

Amplifier

converts weak signals to strong signals

Operational Amplifier

OA is a directly coupled very high gain amplifier which contains more differential amplifier.

Range of O.A = 0 Hz to 1 MHz

$$A = 10^5 \text{ to } 10^6$$

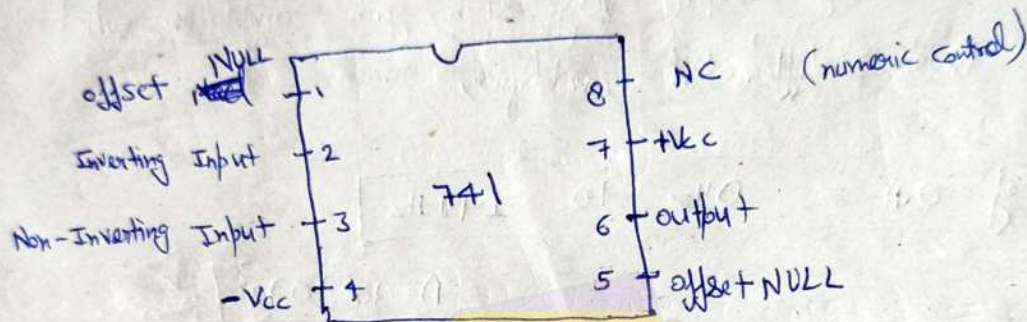
* Different stages -



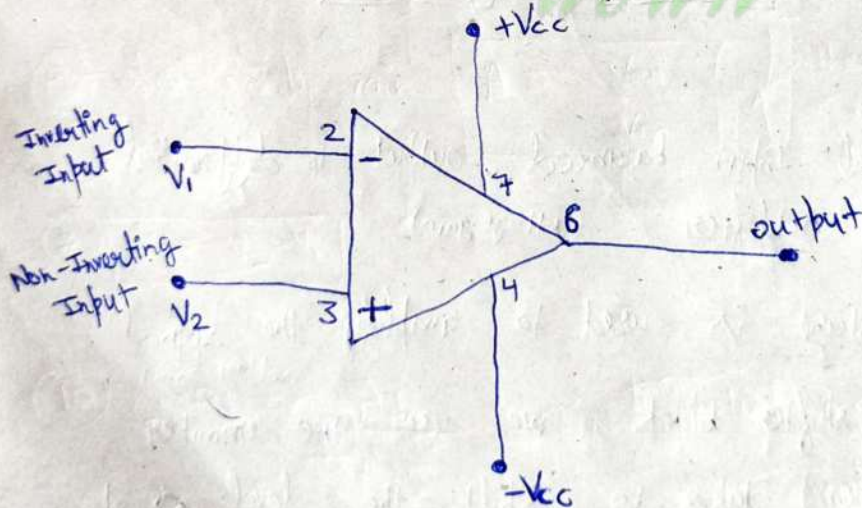
- ① Stage 1: Dual Input balanced, output is differential amplifier (voltage gain)
- ② Intermediate stage is used to amplify the signal (voltage gain)
- ③ In level shifter block, we use the emitter (cc-configuration) takes to shift the level of input signal (dc)
- ④ output stage provides output (by provide low output impedance)

★ DIP = Dual in line package

LM 741 IC (8 pins) (Linear Monolithic.)



Symbolic representation of LM 741 IC

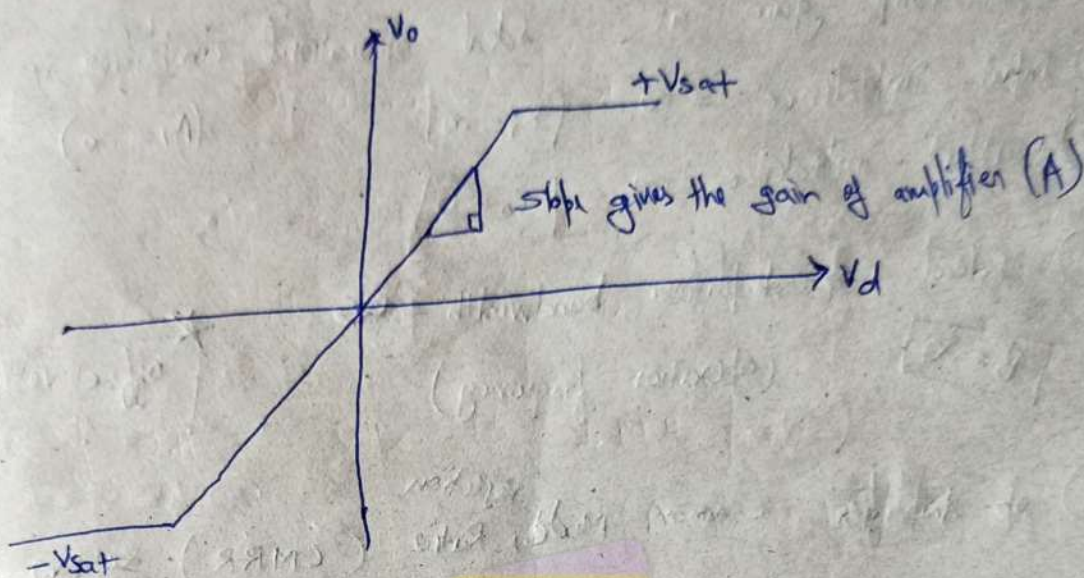


2 inputs
1 output

+ = Non inverting
- = inverting

$$V_{id} = V_2 - V_1$$

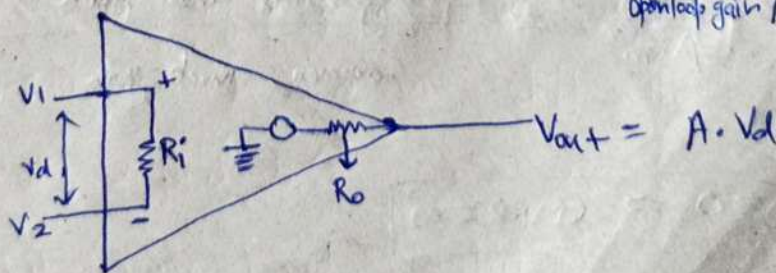
characteristics of operational Amplifier -



