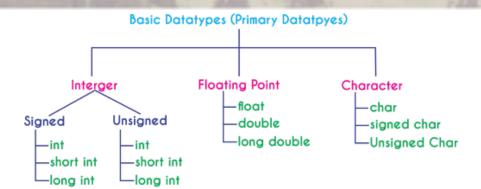


# Lecture 4 - Basic Types

Meng-Hsun Tsai CSIE, NCKU



### 4.1 Integer Types



### Signed and Unsigned Integers

- The integer types are divided into two categories: signed and unsigned.
- The leftmost bit of a signed integer (known as the sign bit) is 0
  if the number is positive or zero, 1 if it's negative.
  - By default, integer variables are signed in C.
- An integer with no sign bit (the leftmost bit is considered part of the number's magnitude) should be declared as unsigned.
  - Unsigned numbers are primarily useful for systems programming and low-level, machine-dependent applications.



### Long and Short Integers

- The int type is usually 32 bits, but may be 16 bits on other CPUs (e.g., Arduino or Raspberry pi).
- Long integers may have more bits than ordinary integers; short integers may have fewer bits.
- The specifiers long and short, as well as signed and unsigned, can be combined with int to form integer types.
- Only six combinations produce different types:

```
short int unsigned short int int unsigned int long int unsigned long int
```

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• The order of the specifiers doesn't matter. Also, the word int can be dropped (long int can be abbreviated to just long).

### Representing Negative Integers

- Modern computers use two's complement to represent negative integer values.
- Two's complement is obtained by adding one to one's complement, which simply inverts all bits.
- For example, an 8-bit integer 116 (= 0111  $0100_2$ ) has one's complement 1000  $1011_2$  and two's complement 1000  $1100_2$ .
- In the computer system, 116 is stored as 0111 0100<sub>2</sub>, -116 is stored as 1000 1100<sub>2</sub>.
   2's complement

Decimal	116		-116
Binary	0111 01002	1000 1011 <sub>2</sub>	1000 11002



### Range of Integer Values

- The range of values represented by each of the six integer types varies from one machine to another.
- However, the C standard requires that short int, int, and long int must each cover a certain minimum range of values.
- Also, int must not be shorter than short int, and long int must not be shorter than int.
- For an 8-bit integer with 2's complement, the largest positive value is 127 (= 1111 1111<sub>2</sub>), the largest negative value is -128 (= 1000 0000<sub>2</sub>).
- You can obtain the largest positive values and the largest negative values of 16-bit, 32-bit and 64-bit integers in the same way.



### Integer limits defined in limits.h

 The limits.h> header defines macros that represent the smallest and largest values of each integer type.

```
/* max value for unsigned short */
#define USHRT_MAX
             0xffff
#define SHRT_MAX
             0x7fff /* max value for short */
#define SHRT MIN (-0x7fff - 1) /* min value for short */
             0xfffffff /* max value for unsigned int */
#define UINT_MAX
#define INT_MAX
             0x7fffffff /* max value for an int */
             (-0x7fffffff - 1) /* min value for an int */
#define INT_MIN
             #define ULONG_MAX
             #define LONG MAX
             #define LONG_MIN
```



### Integer limits defined in limits.h (cont.)

```
#define USHRT_MAX 0xffff /* max value for unsigned short */
#define SHRT_MAX 0x7fff /* max value for short */
#define SHRT_MIN (-0x7fff - 1) /* min value for short */
```

```
#include <stdio.h>
#include <limits.h>
int main()
{
    printf("%d\n", USHRT_MAX);
    printf("%d\n", SHRT_MAX);
    printf("%d\n", SHRT_MIN);
    return 0;
}
```

#### Output:

65535 32767 -32768

### Range of Integer Values (cont.)

Typical ranges of values for the integer types on a 16-bit machine:

	Largest Value	Smallest Value	Туре
1	32,767	-32,768	short int
1	65,535	0	unsigned short int
4.	32,767	-32,768	int
1	65,535	0	unsigned int
3	2,147,483,647	-2,147,483,648	long int
	4,294,967,295	0	unsigned long int

16-bit

16-bit

32-bit



### Range of Integer Values (cont.)

Typical ranges on a 32-bit machine:

Туре	Smallest Value	Largest Value
short int	-32,768	32,767
unsigned short int	0	65,535
int	-2,147,483,648	2,147,483,647
unsigned int	0	4,294,967,295
long int	-2,147,483,648	2,147,483,647
unsigned long int	0	4,294,967,295

16-bit

32-bit

32-bit



### Range of Integer Values (cont.)

Typical ranges on a 64-bit machine:

Туре	Smallest Value	Largest Value
short int	-32,768	32,767
unsigned short int	0	65,535
int	-2,147,483,648	2,147,483,647
unsigned int	0	4,294,967,295
long int	<b>-2</b> <sup>63</sup>	2 <sup>63</sup> –1
unsigned long int	0	2 <sup>64</sup> –1

16-bit

32-bit

64-bit



### Integer Types in C99

- C99 provides two additional standard integer types, long long int and unsigned long long int.
- Both long long types are required to be at least 64 bits wide.
- The range of long long int values is typically  $-2^{63}$  (-9,223,372,036,854,775,808) to  $2^{63}-1$  (9,223,372,036,854,775,807).
- The range of unsigned long long int values is usually 0 to 2<sup>64</sup> 1 (18,446,744,073,709,551,615).



### Integer Constants

- Constants are numbers that appear in the text of a program.
- C allows integer constants to be written in decimal (base 10), octal (base 8), or hexadecimal (base 16).



