

Physics A Level

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Electricity and Magnetism

A. The bowl exerts a normal force on each bead, directed along the radius line or at 60.0° above the horizontal. Consider the free-body diagram shown for the bead on the left side of the bowl:

$$\sum F_y = n\sin 60 - mg = 0$$

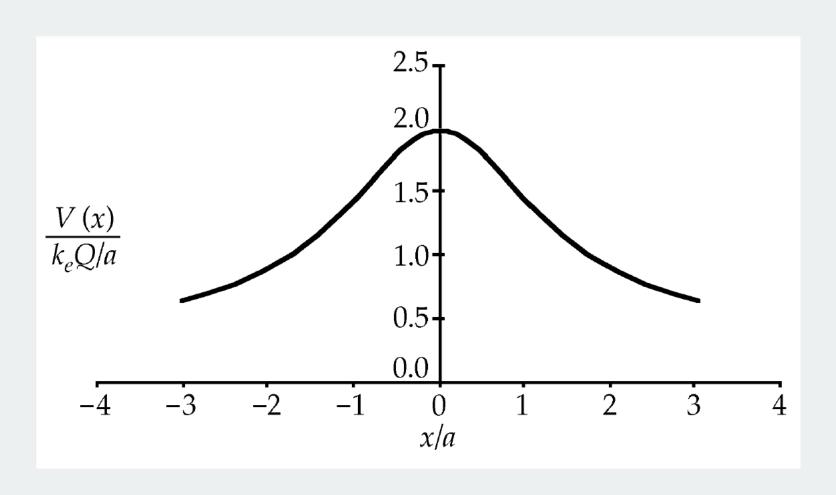
or
$$n = \frac{mg}{\sin 60}$$

also, $\sum F_x = -F_e + n \cos 60 = 0$
or $\frac{k_e q^2}{R^2} = n \cos 60 = \frac{mg}{\tan 60} = \frac{mg}{\sqrt{3}}$
Thus, $q = R \left(\frac{mg}{k_e \sqrt{3}}\right)^{\frac{1}{2}}$

B. i.
$$V(x) = \frac{k_e Q_1}{r_1} + \frac{k_e Q_2}{r_2} = \frac{k_e (+Q)}{\sqrt{x^2 + a^2}} + \frac{k_e (+Q)}{\sqrt{x^2 + (-a)^2}}$$

$$V(x) = \frac{2k_e Q}{\sqrt{x^2 + a^2}} = \frac{k_e Q}{a} \left(\frac{2}{\sqrt{\left(\frac{x}{a}\right)^2 + 1}}\right)$$

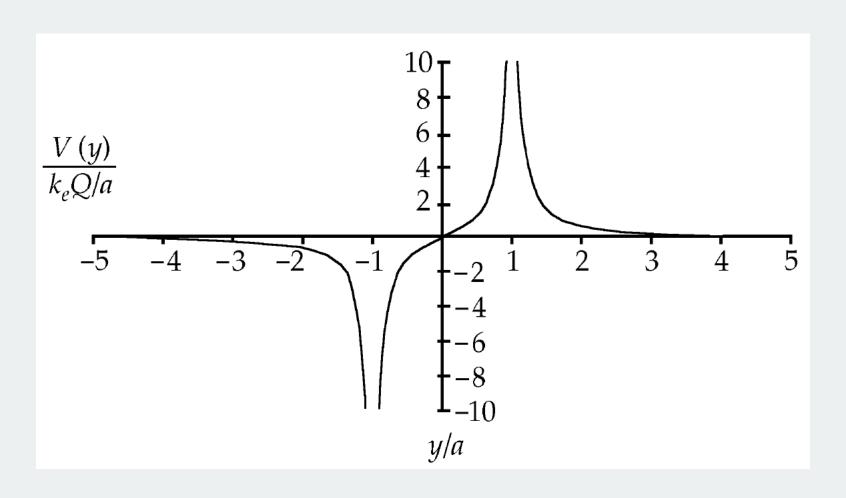
$$\frac{V(x)}{\left(\frac{k_e Q}{a}\right)} = \frac{2}{\sqrt{\left(\frac{x}{a}\right)^2 + 1}}$$



ii.
$$V(y) = \frac{k_e Q_1}{r_1} + \frac{k_e Q_2}{r_2} = \frac{k_e (+Q)}{|y-a|} + \frac{k_e (-Q)}{|y+a|}$$

$$V(y) = \frac{k_e Q}{a} \left(\frac{1}{\left| \frac{y}{a} - 1 \right|} - \frac{1}{\left| \frac{y}{a} + 1 \right|} \right)$$

$$\frac{V(y)}{\left(\frac{k_e Q}{a} \right)} = \frac{1}{\left| \frac{y}{a} - 1 \right|} - \frac{1}{\left| \frac{y}{a} + 1 \right|}$$

