

A Brief Introduction

- Syntax-directed translation (语法制导的翻译)** is the process of language translation guided by context-free grammars

- Here, "language translation" is in a broad sense
 - Transforming infix expressions (中缀表达式) to postfix expressions (后缀表达式) is also viewed as "translation"
- A language construct is typically made of smaller constructs
- The **semantics** of a construct can be **synthesized** from its constituent constructs' semantics
 - The type of the expression $x + y$ is determined by the type of x and y , and the operator $+$
- Or **inherited** from other constructs (e.g., siblings in the parse tree)
 - In "int x", the type of x is determined by the type specifier to the left of x

Syntax-Directed Definitions

- A **syntax-directed definition (语法制导定义, SDD)** is a context-free grammar together with **attributes** and **rules**
 - A set of **attributes (属性)** is associated with each grammar symbol*
 - Can be anything, e.g., data type of expressions, # instructions in the generated code
 - A **semantic rule (语义规则)** is associated with a production and describes how attributes are computed

$$E \rightarrow E_1 + T \quad E.\text{code} = E_1.\text{code} \parallel T.\text{code} \parallel '+'$$

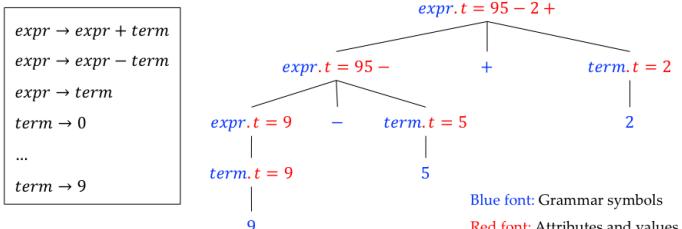
The attribute **code** represents the **postfix notation** of the construct

|| is the operator for **string concatenation**

*Grammar symbols represent language constructs. Nonterminal nodes and subtrees rooted at these nodes correspond to productions.

Annotated Parse Tree

- An **annotated parse tree** for **infix expression 9-5+2**
- The attribute **t** represents **postfix notation**



Synthesized Attributes (合成属性)

- An attribute is said to be **synthesized** if its value at a parse-tree node N is only determined from attribute values at the **children of N** and at **N itself** (defined by a semantic rule associated with the production at N)

Production	$\text{expr} \rightarrow \text{expr}_1 + \text{term}$
Rule	$\text{expr}.t = \text{expr}_1.t \parallel \text{term}.t \parallel '+'$

Production	$\text{term} \rightarrow 9$
Rule	$\text{term}.t = '9'$

Terminals can also have synthesized attributes (lexical values), but there are no rules for computing the value of an attribute for a terminal.

由上下文无关文法指导的语言翻译过程

语言的construct是由多个小construct构成的。

①从子成分综合

②从其他成分继承

属性即语法符号

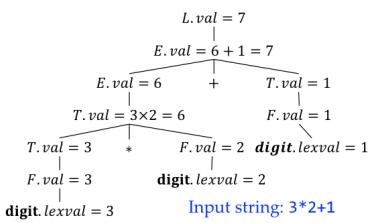
语义规则描述了属性的运行计算

合成属性的值是由其在parse-tree上的节点与其子节点的属性值决定的。

A Complete Example of SDD

- The SDD below helps compute the value of an expression L
- SDD's do not specify the evaluation order of attributes on a parse tree
 - Any order that computes an attribute a after all other attributes that a depends on is fine
 - Synthesized attributes have a nice property that they can be evaluated during a single bottom-up traversal of a parse tree (it is often unnecessary to explicitly create the tree)

PRODUCTION	SEMANTIC RULES
1) $L \rightarrow E \ n$	$L.val = E.val$
2) $E \rightarrow E_1 + T$	$E.val = E_1.val + T.val$
3) $E \rightarrow T$	$E.val = T.val$
4) $T \rightarrow T_1 * F$	$T.val = T_1.val * F.val$
5) $T \rightarrow F$	$T.val = F.val$
6) $F \rightarrow (E)$	$F.val = E.val$
7) $F \rightarrow \text{digit}$	$F.val = \text{digit.lexval}$



Inherited Attributes (继承属性)

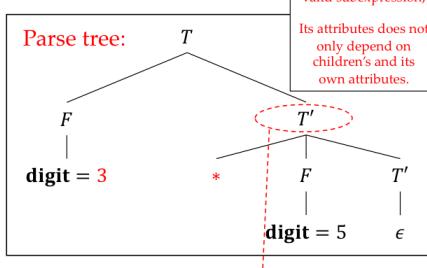
- Inherited attributes have their value at a parse-tree node determined from attribute values at the node itself, its parent, and its siblings in the parse tree

We already have synthesized attributes. When are inherited attributes useful???