### Integer Constants (cont.)

• **Decimal** constants contain digits between 0 and 9, but must not begin with a zero:

```
15 255 32767
```

 Octal constants contain only digits between 0 and 7, and must begin with a zero:

```
017 0377 077777
```

 Hexadecimal constants contain digits between 0 and 9 and letters between a and f, and always begin with 0x:

```
0xf 0xff 0x7fff
```

 The letters in a hexadecimal constant may be either upper or lower case:

Oxff OxfF OxFF OXFF OXfF OXFF OXFF

### Integer Constants (cont.)

 To force the compiler to treat a constant as a long integer, just follow it with the letter ⊥ (or 1):

```
15L 0377L 0x7fffL
```

- Integer constants that end with either LL or 11 (the case of the two letters must match) have type long long int.
- To indicate that a constant is unsigned, put the letter U (or u) after it: 15U 0377U 0x7fffU
- L (or LL) and U may be used in combination:

```
OxfffffffUL OxffffffffffffffftLL
```

The order of the L (or LL) and U doesn't matter, nor does their case.

### Integer Overflow

- When arithmetic operations are performed on integers, it's
  possible that the result will be too large to represent. (we say that
  overflow has occurred)
- The behavior when integer overflow occurs depends on whether the operands were signed or unsigned.
  - When overflow occurs during an operation on signed integers, the program's behavior is undefined.
  - When overflow occurs during an operation on unsigned integers, the result is defined: we get the correct answer modulo 2<sup>n</sup>, where n is the number of bits used to store the result.

### Reading and Writing Integers

- Reading and writing unsigned, short, and long integers requires new conversion specifiers.
- When reading or writing an unsigned integer, use the letter u,
   o, or x instead of d in the conversion specification.

```
unsigned int u;
scanf("%u", &u);  /* reads u in base 10 */
printf("%u", u);  /* writes u in base 10 */
scanf("%o", &u);  /* reads u in base 8 */
printf("%o", u);  /* writes u in base 8 */
scanf("%x", &u);  /* reads u in base 16 */
printf("%x", u);  /* writes u in base 16 */
```



### Reading and Writing Integers (cont.)

 When reading or writing a short integer, put the letter h in front of d, o, u, or x:

```
scanf("%hd", &s);
printf("%hd", s);
```

• When reading or writing a *long* integer, put the letter 1 ("ell," not "one") in front of d, o, u, or x.

```
scanf("%ld", &1);
printf("%ld", 1);
```

 When reading or writing a long long integer, put the letters 11 in front of d, o, u, or x.

```
scanf("%lld", &s);
printf("%lld", s);
```

### Program: Summing a Series of Numbers (Revisited)

- The sum.c program (Lecture 3) sums a series of integers.
- One problem with this program is that the sum (or one of the input numbers) might exceed the largest value allowed for an int variable.
- Here's what might happen if the program is run on a machine whose integers are 16 bits long:

```
This program sums a series of integers.

Enter integers (0 to terminate): 10000 20000 30000 0

The sum is: -5536
```

- When overflow occurs with signed numbers, the outcome is undefined.
- The program can be improved by using long variables.

### Program: Summing a Series of Numbers (Revisited) (cont.)

```
sum2.c
#include <stdio.h>
int main(void)
  long n, sum = 0;
 printf("This program sums a series of integers.\n");
 printf("Enter integers (0 to terminate): ");
  scanf("%ld", &n);
  while (n != 0) {
    sum += n;
    scanf("%ld", &n);
  printf("The sum is: %ld\n", sum);
  return 0;
```

### 4.2 Floating Types



### Floating Types

- C provides three floating types: float, double and long double
- float is suitable when the amount of precision isn't critical.
- double provides enough precision for most programs.
- long double is rarely used.
- The C standard doesn't state how much precision the float, double, and long double types provide, since that depends on how numbers are stored.
- Most modern computers follow the specifications in IEEE Standard 754 (also known as IEC 60559).

### The IEEE Floating-Point Standard

- IEEE Standard 754 has two primary formats for floating-point numbers: single precision (32 bits) and double precision (64 bits).
- Numbers are stored in a form of scientific notation, with each number having a sign, an exponent, and a fraction.
- In single-precision format, the exponent is 8 bits long, while the fraction occupies 23 bits. The maximum value is approximately  $3.40 \times 10^{38}$ , with a precision of about 6 decimal digits.



### The IEEE 754-1985 Standard – Single Precision

- Sign: 0 for positive, 1 for negative
- Exponent: bias 127 (i.e., 011111111 means 0, 10000000 means 1)
  - All zeros and all ones are reserved for special cases

Evnonont	Fraction	Maaning
Exponent	Fraction	Meaning
00000000	Zero	0
00000000	Non-zero	Subnormal number (numbers close to zero) Exp. is -126, w/o leading bit
11111111	Zero	Infinity (+∞ and -∞)
11111111	Non-zero	NaN (Not a Number)
other	Any	Normal number (finite number) w/ leading bit



## The IEEE 754-1985 Standard – Single Precision (cont.)

For a normal number, there is a (invisible) leading bit in front of fraction part

Sign		Exponent	Fraction		
			$\frac{1}{2} \frac{1}{4} \frac{1}{8} \dots$	$\frac{1}{2^{23}}$	
	Νι	umber 1 1.	$0_2 * 2^{(127-127)} = 1.0_{10} * 2^0 = 1$		
	0	0111 1111	0000000 00000000 00000000		
Number 2 $1.0_2 * 2^{(128-127)} = 1.0_{10} *$			$0_2 * 2^{(128-127)} = 1.0_{10} * 2^1 = 2$		
	0	1000 0000	0000000 00000000 00000000		
	Nı	umber 1.5	$1.1_2 * 2^{(127-127)} = 1.5_{10} * 2^0 = 1.$	.5	
1	0	0111 1111	1000000 00000000 00000000		



