Question 3:

- In the Diffie-Hellman protocol, each participant selects a secret number x and sends the other participant $g^x \bmod p$ for some public number g.

  - What would happen if the participants sent each other $x^g \bmod p$ instead?
  - Suggest a method that the participants could apply for generating a common key (using the $x^g \bmod p$ approach).
  - Can Eve break your system without finding the secret numbers?
  - Can Eve find the secret number?