

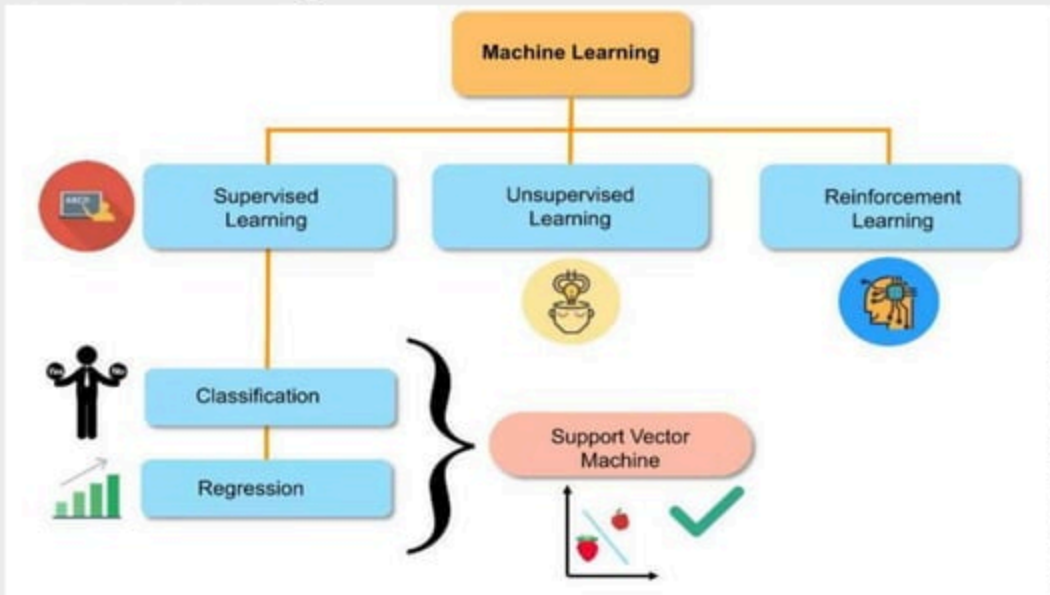


## Support Vector Machine (SVM)





# Machine Learning





# What is SVM ?

## Introduction:

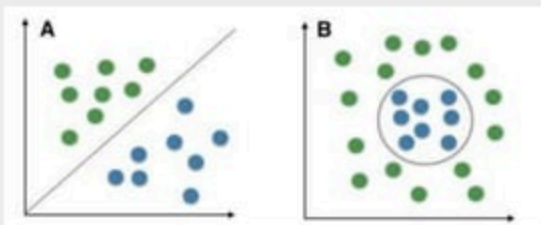
- Support Vector Machine is a **supervised machine learning problem** where to try to find a **hyperplane** that best separates two classes.
- It is considered as one of the **best algorithm** as it can handle **high-dimensional data**, is effective in cases with limited training samples, and can handle nonlinear classification using **kernel functions**.
- SVM can be used for **both regression and classification** tasks, but generally work best in classification problem.





## Types of SVM Algorithm:

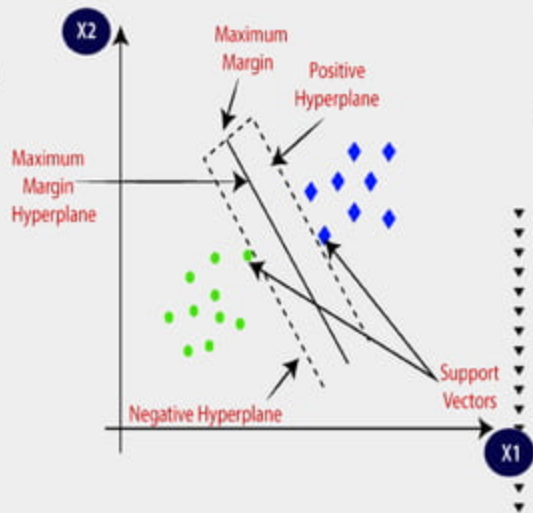
1. **Simple or Linear SVM:** When the **data is perfectly linearly separable** only then we can use Linear SVM. Perfectly linearly separable means that the data points can be classified into **2 classes by using a single straight line**(if 2D).
1. **Kernel or Non-Linear SVM:** When the data is **not linearly separable** then we can use Non-Linear SVM, which means when the data points cannot be separated into 2 classes by using a straight line (if 2D) then we use some **advanced** techniques like **kernel tricks** to classify them. In most **real-world applications** we do not find linearly separable data points hence we use kernel trick to solve them.





