

# Intro to Fairness + Bias in Classification

CREDIT TO

CS 294: Fairness in Machine Learning at Berkeley  
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<https://mrtz.org/nips17/#/>  
<https://vimeo.com/248490141>

# Background

- Pro-publica article about automated sentencing in 2016: <https://www.propublica.org/article/machine-bias-risk-assessments-in-criminal-sentencing>
  - More false positives related to black defendants.
- Since then, many conflicting analyses of bias in COMPAS
  - Northpointe: Classifications are calibrated and reflect training data: <https://www.documentcloud.org/documents/2998391-ProPublica-Commentary-Final-070616.html>
  - Neill et. al: Bias relates more strongly to female defendants without priors than black defendants: <https://arxiv.org/abs/1611.08292>

So ... huh?

# Bias in Classification

Bias in classifiers impacts:

- resource allocation (COMPAS is just one example)
- identity construction and associated opportunities (Latanya Sweeney, Joy Buolamwini) <https://www.radcliffe.harvard.edu/video/race-technology-and-algorithmic-bias-vision-justice>

NIPS 2017 Keynote on the topic:

[https://www.youtube.com/watch?v=fMym\\_BKWQzk](https://www.youtube.com/watch?v=fMym_BKWQzk)

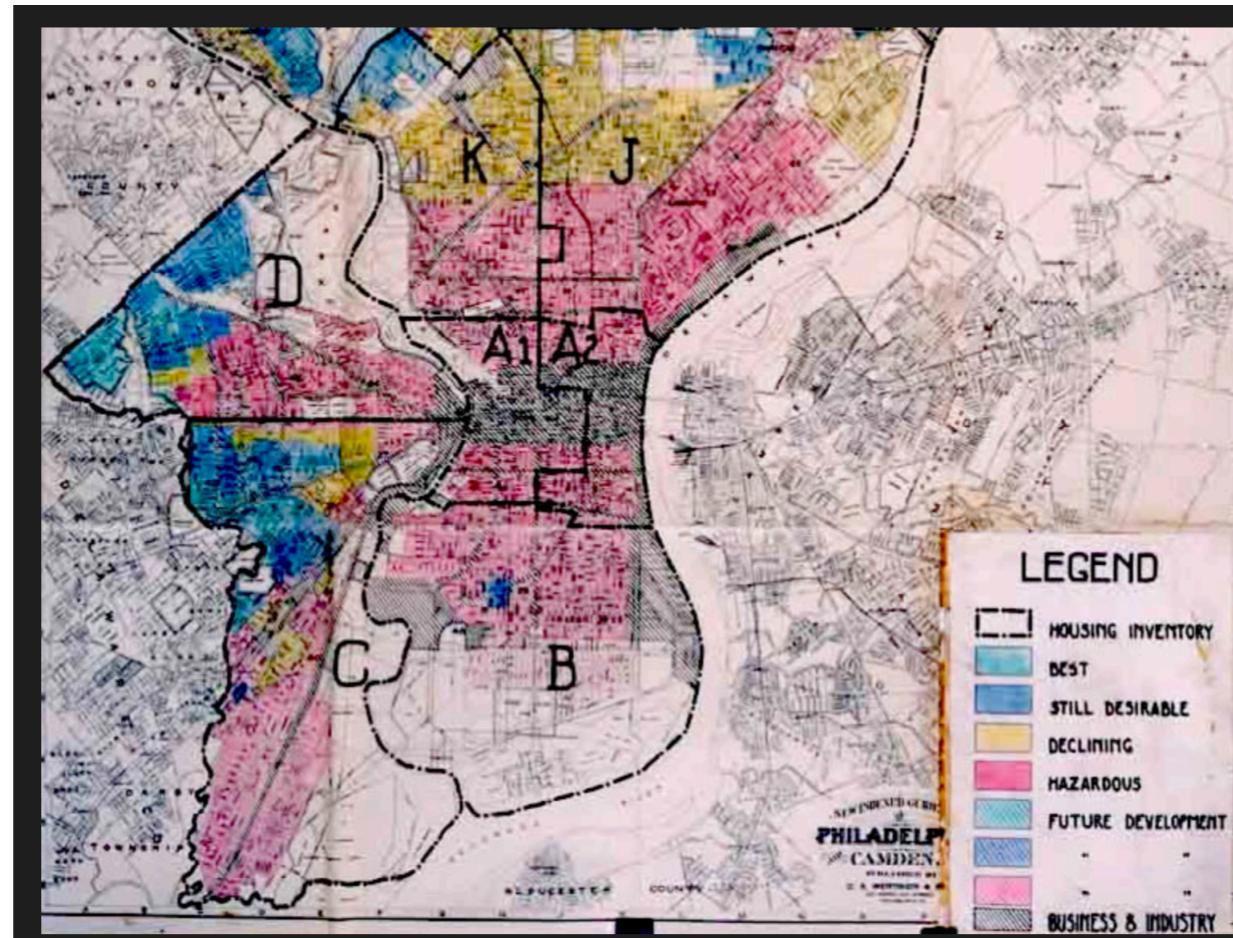
