

Assignment 3

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```
library(readxl)
df<- read.csv("C:/Users/mnooo/Desktop/Datasets/UniversalBank.csv")
str(df)
```

```
## 'data.frame':    5000 obs. of  14 variables:
## $ ID              : int  1 2 3 4 5 6 7 8 9 10 ...
## $ Age              : int  25 45 39 35 35 37 53 50 35 34 ...
## $ Experience        : int  1 19 15 9 8 13 27 24 10 9 ...
## $ Income            : int  49 34 11 100 45 29 72 22 81 180 ...
## $ ZIP.Code          : int  91107 90089 94720 94112 91330 92121 91711 93943 90089 93023 ...
## $ Family            : int  4 3 1 1 4 4 2 1 3 1 ...
## $ CCAvg             : num  1.6 1.5 1 2.7 1 0.4 1.5 0.3 0.6 8.9 ...
## $ Education         : int  1 1 1 2 2 2 2 3 2 3 ...
## $ Mortgage         : int  0 0 0 0 0 155 0 0 104 0 ...
## $ Personal.Loan     : int  0 0 0 0 0 0 0 0 0 1 ...
## $ Securities.Account: int  1 1 0 0 0 0 0 0 0 0 ...
## $ CD.Account        : int  0 0 0 0 0 0 0 0 0 0 ...
## $ Online            : int  0 0 0 0 0 1 1 0 1 0 ...
## $ CreditCard        : int  0 0 0 0 1 0 0 1 0 0 ...
```

```
#install.packages
library(dplyr)
```

```
##
## Attaching package: 'dplyr'
```

```
## The following objects are masked from 'package:stats':
##
##   filter, lag
```

```
## The following objects are masked from 'package:base':
##
##   intersect, setdiff, setequal, union
```

```
library(class)
library(caret)
```

```
## Loading required package: ggplot2
```

```
## Loading required package: lattice
```

```
library(FNN)
```

```
##
## Attaching package: 'FNN'
```

```
## The following objects are masked from 'package:class':
##
##      knn, knn.cv
```

```
library(e1071)
library(reshape2)
```

```
### Change Numerical data to Catogerical
df$Personal.Loan<-factor(df$Personal.Loan)
df$Online<-factor(df$Online)
df$CreditCard <-factor(df$CreditCard)
str(df)
```

```
## 'data.frame':    5000 obs. of  14 variables:
## $ ID              : int  1 2 3 4 5 6 7 8 9 10 ...
## $ Age             : int  25 45 39 35 35 37 53 50 35 34 ...
## $ Experience      : int  1 19 15 9 8 13 27 24 10 9 ...
## $ Income          : int  49 34 11 100 45 29 72 22 81 180 ...
## $ ZIP.Code       : int  91107 90089 94720 94112 91330 92121 91711 93943 90089 93023 ...
## $ Family         : int  4 3 1 1 4 4 2 1 3 1 ...
## $ CCAvg          : num  1.6 1.5 1 2.7 1 0.4 1.5 0.3 0.6 8.9 ...
## $ Education      : int  1 1 1 2 2 2 2 3 2 3 ...
## $ Mortgage       : int  0 0 0 0 0 155 0 0 104 0 ...
## $ Personal.Loan   : Factor w/ 2 levels "0","1": 1 1 1 1 1 1 1 1 1 2 ...
## $ Securities.Account: int  1 1 0 0 0 0 0 0 0 0 ...
## $ CD.Account      : int  0 0 0 0 0 0 0 0 0 0 ...
## $ Online          : Factor w/ 2 levels "0","1": 1 1 1 1 1 2 2 1 2 1 ...
## $ CreditCard      : Factor w/ 2 levels "0","1": 1 1 1 1 2 1 1 2 1 1 ...
```

```
### Divide the data into 60% training and 40% validation
# First select the required variables
selected.var <- c(10,13,14)
set.seed(15)
bank.tr.in = createDataPartition(df$Personal.Loan,p=0.6, list=FALSE) # 60% reserved for Training
bank.tr = df[bank.tr.in,selected.var]
bank.va <- df[-bank.tr.in,selected.var] # Validation data is rest
summary(bank.tr)
```

```
## Personal.Loan Online CreditCard
## 0:2712      0:1238    0:2128
## 1: 288      1:1762    1: 872
```

```
summary (bank.va)
```

```
## Personal.Loan Online CreditCard
## 0:1808 0: 778 0:1402
## 1: 192 1:1222 1: 598
```

Create a pivot table for the training data with Online as a column variable, CC as a row variable, and Loan as a secondary row variable.

```
### using table function
table(bank.tr)
```

```
## , , CreditCard = 0
##
##           Online
## Personal.Loan  0    1
##              0 791 1130
##              1  82  125
##
## , , CreditCard = 1
##
##           Online
## Personal.Loan  0    1
##              0 330 461
##              1  35  46
```

##B. Consider the task of classifying a customer who owns a bank credit card and is actively using online banking services. Looking at the pivot table, what is the probability that this customer will accept the loan offer? [This is the probability of Loan acceptance (Loan = 1) conditional on having a bank credit card (CC = 1) and being an active user of online banking services (Online = 1)].

```
P1<-prop.table(table(bank.tr),margin = 2)
P1
```

```
## , , CreditCard = 0
##
##           Online
## Personal.Loan  0    1
##              0 0.63893376 0.64131669
##              1 0.06623586 0.07094211
##
## , , CreditCard = 1
##
##           Online
## Personal.Loan  0    1
##              0 0.26655897 0.26163451
##              1 0.02827141 0.02610670
```

Looking to the pivot table , There are 507 customers who owns a bank credit card and actively using online service , 46 of them will accept the loan The probability of a customer to accept the loan conditional on having a credit card and being an active of online services is $(46/507)*100 = 9.07\%$ In another way : $0.0261/(0.0261+0.261) = 0.09$

##C. Create two separate pivot tables for the training data. One will have Loan (rows) as a function of Online (columns) and the other will have Loan (rows) as a function of CC.

