Task 7.1D: Function approximation implementation

GitHub Link:

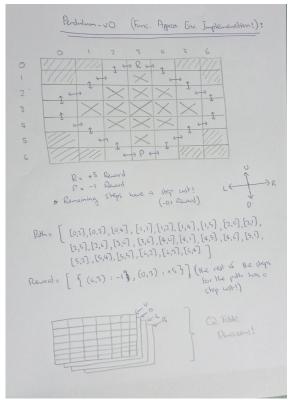
Objective: To implement Task 1.1P with the following methods:

#Importing our GridWorld Module after connection.
from GW import Grid, print_values, print_policy

Creating our Environment

```
#ALL the Constants...

ALL POSSIBLE_ACTIONS = ('U', 'D', 'L', 'R')
num_epsicode = 100
GAPMA = 0.9
ALPHA = 0.1
eps = 0.1
```



```
pendulum = Grid(7, 7, (6, 3))
step_cost = -0.1
```

```
--Rewards per state in the Enviro
        0.00 |
0.00 |
-0.10 |
5.00 |
-0.10 |
0.00 |
        0.00 |
-0.10 |
-0.10 |
0.00 |
-0.10 |
-0.10 |
0.00 |
        -0.10 |
-0.10 |
0.00 |
0.00 |
0.00 |
-0.10 |
       -0.10 |
0.00 |
0.00 |
0.00 |
0.00 |
0.00 |
0.00 |
        -0.10 |
-0.10 |
0.00 |
0.00 |
-0.10 |
-0.10 |
        8.00 |
-0.10 |
-0.10 |
-0.10 |
-0.10 |
-0.10 |
-0.10 |
[6]: #Ensliting all the possible actions per st
     (6, 2) | ('0', '8')

(6, 3) | ('1', '8')

(6, 4) | ('1', '8')

(6, 4) | ('1', '0')

(1, 4) | ('1', '0')

(2, 6) | ('1', '0')

(2, 6) | ('1', '0')

(2, 6) | ('1', '0')

(3, 6) | ('1', '0')

(4, 6) | ('1', '0')

(4, 6) | ('1', '8')

(4, 7) | ('8', '0')

(5, 6) | ('1', '8')

(6, 7) | ('1', '1')

(6, 7) | ('1', '1')

(6, 7) | ('1', '1')

(6, 7) | ('1', '1')

(6, 7) | ('1', '1')

(6, 7) | ('1', '1')

(6, 7) | ('1', '1')

(6, 7) | ('1', '1')
       Semi-Gradient Sarsa(0)
        We will create some basic functionalities for our algorithms while the agent learns in the environment.
     # #Function for getting the actions of our Optimal Policy...
     s def max dict(d):

s def max dict(d):

s max def max (key) and max (value) from a dictionary

s max (we) - Nowe

s max (we) - Now

s for b, v in d.ttms():

s for b, v in d.ttms():

s max (we) - we

s max (we) - we

s max (by) - max (wi
       else:
__, maxarg_a = actions[(state[0], state[1])]
return maxarg_a #Returns Letter, not the index
    recurs manage;

sfunction for manage;

if a = "0":

if a = "0":

i = 1

clif a = "0":

clif a = "1":

clif a = "1":

clif a = "1":

clif a = "1":

clif a = "1":
      #Function to return reward with from a certain state with Grid Pi
        def step_function(s,a):
    # r = pendulum.move(a)
    i,j = s
           i,j = s

if s in actions.keys():

if a == 'U':

i == 1

elif a == 'D':

i += 1

elif a == 'R':

j == 1

elif a == 'L':

j += 1
              next_s = (i,j)
if next_s in actions.keys():
r = rewards.get(next_s, 0)
#print(next_s,"----",r)
return next_s, r
               else:
r = 0
#print("\nOut of bounds. Move Undone...")
return s, r
        #Running a small test for the function.
next_S, r = step_function((5,3),'D')
print(next_S, r)
```

```
Input:
                                                                                        A differentiable state-action value function \hat{q} \colon \mathcal{S} \times \mathcal{A} \times \mathbb{R}^d \to \mathbb{R}
                                                                                        A policy \pi if predicting or q_\pi if estimating (e.g. using \varepsilon-greedy)
                                                 Algorithm Parameter
                                                                                        Step size \alpha \in (0.1]
                                            Initialise: w \in \mathbb{R}^d \text{ arbitrarily e.g. } w = 0 Loop forever (for each episode): S, A \leftarrow \text{Initial state and action of episode (e.g. using } \varepsilon - greedy) Loop for each step of the episode until S \in S(\text{Terminal}): \text{Take action } A, \text{ observe } R, S' If S' \in S^{\text{terminal}} then: w = w + \alpha [R + \gamma \hat{q}(S, A, w)] \nabla \hat{q}(S, A, w), \text{ special case for terminal state can't include future state also:
                                                 Initialise:
                                                                                                                                                                          Choose A' as a function of \hat{q}(S', \mathbf{w}) (e.g. using \varepsilon - greedy) \mathbf{w} = \mathbf{w} + \alpha[R + \gamma \hat{q}(S', A', \mathbf{w}) - \hat{q}(S, A, \mathbf{w})] \nabla \hat{q}(S, A, \mathbf{w}) S + S' A \leftarrow A'
                                               semi_gradient_sarsa(num_episodes, alpha, gamma, epsilon)
total_reward_per_episode = []
average_reward_per_episode = []
                                             for i in range(num_episodes):
                                                              Apendulum.set state(s) / state - env.reset() state * (6.3) — Starting point of the Apent to the Environment. State * (6.3) — Starting point of the Apent to the Environment. On the Property of the Prope
                                                                action = epsilon_greedy_action(state, epsilon)
for t in range(200):
                                                                             # Getting next state and reward...
next_state, reward = step_function(state, action)
                                                                             #Getting dimensions of the current and next state in order to update the Q-Table. ci, cj = state ni, nj = next_state
                                                                             #Get the next action...
next_action = epsilon_greedy_action(next_state, epsilon)
                                                                             #Mapping the current and next action..
a = action_map(action)
next_a = action_map(next_action)
                                                                             #Update the Q-Table...

td_err = reward + gamma * Q[ni][nj][next_a] - Q[ci][cj][a]
Q[ci][cj][a] += alpha * td_err * grad(Q[ci][cj][a], state, a)
                                                                             #Creating the total sum of the reward...
total_reward += reward
                                                              return total_reward_per_episode, average_reward_per_episode, Total_Q
                               Semi-Gradient TD(\lambda)
                                 "Again, we are going to implement some of the basic functionalities for this algorithm as well:
                             ### Function for predicting the weights...

def predict(state, weights):

i,j = state
  return np.dot(weights[i,j,:], np.ones(4))
In [8]: #Function to return reward with from a certain state with Grid Proper
                                  def step_function(s,a):
    # r = pendulum.move(a)
                                    next_s = (i,j)
if next_s in actions.keys():
r = rewards.get(next_s, 0)
# print(next_s, "----",r)
return next_s, r
                                               else:
r = 0
#print(next_s,"----",r)
                                                 sprint(max, s_1, \dots, s_r))

if s = 0: s'':

if s = 0: s'':

if s = 0: s'':

jet 1

if s = s: s'':

jet 2

if s = s: s'':

jet 3

jet 4

jet 4

jet 6

jet 6

jet 7

jet 8

jet 8
                                      else:
    r = 0
    #print("\nOut of bounds. Move Undone...")
    return s, r
                             aRunning a small test for the function
next_S, r = step_function((0,2),3)
print(next_S, r)
                                 (0, 3) 5
                               Likewise, for our second algorithm, this is how we will implement from the below pseudocode
                                               Input:
                                               Input:  
The policy \pi to be evaluate  
A differentiable function \theta: \mathcal{S} \times \mathbb{R}^d \to \mathbb{R}  
Algorithm Parameter:  
Step size \alpha \in (0,1]
                                                                           Trace decay rate \lambda \in [0,1]
                                               Initialise: \mathbf{w} \in \mathbb{R}^d arbitrarily e.g. \mathbf{w} = 0
Loop forever (for each episode): Initialize S
                                                                                        Reset z = 0
                                                                                      \label{eq:Resetz} \begin{split} & \text{Resetz} = \mathbf{0} \\ & \text{Loop for each step of the episode until } S \in S^{\text{(Terminal)}} : \\ & \text{Choose } A \sim \pi(\cdot \mid S) \\ & \text{Take action } A, \text{ observe } R, S' \\ & z \leftarrow \gamma \lambda z + \forall \theta(S, \mathbf{w}) \\ & \delta \leftarrow R + \gamma \theta(S', \mathbf{w}) - \theta(S, \mathbf{w}) \\ & \mathbf{w} = \mathbf{w} + \alpha \delta \mathbf{z} \\ & S \leftarrow S' \end{split}
```

