  - Have Cathy and Don cross-certify
    - Each issues certificate for the other

## Validation and Cross-Certifying

Certificates:

- Cathy<<Alice>>
- Dan<<Bob>
- Cathy<<Dan>>
- Dan<<Cathy>>
- Alice validates Bob's certificate
  - Alice obtains Cathy<<Dan>>
  - Alice uses (known) public key of Cathy to validate Cathy<<Dan>>
  - Alice uses Cathy<<Dan>> to validate Dan<<Bob>>



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## Thank you for your attentions!

