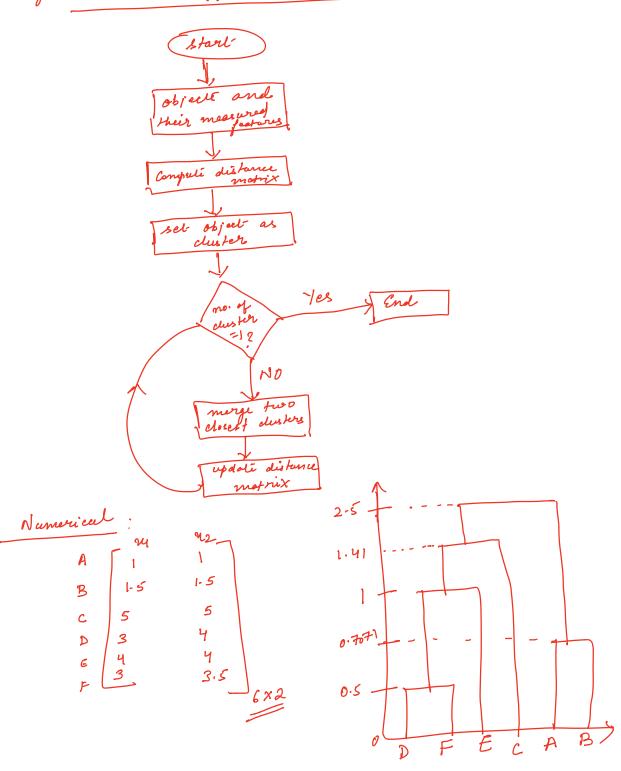
fer 5 23 03 21 > Hierarchical clustering approach o agglomerative 1. hort y Mustering validation measures Introdu of hierarchical xlustering -> A typical clustering analysis via parlitioning data set -> sonstruct- nusted partitions layer by layer via grouping objecte into a true of dusters, without the need to know the no. of clusters in advance. or The generalized distance materix is used as clustering criteria. 2 strategies Agglomerative (numerical) i) agglomeratine: - a 60 Hom - up strategy. -> initially each data object is in the own alonnic -> then merge there alone's clusters into larger and larger clusters. ii) divisine: Is a top down strategy. -7 initially all objects are in one single cluster. of then the duster is subdivided into smaller

and smaller clusters.

flowchart of agglonieraline dustering:



 $(x_1, \dots, x_n) \in \mathcal{K}$

9 Penn 1:
$d_{AB} : \sqrt{(1-1.5)^{2} + (1-1.5)^{2}} = 0.7071$ $d_{CA} = 5.66$ $d_{DC} = 2.27$ $d_{ED} = 1$ $d_{FD} = 0.5$ $d_{CB} = 4.29$ $d_{FA} = 3.2$ $d_{FE} = 1.12$ $d_{FB} = 2.5$ $d_{FC} = 2.5$
$d_{DF} \rightarrow A = \min (BA, FA) = \min (2.98, 2.5) = 2.5$ $d_{DF} \rightarrow B = \min (DB, FE) = \min (2.98, 2.5) = 2.24$ $d_{DF} \rightarrow C = \min (DC, FC) = \min (2.24, 2.5) = 2.24$ $d_{DF} \rightarrow E = \min (DE, FE) = \min (1, 1.12) = 0$ $d_{DF} \rightarrow E = \min (DE, FE) = \min (DE, FE) = \min (DE, FE) = 0$ $d_{DF} \rightarrow E = \min (DE, FE) = \min (DE, FE) = 0$ $d_{DF} \rightarrow E = \min (DE, FE) = \min (DE, FE) = 0$ $d_{DF} \rightarrow E = \min (DE, FE) = 0$ $d_{DF} \rightarrow E = \min (DE, FE) = 0$ $d_{DF} \rightarrow E = \min (DE, FE) = 0$ $d_{DF} \rightarrow E = \min (DE, FE) = 0$ $d_{DF} \rightarrow E = $

$$d_{C} \rightarrow AB = min (CA, CB) = min (5.66, 4.95) = 4.95$$
 $d_{DF} \rightarrow AB = min (DA, DB, FA, FB)$
 $= min (3.61, 2.92, 3.2, 2.5) = 2.5$
 $d_{DF} \rightarrow C = 2.24$
 $d_{E} \rightarrow AB = min (EA, EB) = min (4.24, 3.54)$
 $= 3.54$

Henroy:

 $AB = AB = C = AB = C = AB = C = AB = C = CDF, E = CD$

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AB $\left((DF), E\right), c\right)$
 $\left((DF), E\right), c\right)$