

# Dynamic Simulator Interface Definition

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October 21, 2019

## 1 Symbolic Definition File

All mathematical models of the Dynamic Simulator are described by differential, switched algebraic and state-reset (DSAR) equations which is known as:

$$\dot{x} = f(x, y, z, \lambda) \quad (1)$$

$$\dot{z} = 0 \quad (2)$$

$$0 = g^{(0)}(x, y, z, \lambda) \quad (3)$$

$$0 = \begin{cases} g^{(i-)}(x, y, z, \lambda) & y_{s,i} < 0 \\ g^{(i+)}(x, y, z, \lambda) & y_{s,i} > 0 \end{cases} \quad i = 1, \dots, s \quad (4)$$

$$z^+ = h_j(x^-, y^-, z^-, \lambda) \quad y_{r,j} = 0 \quad j = 1, \dots, r \quad (5)$$

It can easily be seen, that (1) describes the differential equations, (3) and (4) the so called switched algebraic equations and (5) the state reset equations, where

- $x$  are continuous dynamic states e.g. Rotor frequency ( $\omega$ ) of synchronous machines
- $z$  are discrete states e.g. Tap position of the tap-changing transformer (*tap*).
- $y$  are algebraic states e.g. Bus voltage magnitudes ( $|V|$ )
- $\lambda$  are parameters e.g. Controller gains ( $K_{pss}$ ), line reactances

of the system. The superscript  $-$  stands for pre-event values and  $+$  for post event values. At the beginning, the system behavior is described by the DAE given in (1) and (3). A transition to another set of DAE takes place if the corresponding transition condition is fulfilled. Such transition conditions are checked by means of so called *event variables*  $y_s$  and  $y_r$ . The  $y_s$  determine the switching events and  $y_r$  state reset events. An event is triggered by an element of  $y_s$  changing sign and/or an element of  $y_r$  passing through zero. By switching events, which are caused by  $y_s$  sign changes, the functional description of the system is changed from  $g^{(i-)}(x, y)$  to  $g^{(i+)}(x, y)$ . If we look at the formulation (2) and (5), we see that the discrete states  $z$  are constant between events ( $\dot{z} = 0$ ) and at state reset events caused by  $y_r$  the values of the discrete states change according to the state reset functions  $h_j$ . At state reset events, the values of dynamic states  $x$  are continuous, which is most often the case in physical systems. The equations (1)-(5) capture all the important aspects of a hybrid system.

The simulation kernel needs the models to be described in the DSAR structure, and for the numerical simulation each model has to provide the kernel with the model functions

$f, g, h$ , with their partial derivatives  $f_x, f_y, g_x, g_y$  and the event variables  $y_s, y_r$  for event handling.

Definitions of the model descriptors  $f, g$  and  $h$  are normally known by the user. But sometimes the analytical calculation of the required partial derivatives ( $f_x, f_y, g_x, g_y$ ) can be really time consuming. To ease the model creation for the user, an automatic code generation tool has been implemented called **tda\_create\_symbolically\_normal**

The user simply writes the model equations in the required DSAR structure in a text file called *Symbolic Definition File* (SYMDEF), by defining the variables

- continuous dynamic states  $x$
- discrete states  $z$
- algebraic states  $y$ 
  - inputs
  - external states
  - internal states
- event variables  $y_r$  and  $y_s$
- parameters  $\lambda$

and equations

- differential equations  $f$
- switched-algebraic equations  $g$
- state-reset equations  $h$

**tda\_create\_symbolically\_normal** processes the Symbolic Definition File of the model and creates a matlab code of the model with the necessary interface functions.