### Characteristics of Floating Types

According to the IEEE standard 754:

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Туре	Smallest Positive Value	Largest Value	Precision
float	$1.17549 \times 10^{-38}$	$3.40282 \times 10^{38}$	6 digits
double	$2.22507 \times 10^{-308}$	$1.79769 \times 10^{308}$	15 digits

 Macros that define the characteristics of the floating types can be found in the <float.h> header.

```
#define FLT MANT DIG
                      24
                                  /* p */
                      6 /* floor((p-1)*log10(b))+(b == 10) */
#define FLT DIG
                                /* emin */
#define FLT MIN EXP
                      (-125)
#define FLT_MIN
                      1.17549435E-38F /* b**(emin-1) */
#define FLT_MIN_10_EXP
                      (-37) /* ceil(log10(b**(emin-1))) */
#define FLT_MAX_EXP
                      128
                                     /* emax */
                      3.40282347E+38F /* (1-b**(-p))*b**emax */
#define FLT_MAX
#define FLT_MAX_10_EXP
                           /* floor(log10((1-b**(-p))*b**emax)) */
```

### Floating Constants

- Floating constants can be written in a variety of ways.
- Valid ways of writing the number 57.0:

```
57.0 57.0e0 57E0 5.7e1 5.7e+1 .57e2 570.e-1
```

- A floating constant must contain a decimal point and/or an exponent; the exponent indicates the power of 10 by which the number is to be scaled.
- If an exponent is present, it must be preceded by the letter E (or e). An optional + or sign may appear after the E (or e).



### Floating Constants (cont.)

- By default, floating constants are stored as double-precision numbers.
- To indicate that only single precision is desired, put the letter F (or f) at the end of the constant (for example, 57.0F).
- To indicate that a constant should be stored in long double format, put the letter L (or 1) at the end (57.0L).



### Reading and Writing Floating-Point Numbers

- The conversion specifications %e, %f, and %g are used for reading and writing single-precision floating-point numbers.
- When reading a value of type double, put the letter 1 in front of e, f, or g:

```
double d;
scanf("%lf", &d);
```

- Note: Use 1 only in a scanf format string, not a printf string.
- In a printf format string, the e, f, and g conversions can be used to write either float or double values.
- When reading or writing a value of type long double, put the letter L in front of e, f, or g.



### 4.3 Character Types



### Character Types

- The only remaining basic type is char, the character type.
- The values of type char can vary from one computer to another, because different machines may have different underlying character sets.
- Today's most popular character set is ASCII (American Standard Code for Information Interchange), a 7-bit code capable of representing 128 characters.
- ASCII is often extended to a 256-character code known as Latin-1 that provides the characters necessary for Western European and many African languages.



### Character Assignments

A variable of type char can be assigned any single character:

 Notice that character constants are enclosed in single quotes, not double quotes.



#### Operations on Characters

- Working with characters in C is simple, because of one fact: C
   treats characters as small integers.
- In ASCII, character codes range from 0000000 to 11111111, which we can think of as the integers from 0 to 127.
- The character 'a' has the value 97, 'A' has the value 65, '0' has the value 48, and '' has the value 32.



### Operations on Characters

- Character constants actually have int type rather than char type.
- When a character appears in a computation, C uses its integer value.
- Consider the following examples, which assume the ASCII character set:



### Operations on Characters (cont.)

- Characters can be compared, just as numbers can.
- An if statement that converts a lower-case letter to upper case:

```
if ('a' <= ch && ch <= 'z')
ch = ch - 'a' + 'A';
```

- Comparisons such as 'a' <= ch are done using the integer values of the characters involved.
- These values depend on the character set in use, so programs that use <, <=, >, and >= to compare characters may not be portable.



### Operations on Characters (cont.)

- The fact that characters have the same properties as numbers has advantages.
- For example, it is easy to write a for statement whose control variable steps through all the upper-case letters:

```
for (ch = 'A'; ch <= 'Z'; ch++) ...
```

- Disadvantages of treating characters as numbers:
  - Can lead to errors that won't be caught by the compiler.
  - Allows meaningless expressions such as 'a' \* 'b' / 'c'.
  - Can hamper portability, since programs may rely on assumptions about the underlying character set.

## Signed and Unsigned Characters

- The char type—like the integer types—exists in both signed and unsigned versions.
- Signed characters normally have values between –128 and 127. Unsigned characters have values between 0 and 255.
- Some compilers treat char as a signed type, while others treat it as an unsigned type. Most of the time, it doesn't matter.
- C allows the use of the words signed and unsigned to modify char:

```
signed char sch;
unsigned char uch;
```



### Escape Sequences

- A character constant is usually one character enclosed in single quotes (ex. 'a').
- However, certain special characters—including the new-line character—can't be written in this way, because they're invisible (nonprinting) or because they can't be entered from the keyboard.
- Escape sequences (enclosed in single quotes) provide a way to represent these characters.
- There are two kinds of escape sequences: character escapes and numeric escapes.
- Escape sequences can be embedded in strings as well.

### Character Escapes

Numeric escapes

- Character escapes are handy, but they don't exist for all nonprinting ASCII characters.
- Numeric escapes, which can represent any character, are the solution to this problem.
- A numeric escape for a particular character uses the character's octal or hexadecimal value.