# Formal classification: pros and cons

Formalizing decision making can limit opportunities to exercise prejudicial discretion or fall victim to implicit bias

*"Automated underwriting increased approval rates for minority and low-income applicants by 30% while improving the overall accuracy of default predictions"*

[Gates, Perry, Zorn \(2002\)](#)

# Formal classification: pros and cons



But, of course, formal procedures can just as easily encode or reinforce bias. Example: Redlining

<https://en.wikipedia.org/wiki/Redlining>

# So what is a classifier?

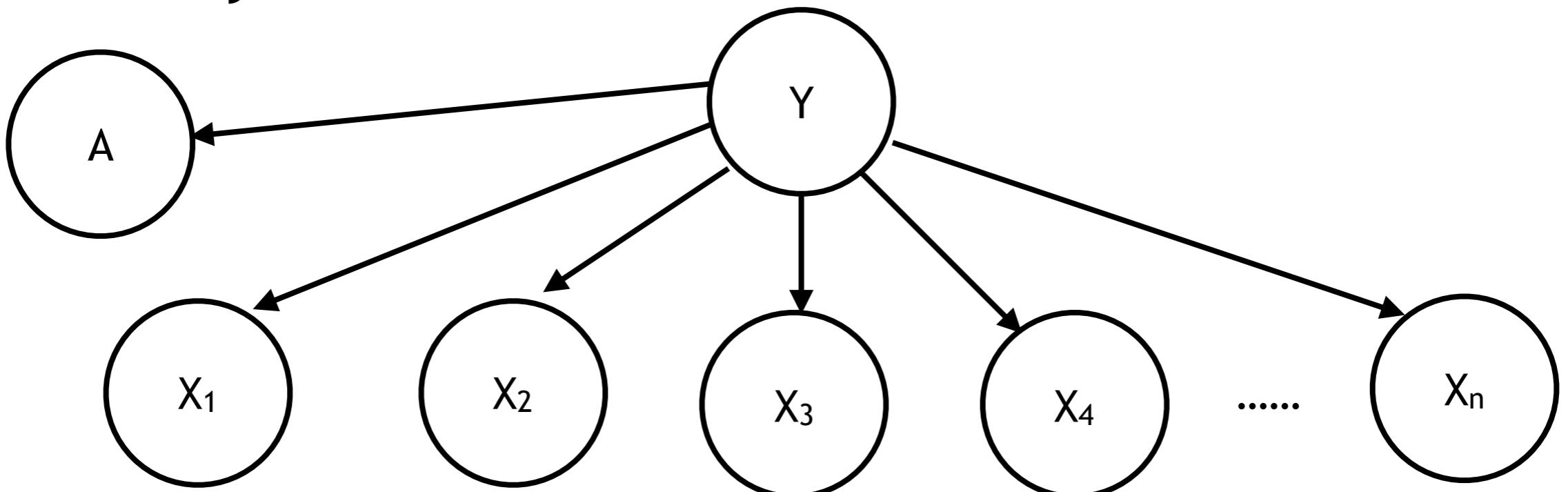
Assume a classifier relies on:

- X - features of an individual (browsing history etc.)
- A - features that include sensitive attributes (e.g. gender)
- Y - target variable or ‘label’ (what you want to predict)
- C - a function,  $C(X,A)$ , which returns a binary classification ( $Y'$ )
  - Note that  $Y'$  may be a threshold of a value ( $R(X,A)$ ) between 0 and 1

*A classifier will be trained on data where you know Y, i.e. data that is labelled. The classification function could be something based on regression, for example, or something else.*

# A familiar looking classifier

## Naive Bayes classifier



How can we use this structure to compute  $P(Y|X_1, X_2, X_3, \dots, X_n, A)$ ?