As an example, let us try to define the Symbolic Definition File of a Constant Gain Voltage Regulator depicted in Figure 1. As shown in Figure 1 the controller has following

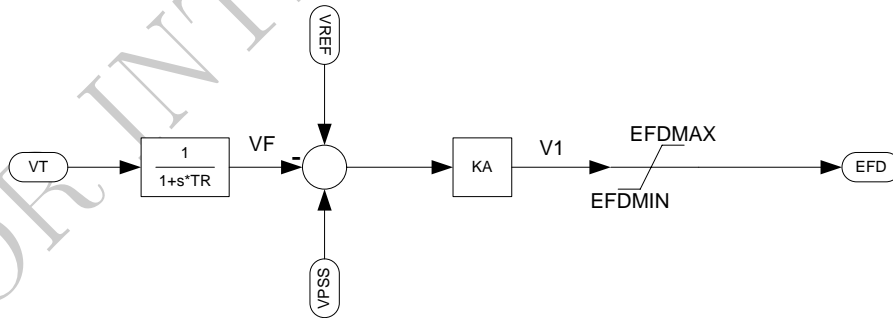


Figure 1: Constant Gain AVR with limits

variables:

- continuous dynamic states:  $x_1$
- inputs:  $V_T, V_{PSS}, V_{REF}$
- external states:  $E_{FD}$

- internal states:  $V_F, V_1$
- event variables:  $ev_{min}$  and  $ev_{max}$
- parameters:  $T_R, K_A, E_{FD}^{min}$  and  $E_{FD}^{max}$

The template for a SYMDEF file shown below. The symbolic definition file has different sections.

- Section starting with the label **definitions:** contains all the variables and parameters of the model with their specific types.
- In the section starting with the label **f\_equations:**, the first order ordinary differential equations  $f$  of the model are given, where the  $[dt()]$  stands for the derivative operator.
- Section starting with the label **g\_equations:** comprises all the switched-algebraic equations  $g$  of the model. The  $g$ -equations must have unique names (e.g.  $g_1, g_2, g_3$ ).
- And finally, section starting with the label **h\_equations:** comprehends the state reset equations  $h$  of the model.

In the definitions section, different keywords are used to define the correctly the variables and parameters of the model, namely:

- continuous dynamic states ...  $x$  ... [**dynamic\_states**]
- inputs ...  $y_{ext}$  ... [**inputs**]
- external states ...  $y_{ext}$  ... [**external\_states**]
- internal states ...  $y_i$  ... [**internal\_states**]
- event variables ...  $y_r, y_s$  ... [**events**]
- parameters ...  $\lambda$  ... [**parameters**]

The Symbolic Definition File of a Constant Gain Voltage Regulator could be defined as:

**Note:** The exclamation mark "!" signs in front of event variable tells the simulator kernel to stop and to re-initialize the system if this event (a sign change in this variable) is recognized. The  $+/-$  signs in front of event variable gives the direction of the sign change, when the event is triggered. A  $+$  sign means, an event will be triggered if the event variable changes sign from  $-$  to  $+$ .

Another possibility for writing your models in a SYMDEF file is to use predefined macros. There is a library of predefined macros which eases the model description for the user by using standard transfer function.

For example the same controller written with the macros would look like as follows:

---

## 2 Blocks for Symdef

### 1.1 INTEGRATOR

*Transferfunction:*

$$y_1 = \frac{K}{s} \cdot u_1$$

*Function call:*

`y1 = integ(u1,x1,K,min,max,expr)`

*Function arguments:*

y1 .....output  
u1 .....input  
x1 .....state  
K.....parameter  
min .....lower limit ["none" if no lower limit exists lower limit exists]  
max.....upper limit ["none" if no lower limit exists upper limit exists]  
expr .....if empty, automatic calculation of initial value of x1, if not the initial value of x1 is calculated such that expr=0 is fulfilled.