## Important Terms:

1. **Support Vectors:** These are the points that are closest to the hyperplane. A separating line will be defined with the help of these data points.
1. **Margin:** it is the distance between the hyperplane and the observations closest to the hyperplane (support vectors). There are two types of margins hard margin and soft margin.
1. **Hyperplane:** The best-line or decision boundary that can segregate N-dimensional space into classes so that we can easily put the new data point in the correct category.





# Hyper Plane:



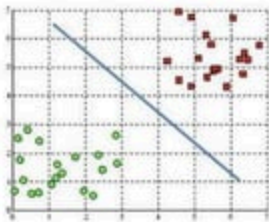
Hyperplanes are **decision boundaries** that help classify the data points. Data points falling on either side of the hyperplane can be attributed to different classes.

**dimension of the hyperplane = the number of features**

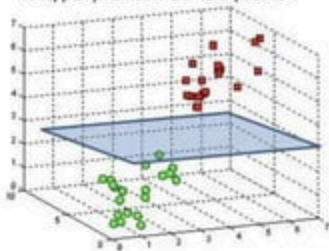
If, number of input features is 2, hyperplane is just a **line**.

number of input features is 3, hyperplane becomes a **two-dimensional plane**.

A hyperplane in  $\mathbb{R}^2$  is a line



A hyperplane in  $\mathbb{R}^3$  is a plane



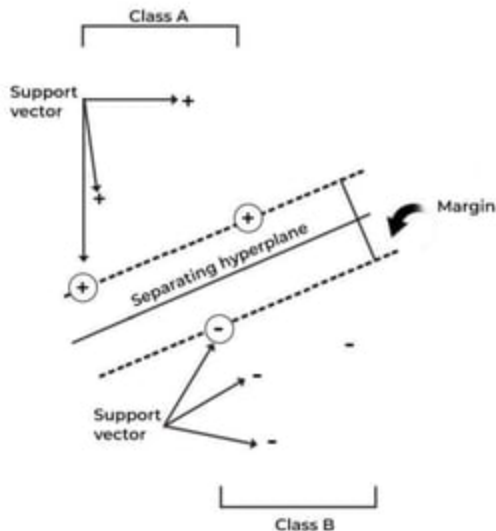


## Objective:

Objective of the SVM algorithm is to **find a hyperplane** that, to the best degree possible, **separates data points** of one class from those of another class.



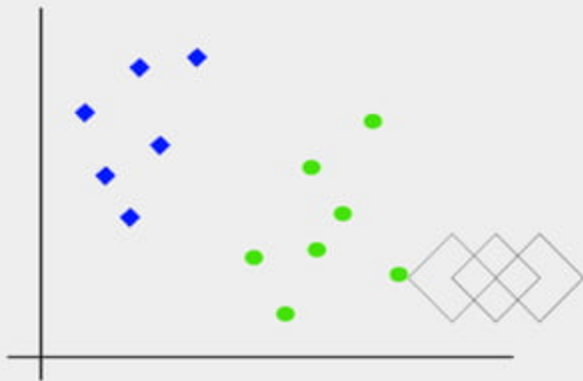
### SVMS OPTIMIZE MARGIN BETWEEN SUPPORT VECTORS OR CLASSES





# How does SVM work ?

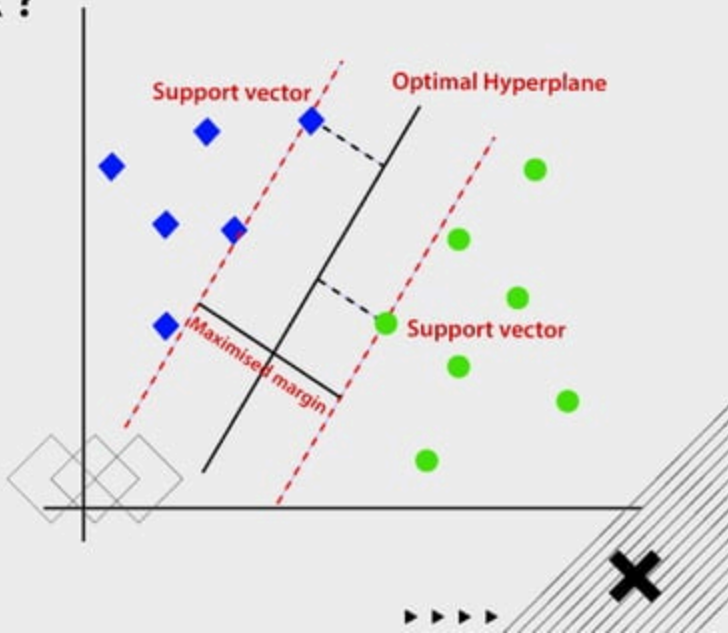
Suppose we have a dataset that has two classes (green and blue). We want to classify that the new data point as either **blue** or **green**.





