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APPLIED MICROECONOMETRICS

GROUP PROJECT A

The effect of FDI on Total Factor Productivity and Wages

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1 Theoretical Background/Literature Review

1.1 FDI

1.2 PSM

Since (I guess) we will be focussing on ATE rather than ATT, we need to satisfy the following two assumptions:

1. Assumption: **Unconfoundedness (CIA)**

"[G]iven a set of observable covariates X which are not affected by treatment, potential outcomes are independent of treatment assignment" (Caliendo & Kopeinig, 2008: 35).

2. Assumption: **Overlap**

"persons with the same X values have a positive probability of being both participants and nonparticipants" (Caliendo & Kopeinig, 2008: 35).

→ if Assumption 1 holds, all biases due to observable components can be removed by conditioning on the propensity score (Imbens, 2004).

Binary Treatment

Difference between logit and probit lies in the link function. Logit assumes a log-distribution of residuals, probit assumes a normal distribution. Heteroskedastic probit models can account for non-constant error variances → Check for heteroskedasticity?

Multiple Treatments

The multinomial Logit model is the only available multinomial option. Additionally, we run several binary ones (more complicated but also more robust to errors).

Variable selection

- outcome variable must be independent of treatment conditional on the pscore (CIA)
- Only variables that influence simultaneously the participation decision and the outcome variable should be included (based on theory and empirical findings)
- variables should either be fixed over time or measured before participation (include only variables unaffected by participation)
- choice of variables should be based on economic theory and previous empirical findings

Tests for variable selection

Strategies for the selection of variables to be used in estimating the propensity score:

2 Data and Descriptive Analysis

advantage of sample: firm-level data -> can control for differences in productivity across sector (if including TECH and hence characterizing by sector)

3 Empirical Specification

3.1 Econometric approach

Reminder of a thought we had

We could drop all the state-owned enterprises, because wages are likely not to change just because the firm received foreign investment.

COMMENT: should unlog employment! — > gives much better t-differences in ro-

bustness check (see robust script last part)

1) Big model: including all variables does not seem to satisfy CIA???. Tech seems to predict treatment and control too well, especially for firms operating in the high-technology sector (TECH=4). High technology firms seem to have very low probability to receive treatment (see Graph). As treatment is highly probable to be not randomly assigned we use propensity score matching, assuming CIA.

In order to estimate the effect of FDI on TFP we firstly look at different model specifications as also model estimators. As described before including TECH leads to very bad overlap, for which we exclude latter. Further, excluding TECH leads to better balance, as Table X shows. Graph XY visualizes that excluding TECH yields a better overlap.¹ Specifying the effect of FDI on TFP for different types of TECH reduces the sample size drastically. The sample is unlikely to be representative. Furthermore, "good" matching within TECH types is difficult, especially as more control than treatment observations are available.

Do we have to / Can we include a formula describing our estimation model? like in OLS $y = \beta_0 + X\beta_1 + e$

Matching with replacement minimizes propensity score distance between matched comparison units and treatment units => beneficial in terms of bias reduction -> following advice of Dehejia and Wahba (2002) of using with replacement if overlap is bad

3.2 Main Results

- COMMENT: delete table 1 and merge table 2 and 3 to 'table 1' but 'expanding' table vertically, not horizontally
- QUESTION: NN1 is equal to psmatch?-> so in the command nn1 does not have to be specified, unlike nn5
- QUESTION: is our caliper too big? see DW (2002): use caliper of 0.0001
- Delete Wages??

The main findings of this paper are displayed in table 1. It reports the average treatment effects (ATE) and the average treatment effects on the treated (ATT) for the variables of interest, total factor productivity (TFP) and wages. We find positive and significant treatment effects for both outcomes. Column (1) and (2) are the results of a one-to-one propensity score matching with replacement. Receiving FDI leads to an increase in wages of 0.139 (how to interpret ATE - in log form?) but this effect vanishes and becomes insignificant when looking at the treated sample only. This suggests that if some firms receive FDI, this does not have an effect on the treated themselves but on those firms that did not even receive FDI (ODD or interesting??). Choosing total factor productivity as an outcome variable instead implies that a firm that attracted FDI experiences a significant improvement in total factor productivity of 0.287 (?) one year later and this effect increases to 0.312 when looking at treated firms only. Similar results are obtained from a propensity score matching with five nearest neighbors and a caliper of 0.05. As shown in columns (3) and (4), the effects on total factor productivity are fairly similar to those in the first two columns. Both the ATE and the ATT for wages increase when matching with five nearest neighbors, but the ATT remains insignificant.

COMMENT: include note under table that specifies which covariates were used in order to estimate the propensity score

Table 1: Impact of FDI on Wages and TFP

VARIABLES	NN1	NN1
	log of Wages	TFP
FDI	0.139** (0.067)	0.287*** (0.040)
Observations	11,323	11,323
Standard errors in parentheses		
*** p<0.01, ** p<0.05, * p<0.1		

Table 2: Wage models with different Estimators

VARIABLES	NN1 ATE	NN1 ATET	NN5 ATE	NN5 ATET
r1vs0.FDI2016	0.139** (0.067)	0.037 (0.125)	0.187*** (0.054)	0.137 (0.085)
Observations	11,323	11,323	11,317	11,317

