

PROJECT1

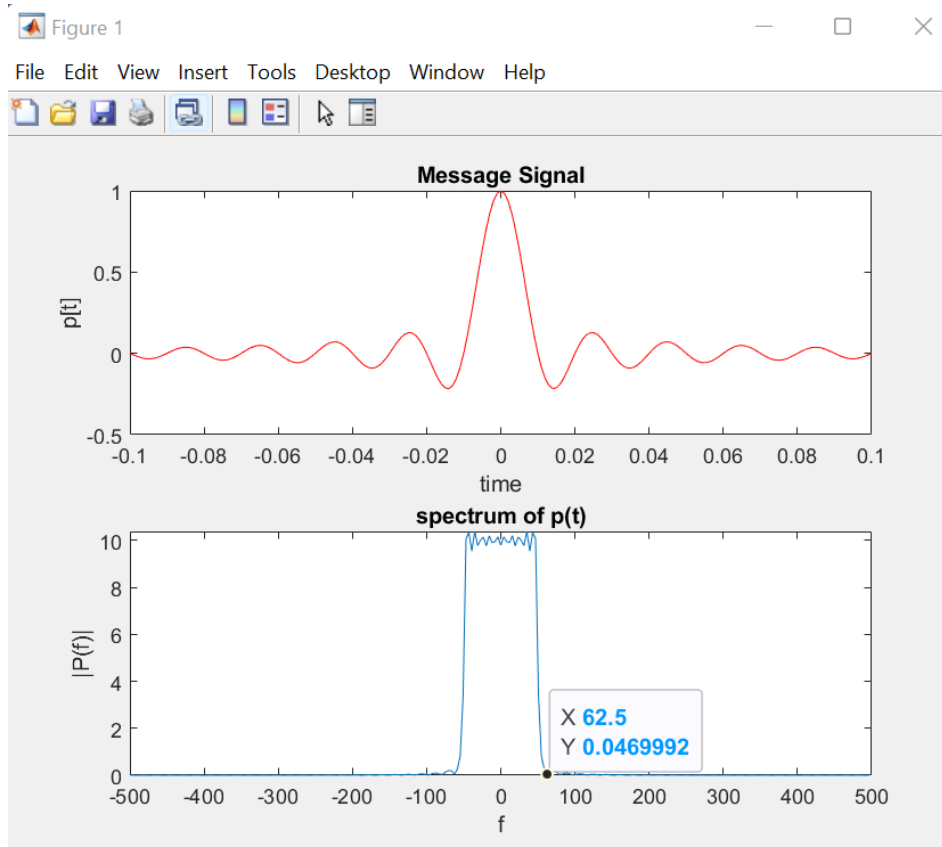
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Pulse $p(t)$ corresponding to the raised cosine spectrum

