

# Workforce Simulation

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## Introduction

One the many variables businesses and agencies are challenged with is balancing short term situations with longer term planning. With Human Resource departments frequently subject to fiscal constraints, this project showcases how leaders can utilize Monte Carlo Simulations of productivity to optimize their talent acquisition groups for long term success.

## Identifying Historic Parameters

The main goal of Talent Acquisition is to attract, identify, and bring aboard the best talent. There are numerous tasks that a generalist or specialist completes between when a candidate applies and when they come onboard, if they come onboard.

This simulation utilizes fake data but will simulate the following variables associated with hiring:

- Workforce Size: what is the optimal size of the department?
- Average availability of staff: Of the workforce, how often are people completing tasks
- Standard Deviation of Staff Availability: is there volatility or consistency in how available staffers are?
- Average Monthly Hires per Staffer: What is their ability to convert candidates to employees?
- Standard Deviation of Monthly Hires: Are hiring efforts consistent, or does it vary month to month?

These variables will normally be computed through an integrated HRIS system or recruitment/time and attendance reports.

```
# Workforce Parameters
hiring_goal <- 15000
total_staff <- 150

# Production Parameters
average_staff_availability <- .8
stdv_staff_availability <- .05

average_monthly_hiring <- 15
stdv_monthly_hiring <-4.5
```

## Simulation

There will be 2 simulations, simulated 2 different ways:

## 1. Staff availability

- Will be simulated 20 thousand times through a normal distribution.

## 2. Monthly Hires

- Will be simulated 20 thousand times through a log-normal distribution.
- Seasonal hiring trends did not meet the assumption of consistent variance over time that is required of a poisson distribution. It has been my experience that hiring tends to have a positive skew to it as well, making log-normal an acceptable choice for the simulation.

```
##--Simulation of Parameters
set.seed(2025)

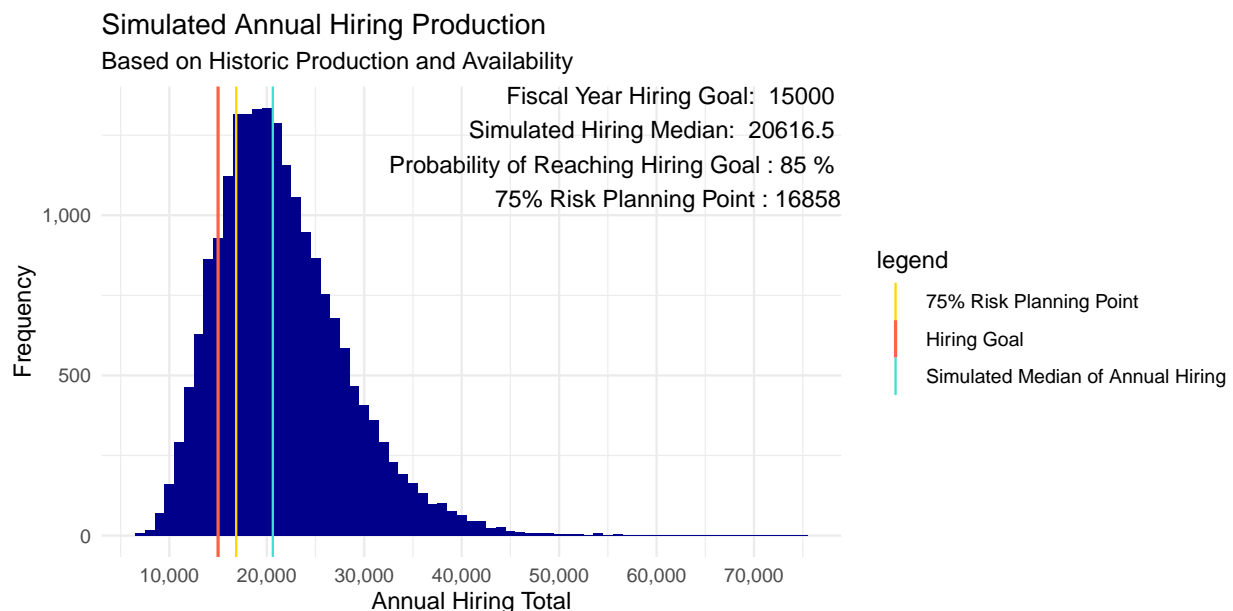
simulated_staff_availability <- rnorm(20000, average_staff_availability, stdv_staff_availability)

simulated_staff_available <- round(total_staff * simulated_staff_availability,0)

##-logistic adjustment
mu<- log(average_monthly_hiring ^2 /
        sqrt(stdv_monthly_hiring ^2 + average_monthly_hiring^2))
sigma <- sqrt(log(1+(stdv_monthly_hiring^2 / average_monthly_hiring^2)))

simulated_productivity <- rlnorm(20000,mu,sigma)
simulated_annual_hires <- round(12*simulated_staff_available * simulated_productivity,0)
```

```
## Warning: Using 'size' aesthetic for lines was deprecated in ggplot2 3.4.0.
## i Please use 'linewidth' instead.
## This warning is displayed once every 8 hours.
## Call 'lifecycle::last_lifecycle_warnings()' to see where this warning was
## generated.
```