Name	Char	Oct	Hex	Dec
Alert (bell)	\a	\7	\x07	7
Backspace	\b	\10	\x08	8
Form feed	\f	\14	\x0c	12
New line	\n	\12	\x0a	10
Carriage return	\r	\15	\x0d	13
Horizontal tab	\t	\11	\x09	9
Vertical tab	\v	\13	\x0b	11
Backslash	\\	\134	\x27	92
, Question mark	/?	\77	\x22	63
Single quote	\ 1	\47	\x5c	39
Double quote	\"	\42	\x3f	34



### Numeric Escapes

- An *octal escape sequence* consists of the \ character followed by an octal number with at most three digits, such as \33 or \033 (with normally maximum value \377).
- A hexadecimal escape sequence consists of \x followed by a hexadecimal number, such as \x1b or \x1B (with normally maximum value \xFF)..
- The x must be in lower case, but the hex digits can be upper or lower case.
- Escape sequences tend to get a bit cryptic, so it's often a good idea to use #define to give them names:

#define ESC '\33'

## Character-Handling Functions

 Calling C's toupper library function is a fast and portable way to convert case:

```
ch = toupper(ch);
```

- toupper returns the upper-case version of its argument.
- Programs that call toupper need to have the following #include directive at the top:

```
#include <ctype.h>
```

 The C library provides many other useful character-handling functions.



## Reading and Writing Characters Using scanf and printf

• The %c conversion specification allows scanf and printf to read and write single characters:

```
char ch;
scanf("%c", &ch); /* reads one character */
printf("%c", ch); /* writes one character */
```

- scanf doesn't skip white-space characters.
- To force scanf to skip white space before reading a character, put a space in its format string just before %c:

```
scanf(" %c", &ch);
```



## Reading and Writing Characters Using scanf and printf (cont.)

- Since scanf doesn't normally skip white space, it's easy to detect
  the end of an input line: check to see if the character just read is
  the new-line character.
- A loop that reads and ignores all remaining characters in the current input line:

```
do {
   scanf("%c", &ch);
} while (ch != '\n');
```

• When scanf is called the next time, it will read the first character on the next input line.



- For single-character input and output, getchar and putchar are an alternative to scanf and printf.
- putchar writes a character:
   putchar(ch);
- Each time getchar is called, it reads one character, which it returns:

```
ch = getchar();
```

- getchar returns an int value rather than a char value, so ch will often have type int.
- Like scanf, getchar doesn't skip white-space characters as it reads.



- Using getchar and putchar (rather than scanf and printf) saves execution time.
  - getchar and putchar are much simpler than scanf and printf, which are designed to read and write many kinds of data in a variety of formats.
  - They are usually implemented as macros for additional speed.
- getchar has another advantage. Because it returns the character that it reads, getchar lends itself to various C idioms.



 Consider the scanf loop that we used to skip the rest of an input line. We can rewriting this loop using getchar gives us the following:

```
do {
    scanf("%c", &ch);
} while (ch != '\n');

do {
    ch = getchar();
} while (ch != '\n');

(when the ch variable isn't even needed)
```



- getchar is useful in loops that skip characters as well as loops that search for characters.
- A statement that uses getchar to skip an indefinite number of blank characters:

```
while ((ch = getchar()) == ' ')
;
```

• When the loop terminates, ch will contain the first nonblank character that getchar encountered.



- Be careful when mixing getchar and scanf.
- scanf has a tendency to leave behind characters that it has "peeked" at but not read, including the new-line character:

```
printf("Enter an integer: ");
scanf("%d", &i);
printf("Enter a command: ");
command = getchar();
```

scanf will leave behind any characters that weren't consumed during the reading of i, including (but not limited to) the new-line character.

• getchar will fetch the first leftover character.

```
#include <stdio.h>
   int main()
 4
 5
        int i, command;
 6
7
8
9
        printf("Enter an integer: ");
        scanf("%d", &i);
                                                      command
        printf("Enter a command: ");
10
        command = getchar();
11
12
        printf("i is %d\n", i);
13
        printf("command is %x\n", command);
14
15
                           Enter an integer: <u>13</u>
        return 0;
                           Enter a command: i is 13
16 }
                           command is a
```

### Program: Determining the Length of a Message

• The length.c program displays the length of a message entered by the user:

```
Enter a message: <u>Brevity is the soul of wit.</u> Your message was 27 character(s) long.
```

- The length includes spaces and punctuation, but not the new-line character at the end of the message.
- We could use either scanf or getchar to read characters; most C programmers would choose getchar.
- length2.c is a shorter program that eliminates the variable used to store the character read by getchar.



## Program: Determining the Length of a Message (cont.)

#### length.c

```
#include <stdio.h>
int main(void)
 char ch;
  int len = 0;
 printf("Enter a message: ");
  ch = getchar();
 while (ch != ' n') {
    len++;
    ch = getchar();
 printf("Your message was %d
  character(s) long.\n", len);
  return 0;
```

#### length2.c

```
#include <stdio.h>
int main(void)
  int len = 0;
 printf("Enter a message: ");
 while (getchar() != '\n')
    len++;
 printf("Your message was %d
  character(s) long.\n", len);
 return 0;
```



4.4 Type Conversion

### Type Conversion

- For a computer to perform an arithmetic operation, the operands must usually be of the same size (the same number of bits) and be stored in the same way.
- When operands of different types are mixed in expressions, the C compiler may have to generate instructions that change the types of some operands so that hardware will be able to evaluate the expression.
  - If we add a 16-bit short and a 32-bit int, the compiler will arrange for the short value to be converted to 32 bits.
  - If we add an int and a float, the compiler will arrange for the int to be converted to float format.

## Type Conversion (cont.)

- Because the compiler handles these conversions automatically, without the programmer's involvement, they're known as implicit conversions.
- C also allows the programmer to perform explicit conversions, using the cast operator.
- The rules for performing implicit conversions are somewhat complex, primarily because C has so many different arithmetic types.



### Type Conversion (cont.)

- Implicit conversions are performed:
  - When the operands in an arithmetic or logical expression don't have the same type. (C performs what are known as the usual arithmetic conversions.)
  - When the type of the expression on the right side of an assignment doesn't match the type of the variable on the left side.
  - When the type of an argument in a function call doesn't match the type of the corresponding parameter.
  - When the type of the expression in a return statement doesn't match the function's return type.