Applications of op-Amp

- ① Active filters
- ② Oscillators
- ③ Waveform Converter
- ④ ADC and DAC
- ⑤ Adder, subtractor, multiplier etc
- ⑥ Integration
- ⑦ Differentiation

op-Amp equivalent circuit -



$R_i = \infty$
 $R_o = 0$
 openloop gain / B.W. $= \infty$
 $A = \infty$

★ Ideal characteristics of operational amplifier -

① open loop gain at Ideal operational amplifier is infinite

② Input impedance = ∞ $R_i = \infty$ $(A_v = \infty)$

③ output impedance = 0 $R_o = 0$

④ Ideal op-Amplifier bandwidth = ∞
 $B = \infty$ (operation frequency)

★ $\text{off set voltage} = 0$

⑤ op-Amplifier Common Mode ^{Rejection} Ratio (CMRR) = ∞

⑥ Ideal Amplifier should have ~~very~~ ∞ slew rate (∞)

⑦ Ideal op-Amplifier should ^{not} have a output voltage with zero input voltage. $\text{off set } v = 0$

⑧ open loop gain $A = \frac{V_{out}}{V_{in}}$ $\left\{ \begin{array}{l} \text{there is not} \\ \text{connected} \\ \text{closed loop} \end{array} \right\}$

⑨ $V_{id} = V_2 - V_1$

⑩ $CMRR = \frac{A_{dm}}{A_{cm}} = \frac{\text{differential mode gain}}{\text{Common mode gain}}$

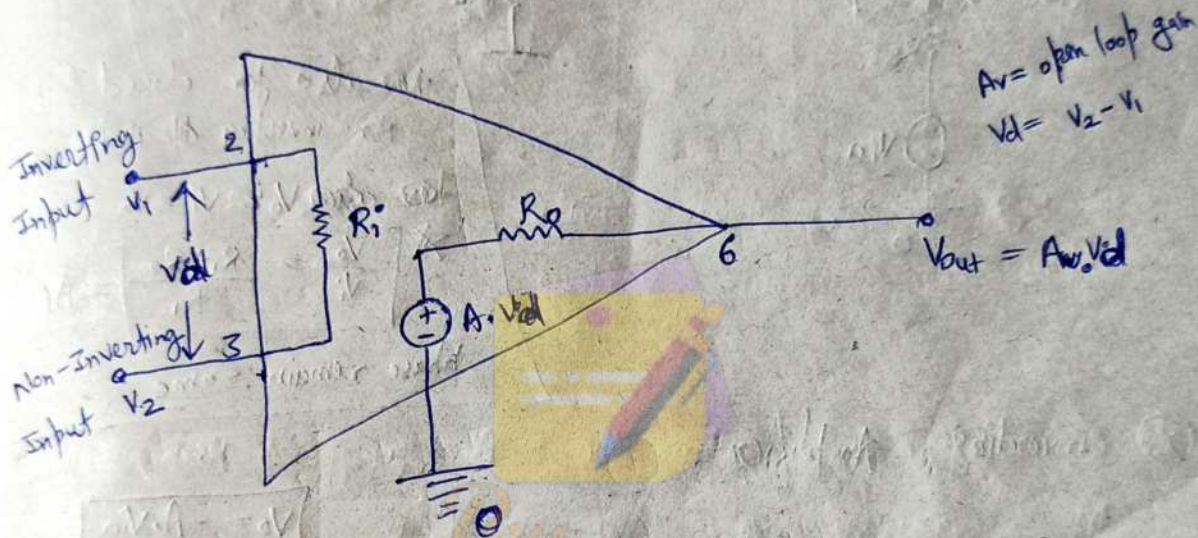
$A_{cm} = 0 \Rightarrow CMRR = \infty$

for ideal
⑪ Power supply rejection Ratio (PSRR) = 0

Static Rate It is defined as a ^{main} rate of change of output ~~with~~ ~~input~~ with time $s = \frac{dV_o}{dt} \text{ max}$

