



GTU
Electronics Engineering

ELEC 331
Electronic Circuits 2

Fall Semester

Instructor: Assist. Prof. Önder Şuvak

HW 8
Questions and Answers

Updated November 17, 2017 - 12:59

Assigned:

Due:

Answers Out:

Late Due:

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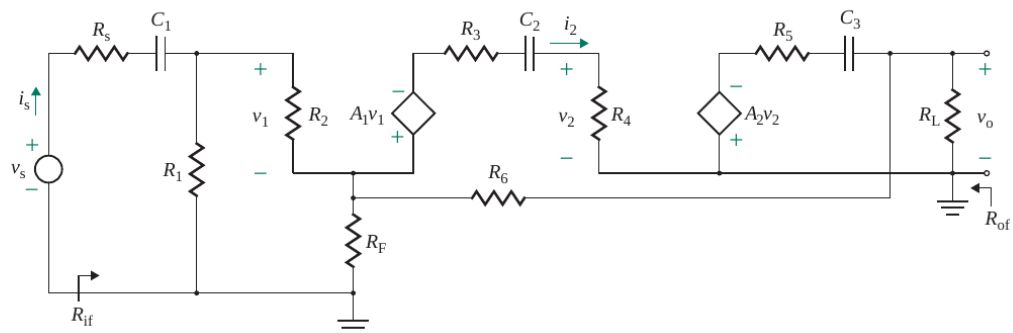
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Voltage Series Feedback on a Voltage Amplifier

Rashid 10.13

- 10.13** The feedback amplifier in Fig. P10.13 has $A_1 = 50$, $A_2 = 60$, $R_s = 500 \Omega$, $R_1 = 15 \text{ k}\Omega$, $R_2 = 1.5 \text{ k}\Omega$, $R_3 = 250 \Omega$, $R_4 = 1.5 \text{ k}\Omega$, $R_5 = 250 \Omega$, $R_6 = 2 \text{ k}\Omega$, $R_L = 4.7 \text{ k}\Omega$, $R_F = 500 \Omega$, $C_1 = C_2 = C_3 = 0.1 \mu\text{F}$, and $v_s = 100 \text{ mV}$. Determine (a) the input resistance $R_{if} = v_s/i_s$, (b) the output resistance R_{of} , and (c) the overall voltage gain $A_f = v_o/v_s$. Assume C_1 , C_2 , and C_3 are shorted at the operating frequency.

FIGURE P10.13

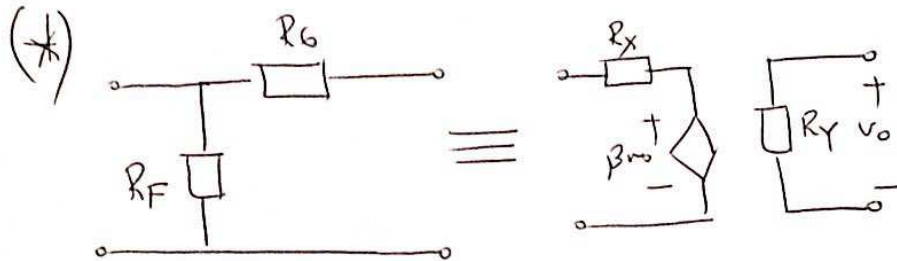


Notes: None.

Additional Tasks: Analyze this circuit as a voltage amplifier with voltage series feedback. Numerical values of the required quantities should be computed as the last task.

Necessary Knowledge and Skills: Modeling a given circuit as a voltage amplifier, input/output impedance and gain calculations, feedback network modeling, idealizing the feedback network by carrying its impedance loads into the non-feedback amplifier, remodeling the non-feedback amplifier, analyzing the feedback amplifier (non-feedback amplifier and the feedback network combined) to compute the input/output impedances and gain.

Model the feedback network



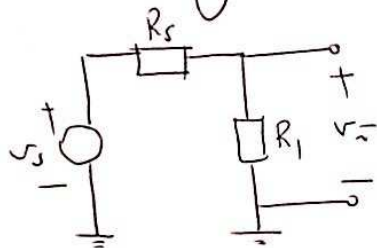
(This is voltage amplifier with voltage-series feedback)

$$R_X = R_F // R_G$$

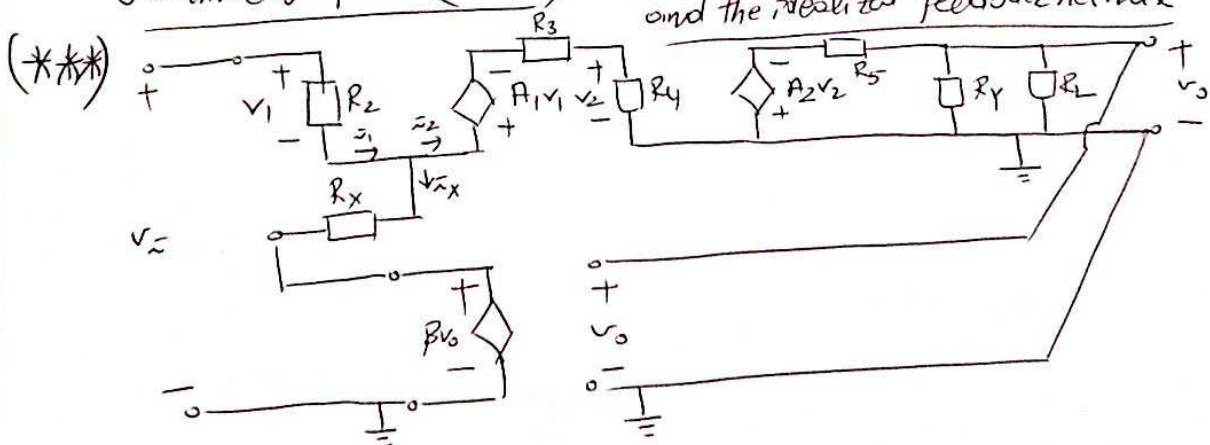
$$R_Y = R_F + R_G$$

$$\beta = \frac{R_F}{R_F + R_G}$$

(**) Leave the following part until later.



Schematic of the (VA, RL) Feedback-Loaded Voltage Amplifier and the idealized feedback network



kill β ($\beta=0$) and analyze VA, RL

Rashid
10.13
contin.

Compute $\frac{v_1}{v_{\tilde{z}}}, \frac{v_2}{v_{\tilde{z}}}, \frac{v_{\tilde{z}}}{\tilde{z}_1}$ (Refer to (***)

$$(KVL) +v_{\tilde{z}} - v_1 - A_1 v_1 - (R_3 + R_4) \tilde{z}_2 = 0$$

$$(KVL) +v_{\tilde{z}} - v_1 - \tilde{z}_x R_x = 0$$

$$(KCL) \tilde{z}_1 = \tilde{z}_2 + \tilde{z}_x$$

$$v_1 = \tilde{z}_1 R_2$$

$$v_2 = \tilde{z}_2 R_4$$

$$v_{\tilde{z}} = (1 + A_1) v_1 + (R_3 + R_4) \tilde{z}_2$$

$$\frac{v_1}{R_2} = \tilde{z}_2 + \tilde{z}_x$$

$$\frac{v_{\tilde{z}} - v_1}{R_x} = \tilde{z}_x$$

$$v_{\tilde{z}} = (1 + A_1) v_1 + (R_3 + R_4) \left[\frac{v_1}{R_2} - \frac{v_{\tilde{z}} - v_1}{R_x} \right]$$

$$v_{\tilde{z}} \left[1 + \frac{R_3 + R_4}{R_x} \right] = v_1 \left[1 + A_1 + \frac{R_3 + R_4}{R_2 \parallel R_x} \right]$$

$$\frac{v_1}{v_{\tilde{z}}} = \frac{\left[1 + \frac{R_3 + R_4}{R_x} \right]}{\left[(1 + A_1) + \left(\frac{R_3 + R_4}{R_2 \parallel R_x} \right) \right]}$$

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2

Note that

$$\frac{V_1}{\tilde{v}_1} = \frac{\tilde{z}_1 R_2}{\tilde{v}_1} = R_2 \left(\frac{\tilde{v}_1}{\tilde{v}_1} \right)^{-1}$$

$$r_{in, VA, PE} = \frac{\tilde{v}_1}{\tilde{z}_1} = R_2 \left(\frac{V_1}{\tilde{v}_1} \right)^{-1}$$

see the bottom of pg 2

$$\begin{aligned} \frac{V_2}{\tilde{v}_2} &= \frac{R_4 \tilde{z}_2}{\tilde{v}_2} = \frac{R_4}{\tilde{v}_2} \left[\frac{V_1}{R_2} - \frac{\tilde{v}_2 - V_1}{R_x} \right] \\ &= \frac{R_4}{\tilde{v}_2} \left[\frac{V_1}{R_2 // R_x} - \frac{\tilde{v}_2}{R_x} \right] \\ &= \frac{R_4}{R_2 // R_x} \frac{V_1}{\tilde{v}_2} - \frac{R_4}{R_x} < 0 \end{aligned}$$

see the bottom of pg 2

check this numerically

Refer to (***)

$$\frac{v_o}{v_2} = (-A_2) \frac{R_Y // R_L}{R_Y // R_L + R_5} < 0 \text{ if } A_2 > 0$$

then

$$\frac{v_o}{\tilde{v}_1} = \frac{v_2}{\tilde{v}_1} \frac{v_o}{v_2} = A_{VA, PE}$$

see pg 3 see above

$$r_{out, VA, PE} = R_5 // R_Y // R_L$$

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3

Now apply feedback theory to compute:

$$\frac{R_{ashed}}{10.13}$$

contin.