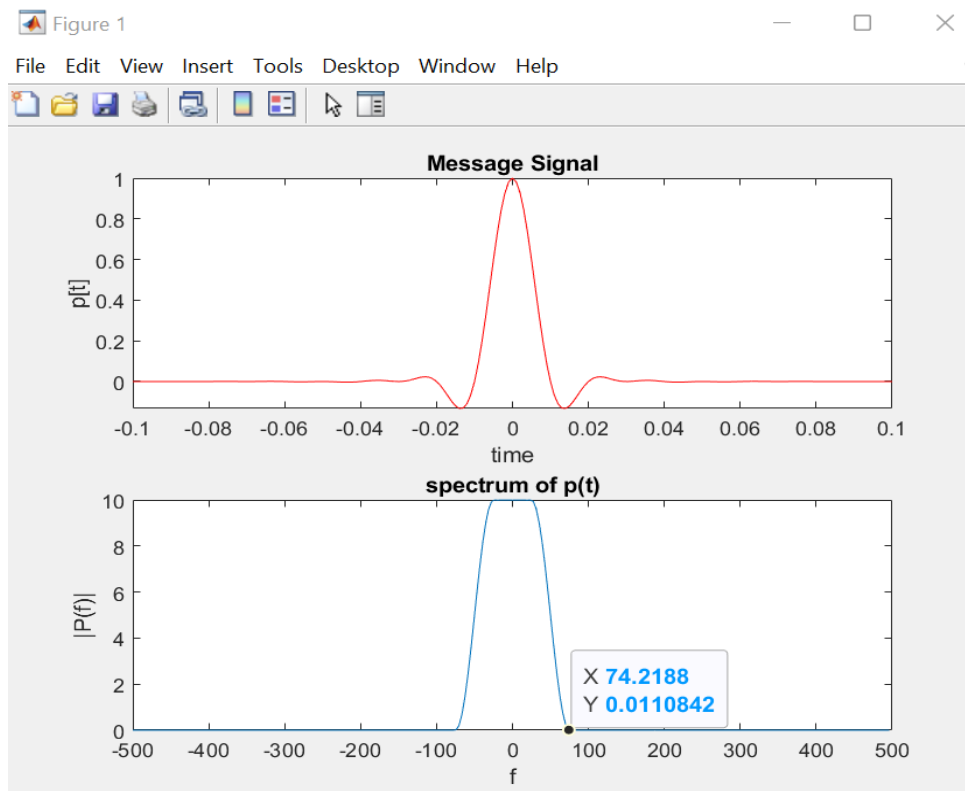
$$p(t) = \begin{cases} \frac{\text{sinc}(R_b t) \cos(\pi \alpha R_b t)}{1 - 4\alpha^2 R_b^2 t^2} & -T_{max} \leq t \leq T_{max} \\ 0 & \text{elsewhere} \end{cases}$$

