



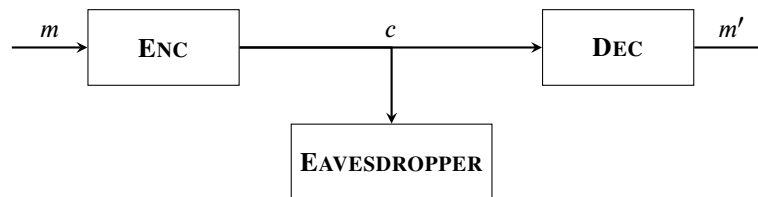
1 One Time Pad

1.1 What is [NOT] CRYPTOGRAPHY

1.1.1 Introduction

In the idealized model we assume that Alice wants to send a message m (*privately*) to Bob. Alice will modify the message m , also called **plaintext**, with any method to create a **ciphertext** c which will be actually sent to Bob. This transformation is also called encryption (**Enc**). After receiving the ciphertext c , Bob will reverse the step of transforming by using a decryption algorithm (**Dec**) to (*hopefully*) get the original plaintext m .

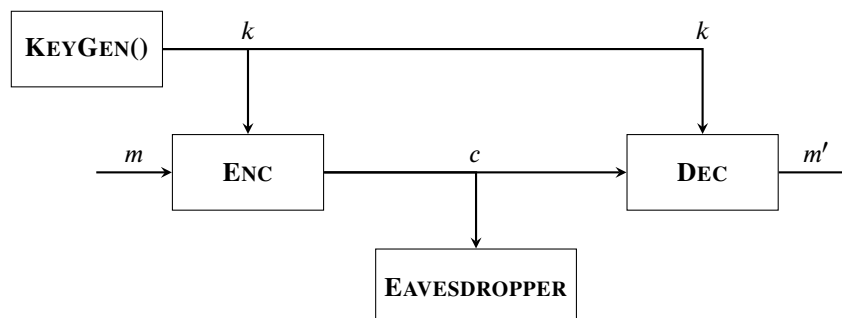
NOTE: We are not trying to hide that a message is sent, so an **EAVESDROPPER** (an attacker between Alice and Bob) can obtain the ciphertext c at any instance. Hiding the existence of communication is called *steganography*.



1.1.2 Kerckhoff's principle

The method must not be required to be secret, and it must be able to fall into the enemy's hands without causing any inconvenience.

So if the algorithm do not need to be secret, there must be additional information in the system, which is kept secret from any **EAVESDROPPER**. This information is called a (**secret**) **key** k .





1.2 Specifics of ONE-TIME PAD

A *one-time pad* often uses a secret key in the form of a bit string of length λ . The plain- and ciphertexts are also λ bit-strings.

The construction of such an one-time pad looks as follows:

<div>KEYGEN() $k \leftarrow \{0, 1\}^\lambda$ return k</div>	<div>ENC($k, m \in \{0, 1\}^\lambda$) $c := k \oplus m$ return c</div>	<div>DEC($k, c \in \{0, 1\}^\lambda$) $m' := k \oplus c$ return m'</div>
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Recapture that $k \leftarrow \{0, 1\}^\lambda$ means that k is sampled uniformly from the set of λ bit-strings.

Further we claim that for all $k, m \in \{0, 1\}^\lambda$ it is true, that $Dec(k, Enc(k, m)) = m$.

Otherwise the usage of one-time pad would be silly.

For security reasons we want to say about the encryption scheme that an EAVESDROPPER (who does not know k) cannot learn anything about the message m .

In the end we need to claim that an encryption algorithm is secure if for every $m \in \{0, 1\}^\lambda$ the distribution $EAVESDROP(m)$ is the **uniform distribution** of $\{0, 1\}^\lambda$, explicitly for every $m, m' \in \{0, 1\}^\lambda$ the distributions $EAVESDROP(m)$ and $EAVESDROP(m')$ are identical.

2 The Basics of Proveable Security