Top-Down Parse of 3*5

$T \rightarrow FT'$
 $T' \rightarrow * FT'$
 $T' \rightarrow \epsilon$
 $F \rightarrow \text{digit}$



For some grammars, the structure of the parse tree does not match the abstract syntax of the code (3 and * are in different subtrees)

Not all non-terminals in a parse tree correspond to proper language constructs, e.g., T' above.

SDD with Inherited Attributes

PRODUCTION	SEMANTIC RULES
1) $T \rightarrow F T'$	$T'.inh = F.val$ $T.val = T'.syn$
2) $T' \rightarrow * F T'_1$	$T'_1.inh = T'.inh * F.val$ $T'.syn = T'_1.syn$
3) $T' \rightarrow \epsilon$	$T'.syn = T'.inh$
4) $F \rightarrow \text{digit}$	$F.val = \text{digit.lexval}$

The left operand of the operator * is inherited by T' and kept for later computation when T' further gets replaced

The inherited attribute of T' is not defined by a rule associated with the production (2) or (3), whose head is T'

SDD不会指定属性的计算顺序。

继承属性的值由parse-tree 的本节点、父节点兄弟节点决定。

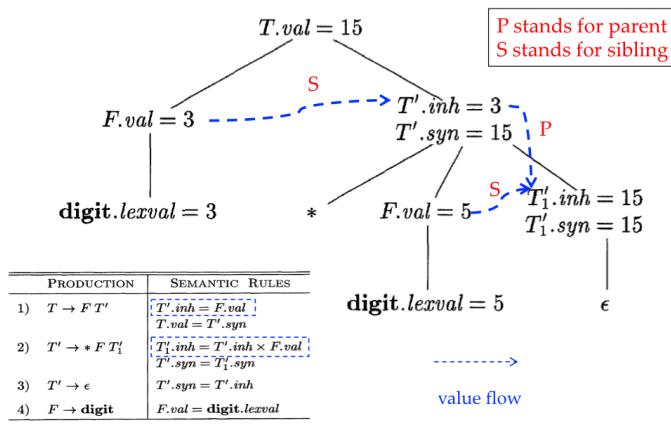
Parse tree 与 abstract syntax tree 不一样时。
就需要继承属性了。

→ 只靠这个子树无法综合。因为 * 无法计算
3 在另一个子树上。

→ 应用 $T \rightarrow FT'$ 时，3 与 * 分离了，所以需
要 T' 继承 $F.val$ 。

→ 当所有因子都处理完毕，再向上综合

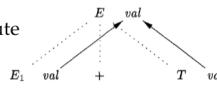
Annotated Parse Tree for $3 * 5$



Evaluation Orders for SPD's

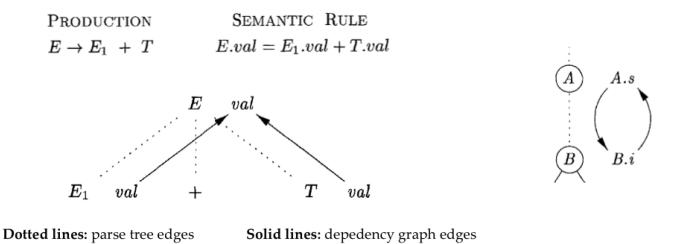
- Given parse tree nodes N, M_1, M_2, \dots, M_k , if the attribute a of N is defined as $N.a = f(M_1.a_1, M_2.a_2, \dots, M_k.a_k)$, then in order to compute $N.a$, we must first compute $M_i.a_i$ ($1 \leq i \leq k$)
- Dependency graphs** (依赖图) are a useful tool for determining evaluation orders

- Depict the **information flow** among the attribute instances in a particular parse tree
- Model the **partial order** among attribute instances (not every pair of elements has an order)



Dependency Graph

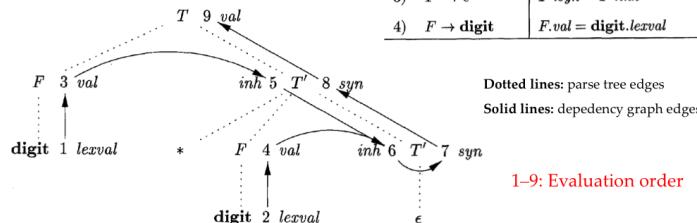
- An **edge** from one **attribute instance** (a_1) to another (a_2) means that the value of a_1 is needed to compute the value of a_2
- If there is any **cycle** in a dependency graph, we cannot find an order to compute the value of all attribute instances