Standard errors in parentheses
*** p<0.01, ** p<0.05, * p<0.1

Table 3: TFP Models with different Estimators

VARIABLES	NN1 ATE	NN1 ATET	NN5 ATE	NN5 ATET
FDI	0.287*** (0.040)	0.312*** (0.057)	0.279*** (0.033)	0.318*** (0.045)
Observations	11,323	11,323	11,317	11,317

Standard errors in parentheses
*** p<0.01, ** p<0.05, * p<0.1

Table 4 shows parameter estimates for *FDI* on *TFP* when using different estimators for the treatment effects. First, we use an inverse-probability estimator. We estimate the effect of *FDI* on *TFP* by using a logit model to predict the effect of *FDI* as a function of *port*, *logwages 2015*, *TFP2015*, *logemployment2015*, *debts2015* and *RD2015*. The estimated ATET of *FDI* on *TFP* is .308. Thus the average company in the treated population will increase its *TFP* by 0.308 more than it would if no *FDI* had taken place. The ATE is slightly lower. The average company will increase its *TFP* by 0.285 when it receives *FDI*. Here the ATE is slightly lower than the ATET. It can be suspected that the treatment assignment mechanism was potentially non random, in which case the ATE should not be the major estimator. ???check theory. This could be the case in this data as the probability of getting an *FDI* differs depending on???

Second, we model the outcome as a linear function of before defined control variables. Again we use a logit model, where the covariates are also explanatory variables. *FDI* increases *TFP* on average by 0.306 from the average *TFP* 3.537 of firms which do not receive *FDI*. All coefficients are significant to a 1–percent level.

Table 4: Propensity Weighing Estimation for TFP

VARIABLES	IPW ATE	IPW ATET	AIWP ATE
FDI	0.285*** (0.029)	0.308*** (0.045)	0.306*** (0.010)
PO mean	3.537*** (0.026)	3.307*** (0.053)	3.537*** (0.020)
Observations	11,323	11,323	11,323

Robust standard errors in parentheses

*** p<0.01, ** p<0.05, * p<0.1

Table 5: Types of FDI

FDI type	Abs. Freq.	Rel. Freq.
No FDI	6,863	61%
Exports-oriented FDI	940	8%
Technology intensive FDI	1,555	14%
Domestic market seeking FDI	1,965	17%
Total	11,323	100%

3.3 Discussion

Specify which estimator we prefer.

- look at covariate balance

==> choose "worst-best" estimator: Tell reasons why best estimator as also why Propensity Score Matching might not be the technique to use as CIA is not satisfied.

3.4 Robustness

Look at Robustness checks for chosen "worst-best" estimator

-Model Specification:

-Interaction Term

-T-test : NN5 better than NN1, not possible for IPW, AIWP??

- look for extreme values: kick out and compare results

4 FDI by type

To further test the robustness of our results we continue our analysis by looking at potential heterogeneity of the treatment effect across types of FDI. By doing so we can test the possibility that a specific type of Investment drives our previous results. In the dataset we can distinguish between three different types of FDI: (i) exports-oriented FDI, (ii) technology intensive FDI and (iii) domestic market seeking FDI. Table 5 shows their absolute and relative frequencies. It is possible, that for example only exports-oriented increased factor productivity. while the other two types had little or no impact.

Table 6: Multinomial logits

VARIABLES	(1) AIPW	(2) IPW
Exports oriented FDI	0.329*** (0.015)	0.367*** (0.064)
Technology intensive FDI	0.293*** (0.013)	0.186*** (0.042)
Domestic market seeking FDI	0.301*** (0.012)	0.329*** (0.056)
PO Means	3.542*** (0.020)	3.537*** (0.026)
Observations	11,323	11,323

Robust standard errors in parentheses

*** p<0.01, ** p<0.05, * p<0.1

To test for this possibility we estimate IPW and inverse IPW models with multi-valued treatment effects. In table 6 results from IPW and AIPW regressions are shown, where the treatment model is a Multinomial Logit with FDI types as unordered outcomes. The results show that all three types of FDI have positive and significant effects, so the positive effect of FDI on TFP is irrespective of type. Moreover, for the doubly robust estimator the effect sizes are close to the pooled effects in table 4. Relative to the potential outcome mean of 3.5, the different types of FDI increase Factor productivity by 0.29-0.33.

For the IPW model we find that Exports oriented FDI increases TFP by twice as much as Technology intensive FDI. However due to the fact that the augmented model robust to miss-specification in the propensity estimation, the AIPW results seem more likely to be true.

To account for the possibility that the choice of the FDI type does not satisfy the IIA assumption we further estimate separate logit models for the two estimator types. The results, reported in table 7, are very similar to those obtained from a multinomial specification, suggesting that the IIA assumption holds.

Table 7: sepearate Logits by FDI Type

VARIABLES	Export AIPW	Export IPW	Technology AIPW	Technology IPW	Domestic AIPW	Domestic IPW
ATE	0.341*** (0.018)	0.341*** (0.090)	0.296*** (0.015)	0.176*** (0.052)	0.304*** (0.013)	0.342*** (0.067)
PO Mean	3.631*** (0.024)	3.636*** (0.024)	3.606*** (0.023)	3.600*** (0.024)	3.622*** (0.022)	3.616*** (0.024)
Observations	7,803	7,803	8,418	8,418	8,828	8,828

Robust standard errors in parentheses

*** p<0.01, ** p<0.05, * p<0.1

5 Summary/ Conclusion

Appendix