



## 1 Introduction - February 19, 2020

### 1.1 Defining Dependable Systems

QUOTES:

*A distributed system is a system where a computer of which you did not know it exists can prevent you from getting your job done.* - Leslie LAMPORT

*There is perhaps a market for maybe five computers in the world.* - TJ WATSON

FAULT → ERROR → FAILURE

- Train delayed because of tree has fallen on the tracks
- Travelers reach destination too late
- Alice misses her exam

	<u>FAULT</u>	<u>ERROR</u>	<u>FAILURE</u>
Train:	Tree fallen	no train	delay for passengers
Journey:	Train delay	delay	reached destination 2h after intention
Exam:	arrival 2h late	missed time-slot	repeat exam

FAULT: cause of failure

ERROR: internal state of system, not according to specification

FAILURE: observable deviation of specification

FAULT examples:

- timing
- cables
- power supply
- messages lost
- data loss (solved with RAIDs)

#### 1.1.1 How to make systems tolerate faults

- PREVENTION
- TOLERANCE
  - Replication/Redundancy
  - Recovery
- REMOVAL
- FORECASTING/PREDICTION

SAFETY ≠ SECURITY

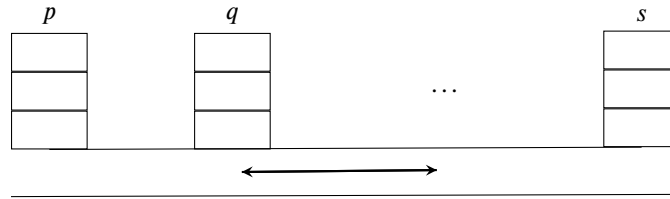
SAFETY is connected to loss of live/material due to accidents

SECURITY is connected to malicious intent

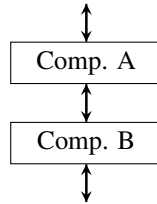
#### 1.1.2 Defining distributed computation

Processes  $\Pi = \{p, q, r, s \dots\}$

$|\Pi| = N$



### COMPONENTS



EVENTS for Component  $c$ :

$\langle c, event \mid param_1, param_2 \dots \rangle$

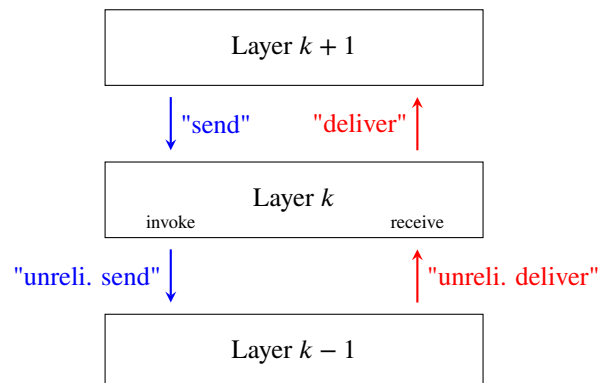
upon  $\langle c, ev_1 \mid param_1 \rangle$  do

do something

trigger  $\langle b, domore \mid p \rangle$

upon  $\langle b, domore \mid p \rangle$  do

### 1.1.3 Layered modules



Events either travel:

- upwards (red): indication
- downwards (blue): request

Events on a given layer may be:

- input events (IN)
- output events (OUT)



### 1.1.4 Module Jobhandler

Events:

Request:  $\langle jh, handle \mid job \rangle$

Indication:  $\langle jh, confirm \mid job \rangle$

Properties:

Every job submitted for handling is eventually confirmed.

Implementation (synchronized) JOBHANDLER

State

...

upon  $\langle jh, handle \mid job \rangle$  do

"process job"

trigger  $\langle jh, confirm \mid job \rangle$

upon ...

upon ...

Implementation (asynchronized) JOBHANDLER

State

$buf \leftarrow \emptyset$

upon  $\langle jh, handle \mid job \rangle$  do

$buf \leftarrow buf \cup \{job\}$

trigger  $\langle jh, confirm \mid job \rangle$

upon  $buf \neq \emptyset$  do

$job \leftarrow \text{some element of } buf$

"process job"

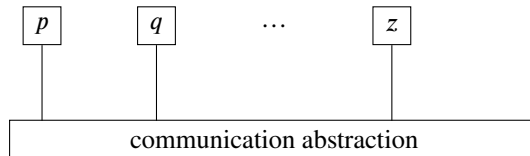
$buf \leftarrow buf \setminus \{job\}$

## 1.2 Concurrency and Replication in Distributed Systems



## 2 Models and Abstractions - February 26, 2020

### 2.1 Processes and Protocols



- Set of Processes  $\Pi$   
 $|\Pi| = N$
- A process is an automaton
- A protocol is a set of processes

#### 2.1.1 Execution

- Each computation step and every step of sending a message or receiving a message is an event
- An execution (history) is a sequence of all events of the processes as seen by a (hypothetical) global observer
- trace = execution

#### 2.1.2 Properties

Used for specifying the abstractions:

- **Safety properties** (*something "bad" has not happened*)  
If a property  $P$  has been violated in some execution  $E$ , then there exists a prefix  $E'$  of  $E$  such that in every extension of  $E'$ , property  $P$  is violated
- **Liveness properties** (*something "good" will happen in the future* [EVENTUALLY])  
Property  $P$  can be satisfied by some extension  $\tilde{E}$  of a given execution  $E$

*Safety or Liveness alone is not very useful. Only combination of both properties.*

#### 2.1.3 Process Failures

A process consists of different modules - if one of them fails the entire thing fails at once.