Example : Parsing $3 * 2$

Attribute values can be computed according to any **topological sort** (拓扑排序)* of the graph, e.g., 1, 2, 3, ..., 9 in the example below

PRODUCTION	SEMANTIC RULES
1) $T \rightarrow F T'$	$T'.inh = F.val$ $T.val = T'.syn$
2) $T' \rightarrow * F T'_1$	$T'_1.inh = T'.inh \times F.val$ $T'.syn = T'_1.syn$
3) $T' \rightarrow \epsilon$	$T'.syn = T'.inh$
4) $F \rightarrow \text{digit}$	$F.val = \text{digit.lexval}$



* Topological sorting for a directed acyclic graph is a linear ordering of vertices such that for every directed edge $u \rightarrow v$, vertex u comes before v in the ordering. Topological sorting is not possible for graphs with cycles.

描述 parse tree 中各 attribute 的求值顺序

Ordering the Evaluation of Attributes

- Given an arbitrary SDD, it is hard to tell whether there exist any parse trees (annotated) whose dependency graphs have cycles (i.e., whether the SDD is computable)
- In practice, translations can be implemented using classes of SDD's that guarantee an evaluation order*

- **S-attributed** SDD's
- **L-attributed** SDD's

*The dependency graphs for such SDDs are directed acyclic graphs

S-Attributed SDDs

- An SDD is **S-attributed** if every attribute is synthesized

PRODUCTION	SEMANTIC RULES
1) $L \rightarrow E \ n$	$L.val = E.val$
2) $E \rightarrow E_1 + T$	$E.val = E_1.val + T.val$
3) $E \rightarrow T$	$E.val = T.val$
4) $T \rightarrow T_1 * F$	$T.val = T_1.val * F.val$
5) $T \rightarrow F$	$T.val = F.val$
6) $F \rightarrow (E)$	$F.val = E.val$
7) $F \rightarrow \text{digit}$	$F.val = \text{digit.lexval}$

Intuitively, there cannot be cycles in the dependency graph of any parse tree, since edges always go from children nodes to parent nodes, never the other way around.

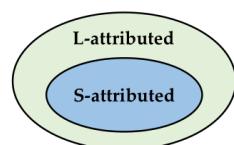
- When an SDD is S-attributed, we can evaluate its attributes in any **bottom up order** of the parse-tree nodes
 - e.g., **postorder traversal** (后序遍历) of the parse tree
- So, S-attributed SDDs can be easily implemented during **bottom-up parsing** (the parsing process corresponds to a postorder traversal)

```
postorder(N) {  
    for ( each child C of N, from the left ) postorder(C);  
    evaluate the attributes associated with node N;  
}
```

L-Attributed SDDs

- An SDD is **L-attributed** if for each production $A \rightarrow X_1 X_2 \dots X_n$, for each $j = 1 \dots n$, each inherited attribute of X_j depends on only:
 - the attributes of X_1, \dots, X_{j-1} (either synthesized or inherited), or
 - the inherited attributes of A
- Or each attribute is synthesized

- Dependency-graph edges can go from left to right (on an annotated parse tree), but not right to left (hence the SDD is named "L-attributed")
- There cannot be cycles in the graph, as edges only go from left to right or from parents to children



给定 SDD, 难找出是否存在 parse-tree. 其依赖图有环, 即 SDD 是否可计算

所有属性都是合成的。
即边全部儿子节点指向父节点。

后序遍历可计算 S-attributed SDD

① X_j 的继承属性只依赖于
a. $X_1 \dots X_{j-1}$ 的合成 / 继承属性
b. A 的继承属性

② 所有属性都是合成的

属性只来自于上面和左边。

L-Attributed SDD Example

PRODUCTION	SEMANTIC RULES
1) $T \rightarrow F T'$	$T'.inh = F.val$ Left sibling's attribute $T.val = T'.syn$
2) $T' \rightarrow * F T'_1$	$T'_1.inh = T'.inh \times F.val$ $T'.syn = T'_1.syn$
3) $T' \rightarrow \epsilon$	• Parent's inherited attribute • Left sibling's attribute $T'.syn = T'.inh$
4) $F \rightarrow \text{digit}$	$F.val = \text{digit.lexval}$

Synthesized attributes: val, syn, lexval. Inherited attributes: inh

Attributed Evaluation for L-Attributed SDD's

Input: A node n in a parse tree T

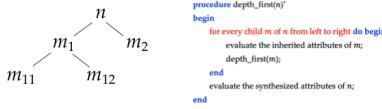
Output: An evaluation order for the attributes of the subtree rooted at n

```
procedure depth_first(n)*
begin
    for every child m of n from left to right do begin
        evaluate the inherited attributes of m;
        depth_first(m); // here m's synthesized attributes will be evaluated
    end
    evaluate the synthesized attributes of n;
end
```