$$A_f = \frac{A_{VA, PL}}{1 + \beta A_{VA, PL}}$$

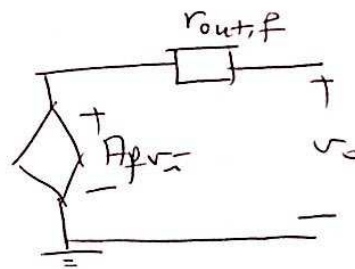
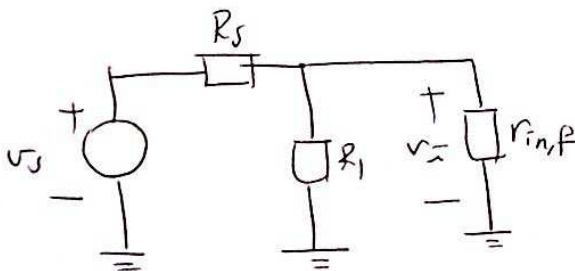
$$r_{in, f} = (1 + \beta A_{VA, PL}) r_{in, VA, PL}$$

$$r_{out, f} = \frac{r_{out, VA, PL}}{1 + \beta A_{VA, PL}}$$

Analysis of
the feedback
amplifier

Now analyze the whole circuit:

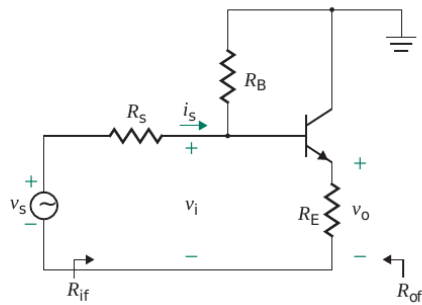
Refer to (**) and above



$$\frac{v_o}{v_s} = \frac{r_{in, f} \parallel R_1}{r_{in, f} \parallel R_1 + R_s} A_f$$

Voltage-Series Feedback in the Emitter-Follower Stage**Rashid 10.18**

- 10.18** The emitter follower in Fig. P10.18 has $R_B = 75 \text{ k}\Omega$, $R_E = 750 \text{ }\Omega$, $R_L = 10 \text{ k}\Omega$, and $R_S = 250 \text{ }\Omega$. The transistor parameters are $h_{fe} = 150$, $r_{\pi} = 250 \text{ }\Omega$, and $r_o = \infty$. Draw a block diagram of the feedback mechanism. Use the techniques of feedback analysis to calculate (a) the input resistance R_{if} , (b) the output resistance R_{of} , and (c) the closed-loop voltage gain A_f .

D**FIGURE P10.18****Notes:** None.**Additional Tasks:** None.

Necessary Knowledge and Skills: Voltage amplifiers and non-idealities modeling, gain and input/output impedance calculations, voltage-series feedback, feedback network analysis, feedback-loaded voltage amplifier analysis, effects of voltage-series feedback.

Outline for the analysis (in terms of the parameters) Rashid
10.18

⇒ draw the small-signal equivalent (the feedback network and the type of feedback should be identified)

~~Model the nonfeedback (forward) amplifier as a voltage amplifier (VA)~~

⇒ Compute the parameters of the feedback network (note that this is a voltage-series or series-shunt type of feedback)

⇒ Load the nonfeedback amplifier with the nonideal input/output impedances of the feedback network, model the new/modified forward amplifier again as voltage amplifier, now feedback-loaded (VA, FL). Note that the feedback network (now idealized) is killed during this procedure.

⇒ Analyze the feedback loaded VA (VA, FL) together with the feedback network to compute the

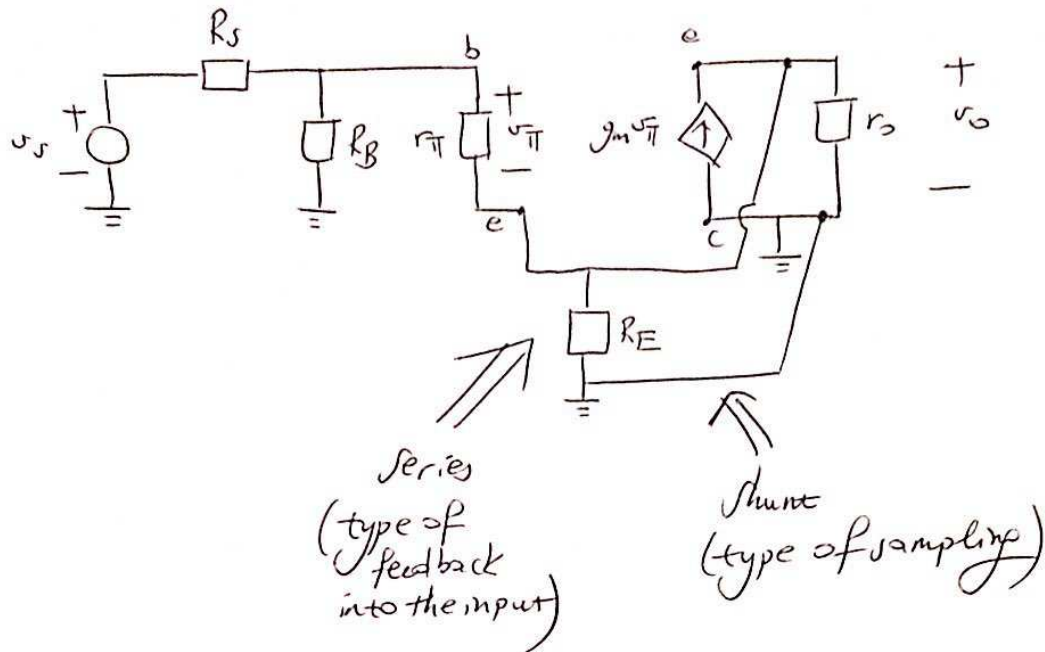
$A_f, r_{in,f}, r_{out,f}$
parameters of the feedback amplifier
(or called the closed-loop parameters)

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①

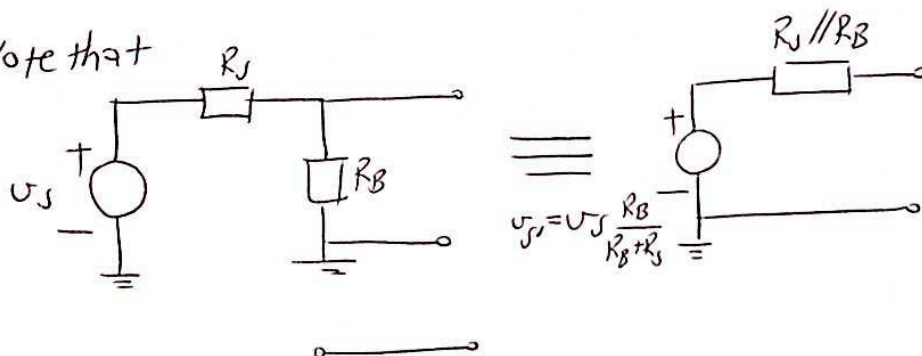
Small-signal Equiv. of the cir.

Rashed
10.18
continued



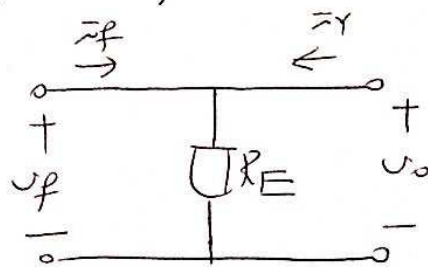
Therefore, this is an example of series-shunt (or voltage series type of feedback).

Note that

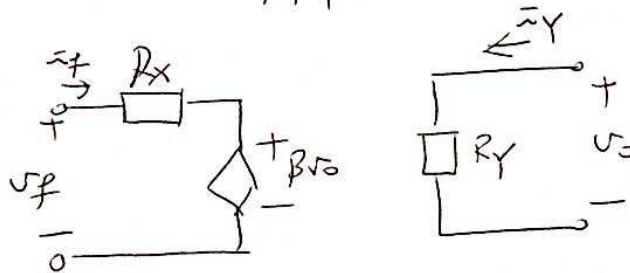


- Analyze the feedback network

Reshd 10.18
Cont in-



|||



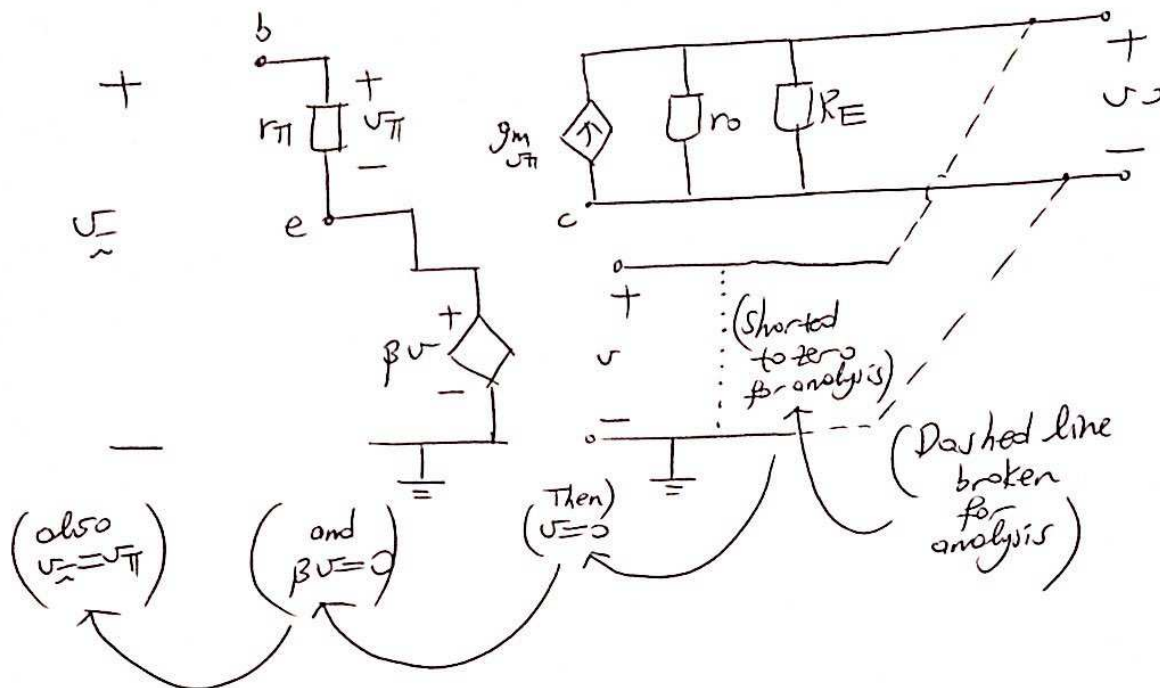
$$\beta = \left. \frac{\tilde{v}_f}{\tilde{v}_o} \right|_{\tilde{v}_f=0} = 1$$

$$R_X = \left. \frac{\tilde{v}_f}{\tilde{v}_f} \right|_{\tilde{v}_o=0} = 0$$

$$R_Y = \left. \frac{\tilde{v}_o}{\tilde{v}_o} \right|_{\tilde{v}_f=0} = R_E$$

(3)

- Analyze the following nonfeedback amplifier as VFA. (now feedback-loaded therefore VFA, fl)
- Rashed 10.18
Contin.



Parameters of the feedback loaded ampl. are

$$A_{VFA, fl} = g_m (r_o // R_E)$$

$$r_{in, VFA, fl} = r_{\pi}$$

$$r_{out, VFA, fl} = r_o // R_E$$

- Compute the parameters of the feedback amplifier (or amplifier with feedback)

Rashed
10.18
contin

We use the properties of (Note that $\beta = 1$)
Voltage-series feedback

$$A_f = \frac{A_{vA, \text{PE}}}{1 + A_{vA, \text{PE}} \beta}$$

$$r_{in, f} = r_{in, vA, \text{PE}} (1 + A_{vA, \text{PE}} \beta)$$

$$r_{out, f} = \frac{r_{out, vA, \text{PE}}}{1 + A_{vA, \text{PE}} \beta}$$

$$\begin{aligned} &= \frac{g_m (r_o \parallel R_E)}{1 + g_m (r_o \parallel R_E)} \\ &= r_{\pi} (1 + g_m (r_o \parallel R_E)) \\ &= \frac{r_o \parallel R_E}{1 + g_m (r_o \parallel R_E)} \end{aligned}$$

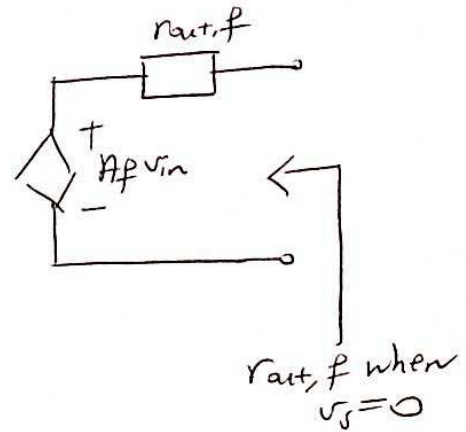
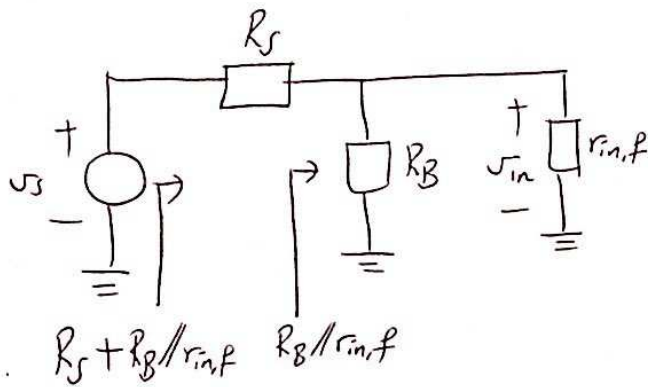
with $r_o \gg R_E$
the above
answers
are

$$A_f \approx \frac{R_E}{\frac{1}{g_m} + R_E}$$

$$r_{in, f} \approx r_{\pi} (1 + g_m R_E)$$

$$r_{out, f} = R_E \parallel \frac{1}{g_m}$$

• Now analyze the whole cir.

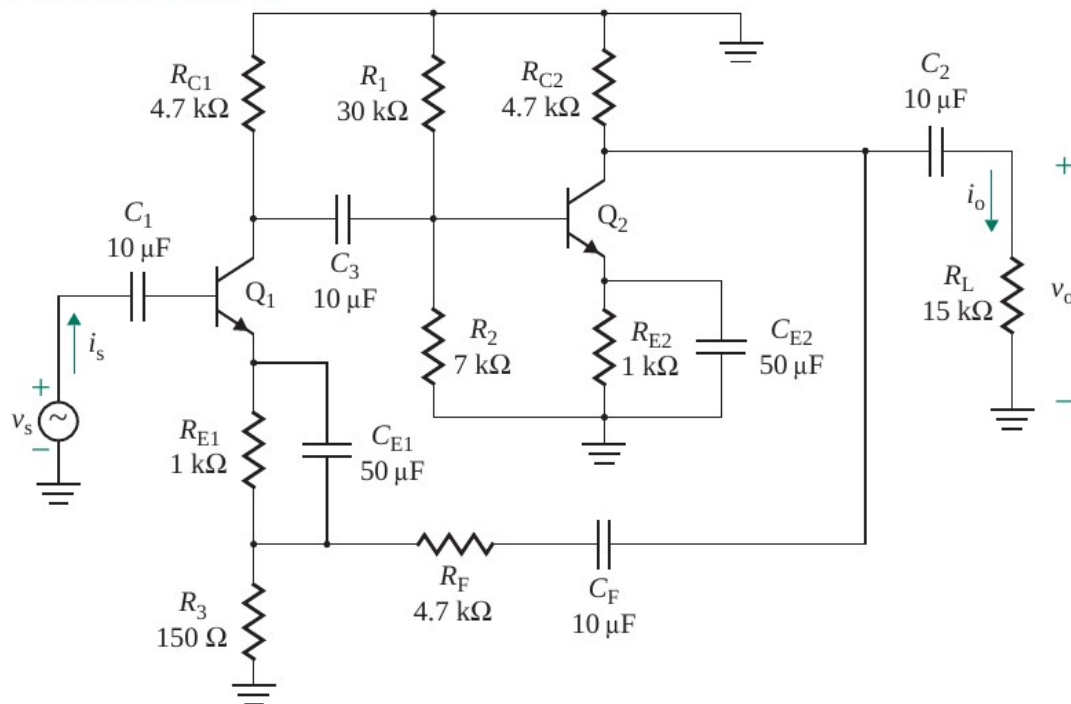


$$A_{realized} = \frac{r_{in,f} || R_f}{r_{in,f} || R_f + R_s} \cdot A_f$$



Voltage-Series Feedback on a Voltage Amplifier**Rashid 10.19**

- 10.19** Use the techniques of feedback analysis to calculate the input resistance R_{if} , the output resistance R_{of} , and the closed-loop voltage gain A_f of the amplifier in Fig. P10.19. The transistor parameters are $h_{fe} = h_{fe1} = h_{fe2} = 10$, $r_{\pi1} = r_{\pi2} = 250 \Omega$, $r_o = 1.5 \text{ k}\Omega$, and $r_{\mu} = \infty$.