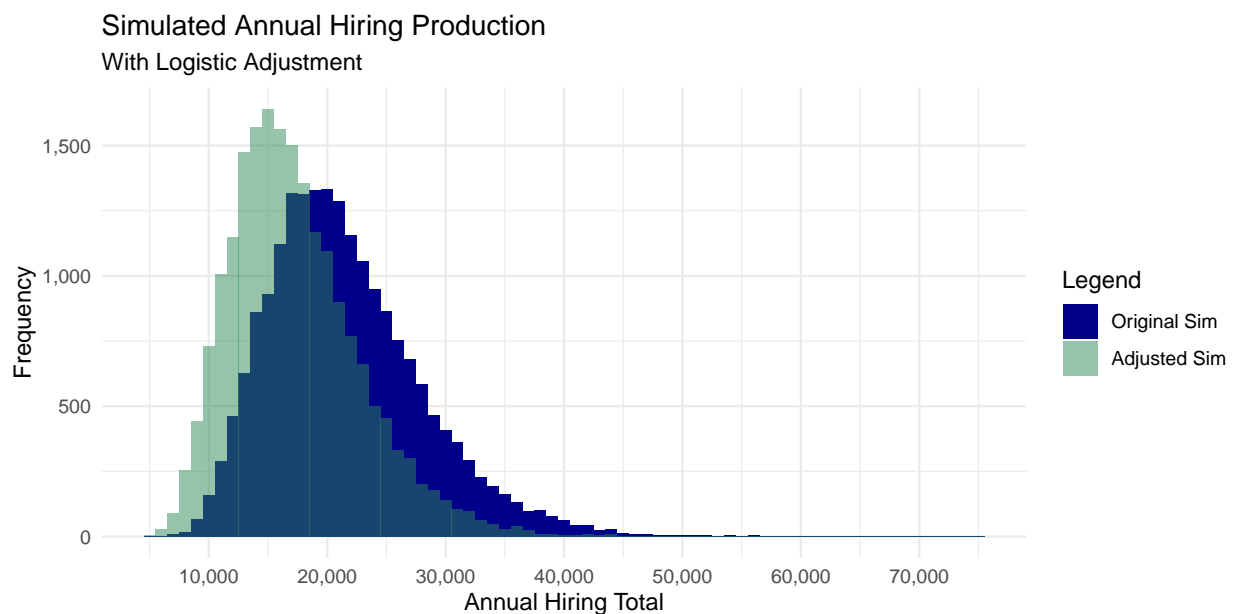


```
## Logistic Adjustment to Annual Hiring Production
```

Hiring production is also not also a linear trend. As staff become less available or the workforce size reduces, existing staffers will likely take on additional work or face increases processing times within the hiring actions, resulting is less completed hiring actions. If these trends were to reverse and availability increases and or the workforce size increases, productivity can only increase but so much. To account for this, a logistic adjustment will be applied to the hiring totals, allowing for the process to be more representative of its natural occurrence. Before employing a logistic adjustment, it is best to find the model that is most representative of the current process (not necessarily the one listed in this code).

