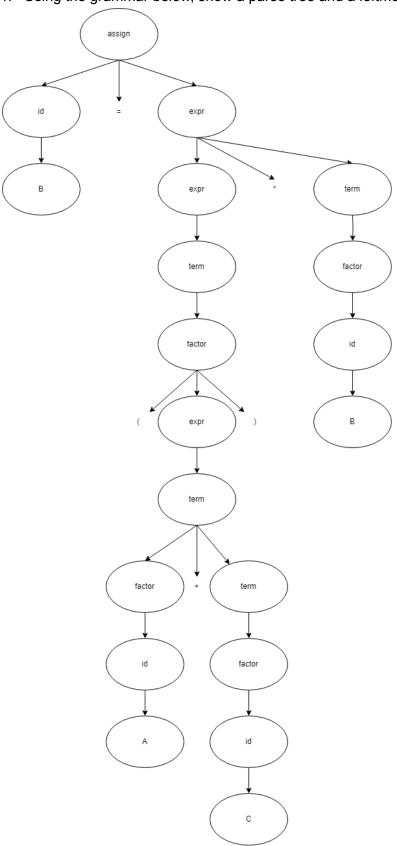
1. Using the grammar below, show a parse tree and a leftmost derivation for the sentence

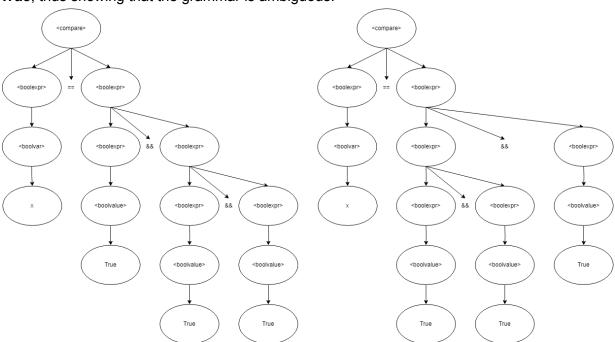


```
<assign> -> <id> = <expr>
<assign> -> B = <expr>
<assign> -> B = <expr> * <term>
<assign> -> B = <term> * <term>
<assign> -> B = <factor> * <term>
<assign> -> B = ( <expr> ) * <term>
<assign> -> B = ( <term> ) * <term>
<assign> -> B = ( <factor> + <term> ) * <term>
<assign> -> B = ( <id> + <term> ) * <term>
<assign> -> B = ( A + <term> ) * <term>
<assign> -> B = ( A + <factor> ) * <term>
<assign> -> B = (A + < id>) * < term<math>>
<assign> -> B = (A + C) * <term>
<assign> -> B = (A + C) * <factor>
<assign> -> B = (A + C) * <id>
<assign> -> B = (A + C) * B
```

2. Rewrite the following BNF to add the postfix ++ and -- unary operators of Java

```
<assign> -> <id> = <expr> <expr> -> <expr> * <term> | <term> <term> -> <factor> + <term> | <factor> - <term> | <factor> <factor> -> (<expr> ) | <id> ++ | <id> -- <<id> -> A | B | C
```

Show that the following grammar is ambiguous. Note: The terminals symbols are in bold.
 We observe two distinct trees to generate the sentential form x = True && True && True, thus showing that the grammar is ambiguous.

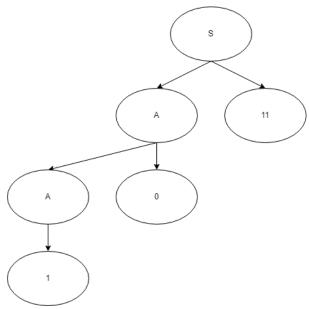


CS 381 Homework 3 – Syntax

4. Write a grammar G for the language L consisting of strings of 0's and 1's that are the binary representation of odd integers greater than 4.

 $G = \{N, \Sigma, P, S\}$ $N = \{S, A\}$ $\Sigma = \{01, 11, 1, 0\}$ $P = \{(S, A01), (S, A11), (A, A1), (A, A0), (A, 1), (A, 0)\}$ $P : S \rightarrow A01 \mid A11$ $A \rightarrow A1 \mid A0 \mid 1 \mid 0$

Parse tree for 1011:



Parse tree for 1101:

