



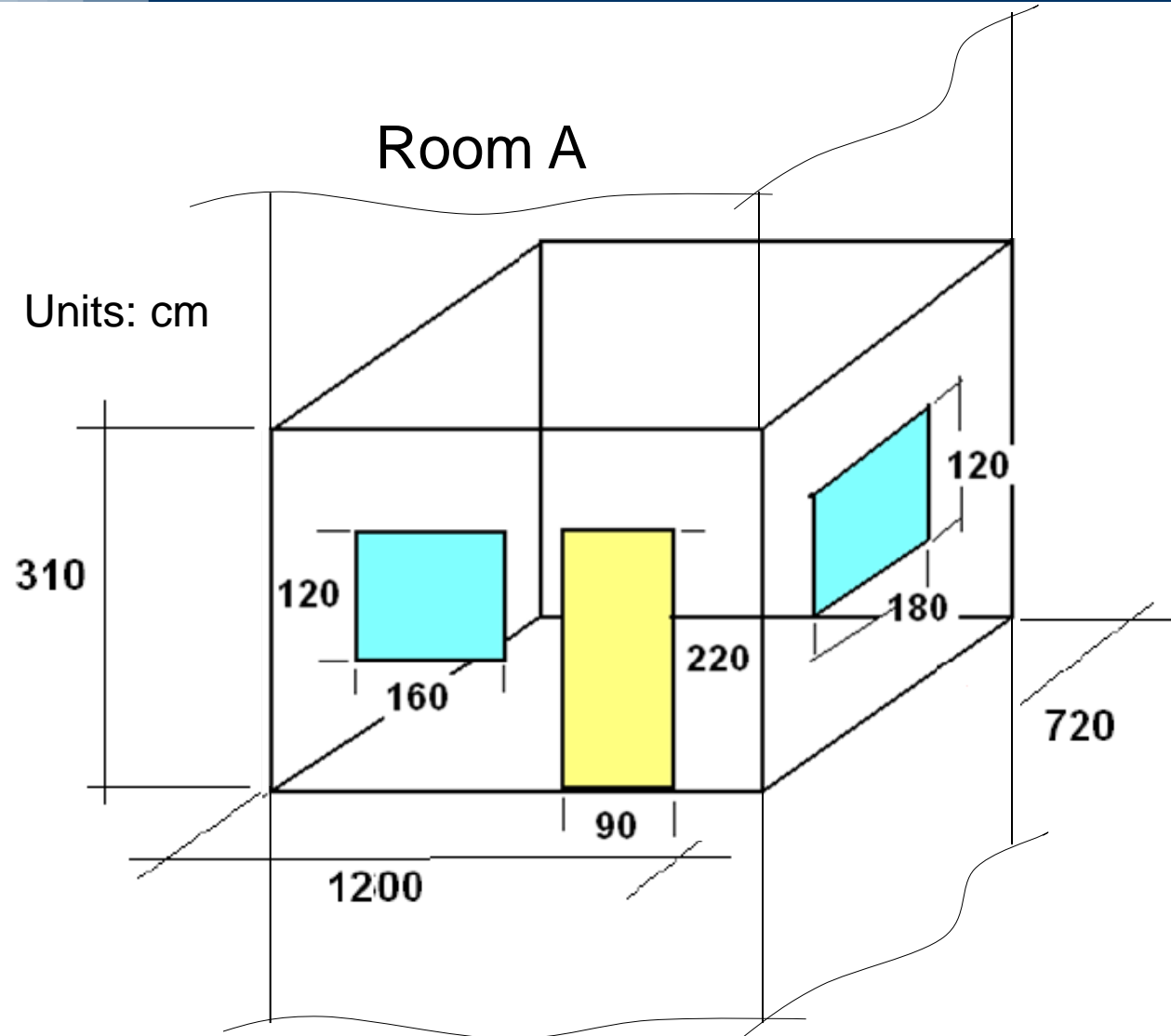
Application: Airborne Acoustic Isolation