*Limit Type:Non-windup*

*Example:*

```
%-----  
definitions:  
%-----  
dynamic_states dV=1  
internal_states V=1 U1  
parameters K=10 VMIN V1MAX  
  
%-----  
g_equations:  
%-----  
g1 = V - integ(U1,dV,K,VMIN,VMAX) % with min max limits  
  
g1 = V - integ(U1,dV,K,VMIN,VMAX,dV-2.15) % initialize such that  
                                         (dV-2.15)=0 -> dV=2.15
```

## 1.2 LAG

Transferfunction:

$$y_1 = \frac{K}{1+sT} \cdot u_1$$

Function call:

`y1 = lag(u1,x1,K,T,min,max)`

Function arguments: *y1*

output

u1 .....input  
 x1 .....state  
 K.....parameter  
 T.....parameter  
 min .....lower limit ["none" if no lower limit exists lower limit exists]  
 max.....upper limit ["none" if no lower limit exists upper limit exists]  
 expr .....if empty, automatic calculation of initial value of x1, if not the initial value of x1 is calculated such that expr=0 is fulfilled.

Limit Type:Non-windup

Example:

```
%-----
definitions:
%-----
dynamic_states dV=1
internal_states V=1 U1 Y1
parameters K=10 T=0.01 VMIN VMAX

%-----
g_equations:
%-----
g1 = V - lag(U1,dV,K,T,VMIN,VMAX) % with min max limits

g1 = V - lag(U1,dV,K,T,VMIN,VMAX,Y1-U1) %
```

### 1.3 DERLAG

*Transferfunction:*

$$y_1 = \frac{K \cdot sT_D}{1 + sT_D} \cdot u_1$$

*Function call:*

y1 = derlag(u1,x1,K,TD,min,max)

*Function arguments:*

y1 .....output  
u1 .....input  
x1 .....state  
K.....parameter  
TD.....parameter  
min .....lower limit ["none" if no lower limit exists lower limit exists]  
max.....upper limit ["none" if no lower limit exists upper limit exists]

*Limit Type:Windup*

*Example:*

```
%-----  
definitions:  
%-----  
dynamic_states dV=1  
internal_states V=1 U1  
parameters KA=10 TA=0.01 VMIN V1MAX  
  
%-----  
g_equations:  
%-----  
g1 = V - derlag(U1,dV,K,TD,VMIN,VMAX) % with min max limits
```

## 1.4 LEADLAG

*Transferfunction:*

$$y_1 = K \cdot \frac{1 + sT_Z}{1 + sT_N} \cdot u_1$$

*Function call:*

y1 = leadlag(u1,x1,K,TZ,TN,min,max)

*Function arguments:*

y1 .....output  
u1 .....input  
x1 .....state  
K.....parameter  
TZ .....parameter  
TN .....parameter  
min .....lower limit ["none" if no lower limit exists lower limit exists]  
max.....upper limit ["none" if no lower limit exists upper limit exists]

*Limit Type: Windup*

*Example:*

```
%-----  
definitions:  
%-----  
dynamic_states dV=1  
internal_states V=1 U1  
parameters K=10 TZ=0.01 TN=0.01 VMIN V1MAX  
  
%-----  
g_equations:  
%-----  
g1 = V - leadlag(U1,dV,K,TZ,TN,VMIN,VMAX) % with lower and upper limits
```

## 1.5 RATIONALE TRANSFER N<sup>TH</sup> ORDER

Transferfunction:

$$y_1 = \frac{b_0 + b_1 \cdot s + b_2 \cdot s^2 + \dots + b_N \cdot s^N}{a_0 + a_1 \cdot s + a_2 \cdot s^2 + \dots + a_N \cdot s^N} \cdot u_1$$

Function call:

$y_1 = rN(u_1, x_1, x_2, \dots, x_N, A_0, A_1, A_2, \dots, A_N, B_0, B_1, B_2, \dots, B_N, \text{min}, \text{max})$   
 $N = \{2, 3, 4\}$

Function arguments:

y1 .....output  
u1 .....input  
x1-xN .....state  
A0-AN .....parameter  
B0-BN .....parameter  
min .....lower limit ["none" if no lower limit exists lower limit exists]  
max .....upper limit ["none" if no lower limit exists upper limit exists]

Limit Type: Windup

Example:

```
%-----
definitions:
%-----
dynamic_states x1 x2 x3 ..XN=1
internal_states V=1 U1
parameters A0=1 A1 ..... AN B0 B1 B2 .....BN VMIN V1MAX

%-----
g_equations:
%-----
g1 = V - r2(U1,x1,x2,A0,A1,A2,B0,B1,B2,VMIN,VMAX)
g1 = V - r3(U1,x1,x2,x3,A0,A1,A2,A3,B0,B1,B2,B3,VMIN,VMAX)
g1 = V - r4(U1,x1,x2,x3,x4,A0,A1,A2,A3,A4,B0,B1,B2,B3,B4,VMIN,VMAX)
```



---

## 1.6 TABLE

*Transferfunction:*

`y1 = lookup(u1)`

*Function call:*

`y1 = table(u1,X1,Y1,X2,Y2,.....XN,YN)`

*Function arguments:*

y1 .....output  
u1 .....input  
K.....parameter  
X1 Y1 .....point pairs

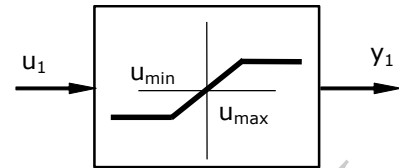
*Example:*

```
%-----  
definitions:  
%-----  
internal_states U1=1 Y1  
  
%-----  
g_equations:  
%-----  
g1 = Y1 - table(U1,0.0,0.0,1.0,0.8,1.1,0.85) % with lower and upper limits
```

## 1.7 LIMIT

Transferfunction:

$$\begin{aligned} u_1 &\geq u_{\max} & y_1 &= u_{\max} \\ u_{\min} &< u_1 < u_{\max} & y_1 &= u_1 \\ u_1 &\leq u_{\min} & y_1 &= u_{\min} \end{aligned}$$



Function call:

```
y1 = limit(u1,min,max)
y1 = limit(u1,min,max, nolimitforinit)
```

Function arguments:

y1 .....output  
u1 .....input  
min .....lower limit ["none" if no lower limit exists lower limit exists]  
max.....upper limit ["none" if no lower limit exists upper limit exists]  
nolimitforinit .....if 1 limits will be ignored during initialization

Example:

```
%-----
definitions:
%-----
internal_states u1=1 y1

%-----
g_equations:
%-----
g1 = y1 - limit(u1,0,0,1,0) % with lower and upper limits
g1 = y1 - limit(u1,0,0,1,0,1) % with lower and upper limits and the limits
will be ignored during initialization
```

---

## 1.8 LV GATE

*Transferfunction:*

$$y_1 = \min(u_1, u_2)$$

*Function call:*

`y1 = min(u1,u2)`

*Function arguments:*

y1 .....output  
u1 .....input  
u2 .....input

*Example:*

```
%-----  
definitions:  
%-----  
internal_states u1 u2 y1  
  
%-----  
g_equations:  
%-----  
g1 = y1 - min(u1,u2)
```

---

## 1.9 HV GATE

*Transferfunction:*

$$y_1 = \max(u_1, u_2)$$

*Function call:*

$$y_1 = \max(u_1, u_2)$$

*Function arguments:*

y1 .....output  
u1 .....input  
u2 .....input

*Example:*

```
%-----  
definitions:  
%-----  
internal_states u1 u2 y1  
  
%-----  
g_equations:  
%-----  
g1 = y1 - max(u1,u2)
```

---

## 1.10 SATURATION QUADRATIC

*Transferfunction:*

if  $u_1 > \max$  :       $y_1 = \max$   
if  $u_1 < \min$  :       $y_1 = \min$   
otherwise               $y_1 = u_1$

*Function call:*

$y_1 = \text{saturation1}(u_1, E_1, SE_1, E_2, SE_2)$

*Function arguments:*

$y_1$  .....output  
 $u_1$  .....input  
 $E_1$  .....parameter  
 $SE_1$  .....parameter  
 $E_2$  .....parameter  
 $SE_2$  .....parameter

*Example:*

```
%-----  
definitions:  
%-----  
internal_states u1 y1  
  
%-----  
g_equations:  
%-----  
g1 = y1 - saturation1(u1,E1,SE1,E2,SE2) %
```

---

### **1.11 STATIC EXCITER**

*Transferfunction:*

*Function call:*

y1 = statexc (u1)

*Function arguments:*

y1 .....output

u1 .....input

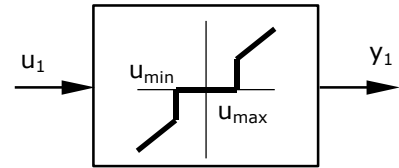
*Example:*

```
%-----  
definitions:  
%-----  
internal_states u1 y1  
  
%-----  
g_equations:  
%-----  
g1 = y1 - statexc (u1) %
```

## 1.12 DEADBAND

Transferfunction:

$$\begin{aligned} u_1 &\geq u_{\max} & y_1 &= K_1 \cdot u_1 - K_2 \cdot u_{\max} \\ u_{\min} &< u_1 < u_{\max} & y_1 &= 0 \\ u_1 &\leq u_{\min} & y_1 &= K_1 \cdot u_1 - K_2 \cdot u_{\min} \end{aligned}$$



Function call:

`y1 = deadband (u1,K1,K2,min,max)`

Function arguments:

`y1` .....output  
`u1` .....input  
`E1` .....parameter  
`SE1` .....parameter  
`E2` .....parameter  
`SE2` .....parameter

Example:

```

%-----
definitions:
%-----
internal_states u1 y1
parameters K1 K2 min max
%-----
g_equations:
%-----
g1 = y1 - deadband (u1,K1,K2,min,max) %
  
```

---

### 1.13 ABSOLUTE VALUE

*Transferfunction:*

$$u_1 > 0 \quad y_1 = u_1$$

$$u_1 < 0 \quad y_1 = -u_1$$

*Function call:*

y1 = absval (u1)

*Function arguments:*

y1 .....output

u1 .....input

*Example:*

```
%-----  
definitions:  
%-----  
internal_states u1 y1  
  
%-----  
g_equations:  
%-----  
g1 = y1 - absval(u1) %
```



---

## **1.14 SIGNUM**

*Transferfunction:*

*Function call:*

y1 = absval (u1)

*Function arguments:*

y1 .....output

u1 .....input

*Example:*

```
%-----  
definitions:  
%-----  
internal_states u1 y1  
  
%-----  
g_equations:  
%-----  
g1 = y1 - signval(u1) %
```

---

## 1.15 MAGNITUDE

*Transferfunction:*

*Function call:*

y1 = magnitude (u1,u2,K)

*Function arguments:*

y1 .....output  
u1 .....input  
u2 .....input  
K.....parameter

*Example:*

```
%-----  
definitions:  
%-----  
internal_states u1 u2 y1  
parameters K1  
  
%-----  
g_equations:  
%-----  
g1 = y1 - magnitue(u1,u2,K1) %
```

---

## 1.16 SATURATION1

*Transferfunction: Quadratic Saturation Function*

*Function call:*

y1 = saturation (u1, E1,SE1,E2,SE2)

*Function arguments:*

y1 .....output  
u1 .....input  
E1 .....parameter  
SE1 .....parameter  
E2 .....parameter  
SE2 .....parameter

*Example:*

```
%-----  
definitions:  
%-----  
internal_states u1 y1  
parameters K1  
  
%-----  
g_equations:  
%-----  
g1 = y1 - saturation1(u1,E1,SE1,E2,SE2) %
```

---

## 1.17 AND

*Transferfunction:*

$y1 = 1$  if all inputs are larger than 0.5  
otherwise  $y1 = 0$

*Function call:*

$y1 = \text{and}(u1, u2, \dots, un)$

*Function arguments:*

$y1$  .....output  
 $u1..un$  .....input

*Example:*

```
%-----  
definitions:  
%-----  
internal_states u1 u2 u3 y1  
  
%-----  
g_equations:  
%-----  
g1 = y1 - and(u1,u2,u3) %
```

---

## 1.18 BOOL AND

*Transferfunction:*

assumes that all inputs are boolean variables 0 or 1

y1 = 1 if all inputs are 1

otherwise y1 = 0

*Function call:*

y1 = bool\_and (u1,u2,...un)