##### ★ Crashes

- *Omission failures* (message sending and receiving events are omitted)
- *Crash-Recovery Failure*
  - store(-) operation to write to stable storage
  - upon recovery, one can restore(-) data from this stable storage
- *Eavesdropping Fault*

##### ★ Arbitrary Fault (Byzantine Fault)



## 2.2 Cryptographic Abstraction

- **Hash functions** (SHA-256)  
 $H : 0, 1^* \rightarrow \{0, 1\}^k$ 
  - collision-free: difficult to find  $x, x'$  with  $x \neq x'$  and  $H(x) = H(x')$
- **Message-Authentication-Code (MAC)** (HMAC-SHA256)
  - $\text{authentication}(p, q, m) \rightarrow a$
  - $\text{verifyAuth}(p, q, m, a) \rightarrow \text{YES/NO}$
- **Digital Signatures** (RSA, (EC)DSA)
  - $\text{sign}(p, m) \rightarrow s$
  - $\text{verifySign}(p, m, s) \rightarrow \text{YES/NO}$
  - ★ Correctness:  
 $\forall m, p : \text{verifySign}(p, m, \text{sign}(p, m)) = \text{YES}$
  - ★ Security:  
 $\forall m, p, s : \text{verifySign}(p, m, s) = \text{NO}$ , unless  $p$  has executed  $\text{sign}(p, m) \rightarrow s$

## 2.3 Communication Abstraction

Every process can send messages to every other process.

### 2.3.1 Stubborn point-to-point links

#### Events:

$\langle \text{sl.send} \mid q, m \rangle$  { send message  $m$  to process  $q$

$\langle \text{sl.deliver} \mid p, m \rangle$  { deliver a received message  $m$  from process  $p$

#### Properties:

##### Stubborn delivery:

If a process sends a message  $m$  to process  $q$ , then  $m$  is infinitely often delivered at  $q$ .

##### No creation:

If some process  $q$  delivers some message  $m$  from  $p$  then process  $p$  has previously sent  $m$  to  $q$ .

### 2.3.2 Perfect point-to-point links

#### Events:

$\langle \text{sl.send} \mid q, m \rangle$

$\langle \text{sl.deliver} \mid p, m \rangle$

#### Properties:

##### Reliable delivery:

If a correct process sends a message  $m$  to a correct process  $q$  then  $q$  eventually delivers  $m$

##### No creation:

If process  $q$  delivers some  $m$  from process  $p$  then  $p$  has sent  $m$  to  $q$

##### At-most-once delivery:

Every message  $m$  is delivered at most once from  $p$  to  $q$ .

### 2.3.3 Alg. impl. perfect links (pl) from stubborn links (sl)

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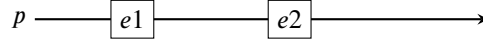
INIT:
 $\mathbb{D} \leftarrow \emptyset$ 
upon  $\langle pl.send \mid q, m \rangle$  do
    trigger  $\langle sl.send \mid q, m \rangle$ 
upon  $\langle sl.deliver \mid p, m \rangle$  do
    if  $(p, m) \notin \mathbb{D}$  then
         $\mathbb{D} \leftarrow \mathbb{D} \cup \{(p, m)\}$ 
        trigger  $\langle pl.deliver \mid p, m \rangle$ 
    ...

```

## 2.4 Timing Assumptions

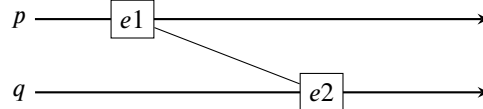
- Asynchronous model (*Logical Timing*)

- **One Process**



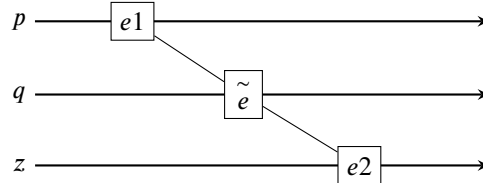
If  $e2$  happened after  $e1$  in one process, we know the sequence of events.

- **Two Processes**



If we know that  $e1$  caused  $e2$ , we know that  $e2$  happened after  $e1$ .

- **Three processes**



Transitivity holds across processes, so if  $e1$  caused  $\tilde{e}$  which cause  $e2$ ,  $e2$  happened after  $e1$ .

- Other time models exist



### **3 3rd Lecture - February 27, 2020**

#### **3.1 sub**