Assignment: Hydrograph Separation

Using the attached streamflow data, write a programme in Python or Matlab to generate a storm hydrograph and separate the direct runoff and baseflow component applying the variable slope method. For more clarification, refer the pre-recorded video that I have shared today.

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Librabries

```
In [1]: #For importing required modules
            import pandas as pd
            import numpy as np
            import matplotlib.pyplot as plt
            print('Modules are imported.')
            Modules are imported.
    In [2]: # For warning removal
            import warnings
            warnings.simplefilter(action='ignore', category=FutureWarning)
            warnings.simplefilter(action='ignore', category=DeprecationWarning)
            warnings.simplefilter(action='ignore', category=RuntimeWarning)
Data import and cleaning
    In [3]: dataset = pd.read_csv('StreamFlowData.txt',sep="\t")
            dataset.head()
    Out[3]:
                    Date Unnamed: 1 Time Q (cfs)
             0 2000/09/24
                              00:00
                                     1.5
                                           NaN
             1 2000/09/24
                              00:15
                                           NaN
                                      1.5
             2 2000/09/24
                              00:30
                                           NaN
                                     1.5
             3 2000/09/24
                              00:45
                                      1.5
                                           NaN
```

Out[4]:

4 2000/09/24

df.head()

	Date	Time	Q(cfs)	Delta T
0	2000/09/24	00 : 00	1.5	1
1	2000/09/24	00 : 15	1.5	2
2	2000/09/24	00 : 30	1.5	3
3	2000/09/24	00 : 45	1.5	4
4	2000/09/24	01:00	1.5	5

01:00

df.drop(['Q (cfs)'],axis=1,inplace=True)
df['Delta T'] = np.arange(len(df)) + 1

1.5

NaN

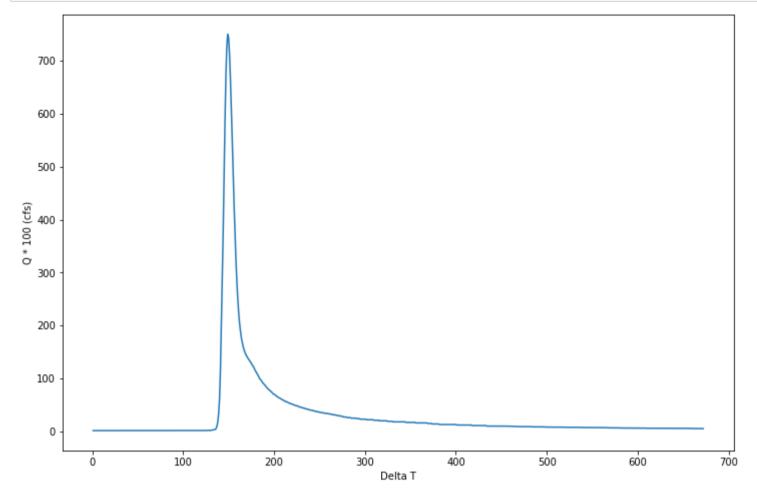
In [4]: | df = dataset.rename(columns = {'Time':'Q(cfs)', 'Unnamed: 1':'Time'})

```
In [5]: df.shape
Out[5]: (672, 4)
```

Data visualization

```
In [6]: plt.figure(figsize=(12,8))
    x = df['Delta T']
    y = df['Q(cfs)']

    _ = plt.plot(x,y)
    _ = plt.xlabel("Delta T")
    _ = plt.ylabel("Q * 100 (cfs)")
```