FIGURE P10.19**Notes:** None.**Additional Tasks:** None.

Necessary Knowledge and Skills: Voltage amplifiers and non-idealities modeling, gain and input/output impedance calculations, voltage-series feedback, feedback network analysis, feedback-loaded voltage amplifier analysis, effects of voltage-series feedback.

Cascaded CE amplifiers: (+) voltage gain
voltage series (or series shunt) feedback
on a voltage amplifier

$$\frac{R_{th}}{10.19}$$

Tasks

⇒ identify the feedback network and model it

⇒ load the forward amplifier (V_A , voltage amplifier) with the feedback network nonidealities to obtain the feedback-loaded V_A ($V_{A,fl}$).

⇒ Analyze $V_{A,fl}$ to obtain

$$A_{V_{A,fl}}$$

$$r_{in,V_{A,fl}}$$

$$r_{out,V_{A,fl}}$$

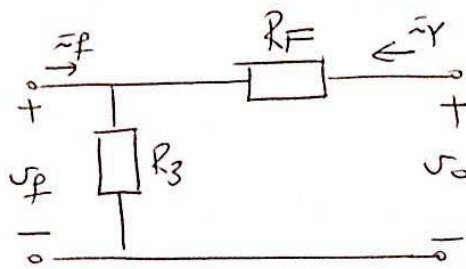
⇒ Analyze the whole feedback amplifier to obtain

$$A_f = \frac{A_{V_{A,fl}}}{1 + \beta A_{V_{A,fl}}}$$

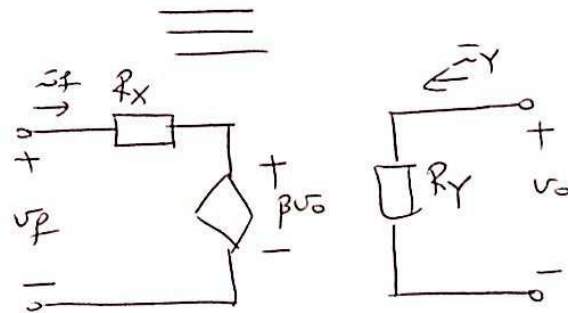
$$r_{in,f} = r_{in,V_{A,fl}} (1 + \beta A_{V_{A,fl}})$$

$$r_{out,f} = \frac{r_{out,V_{A,fl}}}{1 + \beta A_{V_{A,fl}}}$$

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Rashid
10/19
contin.



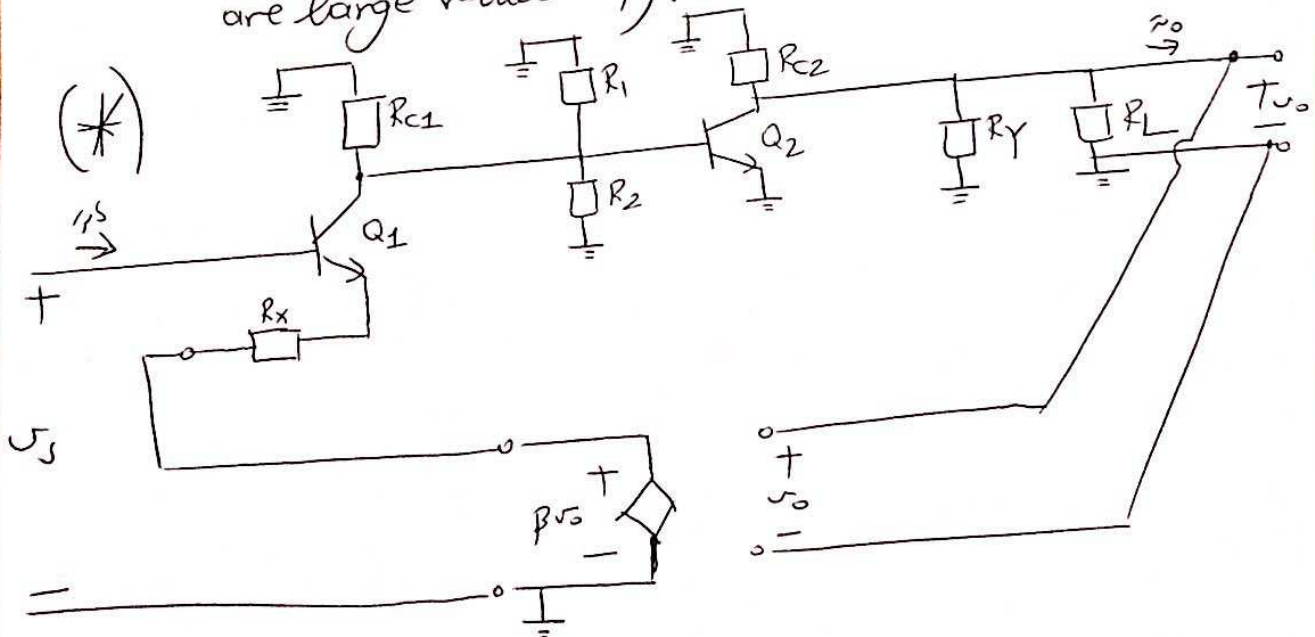
$$R_Y = R_3 + R_F$$

$$R_X = R_3 \parallel R_F$$

$$\beta = \frac{R_3}{R_3 + R_F}$$

Schematics of VA, RL and the feedback network

\Rightarrow Note that $C_1, C_2, C_3, C_{E1}, C_F, C_{E2}$ are all short circuited in midband (there are large valued cap).



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In the schematic of (*):

$$\Rightarrow \text{set } \beta = 0$$

$$\Rightarrow r_{in, vA, fl} = \frac{v_s}{\bar{v}_s} \Big|_{\substack{\bar{v}_s = 0 \\ \text{(which means } \bar{v}_o = 0 \text{)}}}$$

$$\approx r_{\pi 1} (1 + g_{m1} R_x)$$

$$\Rightarrow A_{vA, fl} = \frac{v_o}{v_s} \Big|_{\bar{v}_s = 0}$$

$$\approx \left[-\frac{g_{m1}}{1 + g_{m1} R_x} \right] \left[R_{C1} \parallel R_1 \parallel R_2 \parallel r_{\pi 2} \parallel [r_{o1} (1 + g_{m1} R_x)] \right]$$

$$\cdot \left[-g_{m2} \right] \left[R_{C2} \parallel r_{o2} \parallel R_Y \parallel R_L \right]$$

\Rightarrow Note that when $\bar{v}_s = 0$

$$R_{in, c1} \approx (r_{\pi 1} \parallel R_x) (1 + g_{m1} r_{o1})$$

$$R_{out, b2} = R_1 \parallel R_2 \parallel R_{C1} \parallel R_{in, c1}$$

$$\text{then } r_{out, vA, fl} \approx R_{C2} \parallel R_Y \parallel R_L \parallel \underbrace{R_{in, c2}}_{r_o}$$

Since the emitter of Q_2 is connected to gnd in midband, we do not need to account for $R_{in, c1}$ or $R_{out, b2}$ in this computation.

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Analysis of the feedback amplifier Revised
10.19
contin.
 (V_A, f_l + the idealized feedback network)

⇒ First see the result on pg 3

$$\Rightarrow \beta = \frac{R_3}{R_3 + R_F}$$

$$\Rightarrow A_f = \frac{A_{V_A, f_l}}{1 + \beta A_{V_A, f_l}}$$

$$r_{in, f} = r_{in, V_A, f_l} (1 + \beta A_{V_A, f_l})$$

$$r_{out, f} = \frac{r_{out, V_A, f_l}}{1 + \beta A_{V_A, f_l}}$$

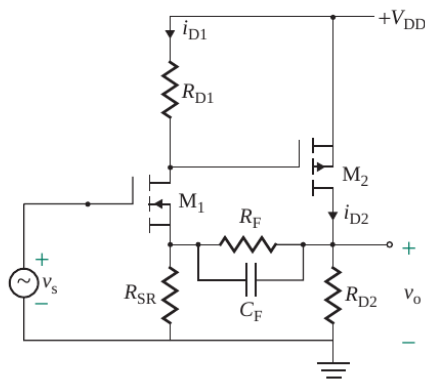


Voltage-Series Feedback on a Voltage Amplifier

Rashid 10.22

- 10.22** The MOS amplifier shown in Fig. P10.22 is biased to have the following small-signal MOS parameters: $g_{m1} = 1.2 \text{ mA/V}$, $r_{o1} = 25 \text{ k}\Omega$, $g_{m2} = 1.6 \text{ mA/V}$, and $r_{o2} = 25 \text{ k}\Omega$. If $R_{D1} = 1.5 \text{ k}\Omega$, then $R_{D2} = 1 \text{ k}\Omega$, $R_{SR} = 500 \Omega$, $R_F = 5 \text{ k}\Omega$, and $C_F = 20 \text{ pF}$. Determine (a) the voltage gain without feedback $A = v_o/v_s$, (b) the voltage gain with feedback A_f , and (c) the feedback capacitor C_F to limit the high frequency $f_H = 50 \text{ kHz}$.