Lecture 5

#### The Usual Arithmetic Conversions

- The usual arithmetic conversions are applied to the operands of most binary operators.
- If f has type float and i has type int, in the expression f + i, clearly it's safer to convert i to type float (matching f's type) rather than convert f to type int (matching i's type).
- When an integer is converted to float, the worst that can happen is a minor loss of precision.
- Converting a floating-point number to int, on the other hand, causes the fractional part of the number to be lost.
- Worse still, the result will be meaningless if the original number is larger than the largest possible integer or smaller than the smallest integer.  $\underbrace{\text{ex. } 10^{11}}$

### Program: Converting integer to float

```
25 bits of value 1
 1 #include <stdio.h>
 2 int main()
 3
       int x = 0x1ffffff;
        float y;
 6
        y = x;
                                            1 leading bit +
       printf("x = %d\n", x);
                                            23 fraction bits
 8
       printf("y = %f\n", y);
 9
10
        return 0;
11 }
                   x = 33554431
                   y = 33554432.000000
```



- Strategy behind the usual arithmetic conversions: convert operands to the "narrowest" type that will safely accommodate both values.
- Converting the operand of a narrower type to the type of the other operand is known as *promotion*.
- The rules for performing the usual arithmetic conversions can be divided into two cases:
  - The type of either operand is a floating type.
  - Neither operand type is a floating type.



- The type of either operand is a floating type.
  - If one operand has type long double, then convert the other operand to type long double.
  - Otherwise, if one operand has type double, convert the other operand to type double.
  - Otherwise, if one operand has type float, convert the other operand to type float.
- Example: If one operand has type long int and the other has type double, the long int operand is converted to double.



```
long int + double

double + double
```

- Neither operand type is a floating type. First perform integral promotion on both operands.
- Then use the following diagram to promote the operand whose type is narrower:



- When a signed operand is combined with an unsigned operand, the signed operand is converted to an unsigned value.
- This rule can cause obscure programming errors.
- It's best to use unsigned integers as little as possible and, especially, never mix them with signed integers.



Example of the usual arithmetic conversions:

```
unsigned long int
char c;
short int s;
                                                        long int
int i;
unsigned int u;
long int 1;
                                                      unsigned int
unsigned long int ul;
float f;
                                                          int
double d;
long double ld;
i = i + c; /* c is converted to int
                                                      * /
i = i + s; /* s is converted to int
u = u + i;  /* i is converted to unsigned int
l = l + u;  /* u is converted to long int
                                                      * /
ul = ul + l; /* l is converted to unsigned long int
f = f + ul;  /* ul is converted to float
                                                      * /
d = d + f; /* f is converted to double
                                                      * /
1ld = ld + d; /* d is converted to long double
```

## Conversion During Assignment

- The usual arithmetic conversions don't apply to assignment.
- Instead, the expression on the right side of the assignment is converted to the type of the variable on the left side:

```
char c;
int i;
float f;
double d;

i = c;   /* c is converted to int  */
f = i;   /* i is converted to float */
d = f;   /* f is converted to double */
```



## Conversion During Assignment (cont.)

 Assigning a floating-point number to an integer variable drops the fractional part of the number:

```
int i;
i = 842.97;    /* i is now 842 */
i = -842.97;    /* i is now -842 */
```

 Assigning a value to a variable of a narrower type will give a meaningless result (or worse) if the value is outside the range of the variable's type:

```
c = 10000; /*** WRONG ***/ > 255

i = 1.0e20; /*** WRONG ***/ > 2147483647

f = 1.0e100; /*** WRONG ***/ > 3.40282 × 10<sup>38</sup>
```



## Conversion During Assignment (cont.)

 It's a good idea to append the f suffix to a floating-point constant if it will be assigned to a float variable:

```
f = 3.14159f;
```

• Without the suffix, the constant 3.14159 would have type double, possibly causing a warning message.



### Casting

- Although C's implicit conversions are convenient, we sometimes need a greater degree of control over type conversion.
- For this reason, C provides casts.
- A cast expression has the form

```
( type-name ) expression
```

*type-name* specifies the type to which the expression should be converted.



 Using a cast expression to compute the fractional part of a float value:

```
float f, frac_part;
frac_part = f - (int) f;
```

- The difference between f and (int) f is the fractional part of f, which was dropped during the cast.
- Cast expressions enable us to document type conversions that would take place anyway:

```
i = (int) f; /* f is converted to int */
```



- Cast expressions also let us force the compiler to perform conversions.
- Example:

```
float quotient;
int dividend, divisor;

quotient = dividend / divisor;
```

- To avoid truncation during division, we need to cast one of the operands:
   quotient = (float) dividend / divisor;
- Casting dividend to float causes the compiler to convert divisor to float also.