*The inherited attributes of x (non-root) are computed before calling $\text{depth_first}(x)$, as indicated by the for body

Example

Example



1. Compute m_1 's inherited attribute depth_first(n)
2. Compute m_{11} 's inherited attribute depth_first(m_1)
3. Compute m_{11} 's synthesized attribute depth_first(m_{11})
4. Compute m_{12} 's inherited attribute depth_first(m_{12})
5. Compute m_{12} 's synthesized attribute depth_first(m_{12})
6. Compute m_1 's synthesized attribute
7. Compute m_2 's inherited attribute
8. Compute m_2 's synthesized attribute depth_first(m_2)
9. Compute n 's synthesized attribute

Attributed Evaluation for L-Attributed Definitions

Input: A node n in a parse tree T

Output: An evaluation order for the attributes of the subtree rooted at n

```
procedure depth_first(n)*
begin
    When evaluating the inherited attributes of a node, the
    attributes of nodes to its left have been evaluated
    ↑ Guarantee
    for every child m of n from left to right do begin
        evaluate the inherited attributes of m;
        depth_first(m); // here m's synthesized attributes will be evaluated
    end
    evaluate the synthesized attributes of n;
end
```

*The inherited attributes of x (non-root) are computed before calling $\text{depth_first}(x)$, as indicated by the for body

Input: A node n in a parse tree T

Output: An evaluation order for the attributes of the subtree rooted at n

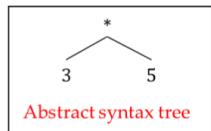
```
procedure depth_first(n)*
begin
    When evaluating the inherited attributes of a node ( $m$ ), the
    inherited attributes of its parent node ( $n$ ) have been evaluated
    ↑ Guarantee
    for every child m of n from left to right do begin
        evaluate the inherited attributes of m;
        depth_first(m); // here m's synthesized attributes will be evaluated
    end
    evaluate the synthesized attributes of n;
end
```

*The inherited attributes of n are computed before calling $\text{depth_first}(n)$, as indicated by the for body

Construction of Syntax Tree

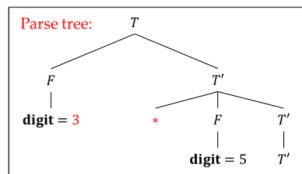
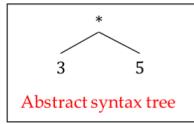
- Abstract syntax tree (or syntax tree for short) revisited:

- Each interior node N represents a **construct** (corresponding to an operator)
- The children of N represent the meaningful **components of the construct** represented by N (corresponding to **operands**)



- Syntax tree vs. parse tree

- In a syntax tree, interior nodes represent **programming constructs**, while in a parse tree, interior nodes represent **nonterminals***
- A parse tree is also called a **concrete syntax tree**, and the underlying grammar is called a **concrete syntax** for the language



*Not all nonterminals represent programming constructs, e.g., those introduced to eliminate left recursions (T' in the earlier L-attributed SDD example)

- An S-attributed SDD for building syntax trees for simple expressions

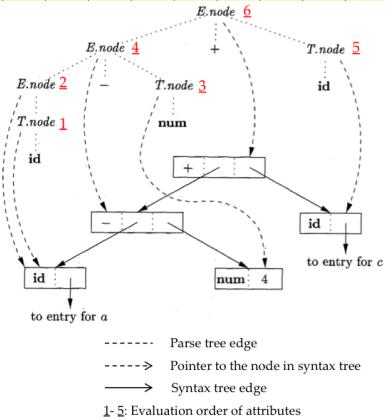
- Each node of the syntax tree is implemented as an **object** with a field op , representing the label of the node, and some additional fields
 - Leaf node:** one additional field holding the lexical value
 - Interior node:** # additional fields = # of children

PRODUCTION	SEMANTIC RULES
1) $E \rightarrow E_1 + T$	$E.\text{node} = \text{new Node}('+', E_1.\text{node}, T.\text{node})$
2) $E \rightarrow E_1 - T$	$E.\text{node} = \text{new Node}(' - ', E_1.\text{node}, T.\text{node})$
3) $E \rightarrow T$	$E.\text{node} = T.\text{node}$
4) $T \rightarrow (E)$	$T.\text{node} = E.\text{node}$
5) $T \rightarrow \text{id}$	$T.\text{node} = \text{new Leaf(id, id.entry)}$
6) $T \rightarrow \text{num}$	$T.\text{node} = \text{new Leaf(num, num.val)}$