FIGURE P10.22



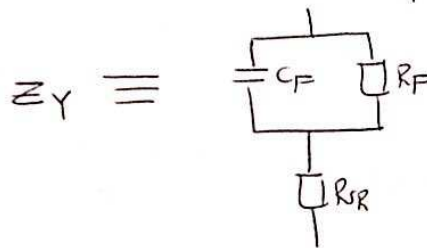
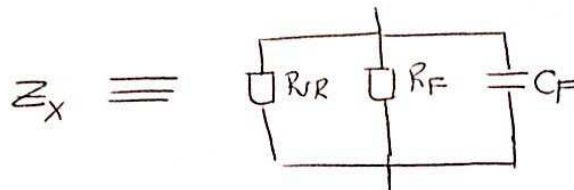
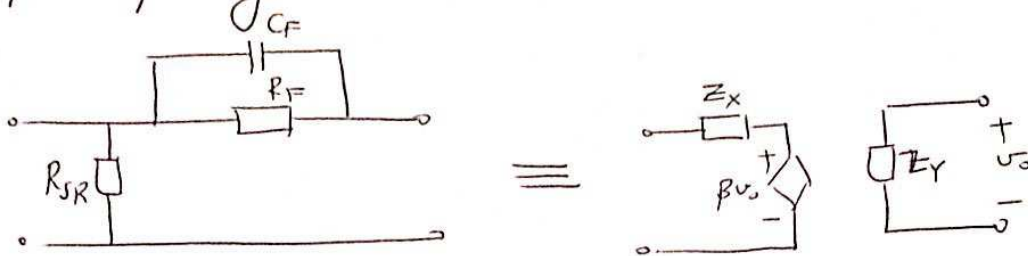
Notes: None.

Additional Tasks: None.

Necessary Knowledge and Skills: Voltage amplifiers and non-idealities modeling, gain and input/output impedance calculations, voltage-series feedback, feedback network analysis, feedback-loaded voltage amplifier analysis, effects of voltage-series feedback, design equation for high-frequency cut-off involving the feedback capacitor, effect of feedback on high-frequency cut-off.

The voltage-series feedback network consists of the following circuit:

Rashid
10.22



$$\beta(s) = \frac{R_{SR}}{R_{SR} + \frac{R_F \frac{1}{sC_F}}{R_F + \frac{1}{sC_F}}} = \frac{R_{SR}}{R_{SR} + \frac{R_F}{1 + sR_F C_F}}$$

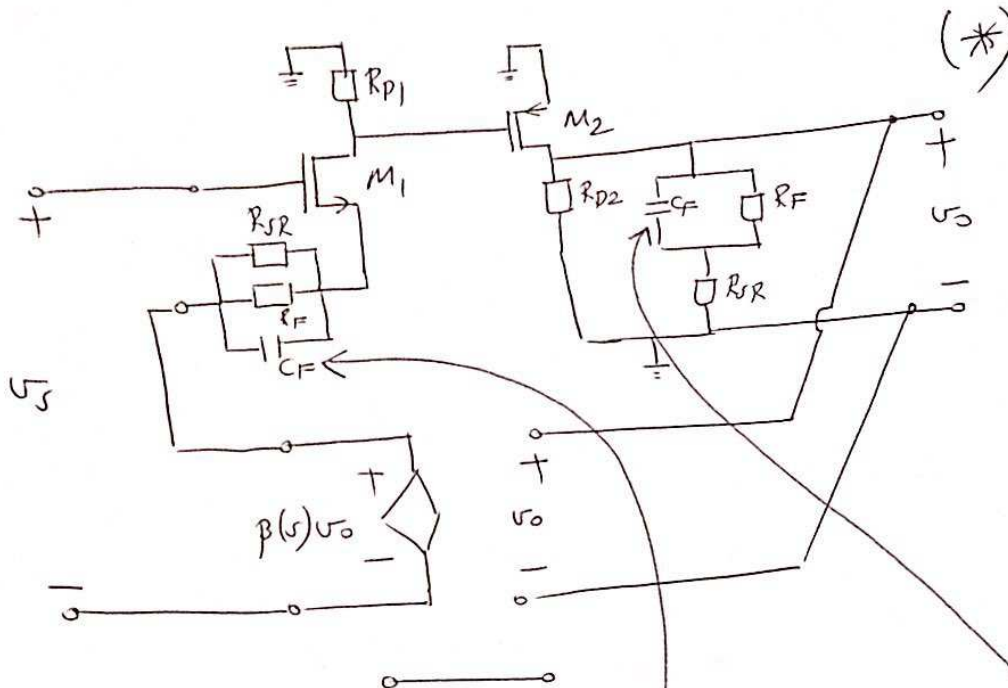
$$= \frac{R_{SR} (1 + sR_F C_F)}{R_F + R_{SR} + sR_F C_F R_{SR}}$$

$$= \left(\frac{R_{SR}}{R_F + R_{SR}} \right) \frac{1 + \frac{s}{1/R_F C_F} \rightarrow \omega_Z}{1 + \frac{s}{C_F R_F \frac{R_{SR}}{R_F + R_{SR}}} \rightarrow \omega_P}$$

call this β
(low freq
value of $\beta(s)$)

Schematic of the feedback loaded (V.A. PL)
amplifier and feedback network:

Rashed
10.22
contin



Above in (*) set $\beta(s) = 0$.

Apply OCTC first.

$$C_1 = C_F$$

$$R_1 = R_{SR} \parallel R_F \parallel \left[\frac{R_{D1} + r_{o1}}{1 + g_{m1} r_{o1}} \right] \quad \text{(see the relevant doc. for derivations)}$$

$g_{m1} r_{o1} \gg 1$ (intrinsic gain)

if true $\left[\text{if } r_{o1} \gg R_{D1}, \text{ then this term } \approx \frac{1}{g_{m1}} \right]$

$$R_1 \approx \frac{1}{g_{m1}}$$

Note that $\tau_1 = R_1 C_1$

$$C_2 = C_F$$

$$R_2 = R_F \parallel \left[R_{SR} + r_{o2} \parallel R_{D2} \right]$$

if $R_{D2} \ll r_{o2}$, then this term $\approx R_{D2}$

if true $R_2 \approx R_F \parallel [R_{SR} + R_{D2}]$

$$\tau_2 = R_2 C_2$$

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(2)

Rashid
10.22
contin.

OCTC

$$W_H \approx \frac{1}{\tau_1 + \tau_2} \leftarrow$$

Note that τ_1 and τ_2 may not be comparable.

Check: In the computations for OCTC

$$R_1 = \underbrace{R_{SR}}_{0.5K} \parallel \underbrace{R_F}_{5K} \parallel \left[\frac{R_{p1} + r_{o1}}{1 + g_{m1} r_{o1}} \right]$$

1.5kV
25kV

1.2mS 25kV

$$R_1 \approx 0.5K \parallel 5K \parallel \frac{1}{\underbrace{1.2mS}_{0.8K}} \approx \frac{(0.5)(0.8)}{1.3} K \approx 0.3 K$$

$$R_2 = \underbrace{R_F}_{5K} \parallel \left[\underbrace{R_{SR}}_{0.5K} + \underbrace{r_{o2}}_{\infty} \parallel \underbrace{R_{D2}}_{1K} \right]$$

$$R_2 \approx 5K \parallel 1.5K \approx \frac{(5)(1.5)}{(6.5)} K \approx 1.15 K$$

Therefore, $\tau_1 = R_1 \underbrace{C_1}_{C_F}$ and $\tau_2 = R_2 \underbrace{C_2}_{C_F}$ are comparable

Need to use this formula.

Now in (*) set both C_F 's in the $V_{A,PL}$ to O.C., keep $\beta(s)=0$.