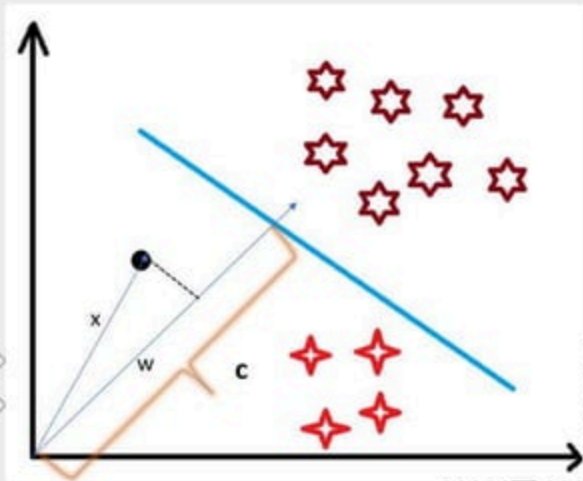
# How does SVM work ?

**Best Hyperplane** = Finding different hyperplanes which classify the labels in the best way then it will choose the one which is **farthest from the data points** or the one which has a **maximum margin**.



# Hard Margin SVM (Dot Product):

- Consider a random point  $X$  and we want to know whether it lies on the right side of the plane or the left side of the plane (positive or negative).
- First we **assume** this point is a vector ( $X$ ) and then we make a vector ( $w$ ) which is **perpendicular** to the **hyperplane**.



## Decision Rule:

$\vec{X} \cdot \vec{w} = c$  (the point lies on the decision boundary)

$\vec{X} \cdot \vec{w} > c$  (positive samples)

$\vec{X} \cdot \vec{w} < c$  (negative samples)

$$\vec{X} \cdot \vec{w} - c \geq 0$$

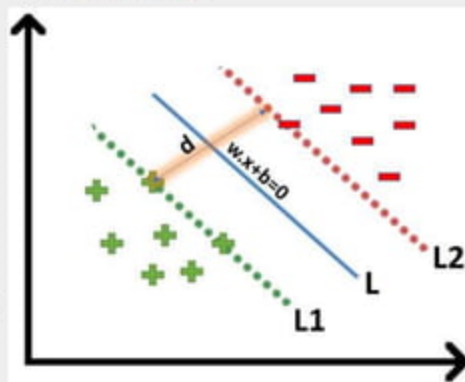
putting  $-c$  as  $b$ , we get

$$\vec{X} \cdot \vec{w} + b \geq 0$$

hence

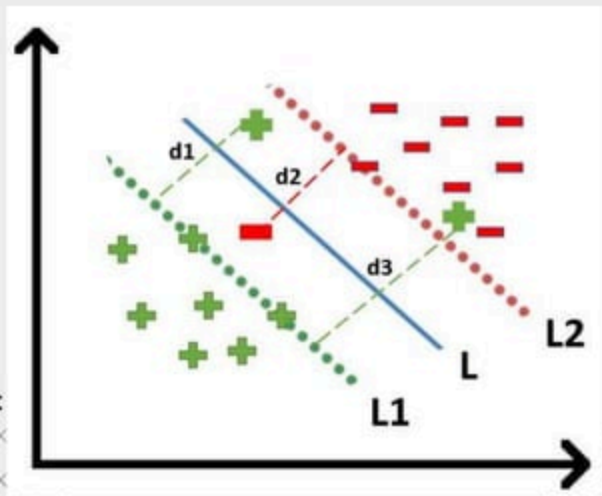
$$y = \begin{cases} +1 & \text{if } \vec{X} \cdot \vec{w} + b \geq 0 \\ -1 & \text{if } \vec{X} \cdot \vec{w} + b < 0 \end{cases}$$

We all know the equation of a hyperplane is  $w \cdot x + b = 0$  where  **$w$  is a vector normal to hyperplane** and  **$b$  is an offset**.



