## Lecture 5

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- Finite Open-Loop Gain and Bandwidth
  - Assumptions during most previous examples
    - \* Infinite  $A_{0OL}$  (subscript "0" indicates DC gain)
    - \* Gain independence with respect to frequency ("flat gain")
  - Open-loop gain of a typical (real) op-amp:
    - \* Single-pole approximation ( $F_{BOL}$  = break frequency)
    - \* High-frequency roll-off with -20 dB/dec (single-pole approximation for first order filters, can approximate  $f_t = A_{0OL} f_{BOL}$ )
    - \*  $f_t = \text{transition frequency (unity-gain)}$
- Mathematical Representation of Finite Gain/Bandwidth
  - $-A_{0OL} = DC \text{ gain}, \omega_{-} \text{ break frequency}, \omega_{t} = \text{unity-gain frequency}$
  - Op-amp model with a transfer function of a single-pole low-pass filter:

$$A(\omega) = \frac{A_{0OL}}{1 + (j\omega/\omega_B)}, |A(\omega)| = \frac{A_{0OL}}{\sqrt{1 + \left(\frac{\omega}{\omega_B}\right)^2}}$$

- Inverting Amplifier Analysis
  - High closed-loop gain (high  $R_2/R_1$  ratio) reduces the closed-loop break frequency
- Closed-Loop Gain versus Break Frequency Trade-off
  - Fundamental gain-bandwidth (GBW) product limitation:

$$f_t = A_{0OL} f_{BOL} = A_{0CL} f_{BCL}$$

- When  $f >> f_B$ :

$$|A(f)| \approx A_{0OL} \cdot \frac{f_B}{f} = \frac{f_t}{f}$$

- Closed-Loop: Gain Bandwidth  $\propto f_{\rm 3dB}$ 
  - When an op-amp is connected in a feedback configuration, the gain-bandwidth product  $(f_t)$  remains unchanged
  - The 3dB frequency (break frequency) depends on feedback network components
  - Gain-bandwidth product  $(f_t = A_{0OL} f_{BOL})$
- Large-Signal Operation: Voltage Swing
  - Output voltage swing limitation
    - \* The output voltage can only be in the following range:

$$V_{S-} + x < V_0 < V_{S+} - x$$

- \* The output limits should be specified in the manufacturers datasheet
- Clipping (saturation) occurs if the above condition is not met
- Linear Operating Range
  - The input/output transfer characteristic of an op-amp (with a specified supply) voltage provide valuable information about large-signal operation
- Large-Signal Operation: Current Restrictions
  - Op-amps have specified output current limits
  - The op-amp must source/sink the current to/from load impedance (and feedback network elements)
  - Careful: Small load or feedback resistors  $\rightarrow$  high  $I_o$
  - Clipping occurs when  $I_o > I_{\text{limit}}$  would be required, but  $I_o = I_{\text{limit}}$