

Segment Tree Concepts & Qns

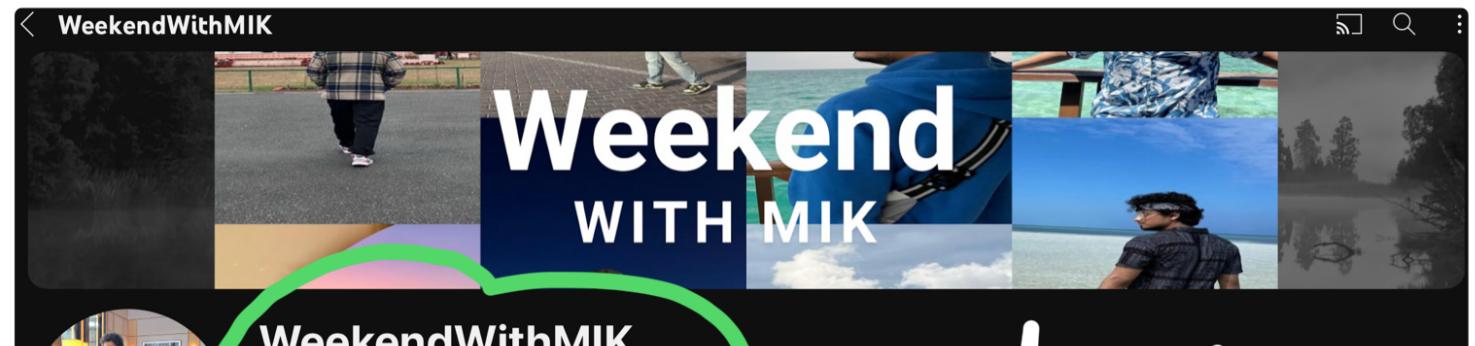


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“No more fear of Segment Tree”

video - 13

Leetcode
- 3477
&
3479





WEEKEND WITH MIK

@WeekendWithMIK

Welcome to WeekendWithMIK

MIK



Try this channel to see
my "Life behind the Scenes + Tech News"

Motivation:-

If you want to be known, you
will have to put effort and go
out of your comfort zone.



MIK..

There is no shortcut to greatness.

If you want it → work for it.

3479

3477. Fruits Into Baskets II

II III



Topics

Companies

Hint

Z

Nir

You are given two arrays of integers, `fruits` and `baskets`, each of length `n`, where `fruits[i]` represents the quantity of the `ith` type of fruit, and `baskets[j]` represents the capacity of the `jth` basket.

From left to right, place the fruits according to these rules:

- Each fruit type must be placed in the leftmost available basket with a capacity **greater than or equal** to the quantity of that fruit type.
- Each basket can hold only one type of fruit.
- If a fruit type **cannot be placed** in any basket, it remains **unplaced**.

Z

Nir

Return the number of fruit types that remain unplaced after all possible allocations are made.

Example 1:

Input: fruits = [4, 2, 5], baskets = [3, 5, 4]
Output: 1

Explanation:

- fruits[0] = 4 is placed in baskets[1] = 5.
- fruits[1] = 2 is placed in baskets[0] = 3.
- fruits[2] = 5 cannot be placed in baskets[2] = 4.

Since one fruit type remains unplaced, we return 1.

Example 2:

Input: fruits = [3, 6, 1], baskets = [6, 4, 7]
Output: 0

Explanation:

- fruits[0] = 3 is placed in baskets[0] = 6.
- fruits[1] = 6 cannot be placed in baskets[1] = 4 (insufficient capacity) but can be placed in the next available basket, baskets[2] = 7.
- fruits[2] = 1 is placed in baskets[1] = 4.

Since all fruits are successfully placed, we return 0.