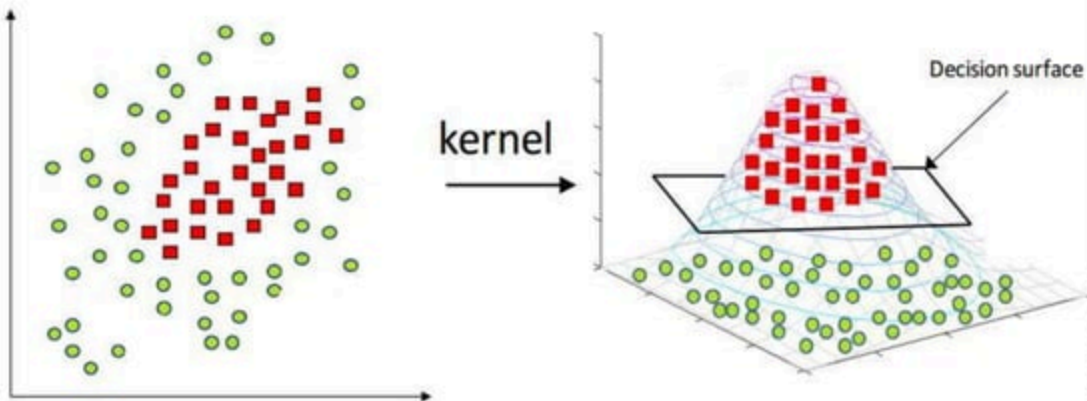
## Soft margin SVM:

- In **real-life applications**, we rarely encounter datasets that are perfectly linearly separable. Instead, we often come across datasets that are either **nearly linearly separable or entirely non-linearly separable**.
- To tackle this problem what we do is **modify that equation** in such a way that it allows few misclassifications that means it allows **few points** to be **wrongly classified**.



## Kernel in SVM:

- **Kernels** = functions that helps to **convert** lower dimension space to a **higher** dimension space using some **quadratic functions**.






# Types of Kernel Functions:

- Polynomial Kernel = Separate data of Degree 2.
- RBF Kernel = (Most used) Lift our samples onto a higher-dimensional feature
- Bessel function Kernel: Used for eliminating the cross term in mathematical functions
- Anova Kernel: Multidimensional regression problems

Right Kernel = What type of Dataset we are working on?

Linear Dataset = Linear Kernel Function

Complex Dataset = RBF Kernel Function





## Import Necessary Libraries

### ✓ Necessary imports



```
import pandas as pd  
import numpy as np  
import matplotlib.pyplot as plt
```





## Load Data from CSV file

### ▼ Load Data from CSV file

```
[ ] cell_df = pd.read_csv('cell_samples.csv')
    cell_df.tail()
    cell_df.shape
    cell_df.size
    cell_df.count()
    cell_df['Class'].value_counts()
```

```
2    458
```

```
4    241
```

```
Name: Class, dtype: int64
```



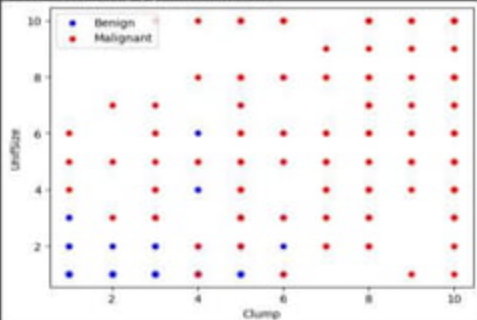


# Distribution of the Classes

## ▼ Distribution of the classes

```
#choose dataset that belongs to benign data frame  
benign_df = cell_df[cell_df['Class']==2][0:200]  
#choose dataset that belongs to malignant data frame  
malignant_df = cell_df[cell_df['Class']==4][0:200]  
  
#call method that  
axes = benign_df.plot(kind='scatter', x='Clump', y='UnifSize', color='blue', label='Benign')  
malignant_df.plot(kind='scatter', x='Clump', y='UnifSize', color='red', label='Malignant', ax=axes)
```

```
<axes: xlabel='Clump', ylabel='UnifSize'>
```