Compute (set $R_X = R_{SR} // R_F$ and $R_Y = R_F + R_{SR}$)

Rashed
10.22
contin.

$$A_{V_{A,PL}} = \left[\frac{-g_{m1}}{1 + g_{m1} R_X} \right] \left[R_{D1} // \left[(1 + g_{m1} R_X) r_{o1} \right] \right] \cdot \left[-g_{m2} \right] \left[R_{D2} // R_Y // r_{o2} \right]$$

$$r_{in,V_{A,PL}} = +\infty$$

$$r_{out,V_{A,PL}} = R_{D2} // R_Y // \underbrace{r_{o2}}_{+\infty}$$

Now analyze the feedback amplifier
($V_{A,PL}$ and the feedback network)

$$r_{in,f} = r_{in,V_{A,PL}} (1 + \underbrace{A_{V_{A,PL}}}_{\substack{\text{midband value} \\ \text{see above} \\ \text{(pg 4)}}} \underbrace{\beta}_{\substack{\text{low-freq} \\ \text{(midband value)} \\ \text{see pg 1}}}) = +\infty$$

$$r_{out,f} = \frac{r_{out,V_{A,PL}}}{1 + A_{V_{A,PL}} \beta}$$

Now analyze the high-frequency cutoff
of the feedback amplifier
(Not easy since $\beta(s)$ depends on the freq)

Rashed
10.22
contin

$$A_{VA,FE}(j\omega) = \frac{A_{VA,FE} \rightarrow \text{see pg 4}}{1 + \frac{j\omega}{\omega_H} \rightarrow \text{see pg 3}}$$

$$\beta(j\omega) = \beta \frac{1 + \frac{j\omega}{\omega_z}}{1 + \frac{j\omega}{\omega_p}} \Rightarrow \text{see pg 1}$$

$$\begin{aligned} A_F(j\omega) &= \frac{A_{VA,FE}(j\omega)}{1 + \beta(j\omega) A_{VA,FE}(j\omega)} \\ &= \frac{\frac{A_{VA,FE}}{1 + \frac{j\omega}{\omega_H}}}{1 + \frac{A_{VA,FE}}{1 + \frac{j\omega}{\omega_H}} \beta \frac{1 + \frac{j\omega}{\omega_z}}{1 + \frac{j\omega}{\omega_p}}} \\ &= \frac{A_{VA,FE}}{1 + \frac{j\omega}{\omega_H} + \beta A_{VA,FE} \frac{1 + \frac{j\omega}{\omega_z}}{1 + \frac{j\omega}{\omega_p}}} \\ &\approx \frac{A_{VA,FE} \left(1 + \frac{j\omega}{\omega_p}\right)}{1 + \frac{j\omega}{\omega_H} + \frac{j\omega}{\omega_p} + \beta A_{VA,FE} + \frac{j\omega}{\beta A_{VA,FE} \omega_z}} \end{aligned}$$

omitting
the
higher
order
term

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$$A_f(j\omega) \approx \underbrace{\frac{A_{VA,PE}}{1 + \beta A_{VA,PE}}}_{\text{midband value}} \cdot \frac{1 + \frac{j\omega}{\omega_p}}{1 + \frac{j\omega}{\left(\omega_H // \omega_p // \frac{\omega_z}{A_{VA,PE}\beta}\right)} (1 + A_{VA,PE}\beta)}$$

Rashed
10/22
contin.

$A_f(j\omega)$ has a zero and a pole approximately.

see pg 1

$$\begin{cases} \omega_p = \frac{1}{C_F R_F \frac{R_{JR}}{R_{JR} + R_F}} & \frac{R_{JR}}{R_F} = \frac{1}{10} \text{ (see the question)} \\ \omega_p \approx \frac{11}{C_F R_F} = 11 \cdot \omega_z \end{cases}$$

$$A_{VA,PE}\beta > 0$$

approximate numerical value for (see pg 4 and the question)

$$A_{VA,PE} = \left[\frac{-1.2 \text{ mS}}{1 + (1.2 \text{ mS})(\underbrace{0.5 \text{ K} // 5 \text{ K}}_{0.5 \text{ K}})} \right] \underbrace{\left[1.5 \text{ K} // \left[25 \text{ K} (1 + (1.2 \text{ mS})(\underbrace{0.5 \text{ K} // 5 \text{ K}}_{0.5 \text{ K}})) \right] \right]}_{\approx 1.5 \text{ K}}$$

$$= \left[-1.6 \text{ mS} \right] \underbrace{\left[1 \text{ K} // (5.5 \text{ K}) // +\infty \right]}_{\approx 0.9 \text{ K}}$$

$$\begin{cases} A_{VA,PE} \approx \left(\frac{-1.2 \text{ mS}}{1.6} \right) (-1.6 \text{ mS}) (1.5 \text{ K}) (0.9 \text{ K}) \\ \approx \underbrace{(1.2)(1.5)}_{1.8} (0.9) = 1.62 \\ \beta = \frac{1}{11} \end{cases}$$

$A_{VA,PE}\beta \approx 0.15$

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Therefore

$$\frac{W_z}{A_{VA,fe\beta}} = \frac{W_p}{(11)(0.15)} \approx \frac{W_p}{1.65}$$

$$\frac{10.22}{\text{contin.}}$$

Numerical value for $W_H \Rightarrow$ see pg 3

$$W_H \approx \frac{1}{C_F(1.15K + 0.3K)} = \frac{1}{C_F(1.45K)}$$

$$W_p = \frac{1}{C_F(5K) \frac{0.5K}{5.5K}} \Rightarrow \text{see pg 1 and the question}$$

$$= \frac{1}{C_F(0.45K)}$$

$$\frac{W_z}{A_{VA,fe}} \approx \frac{1}{C_F(0.45K)(1.6)} = \frac{1}{C_F(0.72K)}$$

see pg 6

$$A_f(j\omega) \approx \frac{1.62}{1.15} \frac{1 + \frac{j\omega}{\frac{1}{C_F(0.45K)}}}{1 + \frac{j\omega}{\left[\frac{1}{C_F(1.45K)} \parallel \frac{1}{C_F(0.45K)} \parallel \frac{1}{C_F(0.72K)} \right] (1.15)}}$$

Note that the pole is lower than the zero.
The pole is:

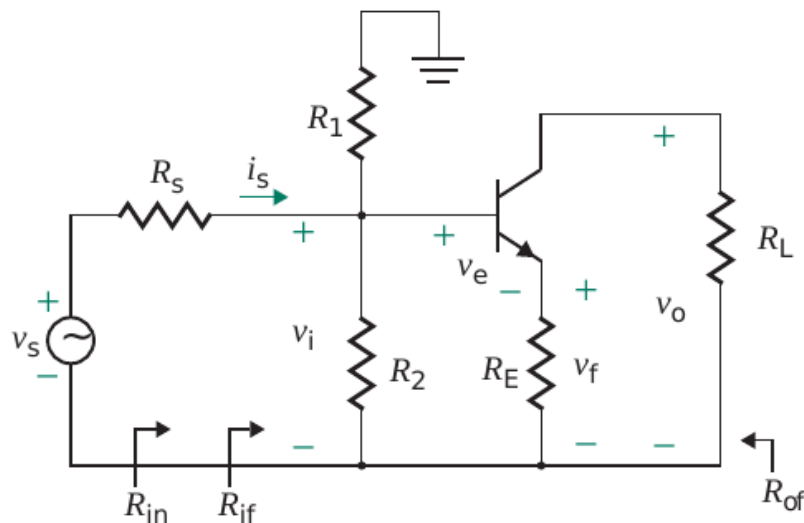
$$W_{H,f} \approx \frac{1.15}{C_F(2.62K)} = \frac{1}{C_F(2.28K)} = 2\pi (50KHz) \text{ specification}$$

Calculate C_F from this equation
 $C_F \approx 1.4nF$

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Current-Series Feedback on the CE Stage**Rashid 10.26**

