```
8/3/22, 2:29 AM
                                                                                                                                                                                                  scs_week3_200014B_Part.ipynb - Colaboratory
    NAME: AHAMED M.B.S.A.
    GROUP - A-01
    REGISTRATION NO - 200014B
    from scipy import integrate
    import numpy as np
    import matplotlib.pyplot as plt
   h = lambda t: (t > 0)*1.0
   x = lambda t: (t > 0) * np.exp(-2*t)
   Fs = 50
   T = 5
   t = np.arange(-T, T, 1/Fs)
    plt.figure(figsize=(8,3))
    plt.plot(t, h(t), label='$h(t)$')
    plt.plot(t, x(t), label='$x(t)$')
    plt.xlabel(r'$t$')
    plt.legend()
    t_ = 1
    flipped = lambda tau: h(t_ - tau)
    product = lambda tau: x(tau)*h(t_ - tau)
    plt.figure(figsize=(8,3))
    plt.plot(t, x(t), label=r'$x(\tau)$')
    plt.plot(t, flipped(t), label=r'$h(t - \tau)$')
    plt.plot(t, product(t), label=r'$x(\tau)h(t -\tau)$')
    y = np.zeros(len(t))
    for n, t_ in enumerate(t):
     product = lambda tau: x(tau) * h(t_ - tau)
     y[n] = integrate.simps(product(t), t)
    plt.plot(t, y, label=r'$x(t)\ast h(t)$')
    plt.xlabel(r'$t$')
    plt.legend()
         <matplotlib.legend.Legend at 0x7f511d9d3990>
               - x(t)
         0.6
         0.4
         0.2 -
                                                          — x(τ)
                                                          h(t-τ)
         0.8 -
                                                          — x(τ)h(t-τ)
         0.6
                                                          ---- x(t) * h(t)
         0.4 -
    fs = 1000
    delta = lambda t: np.array([fs/10 if 0 < t_a and t_a < 1/(fs/10) else 0.0 for t_a in t])
    t=np.arange(-T,T,1/fs)
    y=integrate.simps(delta(t),t)
    print(y)
   plt.plot(t,delta(t))
        1.000000000000334
         [<matplotlib.lines.Line2D at 0x7f511d8ae710>]
    π B I ↔ ⇔ 🗷 🗏 🗎 🖦 Ψ 😉 📟
    TASK 3
                                                                                                                                                                                                          TASK 3
    x(t) = e^{-at}.u(t), a>0
                                                                                                                                                                                                          x(t) = e^{-at}.u(t), a>0
   h(t) = \delta(t + 2) + \delta(t - 1)
                                                                                                                                                                                                          h(t) = \delta(t + 2) + \delta(t - 1)
                                                                                                                                                                                                          y(t) = x(t) * h(t)
   y(t) = x(t) * h(t)
                                                                                                                                                                                                          n = number of range
   n = number of range
                                                                                                                                                                                                          x(n).h(t-n) = e^{(-at).(\delta(t+2) + \delta(t-1))}, 0 < t < n
   x(n).h(t-n) = e^{-at}.(\delta(t+2) + \delta(t-1)) , 0 < t < n
                   0, otherwise
                                                                                                                                                                                                                       0, otherwise
                                                                                                                                                                                                          y(t) = \int [-\infty, \infty] x(n).h(t-n)
   y(t) = \int [-\infty, \infty] x(n).h(t-n)
                                                                                                                                                                                                          y(t) = \int [-\infty, \infty] e^{-(-at)} (\delta(t+2) + \delta(t-1))
   y(t) = \int [-\infty, \infty] e^{-(-at)} (\delta(t + 2) + \delta(t - 1))
                                                                                                                                                                                                            # This is formatted as code
   # This is formatted as code
   h = lambda t: (delta(t+2) + delta(t-1))
   x = lambda t: (t > 0) * np.exp(-2*t)
   fs = 50
   T = 5
   t = np.arange(-T, T, 1/Fs)
   flipped = lambda tau: h(t_ - tau)
   product = lambda tau: x(tau)*h(t_ - tau)
   y = np.zeros(len(t))
    for n, t_ in enumerate(t):
     product = lambda tau: x(tau) * h(t_ - tau)
     y[n] = integrate.simps(product(t), t)
    plt.plot(t, y, label=r'$x(t)\ast h(t)$')
    plt.xlabel(r'$t$')
    plt.legend()
         <matplotlib.legend.Legend at 0x7f511d9a2c10>
         0.7
         0.6
   x = np.array([0, 1, 1, 2, 0])
   h = np.array([0, 0, 0, 3, 1, 0, 0])
    hr = np.flip(h)
    xo = 2
    ho = 4
   y = np.zeros(len(x) + len(h) - 1)
    for n in range(len(y)):
     xkmin = max(0, n - len(h) + 1)
     xkmax = min(len(x), n + 1)
     hkmin = max(0, len(h) - n -1)
     hkmax = min(len(h), len(x) + len(h) -n -1)
     y[n] = np.sum(x[xkmin:xkmax]*hr[hkmin:hkmax])
     print("y[{0}] = x[{1}:{2}]*h[{3}:{4}] = {5}".format(n, xkmin, xkmax, hkmin, hkmax, y[n]))
   plt.stem([n for n in range(len(y))],y)
         y[0] = x[0:1]*h[6:7] = 0.0
        y[1] = x[0:2]*h[5:7] = 0.0
         y[2] = x[0:3]*h[4:7] = 0.0
         y[3] = x[0:4]*h[3:7] = 0.0
        y[4] = x[0:5]*h[2:7] = 3.0
        y[5] = x[0:5]*h[1:6] = 4.0
        y[6] = x[0:5]*h[0:5] = 7.0

y[7] = x[1:5]*h[0:4] = 2.0
         y[8] = x[2:5]*h[0:3] = 0.0
         y[9] = x[3:5]*h[0:2] = 0.0
         y[10] = x[4:5]*h[0:1] = 0.0
         /usr/local/lib/python3.7/dist-packages/ipykernel_launcher.py:15: UserWarning: In Matplotlib 3.3 individual lines on a stem plot will be added as a LineCollection instead of individual lines. This significantly improves the performance
          from ipykernel import kernelapp as app
         <StemContainer object of 3 artists>
   x = np.array([0, 0, 0, 1, 1, 2, 0, 0, 0])
   h = np.array([0, 0, 0, 0, 1, 2, 0, 0, 0])
    hr = np.flip(h)
    xo = 2
    ho = 4
   y = np.zeros(len(x) + len(h) - 1)
    for n in range(len(y)):
       xkmin = max(0, n - len(h) + 1)
       xkmax = min(len(x), n + 1)
        hkmin = max(0, len(h) - n -1)
        hkmax = min(len(h), len(x) + len(h) -n -1)
        y[n] = np.sum(x[xkmin:xkmax]*hr[hkmin:hkmax])
       print("y[{0}] = x[{1}:{2}]*h[{3}:{4}] = {5}".format(n, xkmin, xkmax, hkmin, hkmax, y[n]))
   plt.stem([n for n in range(len(y))],y)
```

