

Time Complexity Analysis

hashSearch(N) Temporal Analysis

#	Algorithm hashSearch(N)		# times each statement is executed
1	<code>if (key == null) {</code>	C1	1
2	<code>throw new IllegalArgumentException("Null key");}</code>	C2	1
3	<code>int tried = 0;</code>	C3	1
4	<code>int j = 0;</code>	C4	1
5	<code>Node<V, K> temporal = null;</code>	C5	1
6	<code>while (tried != capacity){</code>	C6	n+1
7	<code>j = hash(key, tried);</code>	C7	1
8	<code>temporary = table.get(j);</code>	C8	1
9	<code>if (temporal != null && temporal.getKey().equals(key)){</code>	C9	n
10	<code>return temporal.getValue();}</code>	C10	n
11	<code>tried += 1; }</code>	C11	1
12	<code>return null;</code>	C12	1
HashSearch (n)		3n + 10	

buildMaxHeap(N) Temporal Analysis

#	Algorithm hashSearch(N)		# times each statement is executed
1	<code>this.heapSize = array.size()-1;</code>	C1	1
2	<code>for (int i = (int)Math.floor(array.size()/2); i>=1; i--){</code>	C2	n
3	<code>maxHeapify(i-1); } // Recursive Algorithm</code>	C3	Log n
buildMaxHeap (n)		n log n	

heapSort(N) Temporal Analysis

#	Algorithm heapSort(N)		# times each statement is executed
1	<code>buildMaxHeap()</code>	C1	n
2	<code>for (int i = array.size(); i>=1; i--) {</code>	C2	n
3	<code>Collections.swap(array, 0, i - 1);</code>	C3	1
4	<code>reduceHeapSize();</code>	C4	1
5	<code>maxHeapify(0); }</code>	C5	Log n
HashSearch(n)			n log n

hashSearch(N) Spatial Analysis

Guy	Variable	Size of 1 atomic value	Number of atomic values
Entrance	<code>Key</code>	32-bit (Si key == int)	n
Auxiliary	<code>tried</code>	32-bit	1
	<code>J</code>	32-bit	1
	<code>temporary</code>	32-bit (Si value == int)	1
Exit	<code>Null</code>	Null / 32 bits (Si value == int)	0/1

Total Spatial Complexity = Input + Auxiliary + Output = $n + 4 = \theta(n)$

Auxiliary Spatial Complexity = $1 + 1 + 1 + 1 = \theta(1)$

Auxiliary + Output Spatial Complexity = $1 + 1 + 1 + 1 + 1 = \theta(1)$

buildMaxHeap(N) Spatial Analysis

Type	Variable	Size of 1 atomic value	Number of atomic values
Auxiliary	heapSize	32-bit	1
	Array	32-bit	n
	i	32-bit	1
Exit	-	-	-

Total Spatial Complexity = Input + Auxiliary + Output = $n + 2 = \theta(n)$

Auxiliary Spatial Complexity = $n + 1 + 1 = \theta(n)$

Auxiliary Spatial Complexity + Output = $0 = \theta(1)$

Auxiliary Spatial Complexity + Output = $0 = \theta(1)$