1. Alpha=0, Tmax=10Tb



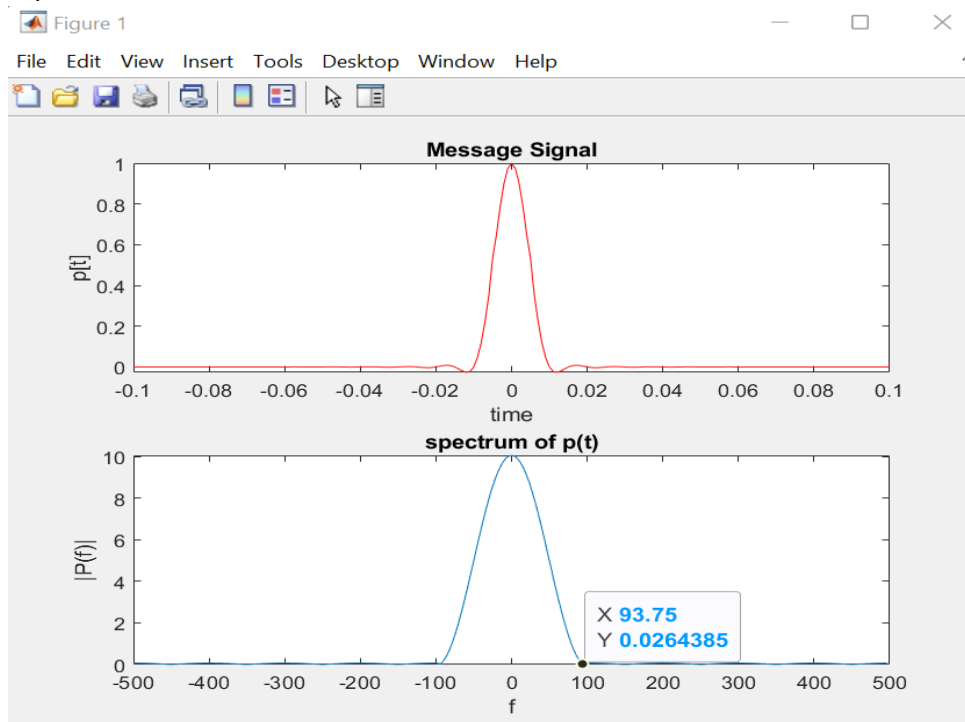
Bandwidth: 62.5 Hz

2. Alpha=0.5, Tmax=10Tb



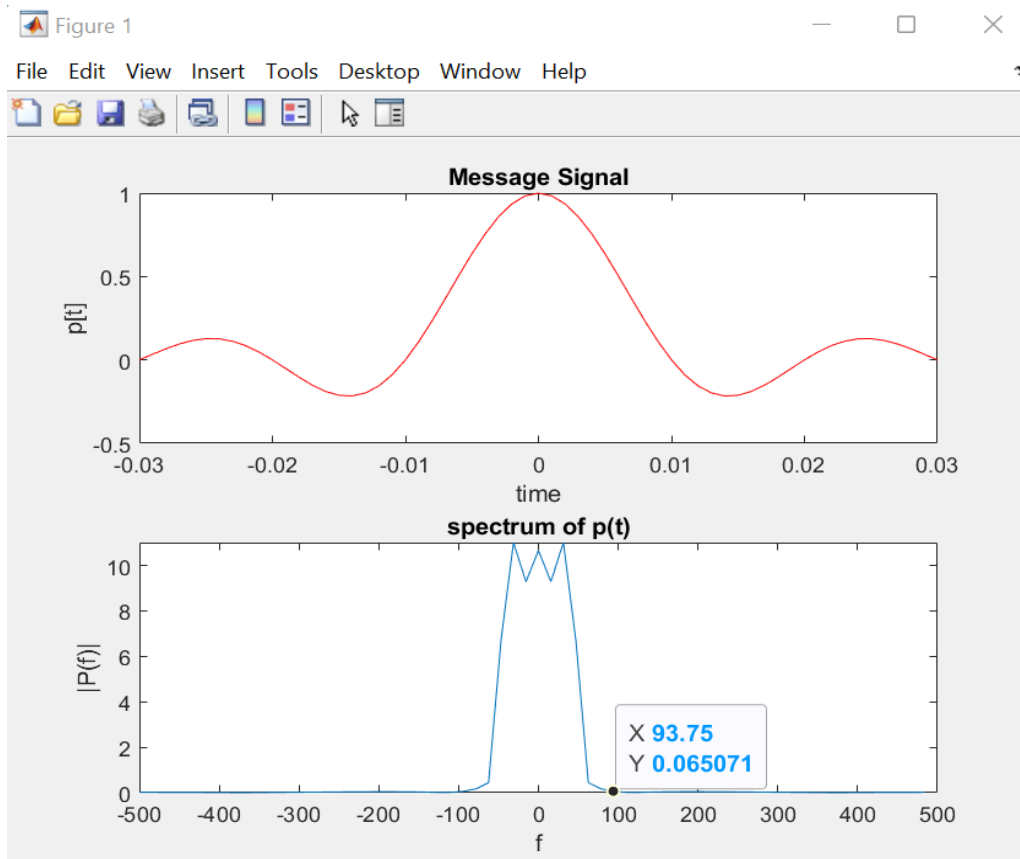
Bandwidth=74.21Hz

3. Alpha=1 , Tmax=10Tb



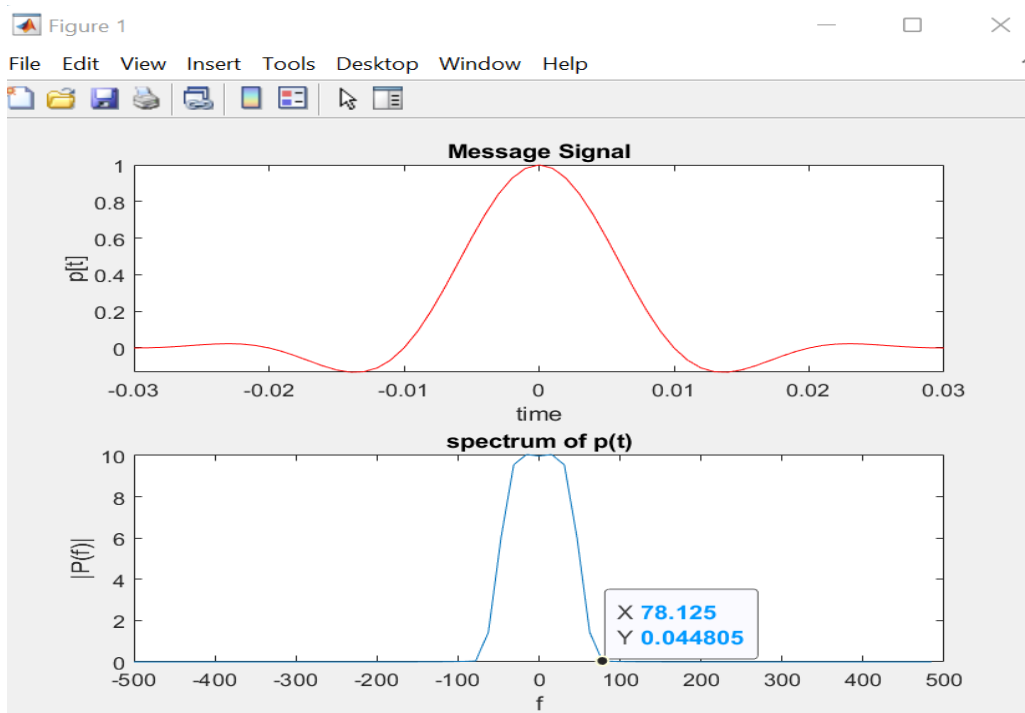