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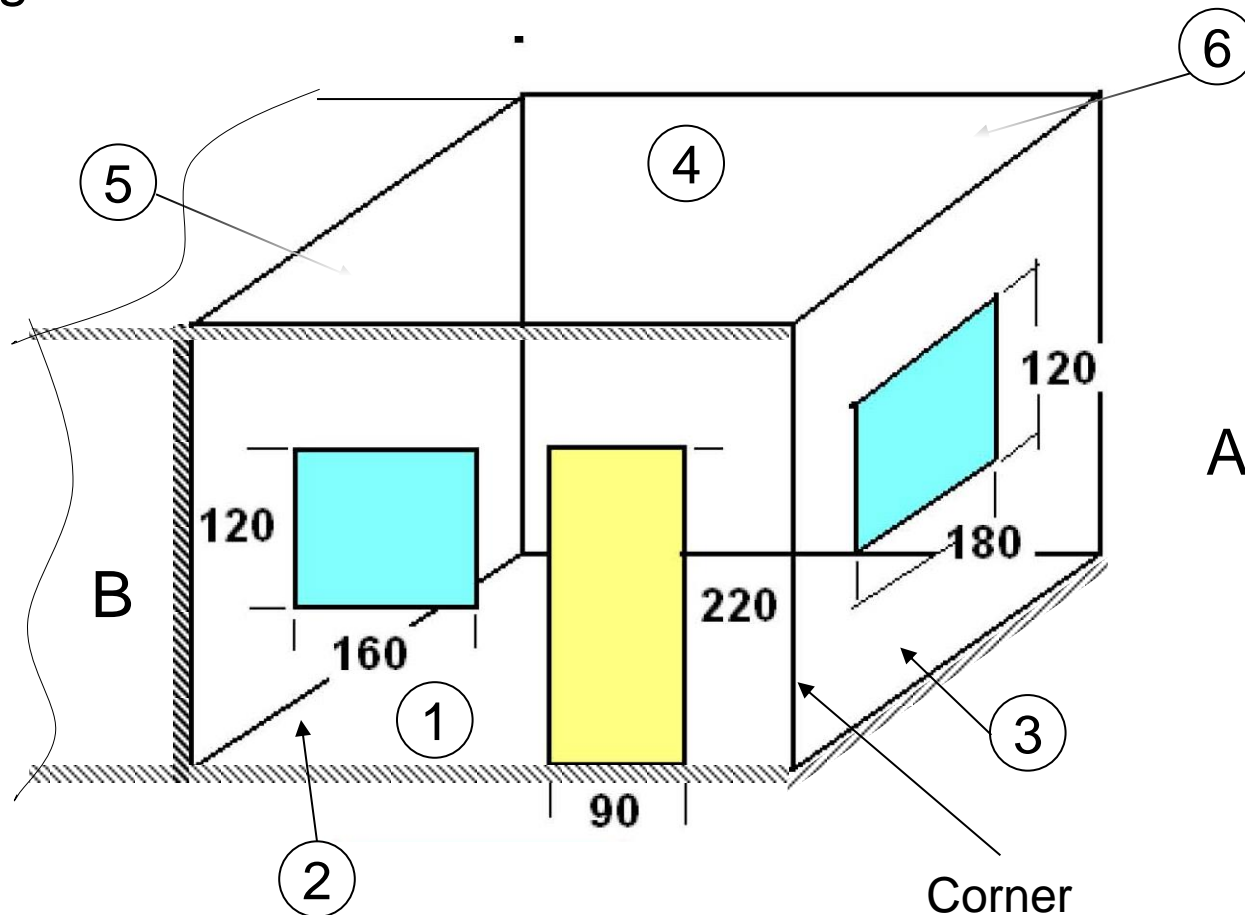
1. Calculate the sound reduction index of each components
2. Verify the passive acoustic requirements of buildings
 1. Calculate the apparent sound reduction index between rooms A and B from the transmission loss of each components
 2. Calculate the weighted standardized level difference of the façade for room A





2. Transmission loss (sound reduction index) ⁴ of each components

Calculate the sound reduction index of each components finalized to airborne noise between rooms A and B and façade weighted standardized level difference room A