Comparison of Results

```
SARSA(0) Results
trpe, sarsa_arpe, Total_Q = semi_gradient_sarsa(num_episodes, ALPHA, GAMMA, eps) print("Average Reward after 100 Episodes: ",np.mean(trpe))
```

n [21]: print("Average Reward per Episode: \n", sarsa_arpe)

ACT OF STATE OF STATE

In [22]: print("Q-Table in the 100th Episode: \n^* , Total_Q)

```
Q-Table
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 [ -0.01015181
 [ -0.54116897
[[ 0.
[ 0.
[ 0.
[ 0.
[ -0.01
[ 0.
```

TD(Lambda) Results

| 1,120 | Feared | 1,27,200 | Feared | 1,27,20

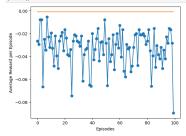
Point (*Average Reaard per Episcode: \no*, td_arpe)

Average Reaar

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```

Semi-Gradient SARSA(0) vs Semi-Gradient TD(Lambda)

```
eviciting the overage records per options...
x = (x for x in range(100))
y1 = 5xxx.yrs
y1 = 5xxx.yrs
y1 = 5xx.yrs
y1 = 5xx
```



References

- Integr./www.wgmilbrary.dev/environments/classic_control/pendulum/
 Integr./marge_org/doc/stable/reference/
 Integr./marge_org/do