Input expression: $a - 4 + c$

Steps (object creations only; bottom-up evaluation):

- $p_1 = \text{new Leaf(id, entry-a);}$
- $p_2 = \text{new Leaf(num, 4);}$
- $p_3 = \text{new Node}(' - ', p_1, p_2);$
- $p_4 = \text{new Leaf(id, entry-c);}$
- $p_5 = \text{new Node}('+', p_3, p_4);$



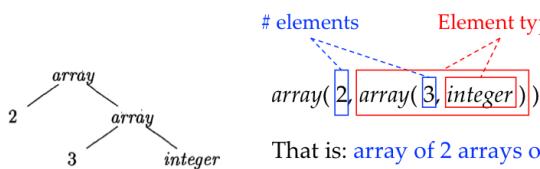
parse tree 也叫具体语法树。

后序遍历 parse tree, 依 S-attributed SDD 构建
Syntax tree

Computing the Structure of a Type

`int[2][3] a = ...;`

What is the type of `a`?



That is: array of 2 arrays of 3 integers

• `int[2][3]`

PRODUCTION	
$T \rightarrow B C$	
$B \rightarrow \text{int}$	
$B \rightarrow \text{float}$	
$C \rightarrow [\text{num}] C_1$	
$C \rightarrow \epsilon$	

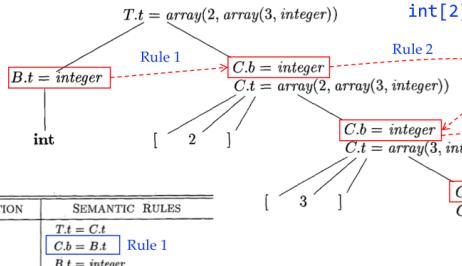
The "integer" info is in a subtree root at B

How can we obtain the type expression `array(3, integer)` from this subtree?

`T.t = array(2, array(3, integer))`

Dependency
----->

`int[2][3]`



Computing the Structure of a Type

PRODUCTION	SEMANTIC RULES
$T \rightarrow B C$	$T.t = C.t$ $C.b = B.t$ Rule 1
$B \rightarrow \text{int}$	$B.t = \text{integer}$
$B \rightarrow \text{float}$	$B.t = \text{float}$
$C \rightarrow [\text{num}] C_1$	$C.t = \text{array}(\text{num.val}, C_1.t)$ $C_1.b = C.b$ $C.t = C.b$ Rule 2
$C \rightarrow \epsilon$	

PRODUCTION

$T \rightarrow B C$

$B \rightarrow \text{int}$

$B \rightarrow \text{float}$

$C \rightarrow [\text{num}] C_1$

$C \rightarrow \epsilon$

The grammar generates type specifiers:

- `int`
- `float`

} Basic types

- `int[2]`

- `int[2][3]`

- `int[4][5][6]`

} Array types

• ...

PRODUCTION

$T \rightarrow B C$

$B \rightarrow \text{int}$

$B \rightarrow \text{float}$

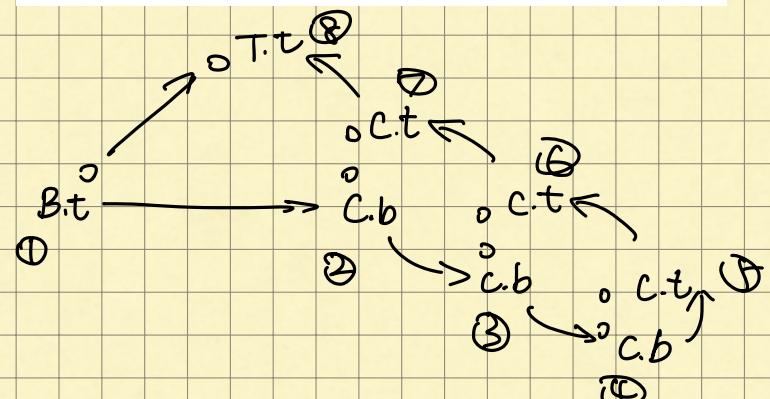
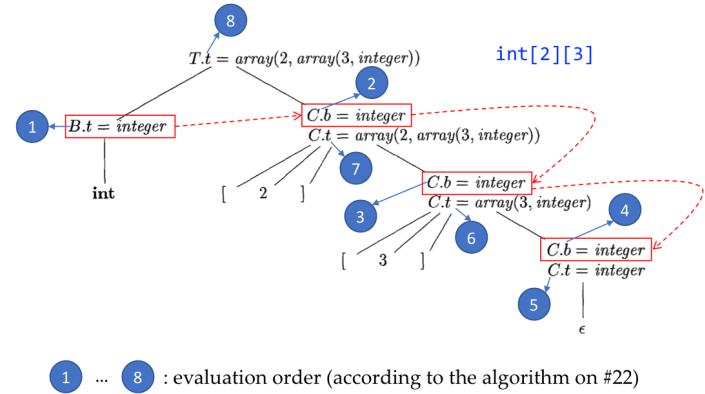
$C \rightarrow [\text{num}] C_1$