for ideal $s = \infty$

Equivalent ckt of op-Amp -



There are 3 types of Amplifier mode -

① Non-Inverting Amplifier

$$V_o = \left(1 + \frac{R_f}{R_i}\right) V_{in}$$

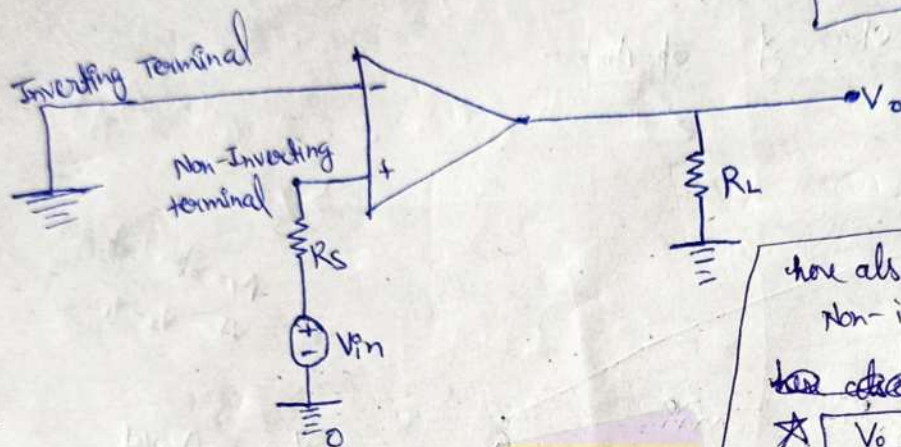
② Inverting Amplifier

$$V_o = -\frac{R_f}{R_i} V_{in}$$

③ Operational Amplifier mode

→ Inverting
→ Non-inverting
→ differential

① Non-Inverting Amplifier



$$V_o = A \cdot V_{in}$$

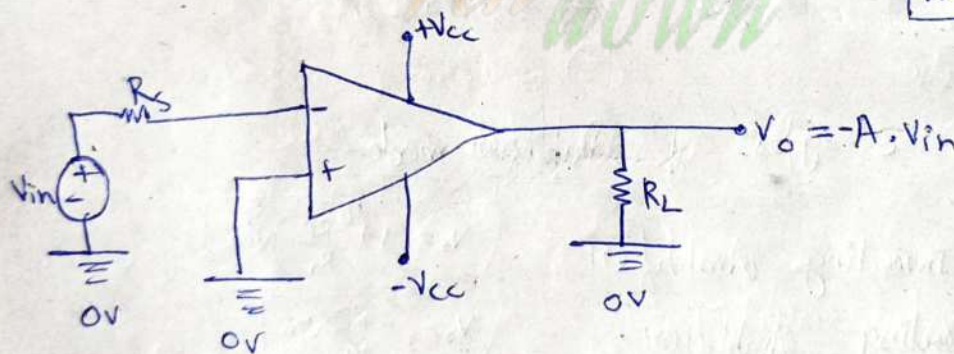
also for closed loop
non-inverting op-amp

$$V_o = V_i = V_x$$

$$\star \frac{V_o}{V_i} = \frac{R_1 + R_2}{R_1} = A_f$$

phase remain same

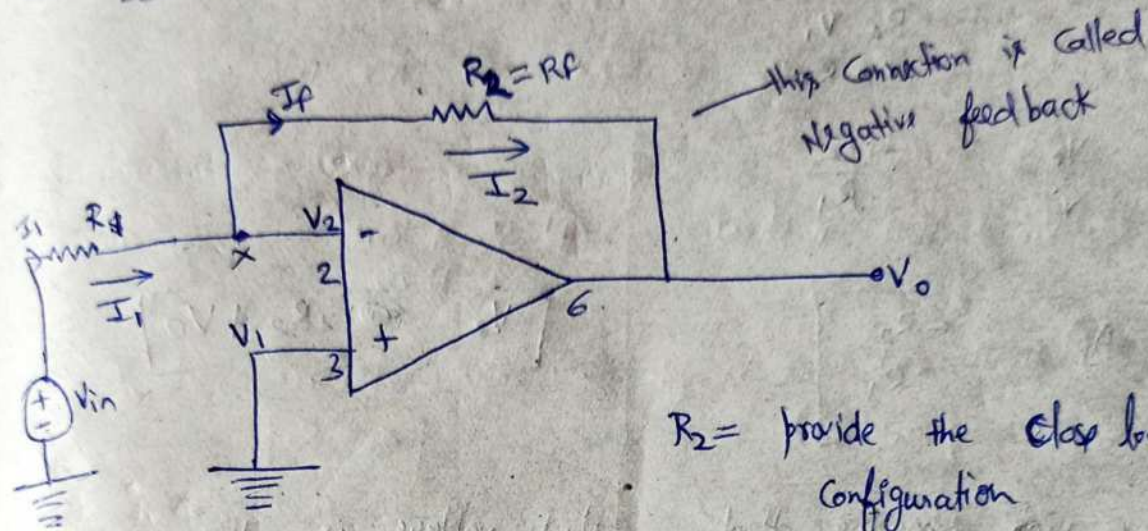
② Inverting Amplifier



$$V_o = -A \cdot V_{in}$$

③ open loop amplifier

II close loop Amplifier (~~Not~~ Inverting)



R_2 = provide the close loop configuration

$$A = \frac{V_o}{V_{id}} = \frac{V_o}{V_1 - V_2} = \frac{V_{in} - 0}{R_1} = \frac{V_o - V_{out}}{R_2}$$

(full for gain)

$$\frac{V_{out}}{V_{in}} = A_{CL} = -\frac{R_2}{R_1} = -\frac{R_F}{R_1}$$

In case of open loop A is ∞ (virtual)

The term Virtual is use to represent that

★ what is the voltage at non-inverting terminal
 (Ans) Same ^{voltage} at the inverting terminal (~~Not~~)

$$★ I_1 = \frac{V_i}{R_1}, \quad I_2 = \frac{V_i}{R_2}, \quad V_o = -R_2 I_2$$

here we are assum $I_1 = I_2$, because input as inverting terminals, the output voltage is -ve

$$V_o = -R_2 I_2$$

$$= -R_2 \frac{V_i}{R_1}$$

$$\frac{V_o}{V_i} = \frac{-R_2}{R_1}$$

$$A_f = \frac{-R_2}{R_1}$$

$$V_2 = i_2 R_2 + V_o$$

-ve sign showing that output voltage is 180° out of phase than input voltage.

hence we can control the A (gain of op-Amp) by varying value of R_2 & R_1 .

basic of op-Amp

for ideal op-Amp

Parameter	ideal values	Practical values for 741
① Input Impedance (R_i)	∞	2 M Ω (in M Ω)
② output Impedance (R_o)	0	75 Ω (in Ω)
③ open loop gain (A_v)	∞	10^5 (circled)
④ offset voltage	0	1mV
⑤ slew rate	∞	0.5V/ μ s
⑥ CMRR	∞	70-90db

★ Negative feedback: To operate op-Amp in linear region negative feedback is used in closed loop op-Amp.

