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ASSIGNMENT-3

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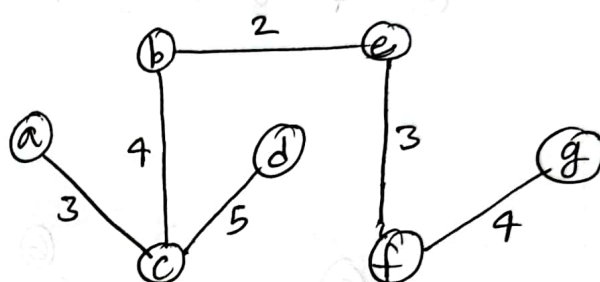
Section: 22

① I will use Kruskal's algorithm here.

Sorted Edges
(Based on weight)

cycle

b	e	2	→	X
a	c	3	→	X
e	f	3	→	X
b	c	4	→	X
f	g	4	→	X
e	g	5	→	✓
c	d	5	→	✓
a	b	5	→	✓
d	e	6	→	✓
d	f	6	→	✓
c	f	6	→	✓



$$\text{Total cost} = 3 + 4 + 2 + 5 + 3 + 4 = 21$$

② @ by using the codes given in the table, the

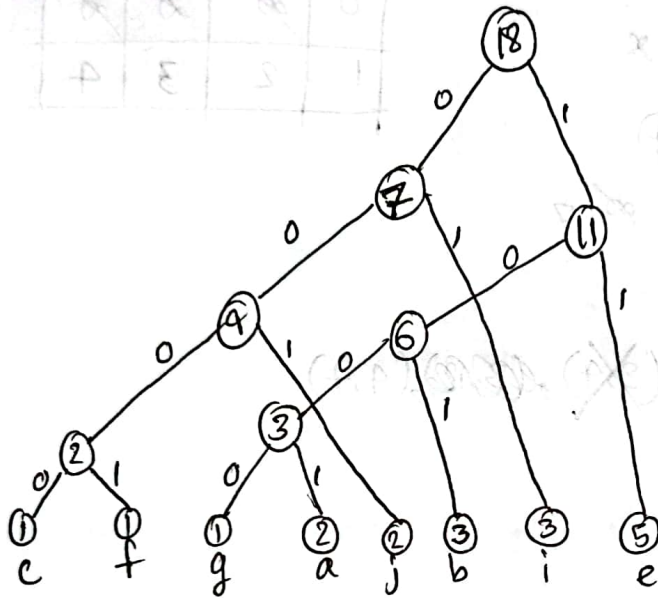
decoded message:

0000 (a) 0100 (e) 0100 (e) 1000 (i) 0100 (e) 1000 (i) 0100 (e) 1000 (i) 0001 (b) 0101 (f) 0001 (b) 0001 (b)

0110 (g) 0000 (a) 0100 (e) 1001 (j) 0010 (e) 1001 (j)

a → 2
b → 3
c → 1
d → 0
e → 5
f → 1
g → 1
h → 0
i → 3
j → 2

⑥



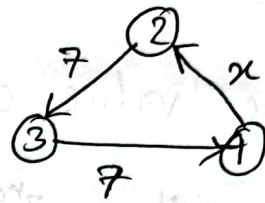
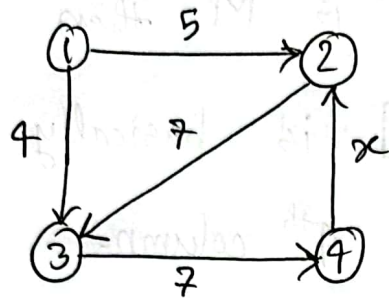
charac.	freq.
a	2
b	3
c	1
d	0
e	5
f	1
g	1
h	0
i	3
j	2

left \Rightarrow 0
right \Rightarrow 1

a	b	c	d	e	f	g	h	i	j
1001	101	0000		11	0001	1000		01	001
2	3	1		5	1	1		3	2

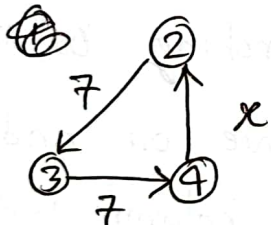
⑦ Number of bits required = $(4 \times 2) + (3 \times 2) + (1 \times 4) + (2 \times 5) + (4 \times 1)$
 $+ (4 \times 1) + (2 \times 3) + (3 \times 2)$
 $= 8 + 6 + 4 + 10 + 4 + 4 + 6 + 6$
 $= 48 \text{ bits}$
 (Ans)

③ a



if x is in the range of $(-1 \text{ to } -14)$, dijkstra algorithm will still work as $7+7-1 = 14-1 = 13$ and $7+7-14 = 0$. So, if x is in that range then it will run correctly.