How might we use this to make a binary classification?

# Bias may start with your training data

***Skewed sample:*** Example is predictive policing, which relies on reported incidents of crime. But reported incidents are not necessarily accurate!

***Tainted examples:*** Labels in data might be unreliable. Performance reviews, for example, are forms of labels that already may be subject to bias.

***Limited features:*** Some features may work well to classify one group (e.g. men) but not others (e.g. women).

***Sample size disparity:*** If we have few examples from one group, we can't model the group accurately.

***Proxies:*** Many features are correlated with “sensitive” features (e.g. use of Pinterest as proxy for gender).

[B, Selbst \(2016\)](#)

# Adjusting for (coping with) bias

At the point of sampling

At the point of training

**After training**

# Example: Placing Ads for Software Engineers

- $X$  - features of an individual (e.g. browsing history)
- $A$  - sensitive attribute (e.g. gender)
- $C(X,A)$  binary predictor (show ad or not)
- $Y$  - target variable ("is a Software Engineer")

**Also:** We may also have a score function  $R=r(X,A) \in [0,1]$

This can be turned into (binary) predictor  $C$  by thresholding

e.g.

*Bayes optimal score* given by  $r(x,a) = \text{the expected value of } Y \text{ given } X=x, A=a$ .

How can we enforce a lack of “bias”?

**We can require:**

**Independence:** C independent of A

**Separation:** C independent of A, conditional  
on Y

**Sufficiency:** Y independent of A, conditional  
on C

# Independence

Means  $P(C|A) = P(C)$  is the same for all values that A can take on,  
so

C doesn't depend on A.

This is sometimes called *demographic parity* or *statistical parity*,

e.g. “70% of all applicants received a mortgage regardless of  
gender or race.”

# Is this good?

Ignores possible correlation between Y and A.

Also, permits laziness:

We can accept “qualified” in one group, “random people” in other

And, allows us to trade false negatives for false positives.

# Sufficiency

$Y$  independent of  $A$ , conditional on  $R$  (*which we can threshold to create C*)

Sufficiency implied by *calibration by group*:

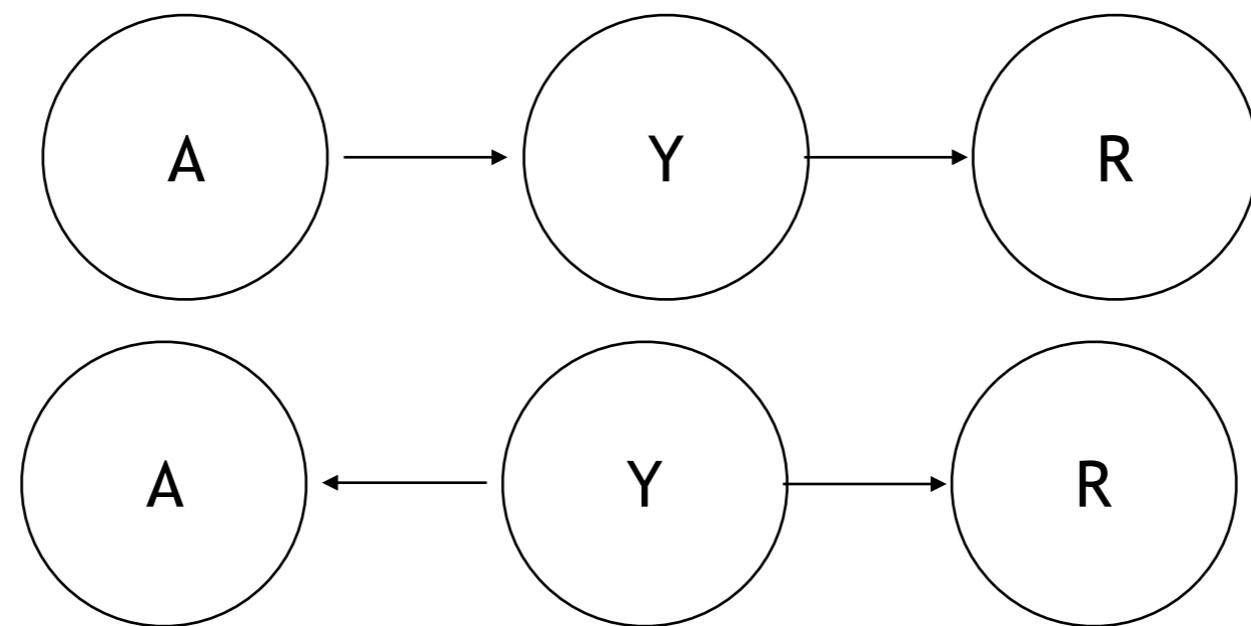
$$P(Y=1|R=r, A=a)=r$$

*Means if we have a risk score of 40%, there is a 40% chance that  $Y$  will be 1, on average.*

# Separation

Means C is independent of A, conditional on Y

So  $P(C|Y=y, A=a) = P(C|Y=y)$



# Separation

More specifically, call

False positives:  $P(C = 1|Y = 0, A)$ , True positives:  $P(C=1|Y=1,A)$

1. We get *equalized odds* if both false and true positives are equal across groups
2. We get *equalized opportunity* if just true positives are equal across groups

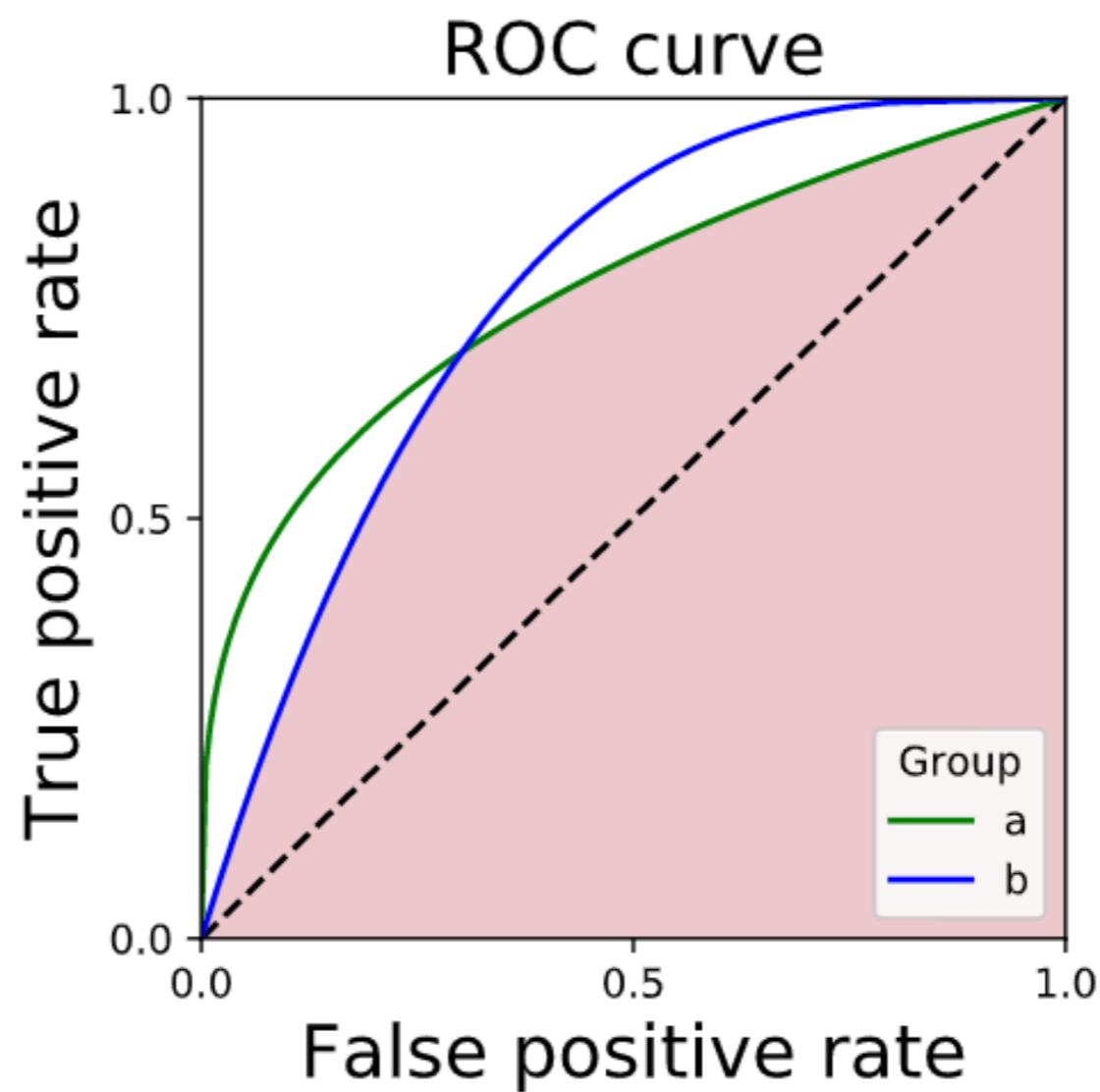
# Is this good?