★ virtual short: in close loop Amplifier, the $V^+ - V^- \approx 0V$ that is they seems to be as shorted called as virtual short. (they are virtually shorted)

Advantages of Non-Inverting over Inverting op-Amp :-

~~① V_{out} & V_{in} are in phase in Non-Inverting~~

Non-Inverting

① V_{in} & V_{out} in phase

② Input Impedance is high

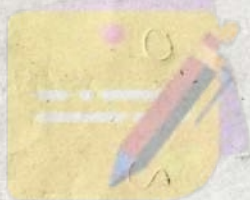
$$Z_i = (\infty)$$

Inverting

① V_{in} & V_{out} are 180° apart in phase

② Input impedance depend on R_i

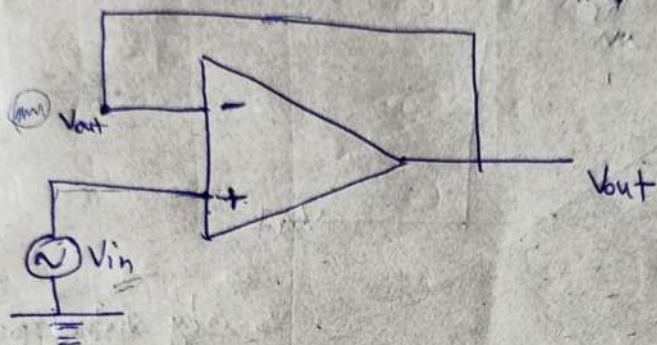
$$Z_i = R_i$$



Pen down

Op-Amp as a Buffer

In Non-Inverting op-Amp if $R_1 = \infty$
& $R_2 = 0$
then



because of feedback $V^- = V^+$ (virtual short)

$$V_{out} = V_{in}$$

Characteristic!

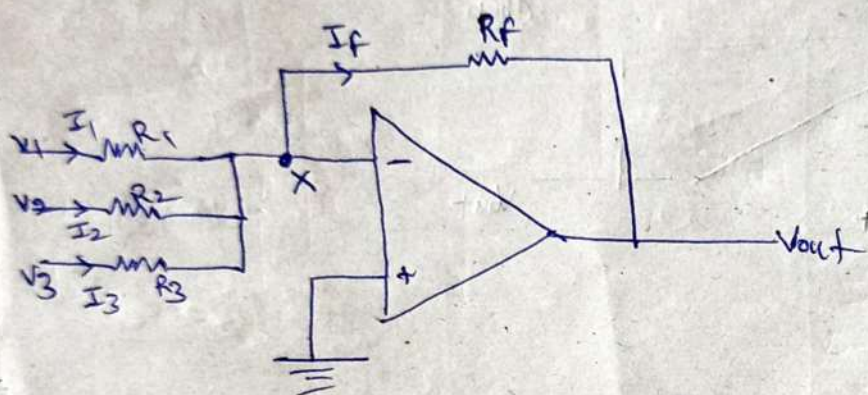
$$Z_{in} = \infty$$
$$V_{out} = V_{in}$$

Features

- ① $A_d = 1$
- ② High bandwidth
- ③ High input impedance

op-Amp as Summing Amplifier - (Adder)

① Inverting Summing Amplifier -



by virtual ground
 $V_x = 0V$

Applying KCL at X

$$I_1 + I_2 + I_3 = I_f$$

$$\frac{V_1 - 0}{R_1} + \frac{V_2 - 0}{R_2} + \frac{V_3 - 0}{R_3} = \frac{0 - V_{out}}{R_f}$$

$$V_{out} = - \left[\frac{R_f}{R_1} V_1 + \frac{R_f}{R_2} V_2 + \frac{R_f}{R_3} V_3 \right]$$

for single R

$$V_{out} = - \frac{R}{R_1} V_{in}$$

for $R_1 = R_2 = R_3 = R$

$$V_{out} = - \frac{R_f}{R} [V_1 + V_2 + V_3]$$

(a) To use as adder

$$R_F = R$$

$$V_{out} = - [V_1 + V_2 + V_3]$$

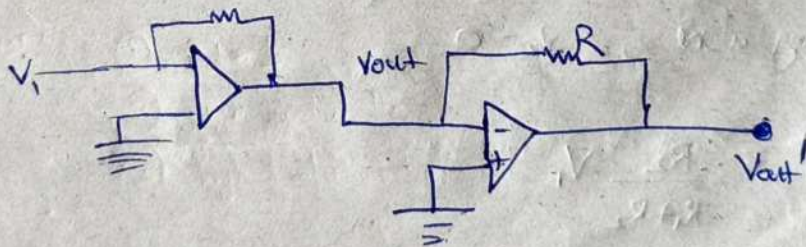
(b) use as averager.

