Peiying Lyu 8109407016 HW4

1.

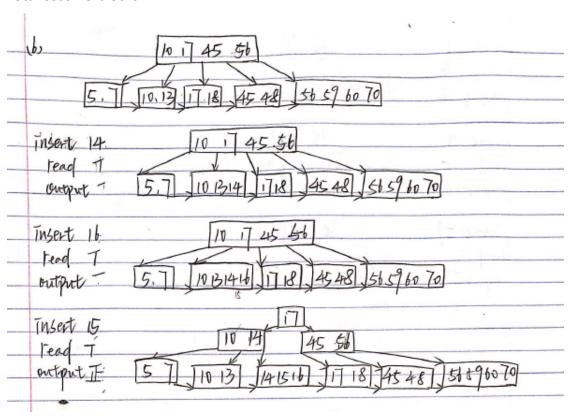
(a).

First, going to the root. --- 1 block

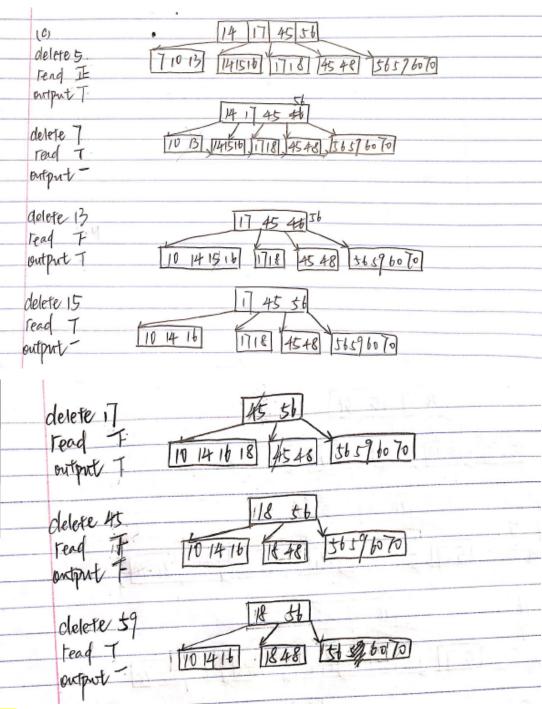
Second, going to the second child where value of node is beginning from 10 --- 1 block Third, searching till the value of node is 48, --- 2 blocks.

Then, read the 5th child to estimate which is >50, --- 1 block

Total cost = 5 blocks.



(b). Total cost = 13 blocks



(c). Total cost = 33 blocks

2.

(a) nested-loop join

1.For each (M-2)=100 blocks in R (read cost=B(R))

- 2.iterate through every block in S;
- 3. iterate through each tuple in R block,
- 4.iterate through each tuple in S block,
- 5.if condition matches, return (r, s).

Run this algorithm B(R)/(M-2) times, and each time need to read S: costs = B(S)*B(R)/(M-2).

Total cost = $B(R) + B(R)B(S)/(M-2) = 20\,000 + (20\,000 * 10\,000)/100 = 2,020,000$

(b) nested-loop join

- 1.For each (M-2)=100 blocks in S (read cost=B(S)),
- 2.iterate through every block in R;
- 3.iterate through each tuple in S block
- 4.iterate through each tuple in R block,
- 5.if condition matches, return (s, r).

Run this algorithm B(S)/(M-2) times, and each time need to read R: COSTS = B(S)*B(R)/(M-2).

Total cost = $B(S) + B(R)B(S)/(M-2) = 10\,000 + (20\,000 *10\,000)/100 = 2,010,000$

(c) sort-merge join

Step 1: Sort R: load 100 blocks of R at a time, sort them and write back on disk. This generates **200 runs**, each of size 100 blocks. Cost=2B(R)=40000

Step 2: Sort S: load 100 blocks of S at a time, sort them and write back on disk. This generates **100 runs**, each of size 100 blocks. Cost=2B(S)=20,000

Since # of runs of R and S > M, we cannot merge them directly.

Step 3: Sort R: load 100 blocks of R at a time, sort them and write back on disk. This generates **2** runs Cost=2B(R)=40000

Since # of runs of R and S=102 > M=101, we cannot merge them directly.

Step 4: Sort R: load 100 blocks of s at a time, sort them and write back on disk. This generates **1** runs Cost=2B(S)=20000

Step 4: Final merge: Cost = B(R)+B(S) = 30000

Total cost = 150000

(d) simple sort-merge join

Step 1: Sort R: load 100 blocks of R at a time, sort them and write back on disk. This generates **200 runs**, each of size 100 blocks. Cost=2B(R)=40000

Step 2: Sort S: load 100 blocks of S at a time, sort them and write back on disk. This generates **100 runs**, each of size 100 blocks. Cost=2B(S)=20,000

Step 3: Load 100 blocks of R at a time, sort and write back to the disk. This generates **2 runs**, each of size 10000 blocks. Cost = 2B(R) = 40000

Step 4: Load 100 blocks of S at a time, sort and write back to the disk. This generate **1 runs**, each of size 10000 blocks $\frac{\text{Cost}=2B(S)=20,000}{\text{Cost}=2B(S)=20,000}$

Step 5: Load 100 blocks of R at a time, sort and write back to the disk. This generate **1 runs**, each of size 20000 blocks. Cost = 2B(R) = 40000

Step 6: Final merge: Cost = B(R) + B(S) = 30000

Total cost = 190000

(e) Partitioned-hash join

Step1: Hash R into M-1=101 buckets and send them back to disk: Cost = 2 B(R) = 40,000

Step2: Hash S into M – 1 = 101 buckets and send them back to disk: Cost = 2 B(S) = 20,000

Step3: Read each bucket of smaller relation into memory. For each bucket, read the same bucket of the: larger relation block by block and join the matching tuples. Cost: B(R) + B(S) = 30,000

Total cost = 3B(R) + 3B(S) = 90,000

(f) Index-based join

- S, R are clustered
- 1. Load 100 blocks from R
- 2. For each tuple r(a.b), fetch corresponding tuples from S
- 3. Join the tuples which are matched and send it to output buffer

Total cost = B(R) + T(R)B(S)/v(s,a) = 200 00 + 200000*10000/100 = 20,020,000

The best one is Partitioned-hash join.