*Function arguments:*

y1 .....output

u1..un .....input

*Example:*

```
%-----  
definitions:  
%-----  
internal_states u1 u2 u3 y1  
  
%-----  
g_equations:  
%-----  
g1 = y1 - bool_and(u1,u2,u3) %
```

---

**1.19 OR**

*Transferfunction:*

$y_1 = 1$  if one of the inputs are larger than 0.5  
otherwise  $y_1 = 0$

*Function call:*

$y_1 = \text{or}(u_1, u_2, \dots, u_n)$

*Function arguments:*

$y_1$  .....output  
 $u_1..u_n$  .....input

*Example:*

```
%-----  
definitions:  
%-----  
internal_states u1 u2 u3 y1  
  
%-----  
g_equations:  
%-----  
g1 = y1 - or(u1,u2,u3) %
```

---

## 1.20 BOOL OR

*Transferfunction:*

assumes that all inputs are boolean variables 0 or 1

$y1 = 1$  if one of the inputs is 1

otherwise  $y1 = 0$

*Function call:*

$y1 = \text{bool\_or}(u1, u2, \dots, un)$

*Function arguments:*

$y1$  .....output

$u1..un$  .....input

*Example:*

```
%-----  
definitions:  
%-----  
internal_states u1 u2 u3 y1  
  
%-----  
g_equations:  
%-----  
g1 = y1 - bool_or(u1,u2,u3) %
```

---

## 1.21 SELECT

*Transferfunction:*

```
if u1 > 0.5
    y1 = u2
else
    y1 = u3
```

*Function call:*

```
y1 = select(u1,u2,u3)
```

*Function arguments:*

```
y1 .....output
u1..u3 .....input
```

*Example:*

```
%-----
definitions:
%-----
internal_states u1 u2 u3 y1

%-----
g_equations:
%-----
g1 = y1 - select(u1,u2,u3) %
```



---

## 1.22 BOOL SELECT

*Transferfunction:*

assumes that u1 is a boolean variable 0 or 1

if u1==1

    y1 = u2

else

    y1 = u3

*Function call:*

y1 = bool\_select(u1,u2,u3)

*Function arguments:*

y1 .....output

u1..u3 .....input

*Example:*

```
%-----  
definitions:  
%-----  
internal_states u1 u2 u3 y1  
  
%-----  
g_equations:  
%-----  
g1 = y1 - bool_select(u1,u2,u3) %
```

---

### 1.23 IsEQUAL

*Transferfunction:*

```
if u1==u2
    y1 = 1
else
    y1 = 0
```

*Function call:*

```
y1 = isequal(u1,u2)
```

*Function arguments:*

```
y1 .....output
u1..u2 .....inputs
```

*Example:*

```
%-----
definitions:
%-----
internal_states u1 u2 y1

%-----
g_equations:
%-----
g1 = y1 - isequal(u1,u2) %
```

---

## 1.24 LESS ZERO

*Transferfunction:*

```
if u1<0
    y1 = 1
else
    y1 = 0
```

*Function call:*

```
y1 = less_zero(u1)
```

*Function arguments:*

```
y1 .....output
u1 .....inputs
```

*Example:*

```
%-----
definitions:
%-----
internal_states u1 y1

%-----
g_equations:
%-----
g1 = y1 - less_zero(u1) %
```

---

## 1.25 LESS OR EQUAL ZERO

*Transferfunction:*

```
if u1<=0
    y1 = 1
else
    y1 = 0
```

*Function call:*

```
y1 = less_or_eq_zero (u1)
```

*Function arguments:*

```
y1 .....output
u1 .....inputs
```

*Example:*

```
%-----
definitions:
%-----
internal_states u1 y1

%-----
g_equations:
%-----
g1 = y1 - less_or_eq_zero (u1) %
```