$$R_1 = R_2 = R_3 = R$$

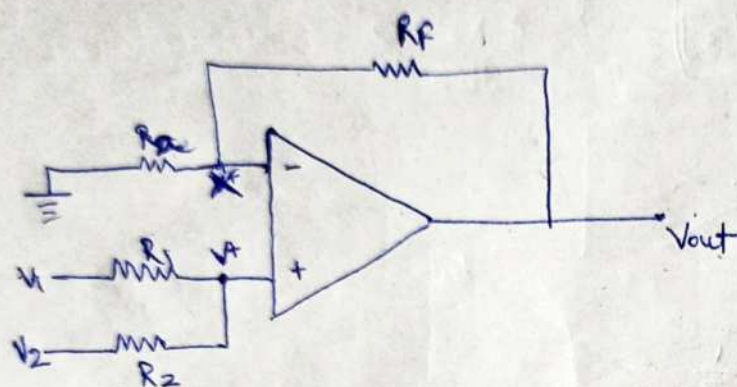
$$\frac{R_F}{R} = \frac{1}{n} = \frac{1}{3}$$

$$V_{out} = - \left[\frac{V_1 + V_2 + V_3}{3} \right]$$

Note: by using one more inverting op-Amp we can get the output.



② Non-Inverting Summing Amplifier



$$V_x = V^+ \quad \text{by virtual short}$$

$$I_a = I_f$$

$$\frac{V_x - 0}{R_a} = \frac{V_{out} - V_x}{R_f}$$

$$V_{out} = \frac{R_f}{R_a} V_x + V_x$$

$$V_{out} = \left[1 + \frac{R_f}{R_a} \right] V^+$$

Now $V^+ = ?$

by Superposition theorem

Let V_1 acting alone, $V_2 = 0$

then

$$V_1^+ = \frac{R_2}{R_1 + R_2} V_1$$

$$V_2^+ = \frac{R_1}{R_1 + R_2} V_2$$

$$V^+ = V_1^+ + V_2^+ = \frac{R_2 V_1 + R_1 V_2}{R_1 + R_2}$$

$$V_{out} = \left[1 + \frac{R_f}{R_a} \right] \left[\frac{R_2 V_1 + R_1 V_2}{R_1 + R_2} \right]$$

Now

$$\text{Let } R_1 = R_2 = R$$

$$V_{out} = \left[1 + \frac{R_f}{R_a} \right] \left[\frac{V_1 + V_2}{2} \right]$$

② Adder -

$$\text{Let } R_f = R_a$$

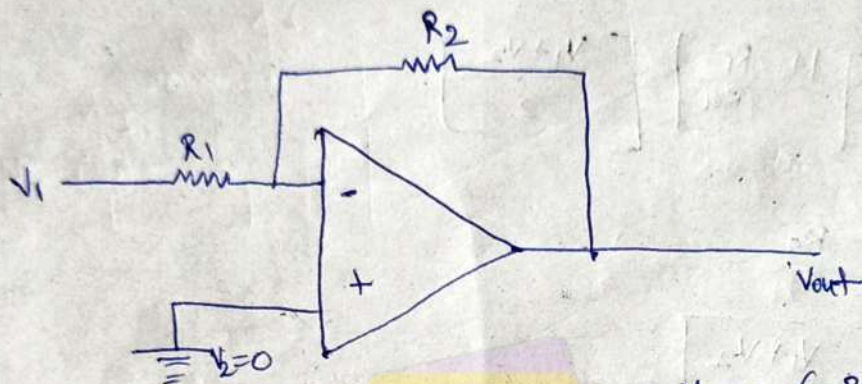
$$V_{out} = V_1 + V_2$$



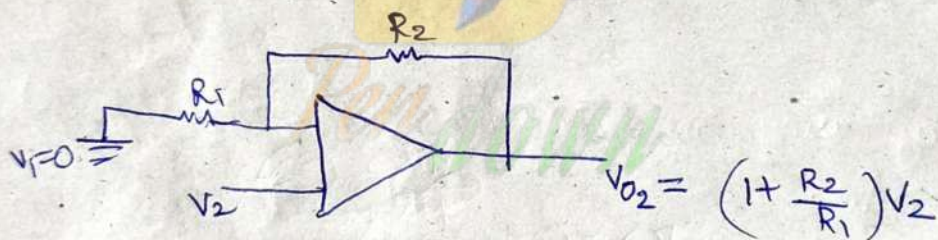
Pen down

op-Amp as Differential Amplifier / Subtractor -

① Inverting Config -



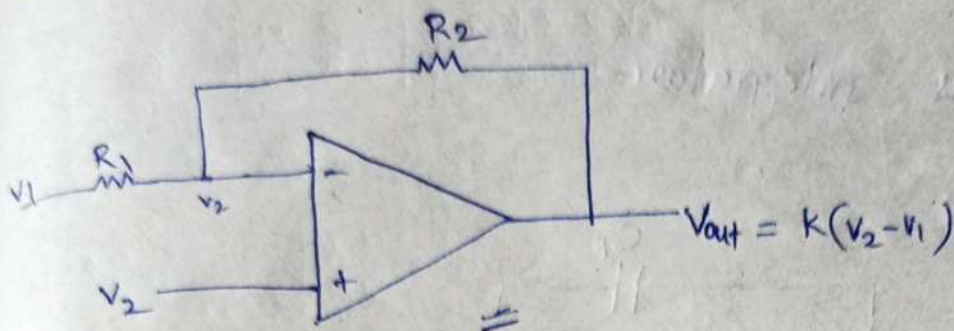
$$V_{O1} = \left(-\frac{R_2}{R_1} \right) V_1$$



