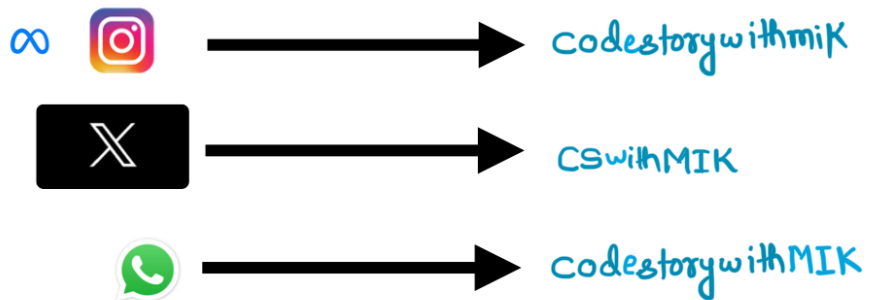


Line Sweep Algorithm

Concepts & Qns



Video-3 ...

Motivation :

Every expert was once a beginner

who refused to quit.

Keep pushing & please never

lose hope.

You've got this.



MIK...

1854. Maximum Population Year

→ DAT / Line Sweep

Easy

Topics

Companies

Hint

You are given a 2D integer array `logs` where each `logs[i] = [birthi, deathi]` indicates the birth and death years of the i^{th} person.

The **population** of some year x is the number of people alive during that year. The i^{th} person is counted in year x 's population if x is in the **inclusive** range `[birthi, deathi - 1]`. Note that the person is **not** counted in the year that they die.

Return the **earliest** year with the **maximum** population.

Example 1:

A → 1993 to 1998 → 1
B → 2000 to 2009 → 1

Input: `logs = [[1993, 1999], [2000, 2010]]`

Output: 1993

Explanation: The maximum population is 1, and 1993 is the earliest year with this population.

Example 2:

1950 to 1960 → 1
1960 to 1971 → 2
1970 to 1981 = 1

Input: `logs = [[1950, 1961], [1960, 1971], [1970, 1981]]`

Output: 1960

Explanation:

The maximum population is 2, and it had happened in years 1960 and 1970. The earlier year between them is 1960.

Constraints Analysis

1 ≤ logs.length ≤ 100

$$1950 \leq \text{birth}_i < \text{death}_i \leq 2050$$

Thought Process

Brute Force

$$\text{logs} = [\underbrace{[1950, 1961]}_n, \underbrace{[1960, 1971]}_n, \underbrace{[1970, 1981]}_n]$$

$$T.C = (O * n)$$

..... 1950 1960 1961 1970 1971 1980 1981 ... 2050

| | | | | | | | | | | | | | |
|-------|---|-----|-----|-----|---|-------|-----|---|---|---|---|---|---|
| | 1 | ... | ... | 1+1 | 1 | | 1+1 | 1 | 0 | 1 | 0 | 0 | 0 |
|-------|---|-----|-----|-----|---|-------|-----|---|---|---|---|---|---|

max =

$$\text{maxpop} = 2 \rightarrow 1960$$

⇒ DAT / Line Sweep → Interval (Range)

DAI...

$$\log_2 = \left[\overset{0}{\boxed{1950}}, \overset{-1}{\boxed{1961}} \right], \overset{+1}{\boxed{1960}}, \overset{-1}{\boxed{1971}}, \overset{+1}{\boxed{1970}}, \overset{2}{\boxed{1981}} \overset{-1}{\boxed{}} \right]$$

$O(Q)$

Diff =

| | | 1950 | ... | 1960 | 1961 | | | 1970 | 1971 | | 1981... | 2050 |
|--|-------|------|-----|------|------|---|-----|------|------|-----|---------|------|
| | 0 | 1 | 1 | 2 | 1 | 1 | ... | 2 | 1 | ... | 0 | 0 |

✓

Step-2

(Cumulative Sum)

max = 2
 year = 1960

$O(N)$

$O(Q + \underline{N})$

Line Sweep

↓

$$\text{logs} = \left[\underline{[1950, 1961]}, \underline{[1960, 1971]}, \underline{[1970, 1981]} \right]$$

$$\checkmark \text{events} = \left\{ (1950, +1), (1961, -1), (1960, +1), (1971, -1), (1970, +1), (1981, -1) \right\} \quad n$$

✓ Sort (events) \Rightarrow

$$\checkmark \left\{ \underline{(1950, +1), (1960, +1), (1961, -1), (1970, +1), (1971, -1), (1981, -1)} \right\}$$

$$\underline{\underline{O(n \log n)}}$$

$$S.C = O(n)$$

curPop = 0

| |
|-------------|
| maxPop = 2 |
| year = 1960 |

\rightarrow



1950 ————— 1961