- C regards ( type-name ) as a unary operator.
- Unary operators have higher precedence than binary operators, so the compiler interprets

```
(float) dividend / divisor

as
((float) dividend) / divisor
```

Other ways to accomplish the same effect:

```
quotient = dividend / (float) divisor;
quotient = (float) dividend / (float) divisor;
```



Casts are sometimes necessary to avoid overflow:

```
long i;
int j = 1000;
i = j * j;  /* overflow may occur */
```

Using a cast avoids the problem:

```
i = (long) j * j;
```

The statement

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```
i = (long) (j * j); /*** WRONG ***/
```

wouldn't work, since the overflow would already have occurred by the time of the cast.

## 4.5 Type Definitions

### Type Definitions

 The #define directive can be used to create a "Boolean type" macro:

```
#define BOOL int
```

- There's a better way using a feature known as a type definition:
   typedef int Bool;
- Bool can now be used in the same way as the built-in type names.
- Example:

```
Bool flag; /* same as int flag; */
```

• C99 has defined Bool as an unsigned integer with only values 1 (true) and 0 (false).

Bool flag = 5 > 3;

### Advantages of Type Definitions

- Type definitions can make a program more understandable.
- If the variables cash\_in and cash\_out will be used to store dollar amounts, declaring Dollars as

```
typedef float Dollars;
```

and then writing

```
Dollars cash in, cash out;
```

is more informative than just writing

```
float cash in, cash out;
```



### Advantages of Type Definitions (cont.)

- Type definitions can also make a program easier to modify.
- To redefine Dollars as double, only the type definition need be changed:

```
typedef double Dollars;
```

 Without the type definition, we would need to locate all float variables that store dollar amounts and change their declarations.



### Type Definitions and Portability

- Type definitions are an important tool for writing portable programs.
- One of the problems with moving a program from one computer to another is that types may have different ranges on different machines.
- If i is an int variable, an assignment like

```
i = 100000;
```

is fine on a machine with 32-bit integers, but will fail on a machine with 16-bit integers.



### Type Definitions and Portability (cont.)

- For greater portability, consider using typedef to define new names for integer types.
- Suppose that we're writing a program that needs variables capable of storing product quantities in the range 0–50,000.
- We could use long variables for this purpose, but we'd rather use int variables, since arithmetic on int values may be faster than operations on long values. Also, int variables may take up less space.



### Type Definitions and Portability (cont.)

 Instead of using the int type to declare quantity variables, we can define our own "quantity" type:

```
typedef int Quantity;
and use this type to declare variables:
Quantity q;
```

 When we transport the program to a machine with shorter integers, we'll change the type definition:

```
typedef long Quantity;
```

 Note that changing the definition of Quantity may affect the way Quantity variables are used.

### Type Definitions and Portability (cont.)

- The C library itself uses typedef to create names for types that can vary from one C implementation to another; these types often have names that end with t.
- Typical definitions of these types:

```
typedef long int ptrdiff_t;
typedef unsigned long int size_t;
typedef int wchar_t;
```

 The <stdint.h> header uses typedef to define names for integer types with a particular number of bits.

```
ex. int32_t;
```



#### The sizeof Operator

The value of the expression

```
sizeof ( type-name )
```

is an unsigned integer representing the number of bytes required to store a value belonging to *type-name*.

- sizeof (char) is always 1, but the sizes of the other types may vary.
- On a 32-bit machine, sizeof(int) is normally 4.



### The sizeof Operator (cont.)

- The sizeof operator can also be applied to constants, variables, and expressions in general.
  - If i and j are int variables, then sizeof(i) is 4 on a 32-bit machine, as is sizeof(i + j).
- When applied to an expression—as opposed to a type—sizeof doesn't require parentheses.
  - We could write sizeof i instead of sizeof(i).
- Parentheses may be needed anyway because of operator precedence.
  - The compiler interprets sizeof i + j as (sizeof i) + j, because sizeof takes precedence over binary +.

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#### The sizeof Operator (cont.)

- Printing a sizeof value requires care, because the type of a sizeof expression is an implementation-defined type named size\_t.
- In C89, it's best to convert the value of the expression to a known type before printing it:

• The printf function in C99 can display a size\_t value directly if the letter z is included in the conversion specification:

```
printf("Size of int: %zu\n", sizeof(int));
```



### 4.6 Bitwise Operation

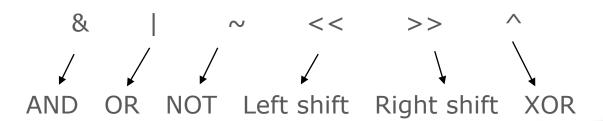
### Bitwise Operation

- Some kinds of programs need to perform operations at the bit level:
  - Systems programs (including compilers and operating systems)
  - Encryption programs
  - Graphics programs
  - Programs for which fast execution and/or efficient use of space is critical



#### Bitwise Operators

- C provides six bitwise operators, which operate on integer data at the bit level.
- Two of these operators perform shift operations.
- The other four perform bitwise complement, bitwise and, bitwise exclusive or, and bitwise inclusive or operations.





#### Bitwise Shift Operators

- The bitwise shift operators shift the bits in an integer to the left or right:
  - << left shift
  - >> right shift
- The operands for << and >> may be of any integer type (including char).



### Bitwise Shift Operators (cont.)

- The value of i << j is the result when the bits in i are shifted left by j places.
  - For each bit that is "shifted off" the left end of i, a zero bit enters at the right.
- The value of i >> j is the result when i is shifted right by j places.
  - If i is of an unsigned type or if the value of i is nonnegative, zeros are added at the left as needed.
  - If i is negative, the result is implementation-defined.



### Bitwise Shift Operators (cont.)

 Examples illustrating the effect of applying the shift operators to the number 13:

```
unsigned short i, j;

i = 13;
  /* i is now 13 (binary 000000000001101) */

j = i << 2;
  /* j is now 52 (binary 000000000110100) */

j = i >> 2;
  /* j is now 3 (binary 00000000000011) */
```



### Bitwise Shift Operators (cont.)

 To modify a variable by shifting its bits, use the compound assignment operators <<= and >>=:

```
i = 13;
  /* i is now 13 (binary 000000000001101) */
i <<= 2;
  /* i is now 52 (binary 000000000110100) */
i >>= 2;
  /* i is now 13 (binary 000000000001101) */
```

 The bitwise shift operators have lower precedence than the arithmetic operators, which can cause surprises:

$$i << 2 + 1 \text{ means } i << (2 + 1), \text{ not } (i << 2) + 1$$

- There are four additional bitwise operators:
  - bitwise complement
  - & bitwise and
  - bitwise exclusive or
  - bitwise inclusive or

X	У	x y	x&y	x^y
0	0	0	0	0
0	1	1	0	1
1	0	1	0	1
1	1	1	1	0

The ~ operator is unary; the other operators are binary.



Examples of the ~, &, ^, and | operators:

```
unsigned short i, j, k;
i = 21:
 /* i is now 21 (binary 000000000010101) */
j = 56;
/* j is now 56 (binary 000000000111000) */
k = \sim i:
  /* k is now 65514 (binary 1111111111101010) */
k = i \& j;
/* k is now 16 (binary 00000000010000) */
k = i ^ \dot{j};
 /* k is now 45 (binary 000000000101101) */
k = i \mid j;
 /* k is now
              61 (binary 000000000111101) */
```

- The ~ operator can be used to help make low-level programs more portable.
  - An integer whose bits are all 1: ~0
  - An integer whose bits are all 1 except for the last five:
     ~0x1f

```
0 00000000 00000000 0x1f 00000000 00011111
~0 1111111 11111111  ~0x1f 1111111 11100000
```



 Each of the ~, &, ^, and | operators has a different precedence:

```
Highest: ~ & .
```

Lowest: |

Examples:

Using parentheses helps avoid confusion.

The compound assignment operators &=, ^=, and
 |= correspond to the bitwise operators &, ^, and |:

```
i = 21;
  /* i is now 21 (binary 000000000010101) */
j = 56;
  /* j is now 56 (binary 00000000111000) */
i &= j;
  /* i is now 16 (binary 000000000010000) */
i ^= j;
  /* i is now 40 (binary 000000000101000) */
i \mid = j;
 /* i is now 56 (binary 000000000111000) */
```

- The bitwise operators can be used to extract or modify data stored in a small number of bits.
- Common single-bit operations:
  - Setting a bit
  - Clearing a bit
  - Testing a bit
- Assumptions:

- 00000000 00111000 15 0
- i is a 16-bit unsigned short variable.
- The leftmost—or most significant—bit is numbered
   15 and the least significant is numbered 0.

 Setting a bit. The easiest way to set bit 4 of i is to or the value of i with the constant 0x0010:

```
i = 0x0000;
  /* i is now 000000000000000000 */
i |= 0x0010;
  /* i is now 000000000010000 */
```

• If the position of the bit is stored in the variable j, a shift operator can be used to create the mask:

• Example: If j has the value 3, then 1 << j is 0x0008.



 Clearing a bit. Clearing bit 4 of i requires a mask with a 0 bit in position 4 and 1 bits everywhere else:

```
i = 0x00ff;
  /* i is now 0000000111111111 */
i &= ~0x0010;
  /* i is now 000000011101111 */
```

 A statement that clears a bit whose position is stored in a variable:

 Testing a bit. An if statement that tests whether bit 4 of i is set:

```
if (i & 0 \times 0010) ... /* tests bit 4 */
```

• A statement that tests whether bit ¬ is set:

```
if (i & 1 << j) ... /* tests bit j */
```

```
00000000 00001000 j 0
```



- Working with bits is easier if they are given names.
- Suppose that bits 0, 1, and 2 of a number correspond to the colors blue, green, and red, respectively.
- Names that represent the three bit positions:

• Examples of setting, clearing, and testing the BLUE bit:

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It's also easy to set, clear, or test several bits at a time:

```
i |= BLUE | GREEN;
  /* sets BLUE and GREEN bits */

i &= ~(BLUE | GREEN);
  /* clears BLUE and GREEN bits */

if (i & (BLUE | GREEN)) ...
  /* tests BLUE and GREEN bits */
```

• The if statement tests whether either the BLUE bit or the GREEN bit is set.



#### Using the Bitwise Operators to Access Bit-Fields

- Dealing with a group of several consecutive bits (a bitfield) is slightly more complicated than working with single bits.
- Common bit-field operations:
  - Modifying a bit-field
  - Retrieving a bit-field



- Modifying a bit-field. Modifying a bit-field requires two operations:
  - A bitwise and (to clear the bit-field)
  - A bitwise or (to store new bits in the bit-field)
- The & operator clears bits 4-6 of i; the | operator then sets bits 6 and 4.



- To generalize the example, assume that j contains the value to be stored in bits 4–6 of i.
- j will need to be shifted into position before the bitwise or is performed:

```
i = (i \& \sim 0x0070) | (j << 4);
/* stores j in bits 4-6 */ j << 4 00000000 010100000
```



 Retrieving a bit-field. Fetching a bit-field at the right end of a number (in the least significant bits) is easy:

```
j = i & 0x0007;
/* retrieves bits 0-2 */
0x0007
00000000
0000000
```

 If the bit-field isn't at the right end of i, we can first shift the bit-field to the end before extracting the field using the & operator:



#### Program: XOR Encryption

- One of the simplest ways to encrypt data is to exclusive-or (XOR) each character with a secret key.
- Suppose that the key is the & character.
- XORing this key with the character z yields the \ character:

```
XOR 01111010 (ASCII code for &) 01111010 (ASCII code for z) 01011100 (ASCII code for \)
```



Decrypting a message is done by applying the same algorithm:

```
XOR 01011100 (ASCII code for &) 01011100 (ASCII code for \) 01111010 (ASCII code for z)
```



- The xor.c program encrypts a message by XORing each character with the & character.
- The original message can be entered by the user or read from a file using input redirection.
- The encrypted message can be viewed on the screen or saved in a file using output redirection.
- A sample file named msg:

Trust not him with your secrets, who, when left alone in your room, turns over your papers.

--Johann Kaspar Lavater (1741-1801)



 A command that encrypts msg, saving the encrypted message in newmsg:

```
xor < msg > newmsg
```

Contents of newmsg:

```
rTSUR HIR NOK QORN _IST UCETCRU, QNI, QNCH JC@R GJIHC OH _IST TIIK, RSTHU IPCT _IST VGVCTU.
--linghh mguvgt jgpgrct (1741-1801)
```

 A command that recovers the original message and displays it on the screen:

```
xor < newmsg
```



- The xor.c program won't change some characters, including digits.
- XORing these characters with & would produce invisible control characters, which could cause problems with some operating systems.
- The program checks whether both the original character and the new (encrypted) character are printing characters.
- If not, the program will write the original character instead of the new character.



# Program: XOR Encryption (cont.)