---

## 1.26 GREATER ZERO

*Transferfunction:*

```
if u1>0
    y1 = 1
else
    y1 = 0
```

*Function call:*

```
y1 = greater_zero(u1)
```

*Function arguments:*

```
y1 .....output
u1 .....inputs
```

*Example:*

```
%-----
definitions:
%-----
internal_states u1 y1

%-----
g_equations:
%-----
g1 = y1 - greater_zero(u1) %
```

---

## 1.27 GREATER OR EQUAL ZERO

*Transferfunction:*

```
if u1>=0
    y1 = 1
else
    y1 = 0
```

*Function call:*

```
y1 = greater_or_eq_zero (u1)
```

*Function arguments:*

```
y1 .....output
u1 .....inputs
```

*Example:*

```
%-----
definitions:
%-----
internal_states u1 y1

%-----
g_equations:
%-----
g1 = y1 - greater_or_eq_zero (u1) %
```

---

## 1.28 DISCRETE STATE CHANGE

*Function call:*

y1 = changestate (u1,u2,u3,z1)

*Transferfunction:*

if u1 changes from 0 to 1, the new value of the discrete state z1, will be set to u2.

y1 = z1

with u3 the initial value of the discrete state z1 is set

*Function arguments:*

y1 .....output  
u1 .....input  
u2 .....input  
u3 .....input  
z1 .....discrete state

*Example:*

```
%-----  
definitions:  
%-----  
dynamic_states z1  
internal_states WAITDONE TAPPOSITION  
parameters TAPSTEP=0.0125 TAP0=1  
%-----  
g_equations:  
%-----  
g1 = TAPPOSITION - changestate(WAITDONE,z1+TAPSTEP,TAP0,z1)%
```

---

## 1.29 HIT VALUE

*Function call:*

`y1 = hit(u1,value,direction,duration)`

*Transferfunction:*

if u1 hits the "value" parameter when rising "direction=1" or "direction=-1" falling, an impluse .of "duration" will be generated

*Function arguments:*

y1 .....output  
u1 .....input  
value .....Parameter  
direction.....Parameter  
duration .....Parameter

*Example:*

```
%-----  
definitions:  
%-----  
internal_states u1 VHITMIN VHITMAX  
%-----  
g_equations:  
%-----  
g1 = VHITMIN - hit(u1,0.95,-1,0.001)% hit while falling  
g2 = VHITMAX - hit(u1,1.1,1,0.001)% hit while rising
```



---

### **1.30 RELAY**

*Function call:*

`y1 = relay(u1,minval,maxval,minout,maxout)`

*Transferfunction:*

If `u1` is greater than an adjustable value `maxval`, the output `y1` is `maxout`. If `y1` was `maxout`, `y1` changes to `minout`, if `u1` becomes less than `minval`

*Function arguments:*

`y1` .....output  
`u1` .....input  
`minval` .....Parameter  
`maxval`.....Parameter  
`minout`.....Parameter  
`maxout` .....Parameter

*Example:*

```
%-----  
definitions:  
%-----  
internal_states u1 y1  
parameters minval maxval minout maxout  
%-----  
g_equations:  
%-----  
g1 = y1 - relay(u1,minval,maxval,minout,maxout)
```

---

### **1.31 PICKUP**

*Function call:*

`y1 = pickup (u1,delay)`

*Transferfunction:*

A pickup of u1 from 0 to 1 is transferred to the output y1 delayed by a time interval "delay". If u1 resets to 0 before, y1 is not changed.

*Function arguments:*

y1 .....output  
u1 .....input  
delay .....Parameter

*Example:*

```
%-----  
definitions:  
%-----  
internal_states u1 y1  
parameters delay  
%-----  
g_equations:  
%-----  
g1 = y1 - pickup(u1,delay)
```

---

**1.32****RESET**

*Function call:*

`y1 = reset (u1,delay)`

*Transferfunction:*

A reset of  $u_1$  from 1 to 0 is transferred to the output  $y_1$  delayed by a time interval  $\Delta t$ .