$$V_{O2} = \left(1 + \frac{R_2}{R_1} \right) V_2$$

Now Let V_1 & V_2 acting simultaneously then output voltage

$$V_{out} = V_{O1} + V_{O2} = -\frac{R_2}{R_1} V_1 + \left(1 + \frac{R_2}{R_1} \right) V_2$$



$$K = \frac{R_2}{R_1}$$

Let

$$\cancel{V_2} \frac{R_2}{R_1} = \cancel{R_2}$$

$$\text{Let } V_2^+ = \left(\frac{R_2}{R_1 + R_2} \right) V_2$$

$$\cancel{V_2 - V_1} \frac{R_2}{R_1}$$

$$\frac{V_1 - V_2}{R_1} = \frac{V_2 - V_0}{R_2}$$

$$\cancel{V_2} \frac{R_2}{R_1} - V_2 \frac{R_2}{R_1} = \cancel{V_2} \frac{R_2}{R_1} - V_0 \frac{R_2}{R_1}$$

$$V_0 = \frac{(V_1 - V_2) R_2}{R_1}$$

So

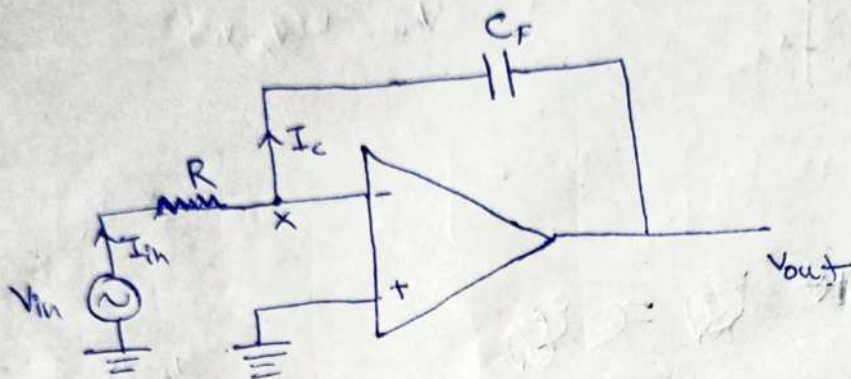
$$V_{out} = -\frac{R_2}{R_1} V_1 + \left(\frac{\cancel{R_1} + R_2}{R_1} \right) \left[\frac{R_2}{\cancel{R_1} + R_2} V_2 \right]$$

$$V_{out} = \frac{R_2}{R_1} [V_2 - V_1]$$

Subtraction

*Application of Differential amplifier = in sensors

Op-Amp as Integrator:-



$X = \text{virtual ground}$ so $I_{in} = I_c$

$$\frac{V_{in} - 0}{R} = I_c$$

Now

$$I_c = C \frac{dV_c}{dt}$$

$$Q = CV$$

$$i_c = C \frac{dV_c}{dt}$$

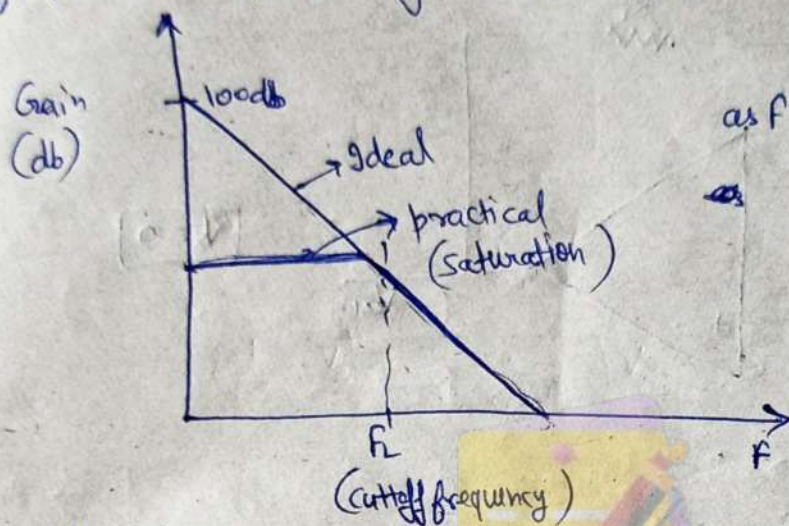
$$\frac{V_{in}}{R} = C \frac{dV_c}{dt} = C \frac{d}{dt} [0 - V_{out}]$$

$$\frac{dV_{out}}{dt} = \frac{-1}{RC} V_{in}$$

$$V_{out}(t) = \frac{-1}{RC} \int V_{in}(t) dt$$

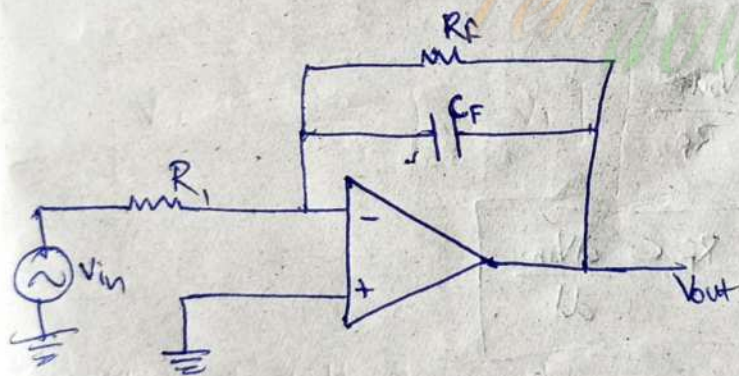
Input → output
 straight line → inclined line
 sine wave → cosine wave
 square → Triangular

* frequency response of ideal integrator



Practically!