Variable slope method

Direct runoff starting and stopping point calculations

```
In [7]: def slope(x1, y1, x2, y2):
    m = 0
    b = (x2 - x1)
    d = (y2 - y1)
    if b != 0:
        m = (d)/(b)
    return m
```

```
In [8]: # For start of surface runoff:
        s1 = 0
        s2 = 0
        i = 2
        c = 0
        while i<len(x)-1:</pre>
            if abs(slope(x[i-1],y[i-1],x[i],y[i])-slope(x[i-2],y[i-2],x[i],y[i]))>0.1:
                 c = i-2
                 break
            i = i+1
        start = df.get_value(c,"Delta T")
        print("The direct runoff starts at:",start)
        # For stop of surface runoff:
        s1 = 0
        s2 = 0
        i = len(x)-1
        c = 0
        while i>=2:
            if abs(slope(x[i-1],y[i-1],x[i],y[i])-slope(x[i-2],y[i-2],x[i],y[i]))>0.2:
                 break
            i = i-1
        stop = df.get_value(c,"Delta T")
        print("The direct runoff stops at:",stop)
```

The direct runoff starts at: 129
The direct runoff stops at: 433

Point of peak and point of inflection calculation

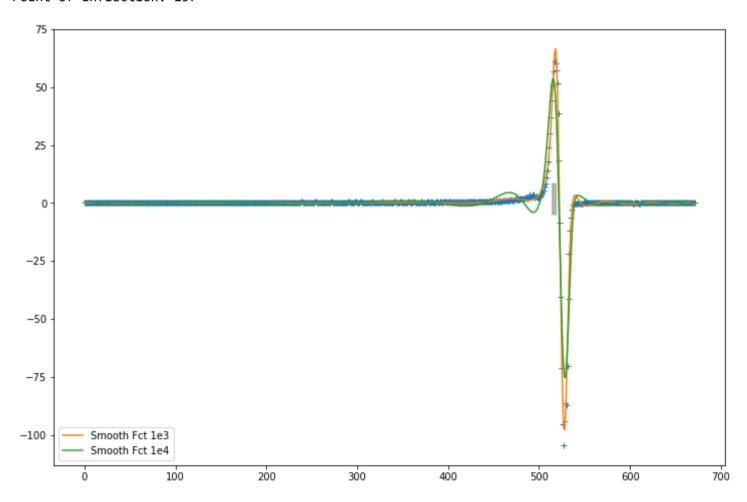
```
In [9]: from scipy.signal import find_peaks

series = y
indices = find_peaks(series)[0]
peak = indices[0]
print('Data peaks at:',peak)
```

```
Data peaks at: 148
```

```
In [10]: | from scipy.interpolate import UnivariateSpline
         plt.figure(figsize=(12,8))
         #raw data
         data = y[:]
         data = data[::-1]
         plt.plot(np.gradient(data), '+')
         spl = UnivariateSpline(np.arange(len(data)), np.gradient(data), k=5)
         spl.set_smoothing_factor(1000)
         plt.plot(spl(np.arange(len(data))), label='Smooth Fct 1e3')
         spl.set_smoothing_factor(10000)
         plt.plot(spl(np.arange(len(data))), label='Smooth Fct 1e4')
         plt.legend(loc='lower left')
         max_idx = np.argmax(spl(np.arange(len(data))))
         plt.vlines(max_idx, -5, 9, linewidth=5, alpha=0.3)
         inflection = len(y) - max_idx + 1
         print('Point of inflection:',inflection)
```

Point of inflection: 157



Visualization

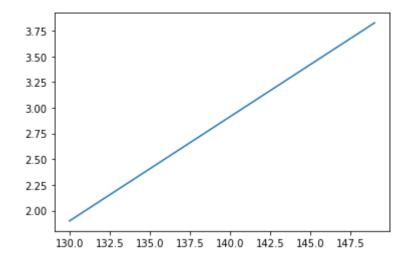
Generating lines

Line joining start of runoff to peak line

```
In [11]: s_1 = slope(x[start],y[start],x[0],y[0])
y_1 = (s_1*y[peak]) + y[0]
x_values = [x[start],x[peak]]
y_values = [y[start],y_1]
```

```
In [12]: plt.plot(x_values, y_values)
print('Slope of line:', s_1)
```