```
Pivot1 <- table(bank.tr$Personal.Loan,bank.tr$Online)
pivot_df1 <- as.data.frame(Pivot1)
colnames(pivot_df1) <- c("PersonalLoan", "Online")
pivot_df1
```

```
##   PersonalLoan Online   NA
## 1           0      0 1121
## 2           1      0   117
## 3           0      1 1591
## 4           1      1   171
```

```
Pivot2 <- table(bank.tr$Personal.Loan,bank.tr$CreditCard)
pivot_df2 <- as.data.frame(Pivot2)
colnames(pivot_df2) <- c("PersonalLoan", "CreditCard")
pivot_df2
```

```
##   PersonalLoan CreditCard   NA
## 1           0           0 1921
## 2           1           0   207
## 3           0           1   791
## 4           1           1    81
```

##D. Compute the following quantities $P(A | B)$ means “the probability of A given B

##i. $P(CC = 1 | Loan = 1)$

```
Pr1<- (table(bank.tr$CreditCard,bank.tr$Personal.Loan))
Pr1[2,2]/(Pr1[2,2]+Pr1[1,2])
```

```
## [1] 0.28125
```

```
Pr1
```

```
##
##      0      1
## 0 1921  207
## 1  791   81
```

The result as shown is 28%

```
##ii. P(Online = 1 | Loan = 1)
```

```
Pr2<-table(bank.tr$Online , bank.tr$Personal.Loan)
Pr2[2,2]/(Pr2[2,2]+Pr2[1,2])
```

```
## [1] 0.59375
```

```
Pr2
```

```
##
##      0      1
##  0 1121  117
##  1 1591  171
```

The result as shown 59%

```
##iii.P(Loan = 1) (the proportion of loan acceptors)
```

```
Pr3<-table(bank.tr$Personal.Loan)
Pr3[2]/(Pr3[2]+Pr3[1])
```

```
##      1
## 0.096
```

```
Pr3
```

```
##
##      0      1
## 2712  288
```

The result as shown approx 10%

```
##iv. P(CC = 1 | Loan = 0)
```

```
Pr4<-table(bank.tr$CreditCard,bank.tr$Personal.Loan)
Pr4[2,1]/(Pr4[2,1]+Pr4[1,1])
```

```
## [1] 0.2916667
```

```
Pr4
```

```
##
##      0      1
##  0 1921  207
##  1  791   81
```

The result as shown is 29%

```
##v.P(Online = 1 | Loan = 0)
Pr5<-table(bank.tr$Online , bank.tr$Personal.Loan)
Pr5[2,1]/(Pr4[2,1]+Pr4[1,1])
```

```
## [1] 0.5866519
```

```
Pr5
```

```
##
##      0      1
##  0 1121  117
##  1 1591  171
```

The result as shown is 59%

```
## vi. P(Loan = 0)
Pr6<-table(bank.tr$Personal.Loan)
Pr6[1]/(Pr5[1]+Pr5[2])
```

```
## 0
## 1
```

```
Pr6
```

```
##
##      0      1
## 2712  288
```

The result as shown approx 90%

```
##E. Use the quantities computed above to compute the naive Bayes probability P(Loan = 1 | CC =
1, Online = 1)
### C1 loan , X1 CC ,X2 Online
###P(C1|X1,X2) =
##(P(X1|C1)P(X2|C1)P(C1) ) / P(X1|C1)P(X2|C1)P(C1)+P(X1|C2)*P(X2|C2)*P(C2)
x1<-((0.28125)*(0.593)*(0.096))
x2<-((0.28125)*(0.593)*(0.096))+((0.2916)*(0.5866)*(0.904))
nbresult<- (x1/x2)
nbresult
```

```
## [1] 0.09382773
```

##F. Compare this value with the one obtained from the pivot table in (B). Which is a more accurate estimate?

The result in B = 0.0907 , in E = 0.938,, there is no big different between them , and the value which is calculated by pivot table is more accurate because the Naive Base assume the probabilities being independent

##G. Which of the entries in this table are needed for computing $P(\text{Loan} = 1 \mid \text{CC} = 1, \text{Online} = 1)$? Run

##naive Bayes on the data. Examine the model output on training data, and find the entry that corresponds to $P(\text{Loan} = 1 \mid \text{CC} = 1, \text{Online} = 1)$. Compare this to the number you obtained in (E).

```
bank.nb <- naiveBayes(Personal.Loan ~ ., data = bank.tr)
bank.nb
```

```
##
## Naive Bayes Classifier for Discrete Predictors
##
## Call:
## naiveBayes.default(x = X, y = Y, laplace = laplace)
##
## A-priori probabilities:
## Y
##      0      1
## 0.904 0.096
##
## Conditional probabilities:
##      Online
## Y      0      1
## 0 0.4133481 0.5866519
## 1 0.4062500 0.5937500
##
##      CreditCard
## Y      0      1
## 0 0.7083333 0.2916667
## 1 0.7187500 0.2812500
```

$\frac{(0.28125)(0.593)(0.096)}{((0.28125)(0.593)(0.096)) + ((0.2916)(0.5866)(0.904))} = 0.0938$ it gives identical result as it is in the question E .

...