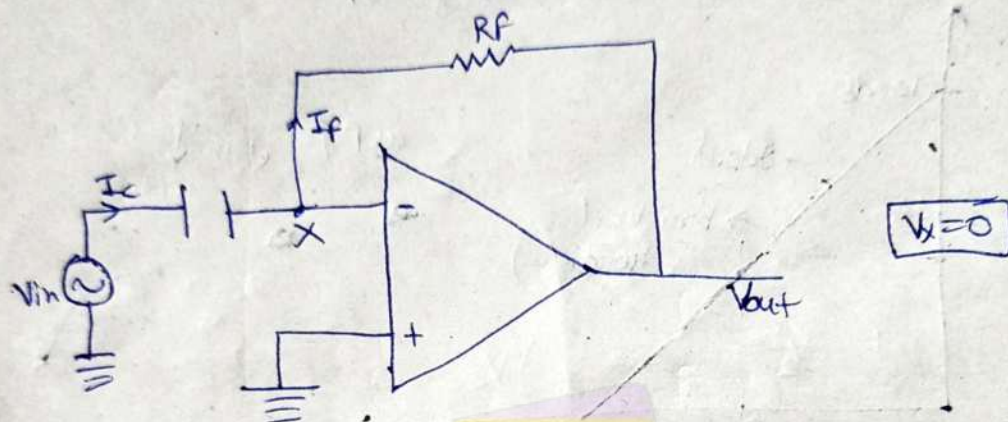
To avoid saturation a R_f is added & ckt is -



$$A_v = -\frac{R_f}{R_i}$$

op-Amp as Differentiator -

$$V_{out} = \frac{dV_{in}}{dt}$$



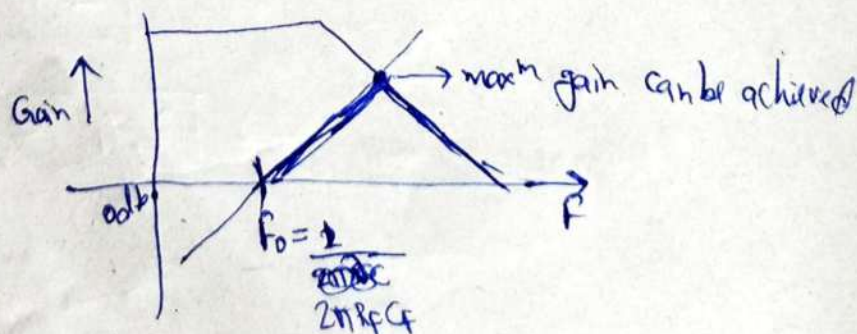
$$I_c = I_f$$

$$C \frac{dV_c}{dt} = \frac{0 - V_{out}}{R_F}$$

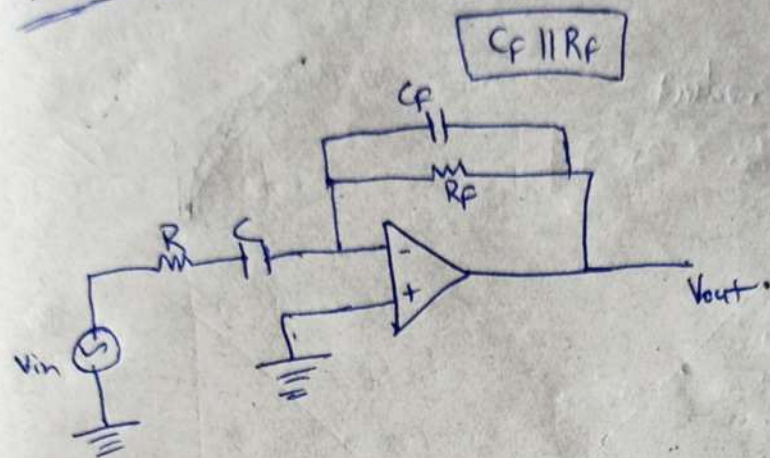
$$C \frac{dV_{in}}{dt} = \frac{-V_{out}}{R_F}$$

$$V_{out} = -R_F C \frac{dV_{in}}{dt}$$

★ gain characteristics



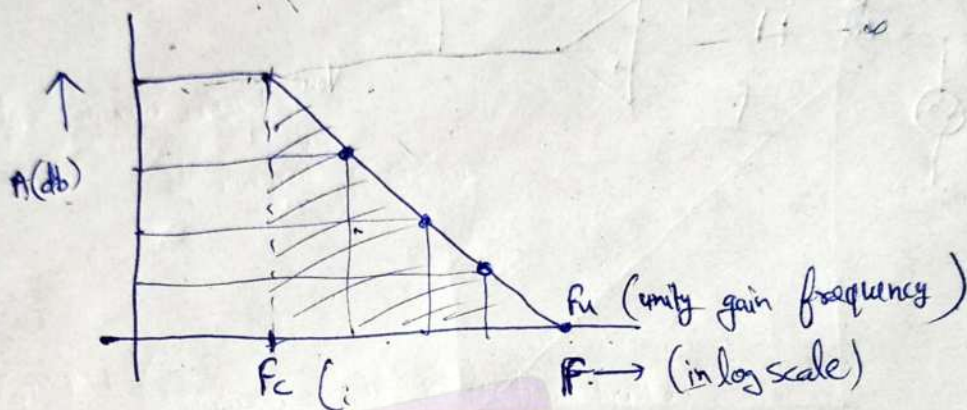
To avoid error - gain capacitance \parallel ed to R_f



Pen & Paper

definitions

① Gain bandwidth Product -



Cutoff frequency \rightarrow The frequency at which gain of op-Amp starts reducing.