# Identification of the unwanted rows

## Identifying the unwanted rows

```
cell_df.dtypes
#remove the non numerical datas / discard non numeric data
#convert the values to numeric
cell_df = cell_df[pd.to_numeric(cell_df['BareNuc'], errors='coerce').notnull()]
cell_df['BareNuc'] = cell_df['BareNuc'].astype('int')
cell_df.dtypes
```

```
ID          int64
Clump       int64
UnifSize    int64
UnifShape   int64
MargAdh     int64
SingEpiSize int64
BareNuc     int64
BlandChrom  int64
NormNucl    int64
Mit         int64
Class       int64
dtype: object
```





# Remove unwanted Columns

## ▼ Remove of unwanted columns

```
[ ] cell_df.columns

feature_df = cell_df[['Clump', 'UnifSize', 'UnifShape', 'MargAdh', 'SingEpiSize',
                      'BareNuc', 'BlandChrom', 'NormNucl', 'Mit']]
#convert to numpy n-D array

#Independent variable X
X = np.asarray(feature_df)

#Dependent variable -> y
y = np.asarray(cell_df['Class'])

y[0:5]

array([2, 2, 2, 2, 2])
```





## Divide data as Train/Test

### ▼ Divide the data as Train/Test dataset

```
[ ] from sklearn.model_selection import train_test_split
    X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=4)
    #546 X 9
    X_train.shape
    #546 X 1
    y_train.shape
    #137 X 9
    X_test.shape
    #137 X 1
    y_test.shape

(137,)
```



# Modeling

## Modeling (SVM with Scikit-learn)

```
[ ] from sklearn import svm
    #Support Vector Classifier
    classifier = svm.SVC(kernel='linear', gamma='auto', C=2)

    classifier.fit(X_train, y_train)

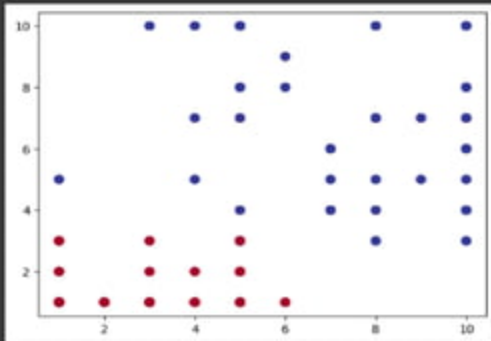
    y_predict = classifier.predict(X_test)
```



## Model Output :

```
• Plot the results
plt.scatter(X_test[:, 0], X_test[:, 1], c=y_test, s=50, cmap='b2vlu')
plt.scatter(X_test[:, 0], X_test[:, 1], c=y_predict, s=50, cmap='b2vlu')

plt.show()
```





# Evaluation of Results

## ▼ Evaluation (Results)

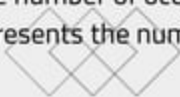
```
[ ] from sklearn.metrics import classification_report  
    print(classification_report(y_test, y_predict))
```

|              | precision | recall | f1-score | support |
|--------------|-----------|--------|----------|---------|
| 2            | 1.00      | 0.94   | 0.97     | 90      |
| 4            | 0.90      | 1.00   | 0.95     | 47      |
| accuracy     |           |        | 0.96     | 137     |
| macro avg    | 0.95      | 0.97   | 0.96     | 137     |
| weighted avg | 0.97      | 0.96   | 0.96     | 137     |



## Metrics:

- **Accuracy:** The portion of correctly classified instances among the total instances.
- **Precision and recall:** Precision measures the portion of true positive predictions among all positive predictions while recall measures the portion of true positive predictions among all actual positives.
- **F1 Score:** The harmonic mean of precision and recall, which provides a balance between the two metrics.
- **Support:** Support refers to the number of occurrences of each class in the actual data. It represents the number of samples belonging to each class.







## Advantages of SVM

- SVM works **better** when the data is **linear**
- It is more effective in high dimensions
- With the help of the **kernel** trick, we can solve any **complex problem**
- SVM is not sensitive to **outliers**
- Can help us with Image Classification





## Disadvantage of SVM

- Choosing a **good kernel** is not easy
- It does not show good result on a **big dataset**
- The SVM hyperparameters are Cost -C and gamma.
- It is **not easy** to **fine-tune** these hyper-parameters.
- It is hard to visualize their impact





## Conclusion:

- We have **demonstrated** SVM by **segregation** two different classes.
- We discussed its **concept of working**, math intuition behind SVM, **implementation** in python, the tricks to **classify non-linear datasets**, Pros and cons, and finally, we solved a problem with the help of SVM.

**Support vector machine is an elegant and powerful algorithm.**





**THANK YOU!**

**Any Questions?**

