



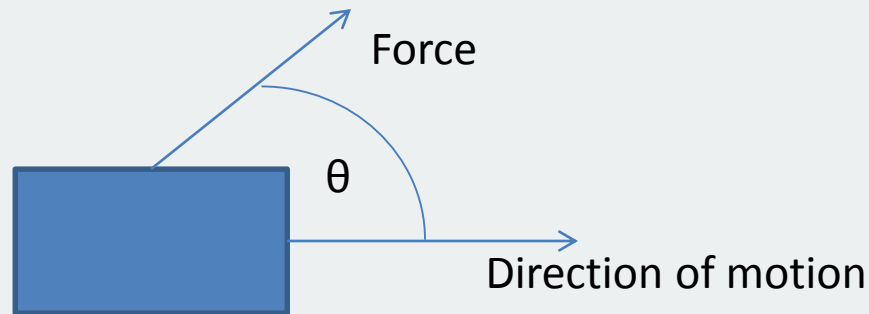
Energy, Work, and Power

Pasha Laksamana Putra



Work

- Work is defined as:
 $W = F \cdot s$
F: Force
s: object displacement

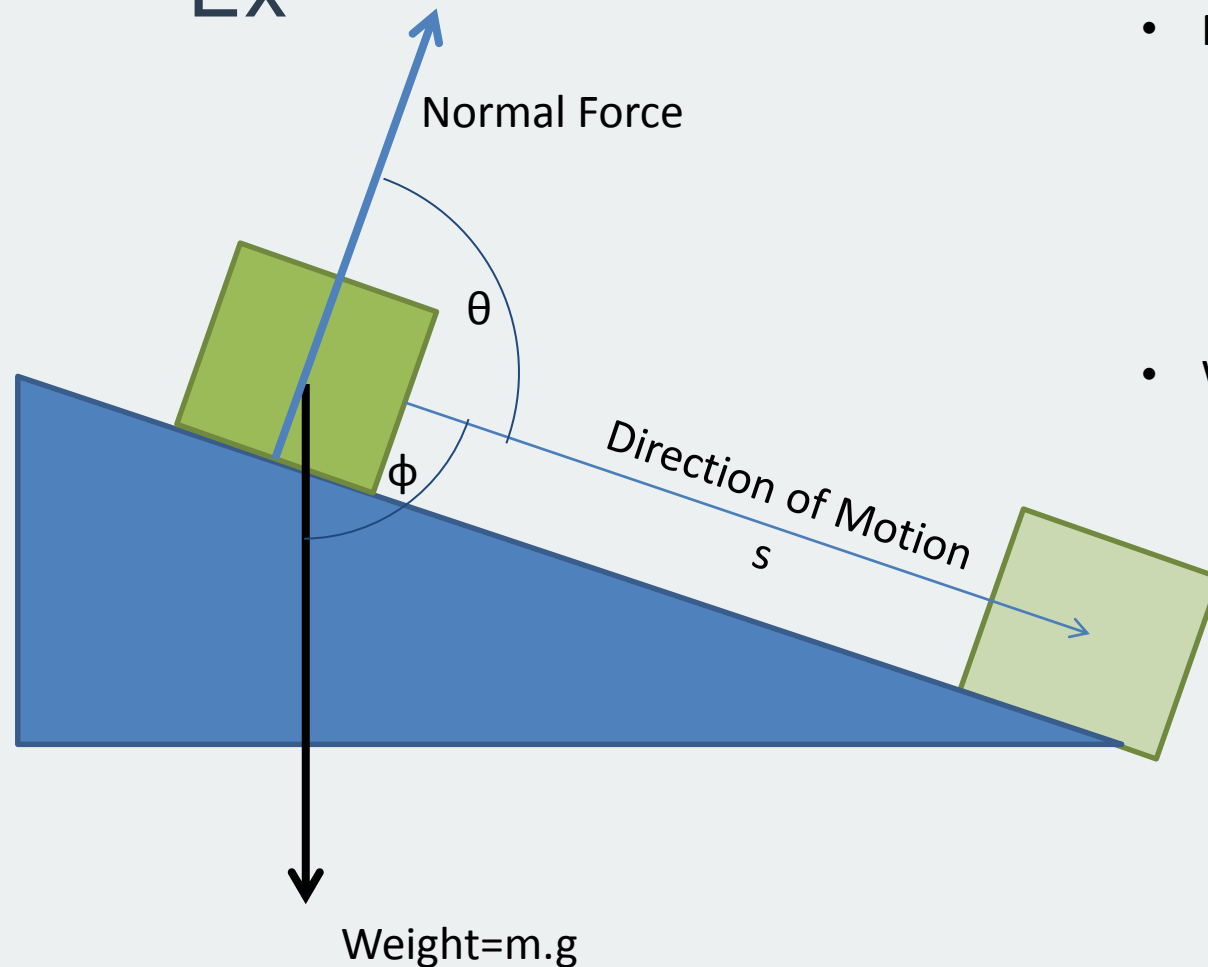


If direction of force is not parallel with the direction of motion.
We need to project the force along the direction of motion.

$$W = (F \cos \theta) \cdot s$$

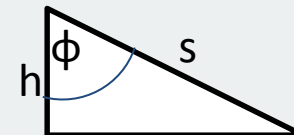
Work

- Ex



Work done by

- Normal Force:
 - As Normal Force is acting perpendicular with the direction of motion. Hence $\theta=90^\circ$
 - **$W=F\cos 90^\circ \cdot s=0$**
- Weight:
 - Weight is creating ϕ degree with direction of motion.
 - **$W=F\cos \phi \cdot s$**
 - **$W=m \cdot g \cdot s \cdot \cos \phi$**



✓ $s \cdot \cos \phi = h$

- **$W=m \cdot g \cdot h$ (Familiar?)**



Energy

- Every object in universe has an Energy value for their certain state.
 - If there's an increase of energy of an object, hence there must be "Work" done to the object
 - **Mechanical Energy**
 - Summation of Potential Energy and Kinetic Energy
 - Recall the previous statement. If there's no work done to the object, object's Mechanical Energy is constant. Hence, Mechanical Energy is conserved
- $$\mathbf{KE+PE=ME=constant}$$



Energy

- **Potential Energy**
- The energy which a body possesses due to its position or to the arrangement of its component parts.
 - Gravitational potential energy= mgh
 - Spring potential energy= $\frac{1}{2}kx^2$
- **Kinetic Energy**
- The energy that body have when it has certain amount of velocity
 - Kinetic energy= $\frac{1}{2}mv^2$



Power

- By definition, Power is the rate of work done to the body or work done over time taken.

$$Power = \frac{Work\ Done}{Time\ Taken}$$

$$P = \frac{dW}{dt}$$

$$P = \frac{d(F \cdot s)}{dt}$$

For constant Force

$$P = F \frac{ds}{dt}$$

$$P = F \cdot v$$