Possibly, as it forces us to distribute errors across groups  
(we can't be lazy)

We can strive to achieve this by post-processing  
(i.e. by thresholding  $R$  in some way that may depend on  $A$ )

Or, we could try enforcing equal error distribution during  
data collection or when training (which is hard)

# Separation



<https://research.google.com/bigpicture/attacking-discrimination-in-ml/>

# Example: COMPAS data

**Do we have Demographic Parity?**

$$P(C=\text{High Risk} \mid \text{African-American}) = 0.28$$

$$P(C=\text{High Risk} \mid \text{White}) = 0.11$$

$$P(C=\text{High Risk}) = 0.21$$

.... no.

# Example: COMPAS data

## Do we have Sufficiency?

$$P(\text{Re-offender} | C=\text{High}, A=\text{White}) = P(\text{Re-offender} | C=\text{High}, A=\text{African-American}) = 0.7$$

$$P(\text{Re-offender} | C=\text{Medium}, A=\text{White}) = P(\text{Re-offender} | C=\text{Medium}, A=\text{African-American}) = 0.5$$

$$P(\text{Re-offender} | C=\text{Low}, A=\text{White}) = P(\text{Re-offender} | C=\text{Low}, A=\text{African-American}) = \sim 0.3$$

.... more or less.

# Example: COMPAS data

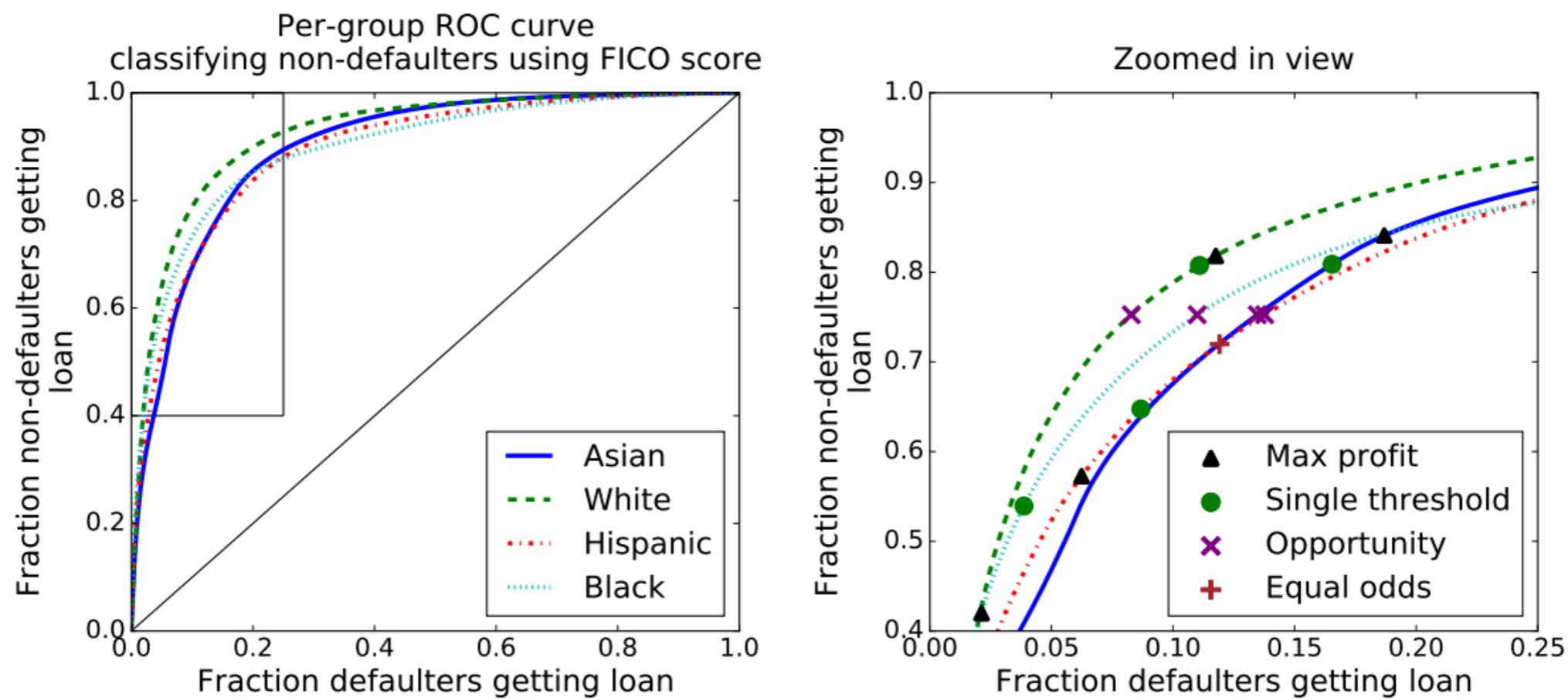
**Do we have Separation?**

$$P(C=High|No\ Re-offence, A=White) = 0.05$$