https://colab.research.google.com/drive/1L6omWpmog-lk21MTq6BgA9o-A_cTZwtf#scrollTo=88rnEbk2VNld&printMode=true

```
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         y[0] = x[0:1]*h[8:9] = 0.0
         y[1] = x[0:2]*h[7:9] = 0.0
         y[2] = x[0:3]*h[6:9] = 0.0
         y[3] = x[0:4]*h[5:9] = 0.0
         y[4] = x[0:5]*h[4:9] = 0.0
         y[5] = x[0:6]*h[3:9] = 0.0
         y[6] = x[0:7]*h[2:9] = 0.0
         y[7] = x[0:8]*h[1:9] = 1.0
         y[8] = x[0:9]*h[0:9] = 3.0
         y[9] = x[1:9]*h[0:8] = 4.0
         y[10] = x[2:9]*h[0:7] = 4.0
         y[11] = x[3:9]*h[0:6] = 0.0
         y[12] = x[4:9]*h[0:5] = 0.0
         y[13] = x[5:9]*h[0:4] = 0.0
         y[14] = x[6:9]*h[0:3] = 0.0
         y[15] = x[7:9]*h[0:2] = 0.0
         y[16] = x[8:9]*h[0:1] = 0.0
    from scipy import signal
   x = np.array([0, 0, 0, 1, 1, 2, 0, 0, 0])
    h = np.array([0, 0, 0, 0, 1, 2, 0, 0, 0])
   N = np.arange(-4, 5, 1)
    fig, ax = plt.subplots(3, 1)
    y1= signal.convolve(x, h, mode="full", method="auto")
    y2= signal.convolve(x, h, mode="valid", method="auto")
    y3= signal.convolve(x, h, mode="same", method="auto")
    ax[0].stem(y1)
    ax[1].stem(y2)
    ax[2].stem(y3)
```