```
xor.c
#include <ctype.h>
#include <stdio.h>
#define KEY '&'
int main (void)
  int orig char, new char;
 while ((orig char = getchar()) != EOF) {
    new char = orig char ^ KEY;
    if (isprint(orig char) && isprint(new_char))
      putchar(new char);
    else
      putchar(orig char);
  return 0;
```

#### A Quick Review to This Lecture

- Integer types: (all can be signed or unsigned) short int / int / long int / long long int
- Floating types: (usually IEEE Standard 754) float / double / long double
- Character types: char / signed char / unsigned char
- Boolean type (C99): (unsigned, 0 or 1)
   \_Bool



Types of integer constants

```
L or l for long int (ex. 15L)
U or u for unsigned int (ex. 15U 15uL)
LL or ll for long long int (ex. 15LL 15Ull)
```

Different bases for integer begin with non-zero: decimal (ex. 19) begin with zero: octal (ex. 017) begin with 0x or 0X: hexadecimal (ex. 0xff 0XFf)

 Integer Overflow signed integer: undefined behavior unsigned integer: correct answer modulo 2<sup>n</sup> (n: number of bits)



Reading and writing integers

```
%h for short
%l for long
%ll for long long
%d for signed int
%u, %o, %x for unsigned int (base 10, 8, 16)
(ex. printf("%ld", var); //signed long (base 10))
```

• Floating constants (must contain a decimal point and/or an exponent) 57.0 can be expressed as

```
57.0 57.0e0 57E0 5.7e1 5.7e+1 .57e2 570.e-1 (e for power of 10)
```



Types of floating constants
 F or f for float (ex. 57.0F)
 (default) for double (ex. 57.0)
 L or l for long double (ex. 57.0L 57.0L)

- Reading and writing floating-point numbers
- scanf
  %e, %f, %g for float
  %le, %lf, %lg for double
  %Le, %Lf, %Lg for long double
  printf
  %e, %f, %g for float or double
  %Le, %Lf, %Lg for long double

- Character assignment
   char ch = 'a' // single quote, not double quote
- C treats characters as small integers (mostly ASCII / Latin-1 codes)
- Character constants have int type rather than char type
- Converting a lower-case letter to upper case

```
1. if ('a' <= ch && ch <= 'z') // ASCII assumed
      ch = ch - 'a' + 'A';</pre>
```

- 2. #include <ctype.h>
   ch = toupper(ch); // character set independent
- C allows the use of the words signed and unsigned to modify char:

```
signed char sch;
unsigned char uch;
```



- Character Escapes
- Using macro to define nonprintable characters

#define ESC '\33'

Name	Char	Oct	Hex	Dec
Alert (bell)	\a	\7	\x07	7
Backspace	\b	\10	\x08	8
Form feed	\f	\14	\x0c	12
New line	\n	\12	\x0a	10
Carriage return	\r	\15	\x0d	13
Horizontal tab	\t	\11	\x09	9
Vertical tab	\v	\13	\x0b	11
Backslash	\\	\134	\x27	92
Question mark	/?	\77	\x22	63
Single quote	\ '	\47	\x5c	39
Double quote	\"	\42	\x3f	34

Rarely used



Reading and writing characters

```
1. printf() and scanf(): using %c
2. putchar(ch);  // faster
  ch = getchar();  // return int, faster
```

- scanf and getchar do not skip white-space characters.
- To force scanf to skip white space before reading a character:

```
scanf(" %c", &ch);
space
```

 Be careful when mixing getchar and scanf. scanf leaves behind characters that it has "peeked" at but not read,



• Ignoring all remaining characters in the current input line:

```
do {
    scanf("%c", &ch);
} while (ch != '\n');

do {
    ch = getchar();
} while (ch != '\n');

while (getchar() != '\n')
;

(when the ch variable isn't even needed)
```

• Using getchar to skip an indefinite number of blank characters:

```
while ((ch = getchar()) == ' ')
:
```



- Implicit type conversion usual arithmetic conversion or assignment conversion
- Usual arithmetic conversion
  - The type of either operand is a floating type.
     (other type) -> float -> double -> long double
  - Neither operand type is a floating type.
     Integral promotion:
     int -> unsigned int -> long int -> unsigned long int
- Assignment conversion
   Right side is converted to left side



Explicit type conversion (using cast operator)

```
( type-name ) expression
```

Computing the fractional part of a float value:

```
float f, frac_part;
frac part = f - (int) f;
```

• To avoid truncation during division, we need to cast one operand:

```
float quotient;
int dividend, divisor;
quotient = (float) dividend / divisor;
```

Casts are sometimes necessary to avoid overflow:

```
long i;
int j = 1000;
i = (long) j * j;
```

Type definition

```
    #define BOOL int
    typedef int Bool; // better
```

- <stdint.h> header defines integer types with particular sizes int32 t i;
- sizeof operator returns required bytes (size\_t) to store a value sizeof (type-name) sizeof (expression) or sizeof expression
- Print returned value of sizeof