Constraints:

- `n == fruits.length == baskets.length`
- `1 <= n <= 100`
- `1 <= fruits[i], baskets[i] <= 1000`

Constraints:

- `n == fruits.length == baskets.length`
- `1 <= n <= 105`
- `1 <= fruits[i], baskets[i] <= 109`

PART-II

PART-III

Thought Process

Part-II

$\text{fruits} = [4, 2, 5]$ i $n = 3$

$\text{baskets} = [-1, -1, \underset{j}{\textcircled{4}}]$ Count = 1

$$T.C = O(n * n)$$

$$S.C = O(1)$$

PART-III

Constraints:

- $n == \text{fruits.length} == \text{baskets.length}$
- $1 \leq n \leq 10^5$
- $1 \leq \text{fruits}[i], \text{baskets}[i] \leq 10^9$

Optimal Approach

$\text{fruits} = [4, 2, 5]$ $n = 3$

$\text{baskets} = [3, 5, 4]$

Why are we SLOW???

$\text{fruits} = \{3, 4, 2, 1, 1\}$

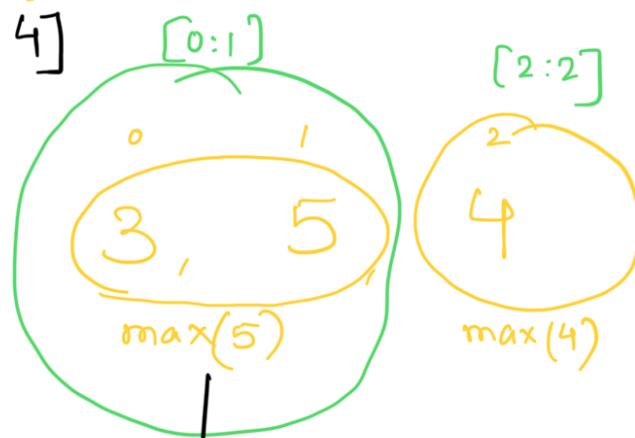
$\text{baskets} = \{1, 2, 3, 4, 5\}$

baskets = [3, 5, 4] max(2) max=5

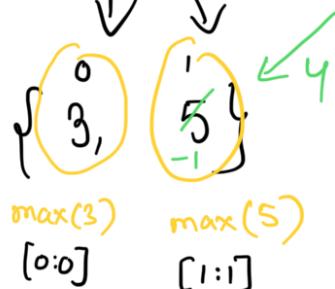
Range 0 - 2 → max = 2 < 3

fruits = [4, 2, 5] n = 3

baskets = [3, 5, 4]