/usr/local/lib/python3.7/dist-packages/ipykernel_launcher.py:9: UserWarning: In Matplotlib 3.3 individual lines on a stem plot will be added as a LineCollection instead of individual lines. This significantly improves the performance if __name__ == '__main__': /usr/local/lib/python3.7/dist-packages/ipykernel_launcher.py:10: UserWarning: In Matplotlib 3.3 individual lines on a stem plot will be added as a LineCollection instead of individual lines. This significantly improves the performance # Remove the CWD from sys.path while we load stuff. /usr/local/lib/python3.7/dist-packages/ipykernel_launcher.py:11: UserWarning: In Matplotlib 3.3 individual lines on a stem plot will be added as a LineCollection instead of individual lines. This significantly improves the performance # This is added back by InteractiveShellApp.init_path()

```
<StemContainer object of 3 artists>
0 1 2 3 4 5 6 7 8
```

FULL - RESULT IS FULL DISCRETE LINEAR CONVOLUTION OF THE INPUTS

VALID - THE RESULT CONSIST ONLY OF THOSE ELEMENTS THAT NOT DEPEND ON THE ZERO PADDLING

SAME - THE OUTPUT IS THE SAME SIZE AS IN 1 CENTERED WITH RESPECT TO THE FULL OUTPUT

from scipy import signal import numpy as np import matplotlib.pyplot as plt import soundfile as sf

data, samplerate = sf.read('power_of_love.wav') nyquist = samplerate//2 fc = 2000/nyquist n = 121b = signal.firwin(n, fc, pass_zero=True) w, h = signal.freqz(b)

import matplotlib.pyplot as plt fig, ax1 = plt.subplots() ax1.set_title('Digital filter frequency response') ax1.plot(w, 20 * np.log10(abs(h)), 'b') ax1.set_ylabel('Amplitude [dB]', color='b') ax1.set_xlabel('Frequency [rad/sample]') ax2 = ax1.twinx()angles = np.unwrap(np.angle(h)) ax2.plot(w, angles, 'g') ax2.set_ylabel('Angle (radians)', color='g') ax2.grid() ax2.axis('tight')

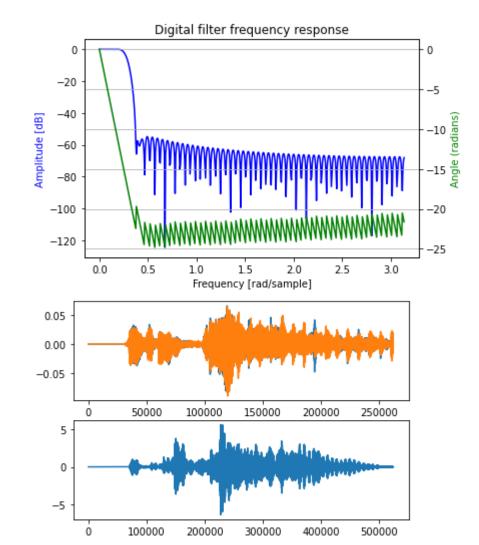
ch1=[] ch2=[] for i in range(len(data)): ch1.append(data[i][0]) ch2.append(data[i][1])

y=signal.convolve(ch1,ch2)

plt.show()

fig,ax=plt.subplots(2,1) ax[0].plot(data) ax[1].plot(y)

sf.write('audio_file_filtered.wav', np.vstack((ch1, ch2)).T + data, samplerate)



shape1=(5,5) x=xmn.reshape(shape1) hmn=np.array([1,2,3,4,5,6,7,8,9]) shape2=(3,3) h=hmn.reshape(shape2) y=signal.convolve2d(x,h)print(y) [[0000000]] [0 0 0 0 0 0 0][0 0 1 2 3 0 0] [0 0 4 5 6 0 0]

> [0 0 7 8 9 0 0] [0000000]

[0 0 0 0 0 0]] TASK 11

WHEN WE TAKE CONVOLUTION FOR A SPACE MATRIX WHICH ONLY CONSIST ONLY ONE CENTER ELEMENT WE GET ANOTHER SPACE MATRIX WHICH ONLY CONSIST ONLY ONE CENTER ELEMENTTHESE ELEMENTS ARE THE ELEMENTS OF THE OTHER MATRIX WE CONVOLVED WITH IT.

import matplotlib.pyplot as plt import matplotlib.image as mpimg x = mpimg.imread('Allen Keys.jpg') fig, ax = plt.subplots(1,2,figsize=(8,8)) ax[0].imshow(x, cmap='gray') R, G, B = x[:,:,0], x[:,:,1], x[:,:,2]imgGray = 0.2989 * R + 0.5870 * G + 0.1140 * B

hmn=np.array([-1,0,-1,-2,0,2,-1,0,1]) shape3=(3,3) h=hmn.reshape(shape3)

y=signal.convolve2d(imgGray,h) ax[1].imshow(y, cmap='gray')