$C \rightarrow \epsilon$

L-attributed SDD

Synthesized attribute `t` represents a type

Inherited attribute `b` passes the basic type down the parse tree



Syntax-Directed Translation Schemes

- SDD's tell us what to do (**high-level specifications**) in the translation, but not how to do
- Syntax-directed translation schemes (SDT's, 语法制导的翻译方案) specify more details on how to do the translation
- An SDT^{*} is a context-free grammar with semantic actions (program fragments) embedded within production bodies
 - Differ from the semantic rules in SDD's
 - Semantic actions can appear anywhere within a production body

^{*}In this course, we are only interested in SDT's for computing L-attributed SDT's.

Example SDT

- The SDT below implements a simple calculator

SDT	$L \rightarrow E \ n$ $E \rightarrow E_1 + T$ $E \rightarrow T$ $T \rightarrow T_1 * F$ $T \rightarrow F$ $F \rightarrow (E)$ $F \rightarrow \text{digit}$	$\{ \text{print}(E.\text{val}); \}$ $\{ E.\text{val} = E_1.\text{val} + T.\text{val}; \}$ $\{ E.\text{val} = T.\text{val} \}$ $\{ T.\text{val} = T_1.\text{val} \times F.\text{val}; \}$ $\{ T.\text{val} = F.\text{val}; \}$ $\{ F.\text{val} = E.\text{val}; \}$ $\{ F.\text{val} = \text{digit.lexval}; \}$	Semantic actions: Real code in {}
SDD	$L \rightarrow E \ n$ $E \rightarrow E_1 + T$ $E \rightarrow T$ $T \rightarrow T_1 * F$ $T \rightarrow F$ $F \rightarrow (E)$ $F \rightarrow \text{digit}$	$L.\text{val} = E.\text{val}$ $E.\text{val} = E_1.\text{val} + T.\text{val}$ $E.\text{val} = T.\text{val}$ $T.\text{val} = T_1.\text{val} \times F.\text{val}$ $T.\text{val} = F.\text{val}$ $F.\text{val} = E.\text{val}$ $F.\text{val} = \text{digit.lexval}$	Semantic rules: Mathematical definitions

- Parse and calculate $3 * 4 * 5$

$L \rightarrow E \ n$ $E \rightarrow E_1 + T$ $E \rightarrow T$ $T \rightarrow T_1 * F$ $T \rightarrow F$ $F \rightarrow (E)$ $F \rightarrow \text{digit}$	$\{ \text{print}(E.\text{val}); \} \ A1$ $\{ E.\text{val} = E_1.\text{val} + T.\text{val}; \} \ A2$ $\{ E.\text{val} = T.\text{val} \} \ A3$ $\{ T.\text{val} = T_1.\text{val} \times F.\text{val}; \} \ A4$ $\{ T.\text{val} = F.\text{val}; \} \ A5$ $\{ F.\text{val} = E.\text{val}; \} \ A6$ $\{ F.\text{val} = \text{digit.lexval}; \} \ A7$
Order of actions: $A7_1, A5, A7_2, A4_1, A7_3, A4_2, A3, A1$	<pre> graph TD L --- E L --- A1 E --- T E --- A3 T --- T1 T --- A4 T1 --- F T1 --- A5 F --- D3 F --- A71 A5 --- D4 A5 --- A72 A4 --- F A4 --- A41 F --- D5 F --- A73 </pre>

All SDT's (for computing L-attributed SDT's) can be implemented by: 1) first building the parse tree, 2) treating semantic actions as "virtual" parse-tree nodes, and 3) performing preorder traversal

SDT's With Actions Inside Productions

$$B \rightarrow X\{a\}Y$$

- The action a should be done after we have recognized X (if X is a terminal) or all the terminals derived from X (if X is a nonterminal)
 - If the parse is **bottom-up**, we perform the **action a** as soon as X appears on the top of the parsing stack
 - If the parse is **top-down**, we perform the **action a** before attempting to expand Y (if Y is a nonterminal) or check for Y on the input (if Y is a terminal)

SDD: 要做什么

SDT: 要怎么做

语法动作可在生成式的任何地方

SDT实现:

- ① 建立parse tree
- ② 将semantic action视作parse tree的节点
- ③ 前序遍历

SDT's Implementable During Parsing

- In practice, SDT's are often implemented during parsing, without first building a parse tree
- Not all SDT's can be implemented during parsing*
 - Even if the underlying grammar is parsable by a method (e.g., LL, LR), after introducing semantic actions, the parsing method may become inapplicable
- Determine if an SDT can be implemented during parsing
 - Introduce distinct *marker nonterminals* to replace each embedded action; each marker M has only one production $M \rightarrow \epsilon$
 - If the grammar with marker nonterminals can be parsed by a given method, then the SDT can be implemented during parsing

Note that all SDT's for computing L-attributed SDD's can be implemented after building the parse tree, as earlier mentioned

A Problematic SDT

- This SDT translates infix expression to prefix expressions

$L \rightarrow E \ n$	$L \rightarrow E$
$E \rightarrow \{ \text{print}(+); \} E_1 + T$	$E \rightarrow M_1 E + T \quad M_1 \rightarrow \epsilon$
$E \rightarrow T$	$E \rightarrow T$
$T \rightarrow \{ \text{print}(*); \} T_1 * F$	$T \rightarrow M_2 T * F \quad M_2 \rightarrow \epsilon$
$T \rightarrow F$	$T \rightarrow F$
$F \rightarrow (E)$	$F \rightarrow (E)$
$F \rightarrow \text{digit} \{ \text{print}(\text{digit.lexval}); \}$	$F \rightarrow \text{digit } M_3 \quad M_3 \rightarrow \epsilon$

It is impossible to build parsing tables without conflicts using top-down or bottom-up parsing methods. This SDT cannot be implemented during parsing.

It can be implemented after parsing according to earlier mentioned steps.

Uses of SDT's

- We can use SDT's to implement two important classes of SDD's:
 - The underlying grammar is LR, and the SDD is S-attributed
 - The underlying grammar is LL, and the SDD is L-attributed

Postfix Translation Schemes

- If the grammar of an SDD is LR, and the SDD is S-attributed, then we can construct a *postfix SDT* (后缀SDT) to implement the SDD in bottom-up parsing
 - Semantic actions always appear at the end of productions (hence "postfix")

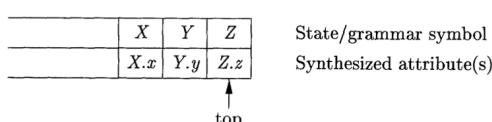
$L \rightarrow E \ n$	$L.val = E.val$ SDD
$E \rightarrow E_1 + T$	$E.val = E_1.val + T.val$
$E \rightarrow T$	$E.val = T.val$
$T \rightarrow T_1 * F$	$T.val = T_1.val * F.val$
$T \rightarrow F$	$T.val = F.val$
$F \rightarrow (E)$	$F.val = E.val$
$F \rightarrow \text{digit}$	$F.val = \text{digit.lexval}$

$L \rightarrow E \ n$	$\{ \text{print}(E.val); \}$ SDT
$E \rightarrow E_1 + T$	$\{ E.val = E_1.val + T.val; \}$
$E \rightarrow T$	$\{ E.val = T.val; \}$
$T \rightarrow T_1 * F$	$\{ T.val = T_1.val * F.val; \}$
$T \rightarrow F$	$\{ T.val = F.val; \}$
$F \rightarrow (E)$	$\{ F.val = E.val; \}$
$F \rightarrow \text{digit}$	$\{ F.val = \text{digit.lexval}; \}$

This is possible because in bottom-up parsing, before reducing to a production head, the grammar symbols in the production body have been visited and their synthesized attributes have been computed (both non-terminals and terminals).

Parser-Stack Implementation of Postfix SDT's

- Postfix SDT's can be implemented during LR parsing by executing the actions when reductions occur
- The synthesized attributes can be placed along with the grammar symbols on the stack



If we do reduction using $A \rightarrow XYZ$, then the attributes of A can be calculated based on the attributes of X , Y , and Z , which are already on the stack.

SDT在parse过程中就已实现

不是所有的SDT都在parse中实现

action都使用一个marker M代替。

可生成 parse tree, 但 SDT 在 parse 中不能实现

LR & S-attributed
LL & L-attributed

若 SDD 的文法是 LR, 且 SDD 是 S-attributed 的。
则可以构建后缀 SDD

在归约时执行 semantic action

The Calculator Example

PRODUCTION ACTIONS
 $L \rightarrow E \ n$ { print(stack[top - 1].val);
 top = top - 1; }

$E \rightarrow E_1 + T$ { stack[top - 2].val = stack[top - 2].val + stack[top].val;
 top = top - 2; }