fruit = 4



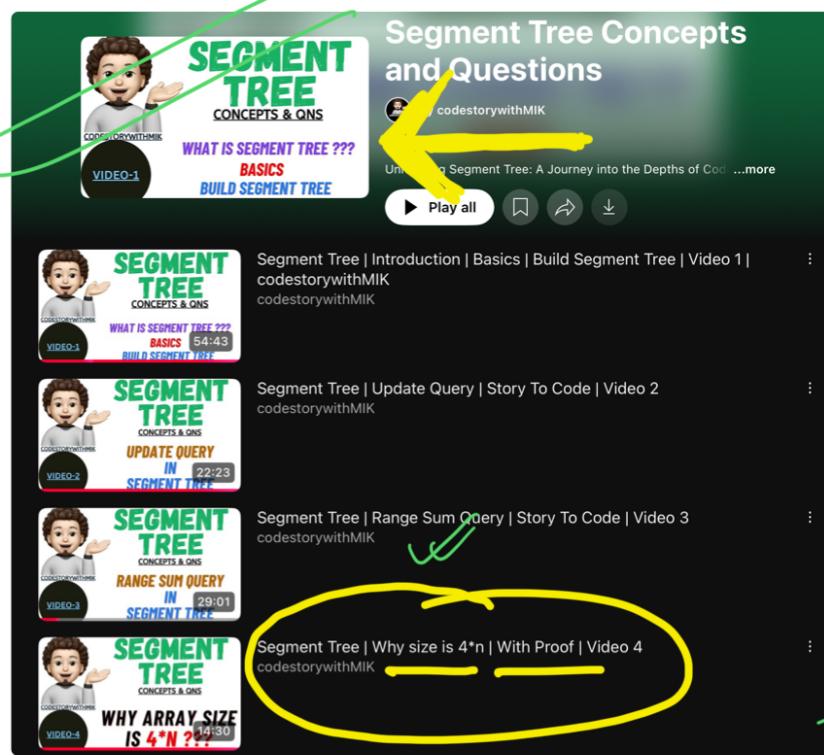
Range $[l:r] \rightarrow \max$

Segment Tree :-

max
min } segment

min
Sum

Medium.



$\text{fixes}(i)$

baskets { }
} 2 1

Segment Tree
(Basket) $\rightarrow n$
(Range max query).

(*) Build Segment Tree.

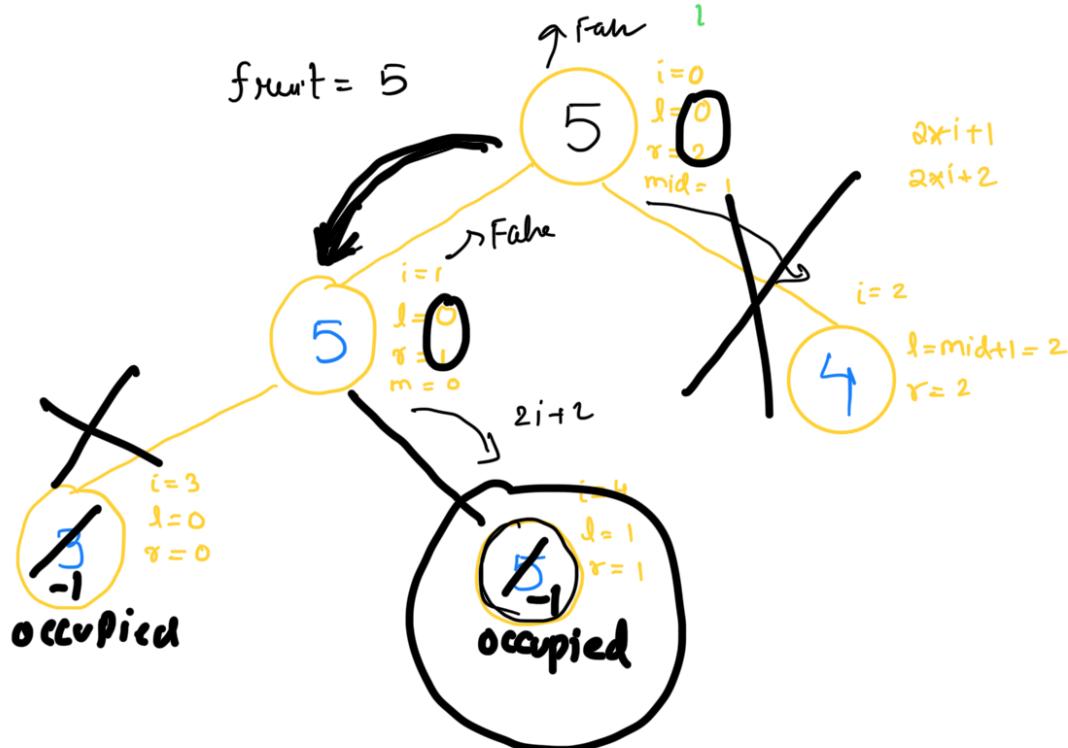
(*) `vector<int> segment(4*n, -1)`

$$\text{fruits} = \underline{\begin{bmatrix} 4, 1, 2, 5 \end{bmatrix}} \quad n = 3$$

unplaced fruit = 1

$$\text{baskets} = \begin{bmatrix} 3, 5, 4 \end{bmatrix}$$

$$\text{segmentTree} = \begin{bmatrix} 5 & 5 & 4 & 3 & 5 & \dots \end{bmatrix}$$



Segment Tree:-

$$T.C = n$$