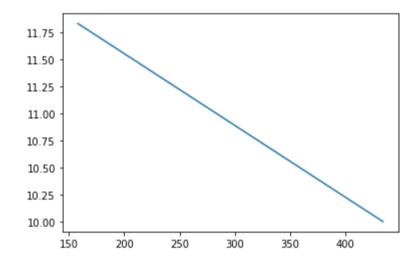
Slope of line: 0.003100775193798449



Line joining stop of runoff to inflection line

```
In [14]: plt.plot(x2_values, y2_values)
print('Slope of line:', s_2)
```

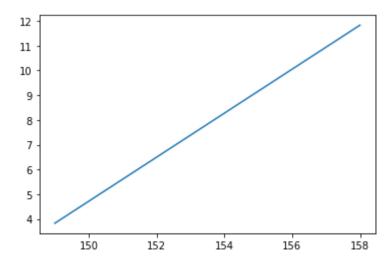
Slope of line: -0.02058823529411765



Line joining peak line to inflection line

```
In [16]: plt.plot(x3_values, y3_values)
print('Slope of line:', s_3)
```

Slope of line: 0.889641282869737



Some other lines

Combined plot

```
In [18]: | from mpl_toolkits.axes_grid1.inset_locator import zoomed_inset_axes
         from mpl_toolkits.axes_grid1.inset_locator import mark_inset
         # Plot configurations:
         fig, ax = plt.subplots(figsize=[12,8])
         plt.grid(color='grey', linestyle='-', linewidth=.5)
         arrow_properties = dict(facecolor="black", width=0.5,headwidth=2, shrink=0.1)
         # Data plot:
         ax.plot(x,y, color='black', linewidth=1)
         plt.xlabel("Delta T",fontsize='large', fontweight='bold')
         plt.ylabel("Q * 100(cfs)",fontsize='large', fontweight='bold')
         # Line plots:
         st_p = plt.plot(x_values, y_values,linestyle='-',color='green', linewidth=1)
         so_i = plt.plot(x2_values, y2_values, linestyle='-',color='green', linewidth=1)
         p_i = plt.plot(x3_values, y3_values,linestyle='-',color='green', linewidth=1)
         p_l = plt.plot(X_1, Y_1, 'o--', color='red', linewidth=1, alpha=0.7)
         i_l = plt.plot(X_2, Y_2, 'o--', color='blue', linewidth=1, alpha=0.7)
         # Annotates:
         plt.annotate("Peak point", xy=(x[peak], y[peak]),xytext=(x[peak]+30, y[peak]+10),
                      arrowprops=arrow_properties)
         plt.annotate("Infection point", xy=(x[inflection], y[inflection]),xytext=(x[inflection]+30, y[inflection]+10),
                      arrowprops=arrow properties)
         # For zoomed graph:
         axins = zoomed_inset_axes(ax, 10, loc=1) # zoom = 6
         axins.plot(x, y)
         # sub region of the original image
         x1, x2, y1, y2 = 140, 180, 0, 40
         axins.set_xlim(x1, x2)
         axins.set_ylim(y1, y2)
         plt.xticks(visible=False)
         plt.yticks(visible=False)
         st_p = plt.plot(x_values, y_values, linestyle='-', color='green', linewidth=1)
         so_i = plt.plot(x2_values, y2_values, linestyle='-',color='green', linewidth=1)
         p_i = plt.plot(x3_values, y3_values,linestyle='-',color='green', linewidth=1)
         p_l = plt.plot(X_1, Y_1, 'o--', color='red', linewidth=1, alpha=0.7)
         i_l = plt.plot(X_2, Y_2, 'o--', color='blue', linewidth=1, alpha=0.7)
         # draw a bbox of the region of the inset axes in the parent axes and
         # connecting lines between the bbox and the inset axes area
         mark_inset(ax, axins, loc1=2, loc2=4, fc="none", ec="0.5")
         plt.draw()
         plt.show()
```