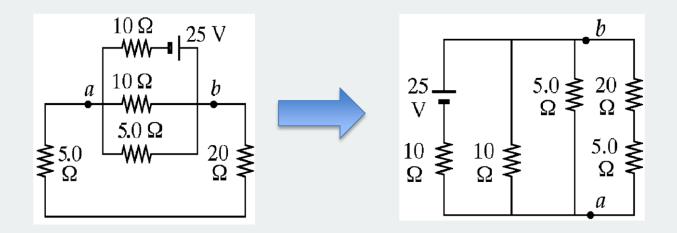


A.
$$v_d = \frac{l}{nq\pi r^2} = \frac{1000}{8.46 \times 10^{28} (1.6 \times 10^{-19}) \pi (10^{-2})^2} = 2.35 \times 10^{-4} \frac{m}{s}$$

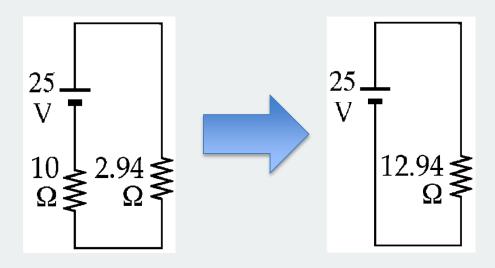
$$v = \frac{x}{t}$$

$$t = \frac{x}{v} = \frac{200 \times 10^3}{2.35 \times 10^{-4}} = 8.5 \times 10^8 \text{ s}$$

We simplify the circuit as follows:



$$R_{eq} = \frac{1}{\frac{1}{10\Omega} + \frac{1}{5\Omega} + \frac{1}{25\Omega}} = 2.94\Omega$$



$$I = \frac{\Delta V}{R} = \frac{25}{12.94} = 1.93 A$$
$$V_{2.94} = 1.93 \times 2.94 = 5.68 V$$

ii.
$$V_{2.94} = V_{ab} = 5.68 V$$

i.
$$I = \frac{5.68}{25} = 0.227 A$$

A.

i. as to the initial velocity, and with $\hat{i} \times \hat{k} = -\hat{j}$ as the direction of the initial force.

ii.
$$r = \frac{mv}{qB} = \frac{(1.67 \times 10^{-27})(20 \times 10^6)}{(1.6 \times 10^{-19})(0.3)} = 0.696 m$$

iii. The path is a quarter circle, of length (π) 0.606 – 1.00 m

$$\left(\frac{\pi}{2}\right)$$
 0.696 = 1.09 m

iv.
$$\Delta t = \frac{1.09}{20 \times 10^6} = 54.7 \ ns$$

- B. Let v_x and v_\perp be the components of the velocity of the positron parallel to and perpendicular to the direction of the magnetic field.
- i. The pitch of trajectory is the distance moved along x by the positron during each period, T (determined by the cyclotron frequency):

$$p = v_x T = (v \cos 85) \left(\frac{2\pi m}{Bq}\right)$$
$$p = \frac{5 \times 10^6 \cos 85 (2\pi)(9.11 \times 10^{-31})}{(0.15)(1.6 \times 10^{-19})} = 1.04 \times 10^{-4}$$

ii. The equation about circular motion in a magnetic field still applies to the radius of the spiral:

$$r = \frac{mv_{\perp}}{Bq} = \frac{mv\sin 85}{Bq}$$

$$r = \frac{(9.11 \times 10^{-31})(5 \times 10^6)(\sin 85)}{(0.15)(1.6 \times 10^{-19})} = 1.85 \times 10^{-4} m$$

A. The emf induced between the ends of the moving bar is

$$\mathcal{E} = Blv = (2.5)(0.350)(8) = 7 V$$

The left-hand loop contains decreasing flux away from you, so the induced current in it will be clockwise, to produce its own field directed away from you. Let I_1 represent the current flowing upward through the 2.00- Ω resistor. The right-hand loop will carry counterclockwise current. Let I_3 be the upward current in the 5.00- Ω resistor.

i. Kirchhoff's loop rule then gives: $7V - I_1(2\Omega) = 0$.

$$I_1 = 3.5 A$$

and
$$7V - I_3(5\Omega) = 0$$
 $I_3 = 1.4 A$

ii. The total power converted in the resistors of the circuit is

$$P = \mathcal{E}I_1 + \mathcal{E}I_3 = \mathcal{E}(I_1 + I_3) = 7(3.5 + 1.4) = 34.3 W$$

iii. The current in the sliding conductor is downward with value

 $I_2 = 3.5 + 1.4 = 4.9 A$. The magnetic field exerts a force of $F_m = IlB = (4.9)(0.35)(2.50) = 4.29 N$ directed toward the right on this conductor. An outside agent must exert a force of 4.29 N to the left to keep the bar moving.

B. i.
$$\Phi_B = BA = \mu_0 nIA = \frac{\mu_0 N}{l} IA$$

$$L = \frac{N\Phi_B}{I} = \mu \frac{N^2}{l} A$$
ii. $L = 4\pi \times 10^{-7} \frac{(300)^2}{25 \times 10^{-2}} (4 \times 10^{-4})$

$$= 1.81 \times 10^{-4} H$$
iii. $\mathcal{E}_L = -L \frac{dI}{dt} = -(1.81 \times 10^{-4} H)(-50)$

$$= 9.05 \ mV$$

Reference

 Physics for Scientist and Engineer, 6th ed, Serway Jewett