As seen in the overlapping simulation plots, with the logistic adjustment applied, a steeper histogram occurs, suggesting a higher concentration of simulated events with less variation amongst them.

```
threshold <- .7
alpha <- 6
adjustment <- 1/(1+exp(-alpha * (simulated_staff_availability - threshold)))
simulated_df$adjusted_hires <- round(adjustment * total_staff * simulated_productivity * 12 ,0)
```



## Simulating Multiple Headcount Scenarios

To simulate the productivity of varying department sizes, multiple headcounts have been simulated at 5% reduction intervals with their median measure listed.

```
headcount_factor <- seq(.5,1, by = .05)
headcount_threshold_results <- data.frame()

for(factor in headcount_factor){
  set.seed(2038)
  simulated_productivity <- rlnorm(20000,mu,sigma)
  simulated_monthly_hires <- round(simulated_staff_available * simulated_productivity,0)
  workforce_size <- round(total_staff * factor,0)
  avail_staff_total <- round(workforce_size * adjustment,0)

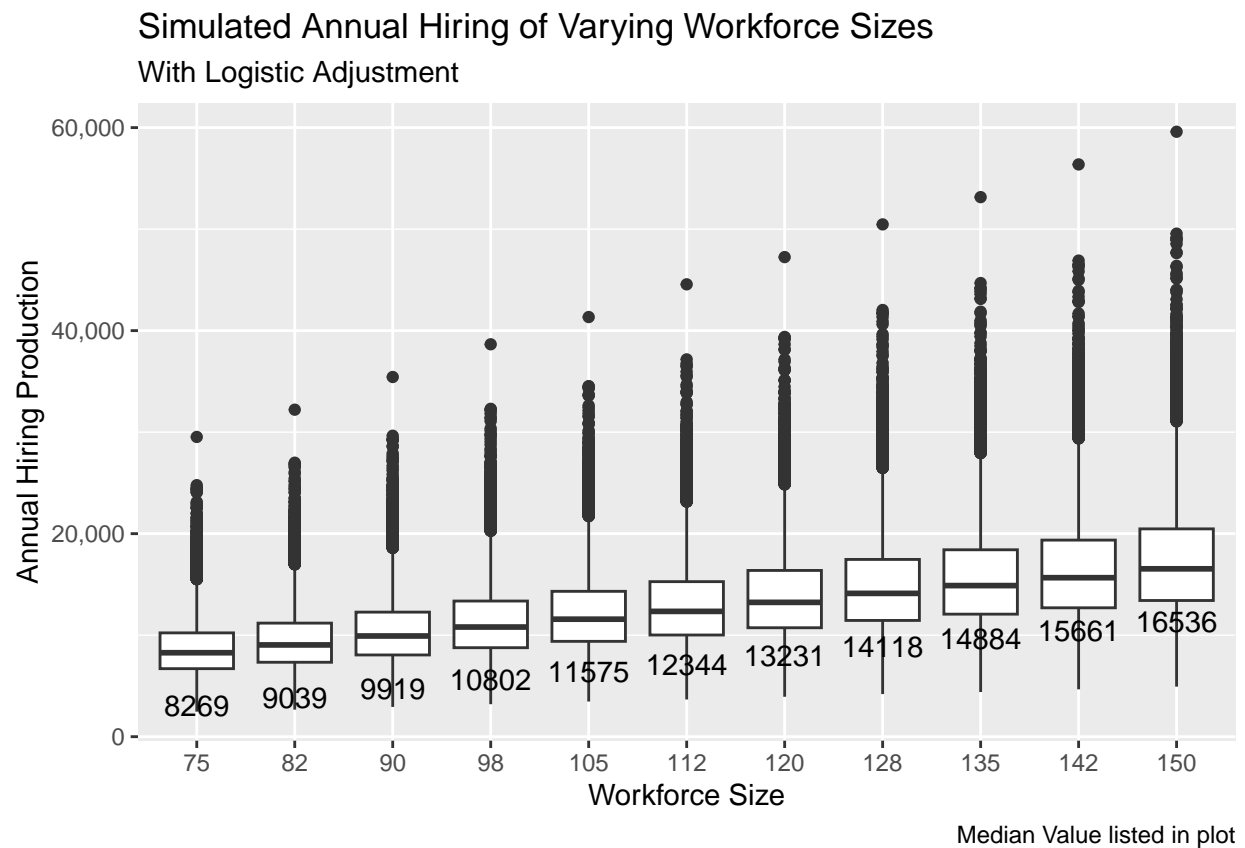
  adjusted_annual_hires <- round(12 * avail_staff_total * simulated_productivity,0)
```

```

temp_df <- data.frame(avail_staff_total, adjusted_annual_hires, workforce_size, simulated_productivity)
headcount_threshold_results <- rbind(headcount_threshold_results, temp_df)
}

ggplot(headcount_threshold_results,
       aes(as.factor(workforce_size), adjusted_annual_hires, group = workforce_size)) +
  geom_boxplot() +
  labs(
    title = 'Simulated Annual Hiring of Varying Workforce Sizes',
    subtitle = 'With Logistic Adjustment',
    x = 'Workforce Size',
    y = 'Annual Hiring Production',
    caption = 'Median Value listed in plot'
  ) +
  scale_y_continuous(labels = label_comma()) +
  stat_summary(fun = median, aes(label = round(after_stat(y))), geom = 'text', vjust = 3)