Bandwidth=93.75 Hz

4 . Alpha =0 ,Tmax=3Tb



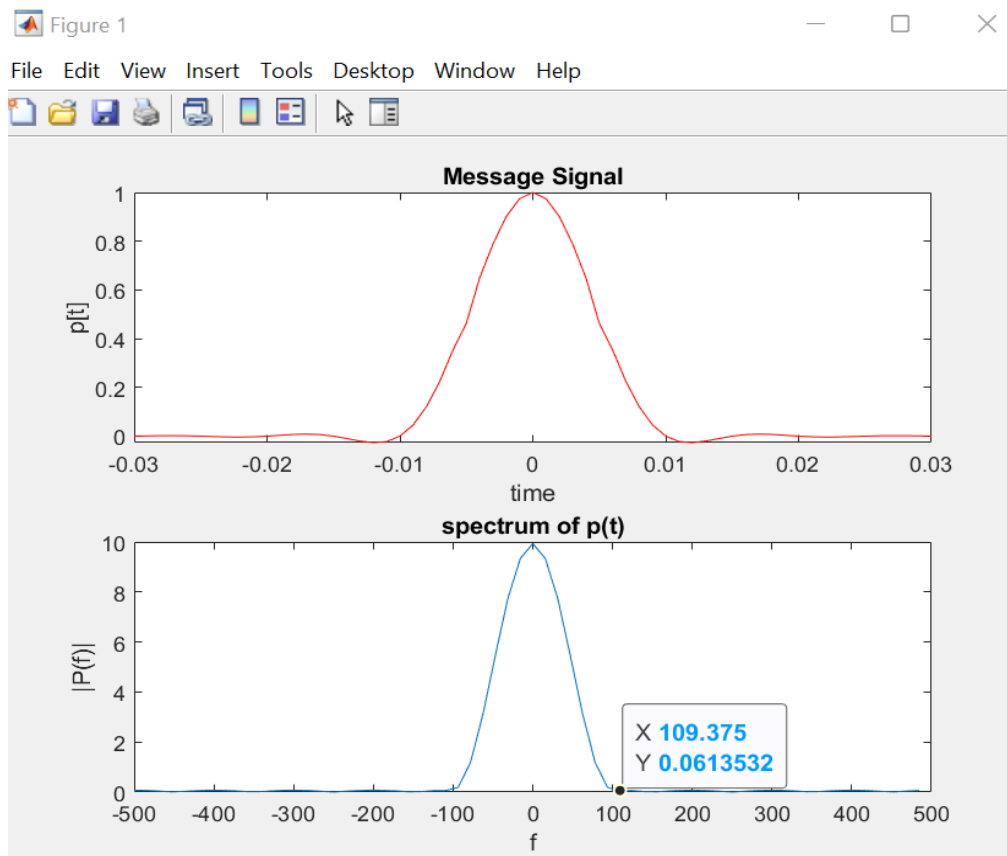
Bandwidth = 93.75 Hz

5.Alpha =0.5 , Tmax=3Tb



Bandwidth=78.12 Hz

6. $\alpha = 1$, $T_{\max} = 3T_b$



Bandwidth=109.37 Hz

Theoretical Calculations Bandwidth:

$$BW = (R_b/2) * (1 + \alpha)$$

1. $\alpha = 0$:
Bw=50 Hz
2. $\alpha = 0.5$:
Bw= 75 Hz
3. $\alpha = 1$:
Bw=100Hz

Code:

```
Rb=100;  
Tb=1/Rb;  
Tmax=3*Tb; %Tmax = 10*Tb / 3*Tb  
alpha=0; %alpha =0.5 / 0 / 1  
tr=0.001;  
t=(-Tmax:tr:Tmax);
```

```

%p[t] signal
p=zeros(1,length(t));
num=sinc(Rb*t).*cos(pi*alpha*Rb*t);
den=1-(4*(alpha^2)*(Rb^2)*(t.^2));
p=num./den;

%plotting
subplot(2,1,1);
plot(t,p,'r');
title('Message Signal');
xlabel('time');
ylabel('p[t]');

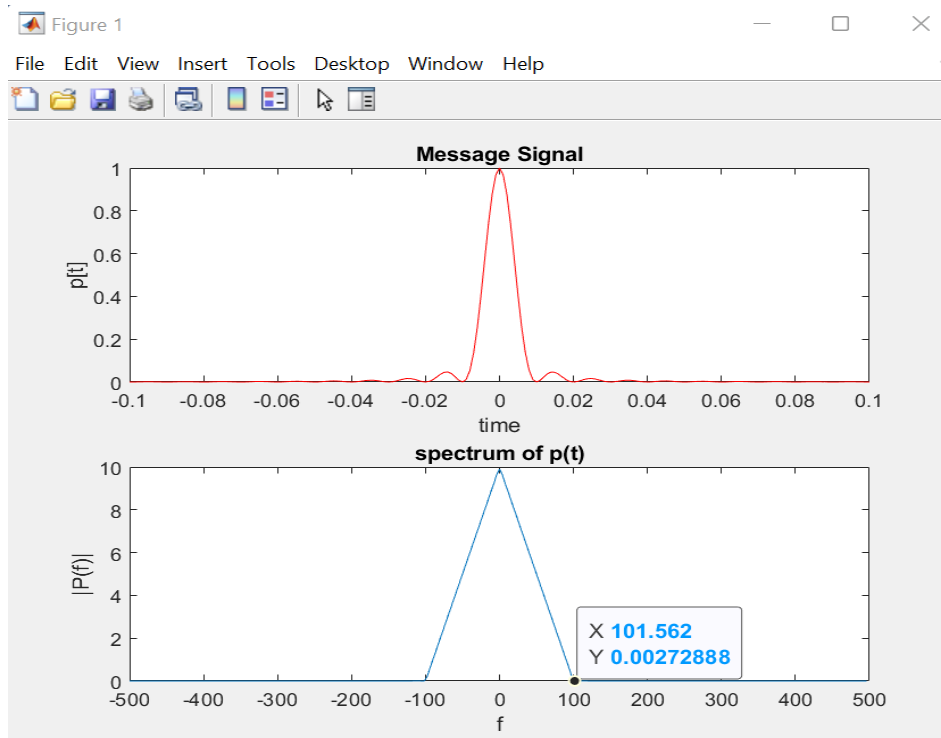
% To get Spectrum
Nfft=length(t);
Nfft=2^(ceil(log2(Nfft)));
f=(-Nfft/2):(Nfft/2)-1)/(Nfft*tr);

%plot spectrum of m(t)
P=fft(p,Nfft); %computes DFt
P=fftshift(P); %to show values symmetric about zero
subplot(2,1,2);
plot(f,abs(P));
title("spectrum of p(t)")
xlabel('f');
ylabel('|P(f)|');