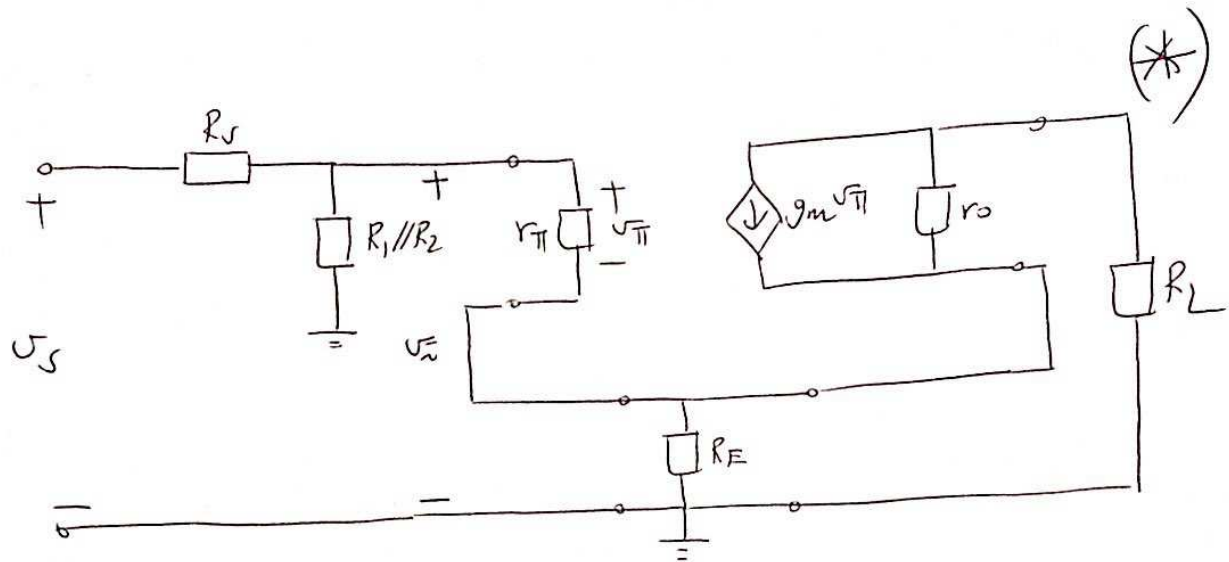
- 10.26** Use the techniques of feedback analysis to determine the input and output resistance of the CE transistor amplifier in Fig. P10.26. The circuit parameters are $R_s = 500\ \Omega$, $R_E = 250\ \Omega$, $R_2 = 15\ \text{k}\Omega$, $R_1 = 5\ \text{k}\Omega$, $R_C = 5\ \text{k}\Omega$, and $R_L = 10\ \text{k}\Omega$. The π -model parameters are $r_o = 25\ \text{k}\Omega$, $h_{fe} = 150$, $r_\pi = 250\ \Omega$, $g_m = 0.3876\ \text{A/V}$, and $r_\mu = \infty$.

FIGURE P10.26**Notes:** None.**Additional Tasks:** None.

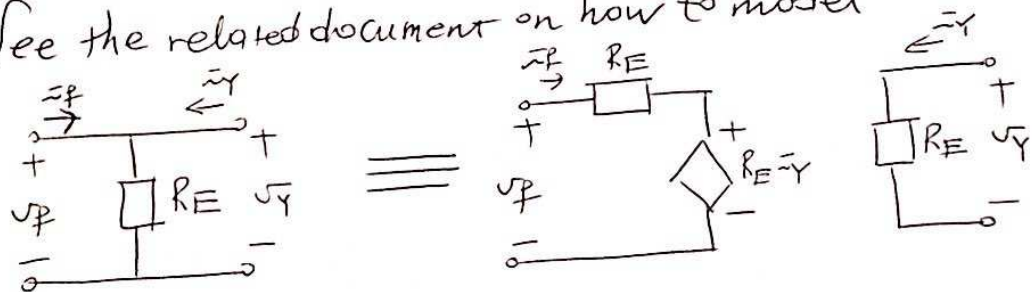
Necessary Knowledge and Skills: Modeling the CE stage as a transconductance amplifier, current-series feedback network modeling in a practical amplifier, gain and i/o impedance computations, feedback-loaded TCA analysis, effect of feedback on gain and i/o impedances.

Schematic of the amplifier
(identifying the feedback network)

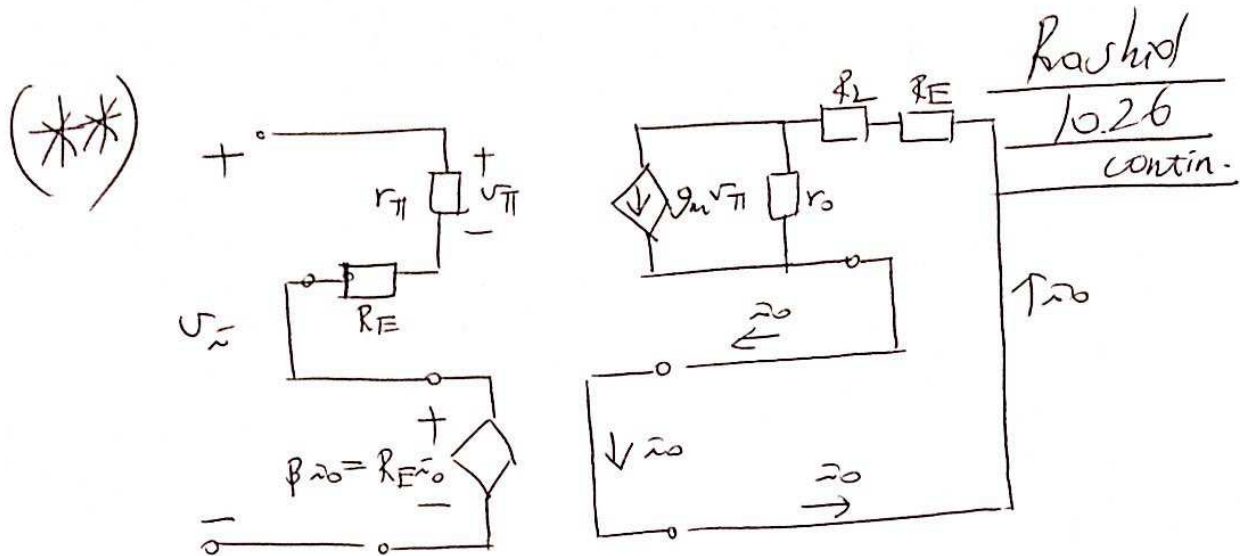
Rashid
10.26



See the related document on how to model



Then the feedback-loaded TCA (TCA, R_E) and the idealized feedback network schematic is as follows.



\Rightarrow set $\beta = 0$

$\Rightarrow r_{in, TCA, PL} = r_{\pi} + R_E$

$$A_{TCA, PL} = \frac{r_{\pi}}{r_{\pi} + R_E} g_m \frac{r_o}{r_o + R_L + R_E}$$

$$r_{out, TCA, PL} = r_o + R_L + R_E$$

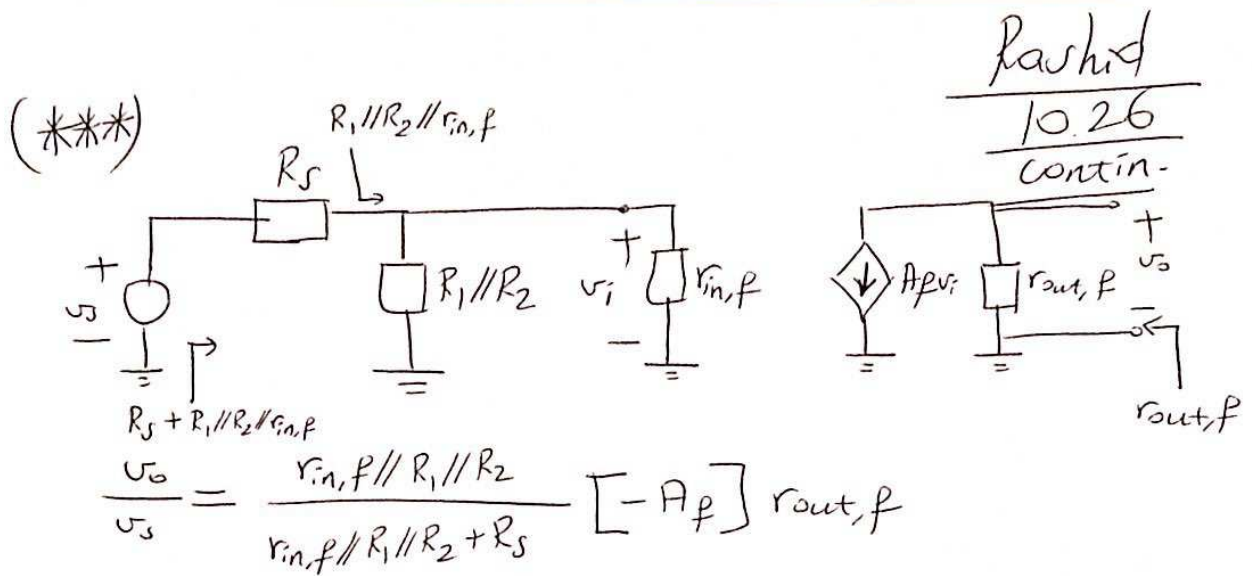
Analysis of
TCA, PL
(the forward
but feedback-
loaded
TCA)

Analysis of the whole network (TCA, PL and the feedback network) Recall $\beta = R_E$

$$r_{in, f} = r_{in, TCA, PL} (1 + \beta A_{TCA, PL})$$

$$r_{out, f} = r_{out, TCA, PL} (1 + \beta A_{TCA, PL})$$

$$A_f = \frac{A_{TCA, PL}}{1 + \beta A_{TCA, PL}}$$



The resistances have been pointed out in (***).
Calculation of the numerical values — exercise.

