

Ch: 2 (from Book)

Continuous data = uncountable (infinite)

when we have infinite data (wave) then our memory + processor should be of infinite Required to much

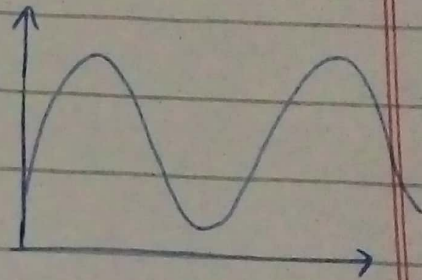
0 \rightarrow 1 0.001, 0.002 to much -

Discrete Data = can be countable (finite)

Sampling/Sample is used to deal with Continuous data

\rightarrow solid line is a Continuous wave-

\rightarrow this wave contain infinite points.



A specific time interval is Required (used) to select one point from Continuous data is called Sampling - and specific time will be one minute, second, day, hour, week, years any thing - according to our Requirement

T = Sampling interval - (what will be the interval for Sam)

Data Compression

Data is compressed By using Sampling / Quantization -

Sampling Frequency

کس قدر سے جمع sample
 $f = \frac{1}{T}$

→ interval is always fixed for Sampling

$$f_s = f$$

$$f_s = 100 \text{ per second}$$

$$f_s = \frac{1}{100} \quad (\text{one second kay 100 part kar rahy hn})$$

Original data is in Continuous form we can't deal with it as we are not having analog Devices. We have digital device - Convert it into Digital By (Sampling / Quantization) Now again we have to display output in form of Analog signal (Continuous wave).

(limited data) Discrete → Continuous (infinite) (unlimited data)
→ Is this possible ?? (Yes it is By using Sampling theorem)
How ??

$$f_s \geq 2f_{\max}$$

Method equation for Sampling theorem-

Use Discrete \rightarrow data original \rightarrow then \rightarrow use the theorem Sampling to you for easy be will it \rightarrow go back in original form By using that Sampling points-

$$f_s \geq 2 f_{\max}$$

f_s = sample frequency

f_{\max} = maximum frequency component

\rightarrow Input signal may check first max frequency then

\rightarrow Select Next interval By using $f_s \geq 2 f_{\max}$

\rightarrow Sampling operation is Done By using this formula - (with out error) -

e.g. $f_{\max} = 40$

$f_{\min} = 40$

then it's f_s should be equal or $>$ then 80 .

\Rightarrow Reconstruction / Regeneration -

Original Distance will Be disturb when we don't used (follow) the theorem -