```

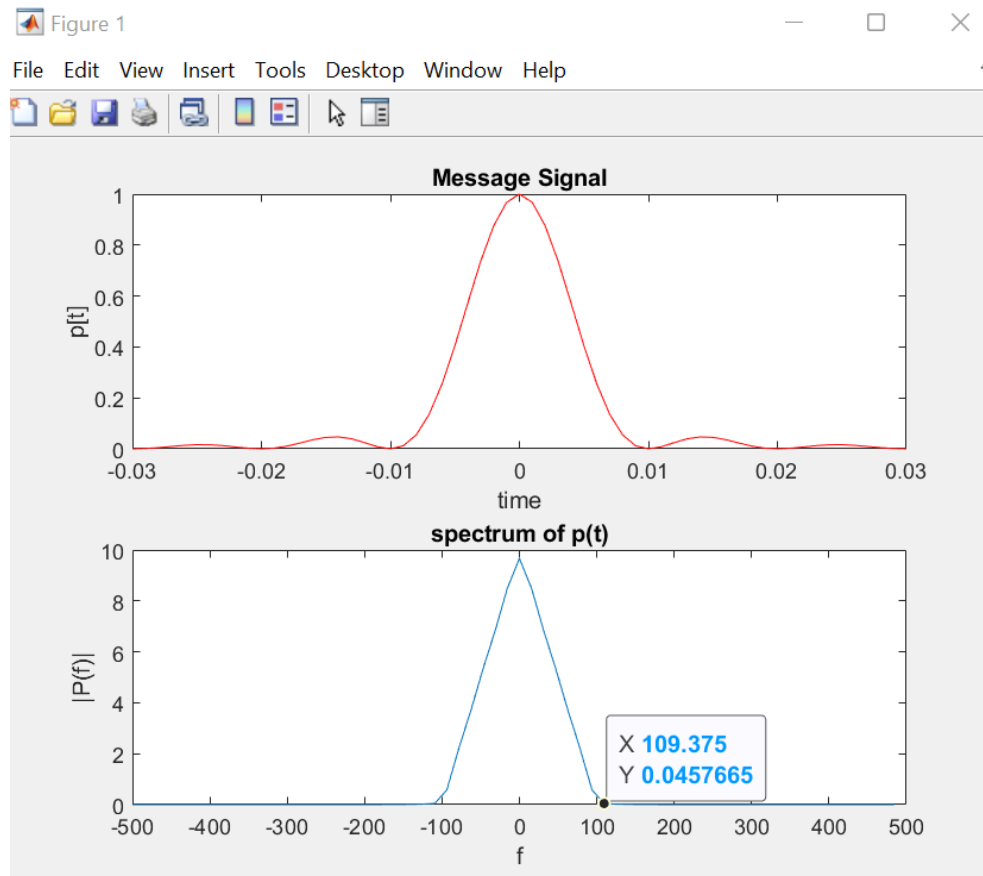
sinc^2 pulse shaping

1. $T_{\max}=10T_b$



Bandwidth: 101.562 Hz

2. $T_{max}=3T_b$



Bandwidth : 109.37HZ

Theoretical Calculations Bandwidth:

$BW=R_b=100\text{Hz}$

Code:

```
Rb=100;
Tb=1/Rb;
Tmax=3*Tb; %Tmax = 10*Tb / 3*Tb
tr=0.001;
t=(-Tmax:tr:Tmax);

%p[t] signal
p=zeros(1,length(t));
p=sinc(Rb*t).*sinc(Rb*t);

%plotting
subplot(2,1,1);
plot(t,p,'r');
title('Message Signal');
xlabel('time');
```

```
ylabel('p[t]');

% To get Spectrum
Nfft=length(t);
Nfft=2^(ceil(log2(Nfft)));
f=(-Nfft/2):(Nfft/2)-1)/(Nfft*tr);

%plot spectrum of m(t)
P=fft(p,Nfft); %computes DFt
P=fftshift(P); %to show values symmetric about zero
subplot(2,1,2);
plot(f,abs(P));
title("spectrum of p(t)")
xlabel('f');
ylabel('|P(f)|');
```