$$P(C=High|No\ Re-offence, A=African-American) = 0.16$$

.... no, not equalized odds.

# Example: FICO scores



**Max profit** picks a threshold for each group the threshold that maximizes profit.

**Race blind (single threshold)** requires the threshold to be the same for each group.

**Equal opportunity** picks a threshold such that the fraction of non-defaulting group members that qualify for loans is the same.

**Equalized odds** requires the fraction of non-defaulters that qualify and the fraction of defaulters that qualify to be constant across groups.

# Of interest

Sufficiency, Independence and Separation  
are all mutually exclusive

You can't have them all. You have to  
choose one or the other!

# Tradeoffs

**Which tradeoff is “fair”?**

Pro-publica says:

COMPAS does not enforce **equality of odds**

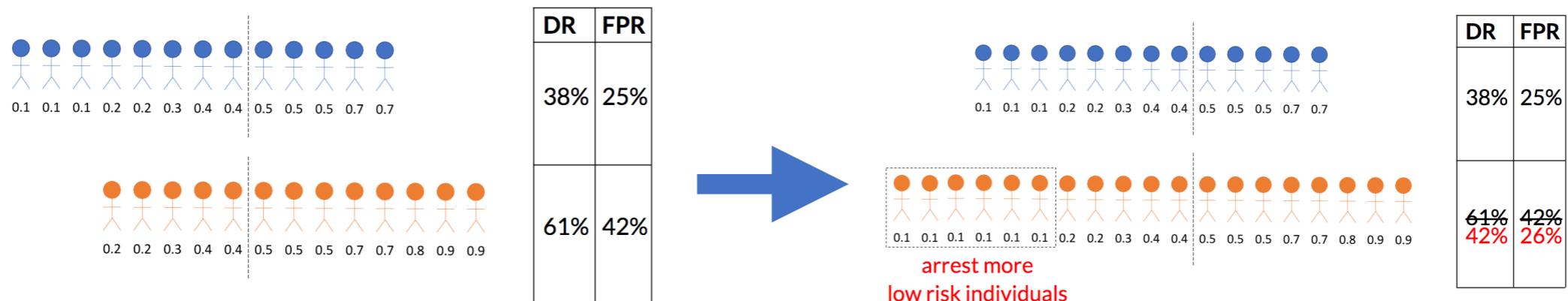
Northpointe says:

But, we calibrated by group! We went for  
**sufficiency, not separation.**

# All situations admit “unfair” practices

## Calibration by group:

Based on averages in training data that may not reflect individuals. Those with “risk” of 0.4 will be re-offenders 40% of the time, on average.



**Equality of odds:** False positive rates can be adjusted by arresting more “low risk” people.