⑥



if x is ~~more~~ ^{less} than (-14) then dijkstra won't work as the total $= 7+7-15 = -1$ [$x=-15$] becomes negative and a negative sum cycle forms. Bellman Ford algorithm will be able to detect cycle here but not actually solve it. So, any value which is less than (-14) is the answer.

⑦ For x in the range of $(-1 \text{ to } -14)$ both dijkstra and bellmanford algorithm will work. Because it wouldn't create negative sum cycle.

4) (a)

PÓLYNOMIÁL
EXPONENTIAL

PONIAL

	O	P	O	L	Y	N	O	M	I	A	L
O	0	0	0	0	0	0	0	0	0	0	0
E	0	0	0	0	0	0	0	0	0	0	0
X	0	0	0	0	0	0	0	0	0	0	0
✓ P	0	1	←1	←1	←1	←1	←1	←1	←1	←1	←1
✓ O	0	1	2	←2	←2	←2	←2	←2	←2	←2	←2
✓ N	0	1	2	2	3	←3	←3	←3	←3	←3	←3
E	0	1	2	2	3	3	3	3	3	3	3
N	0	1	2	2	3	3	3	3	3	3	3
T	0	1	2	2	3	3	3	3	3	3	3
✓ I	0	1	2	2	3	3	3	4	←4	←4	←4
✓ A	0	1	2	2	3	3	3	4	5	←5	←5
✓ L	0	1	2	3	←3	←3	←3	←4	←5	←6	←6

4/1 ② If the LCS table is M then the value of $M[3][4]$ is basically what is in the 3rd row and 4th column.

$M[P][Y] = 1$ this is what I get from my table.

③ LCS string \rightarrow PONIAL

(col+1)

I am going row ~~and~~ wise searching column wise.

If it doesn't match then move on and make (row+1) and then again search column wise (col+1) and repeat the process until it matches.

If it matches then increment the diagonal value by 1 (diag+1). Throughout the table I used signs so that for backtracking it's easy to follow. After ~~not~~ incrementing diagonal's value by 1, I took the max value among diagonal, left, up.

④ $\max(\uparrow, \rightarrow, \nwarrow)$.

Ans. to the Q.No 5

①

I will use 0/1 knapsack here to get the max profit. Sorted based on weight.

objects	Diamond	Jewelry	Sculpture	Painting	Gold crest	Sculpture
Profit (v)	3	4	12	9	12	12
Weight (w)	1	2	8	4	5	8

i \ w	0	1	2	3	4	5	6	7	
v	0	0	0	0	0	0	0	0	
3 Diamond	0	3	3	3	3	3	3	3	✓
4 Jewelry	0	3	4	7	7	7	7	7	✓
9 Painting	0	3	4	7	9	12	13	16	✓
12 Gold crest	0	3	4	7	9	12	15	16	x
12 Sculpture	0	3	4	7	9	12	15	16	x

max = 7kg

② Selected items/objects = (Painting, Jewelry, Diamond)

③ I will apply fractional knapsack here ~~as it~~
~~is a matter of probem~~ (Greedy Method) $\text{max} = 7\text{kg}$

Objects	Weight(w)	Profit(v)	(v/w)	taken
Diamond	1	3	3	✓ 7-1=6
Jewelry	2	4	2	
Painting	4	9	2.25	✓ 1
Gold crest	5	12	2.4	✓ 6-5=1
Sculpture	8	12	1.5	

$$\therefore \text{Maximum profit} = 12 + 3 + 2.25$$

$$= 17.25$$

She made 17.25 which is more than 16.

\therefore So, yes her belief is valid.

(Ans)