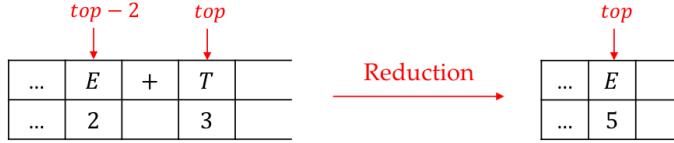
$E \rightarrow T$

$T \rightarrow T_1 * F$ { stack[top - 2].val = stack[top - 2].val * stack[top].val;
 top = top - 2; }

$T \rightarrow F$

$F \rightarrow (E)$ { stack[top - 2].val = stack[top - 1].val;
 top = top - 2; }

$F \rightarrow \text{digit}$



SDT's for L-Attributed SDD's

- L-attributed SDD's can be implemented during top-down parsing, if the underlying grammar is LL
- The way of turning an L-attributed SDD into an SDT is to **place semantic actions at appropriate positions** in the concerned production $A \rightarrow X_1 X_2 \dots X_n$
 - Embed the action that computes the **inherited attributes** for a nonterminal X_i immediately **before X_i** in the production body
 - Place the actions that compute a **synthesized attribute** for the production head **at the end** of the production body

An L-Attributed SDD

- The SDD generates labels for the while loop

```
S → while ( C ) S1  L1 = new();  

                    L2 = new();  

                    S1.next = L1;  

                    C.false = S.next;  

                    C.true = L2;  

                    S.code = label || L1 || C.code || label || L2 || S1.code
```

Inherited attributes: $S.next$, $C.true$, $C.false$

* There will be jump instructions with the labels as targets in $C.code$ and $S1.code$.

Synthesized attribute: $S.code$

Turning into an SDT

- Semantic actions:

- $L1 = \text{new}(); L2 = \text{new}();$
- $C.false = S.next; C.true = L2;$
- $S1.next = L1;$
- $S.code = \dots;$

- According to the rules of action placement:

- b) should be placed before C , c) should be placed before $S1$, and d) should be placed at the end of the production body
- a) can be placed at the very beginning; there is no constraint

```
S → while ( { L1 = new(); L2 = new(); C.false = S.next; C.true = L2; }  

            C ) { S1.next = L1; }  

            S1 { S.code = label || L1 || C.code || label || L2 || S1.code; }
```

若SDD的文法是LL, 且SDD是L-attributed的.
则可在top-down parse中实现.

将非终结符 X_i 的继承属性插在其之前.

将产生式头的综合属性插在最后.

Translation During Recursive-Descent Parsing

- Many translation applications can be addressed using L-attributed SDD's. It is possible to extend a recursive-descent parser to implement L-attributed SDD's.

递归下降 parser 能实现 L-attributed SDD

- A recursive-decent parser has a function A for each nonterminal A

```
void A() {  
    1) Choose an  $A$ -production,  $A \rightarrow X_1 X_2 \dots X_k$ ;  
    2) for ( $i = 1$  to  $k$ ) {  
        3) if ( $X_i$  is a nonterminal)  
            call procedure  $X_i()$ ;  
        4) else if ( $X_i$  equals the current input symbol  $a$ )  
            advance the input to the next symbol;  
        5) else /* an error has occurred */;  
    }  
}
```

- Extend a recursive-descent parser to implement L-attributed SDD's as follows:

- A recursive-decent parser has a function A for each nonterminal A
- Use the arguments of function A to pass A 's inherited attributes so that children nodes on the parse tree can use the attributes
- Return the synthesized attributes of A when the function A completes so that parent node on the parse tree can use the attributes

- With the above extension, in the body of the function A , we need to both parse and handle attributes

非终结符 A 的函数以参数接收 A 的继承属性，
返回 A 的综合属性。

The While-Loop Example

The While-Loop Example

$S \rightarrow \text{while} (C) S_1$

```
string S(label next) {  
    string Scode, Ccode; /* local variables holding code fragments */  
    label L1, L2; /* the local labels */  
    if (current input == token while) {  
        advance input;  
        check '(' is next on the input, and advance;  
        L1 = new(); C.false  
        L2 = new();  
        Ccode = C(next, L2);  
        check ')' is next on the input, and advance;  
        Scode = S(L1, S_1.next) (the label of the condition evaluating statement)  
        return("label" + L1 + Ccode + "label" + L2 + Scode);  
    }  
    else /* other statement types */  
}
```

We mainly put code that handles attributes here, the code is not complete.

Pass inherited attributes
(the label of the statement after while)

Save attributes in
local variables

Pass inherited attributes
when further handling
other nonterminals

Compute synthesized attributes
and return

$C.false$ $C.true$

$S(L1, S_1.next)$