```



## GLS Model for Optimization

With the simulations of multiple headcounts set into a dataframe, a GLS regression is conducted to generate coefficients which can then be formatted to an optimization table in Excel, allowing for business leaders to have the power to visualize the relationship between staffing size and availability of staff in a less-technical, more familiar, format.

A GLS regression was chosen due to heteroskedasticity present in an OLS model. Applying weights in the

GLS model adjusted for the difference in variance and centering the dependent variable values removed the multi-collinearity exhibited in the initial GLS model.

From the output: \* Staff Availability has a larger effect on annual hiring than workforce size \* a .0091 variance estimate illustrates that variability increases slightly as the workforce size moves further from the mean value \* There is a roughly 3800 hires deviation in the predictions from the model

```
## Generalized least squares fit by REML
## Model: adjusted_annual_hires ~ workforce_size_centered + staff_avail_centered
## Data: headcount_threshold_results
##      AIC      BIC    logLik
## 4253549 4253601 -2126770
##
## Variance function:
## Structure: Exponential of variance covariate
## Formula: ~(workforce_size - mean_wf_size)
## Parameter estimates:
##      expon
## 0.009154645
##
## Coefficients:
##              Value Std.Error   t-value p-value
## (Intercept)    13008.102   8.50471  1529.5176     0
## workforce_size_centered    115.673   0.34611   334.2059     0
## staff_avail_centered    18484.792  114.80518   161.0101     0
##
## Correlation:
##              (Intr) wrkf__
## workforce_size_centered 0.405
## staff_avail_centered    0.000 0.000
##
## Standardized residuals:
##      Min      Q1      Med      Q3      Max
## -2.6888274 -0.7045530 -0.1379322  0.5536504  7.8278818
##
## Residual standard error: 3820.9
## Degrees of freedom: 220000 total; 219997 residual
```