*Function arguments:*

`y1` .....output  
`u1` .....input  
`delay` .....Parameter

*Example:*

```
%-----  
definitions:  
%-----  
internal_states u1 y1  
parameters delay  
%-----  
g_equations:  
%-----  
g1 = y1 - pickup(u1,delay)
```

---

### **1.33 PICKUPRESET**

*Function call:*

y1 = pickupreset (u1,Tpickup,Treset)

*Transferfunction:*

Combination of the Pickup and reset blocks.

*Function arguments:*

y1 .....output  
u1 .....input  
Tpickup .....Parameter  
Treset .....Parameter

*Example:*

```
%-----  
definitions:  
%-----  
internal_states u1 y1  
parameters Tpickup Treset  
%-----  
g_equations:  
%-----  
g1 = y1 - pickupreset(u1,Tpickup,Treset)
```

---

### 1.34 TIMER

*Function call:*

y1 = timer(start,stop)

*Transferfunction:*

if "start" variable changes from 0 to 1 a timer will start and y1 is the time value.

if "stop" variable changes from 0 to 1 a timer will stop and the time value will be reset to 0

*Function arguments:*

y1 .....output

start .....input

stop.....input

*Example:*

```
%-----  
definitions:  
%-----  
internal_states TIMERVALUE TIMERSTART TIMERSTOP  
%-----  
g_equations:  
%-----  
g1 = TIMERVALUE - timer(TIMERSTART,TIMERSTOP)
```

---

### **1.35 SAMPLE DELAY**

*Transferfunction:*

*Samples the input every TSAMPLE seconds and an dthe output is equal to the delay input by NDELAY samples*

*Function call:*

`y1 = sampledelay(u1,TSAMPLE,NDELAY)`

*Function arguments:*

`y1` .....output  
`u1` .....input  
`TSAMPLE` .....parameters  
`NDELAY` .....parameters

*Example:*

```
%-----  
definitions:  
%-----  
internal_states u1 y1  
parameters TSAMPLE NDELAY  
  
%-----  
g_equations:  
%-----  
g1 = y1 - sampledelay(u1, TSAMPLE,NDELAY) %
```

---

**1.36 TABLE**

*Transferfunction:*

*approximates the input according to the 2 dimensional array X and Y*

*Function call:*

y1 = table(u1,X1,Y1,X2,Y2,...XN,YN)

*Function arguments:*

y1 .....output  
u1 .....input  
X1 .....parameters  
Y1 .....parameters  
XN.....parameters  
YN.....parameters

*Example:*

```
%-----  
definitions:  
%-----  
internal_states u1 y1  
parameters X1 Y1 X2 Y2 X3 Y3  
  
%-----  
g_equations:  
%-----  
g1 = y1 - table(u1, X1,Y1,X2,Y2,X3,Y3) %
```

### 1.37 PI CTRL

Transferfunction:

$$y_1 = \left( K_p + \frac{K_I}{s} \right) \cdot u_1$$

Function call:

```
y1 = pictrl(u1,x1,KP,KI,min|[none],max|[none])
y1 = pictrl(u1,x1,KP,KI,min|[none],max|[none],nolimitforinit=1)
y1 = pictrl(u1,x1,KP,KI,min|[none],max|[none],nolimitforinit=1,x0)
```

Function arguments:

y1 .....output  
u1 .....input  
x1 .....state  
KP .....parameter  
KI.....parameter  
min .....lower limit ["none" if no lower limit exists lower limit exists]  
max.....upper limit ["none" if no lower limit exists upper limit exists]

Example:

```
%-----
definitions:
%-----
dynamic_states dV=1
internal_states V=1 U1
parameters Kp=10 Ki=0.1 VMIN V1MAX

%-----
g_equations:
%-----
g1 = V - pictrl(U1,dV,Kp,Ki,VMIN,VMAX) % with min max limits

g1 = V - pictrl (U1,dV,Kp,Ki,VMIN,VMAX, dV-2.15) % initialize such that
                                         (dV-2.15)=0 -> dV=2.15
```



---

FOR INTERNAL USE ONLY