In shaded region the product of gain & freq. remains constant at ~~every~~ every point so called as Gain bandwidth product of op-Amp.

$$\star \boxed{F_u = 10^6 \text{ Hz}}$$

$$\star \boxed{F_c = \frac{F_u}{A_{CL}}}$$

$$\star \boxed{A_{CL} = A \cdot F} \quad (\text{cutoff bandwidth product})$$

or

$$\boxed{F_u = 1 \text{ MHz}}$$

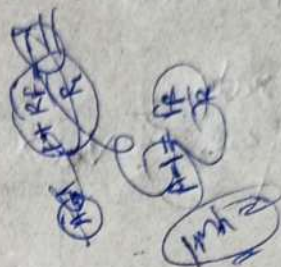
$$\boxed{A \cdot F_c = 1}$$

① for Non-Inverting op-Amp -

$$F_u = A_{CL} \times F_{CL}$$

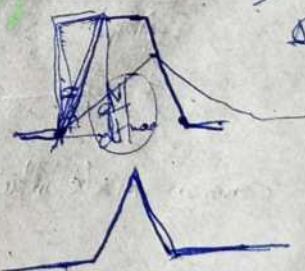
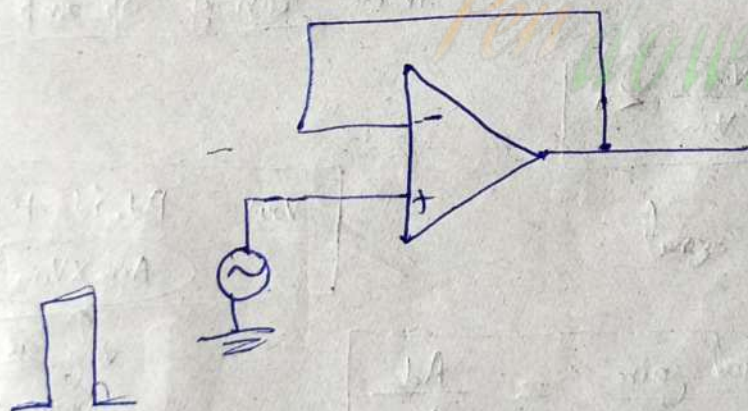
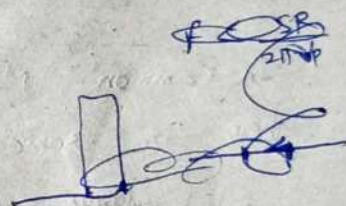
② for Inverting -

$$F_u = (A_{CL} - 1) \times F_{CL}$$



② Slew Rate - The max^m rate at which output of the op-amp can change.

$$\text{unit} = \text{V/ms}$$



Reason of slew rate - Internal compensation capacitor

$$i_c = C \frac{dV_c}{dt}$$

$$\text{slew rate} = \frac{dV_c}{dt} = \frac{i_c}{C}$$

① for sine waves
slew rate

$$\star \star \boxed{SR = V_o \times 2\pi}$$

slew rate determines
the highest frequency of the
op-amp without distortion

② ~~for square wave~~
~~do normal~~

③ CMMR (Common mode Rejection Ratio) -

In Common Mode configuration, ideally $V_{out} = 0$ but there is some amount of voltage which is less than input voltage called as Common mode gain of op-amp

$$\boxed{A_{cm} = \frac{V_{ocm}}{V_{cm}} < 1}$$

V_{cm} = common mode input signal

$$\boxed{V_{out} = A_d \cdot i_d + A_{cm} \cdot V_{cm}}$$

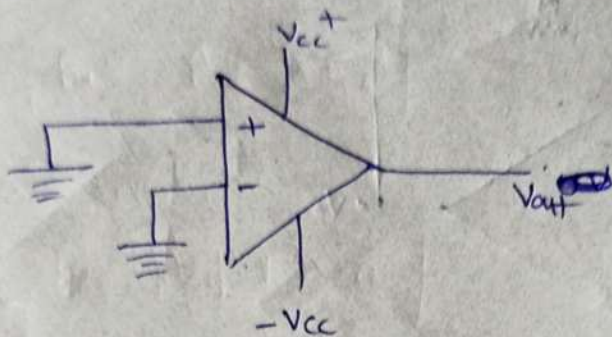
very less
Common mode
gain

$$\boxed{CMMR = \frac{\text{differential gain}}{\text{Common gain}} = \frac{A_d}{A_{cm}}}$$

OR

$$\boxed{CMMR = 20 \log_{10} \left(\frac{A_d}{A_{cm}} \right) \text{ dB}}$$

④ Input offset voltage -



When both terminals of op-Amp are at zero volt
for ideal op-Amp $V_{out} = 0$ V

but actually we found some finite voltage at output
because of slightly mismatch b/w biasing voltage of
each terminal (V_d comes in play)

Called as offset voltage.

^{input}
★ offset voltage - The amount of voltage applied to
input terminals to get output voltage = 0

It gives about 10% error in output voltage

★ To reduce this error - ★ we use dc offset NULL