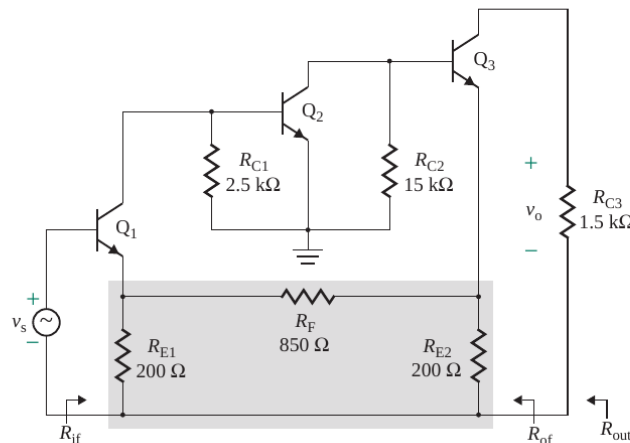


Current-Series Feedback on a TCA

Rashid 10.28

- 10.28** The AC equivalent circuit of a feedback amplifier is shown in Fig. P10.28. The circuit values are $R_{C1} = 2.5 \text{ k}\Omega$, $R_{C2} = 5 \text{ k}\Omega$, $R_{C3} = 1.5 \text{ k}\Omega$, $R_{E1} = 100 \text{ }\Omega$, $R_{E2} = 100 \text{ }\Omega$, $R_F = 750 \text{ }\Omega$, and $R_s = 0$. The transistor parameters are $h_{fe} = 100$, $r_{\pi} = 2.5 \text{ k}\Omega$, $r_o = 25 \text{ k}\Omega$, and $r_{\mu} = \infty$. Use the techniques of feedback analysis to calculate (a) the input resistance R_{if} , (b) the output resistance R_{of} , and (c) the closed-loop voltage gain A_f .

FIGURE P10.28



Notes: None.

Additional Tasks: None.

Necessary Knowledge and Skills: Modeling the CE stage as a transconductance amplifier, current-series feedback network modeling in a practical amplifier, gain and i/o impedance computations, feedback-loaded TCA analysis, effect of feedback on gain and i/o impedances.

There is current-series feedback

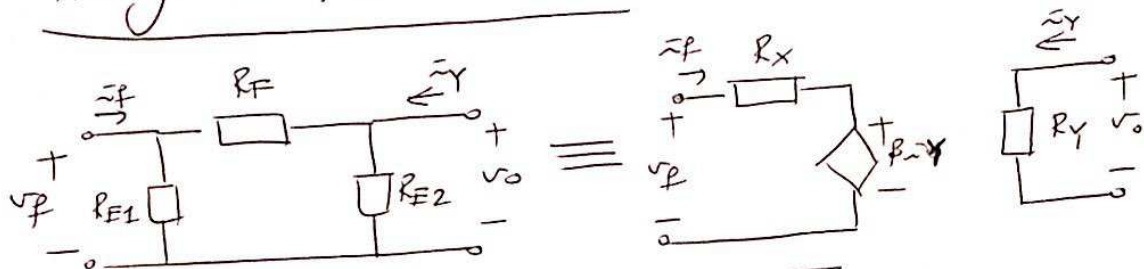
Rashid
10.28

series series

involved in this circuit.

The whole amplifier identifying the feedback network has already been drawn.

Analyze the feedback network (see pg 668 of Rashid)



$$R_X = \frac{v_F}{i_F} \Big|_{i_Y=0} = R_{E1} \parallel [R_F + R_{E2}]$$

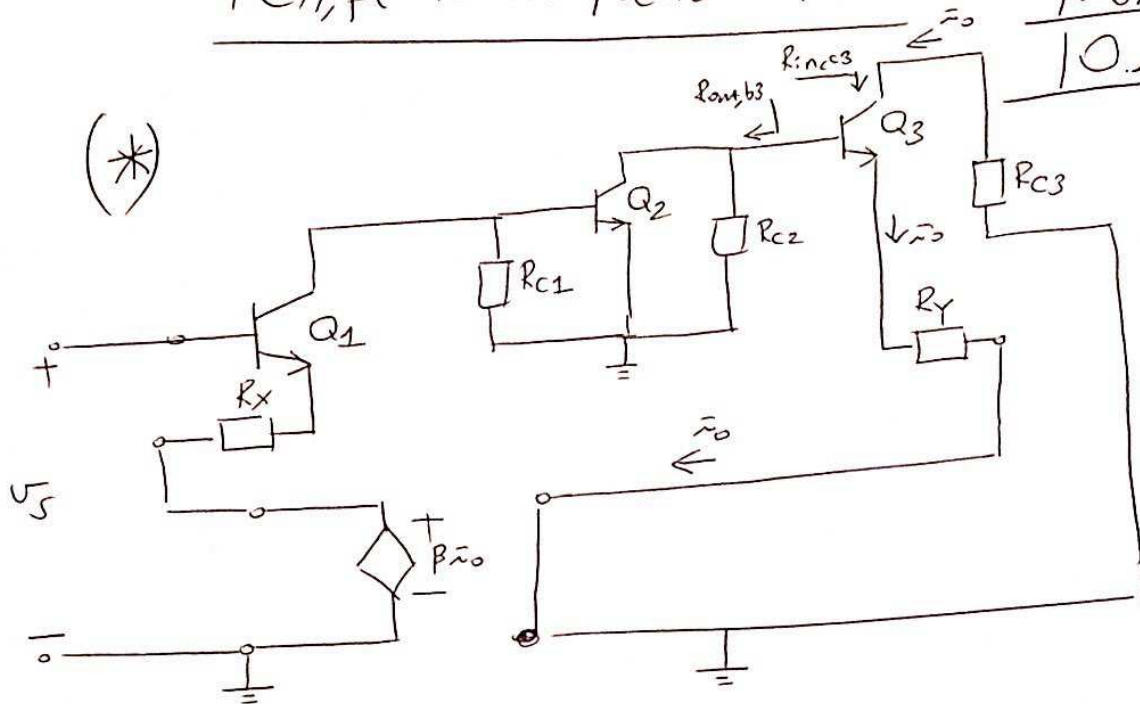
$$R_Y = \frac{v_O}{i_Y} \Big|_{i_F=0} = R_{E2} \parallel [R_{E1} + R_F]$$

$$\beta = \frac{v_F}{i_Y} \Big|_{i_F=0} = \frac{R_{E2}}{R_{E2} + R_{E1} + R_F} \cdot R_{E1}$$

Next \Rightarrow Draw the schematic of TCA, A_L and the current-series feedback network.

TCA, fl and the feedback network

Rashid
10.28



Above in (*), set $\beta=0$, Analyze TCA, fl

$$A_{TCA, fl} \approx \left[\frac{-g_{m1}}{1+g_{m1}R_x} \right] \left[\left[(1+g_{m1}R_x)r_{o1} \right] \parallel R_{c1} \parallel r_{\pi2} \right] \\ \cdot \left[-g_{m2} \right] \cdot \left[r_{o2} \parallel R_{c2} \parallel \left[r_{\pi3} (1+g_{m3}R_Y) \right] \right] \\ \cdot \left[\frac{g_{m3}}{1+g_{m3}R_Y} \right]$$

$$r_{in, TCA, PE} \approx r_{\pi 1} (1 + g_{m1} R_x)$$

$$r_{out, TCA, PE} \approx R_{C3} + R_{in, C3}$$

note that $R_{out, b3} = R_{C2} \parallel r_{o2}$

$$\text{then } R_{in, C3} = (1 + g_{m3} r_{o3}) \frac{R_Y r_{\pi 3}}{R_Y + r_{\pi 3} + R_{out, b3}} + r_o$$

(see related document on the derivation)

$$+ \frac{R_Y R_{out, b3}}{R_Y + r_{\pi 3} + R_{out, b3}}$$

if the trailing two terms can be neglected

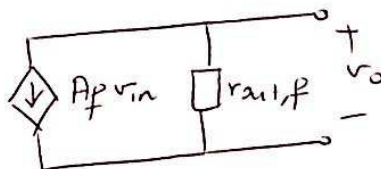
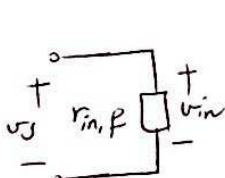
$$\approx (1 + g_{m3} r_{o3}) \left[\frac{R_Y r_{\pi 3}}{R_Y + r_{\pi 3} + R_{out, b3}} \right]$$

Now analyze the whole amplifier:

$$A_f = \frac{A_{TCA, PE}}{1 + \beta A_{TCA, PE}}$$

$$r_{in, f} = r_{in, TCA, PE} (1 + \beta A_{TCA, PE})$$

$$r_{out, f} = r_{out, TCA, PE} (1 + \beta A_{TCA, PE})$$



$$\frac{v_o}{v_s} = -A_f r_{out, f}$$

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