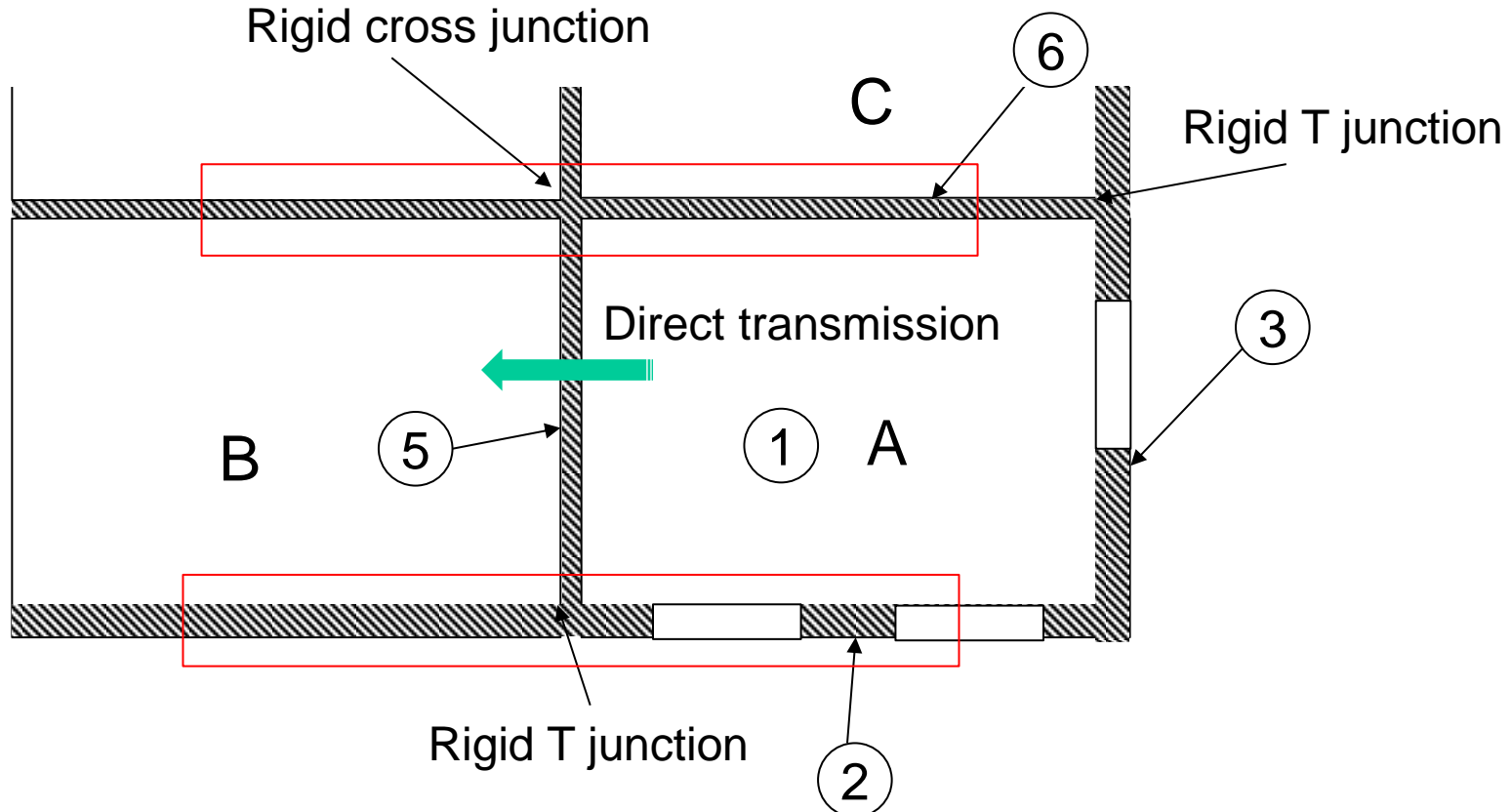




Section from the top

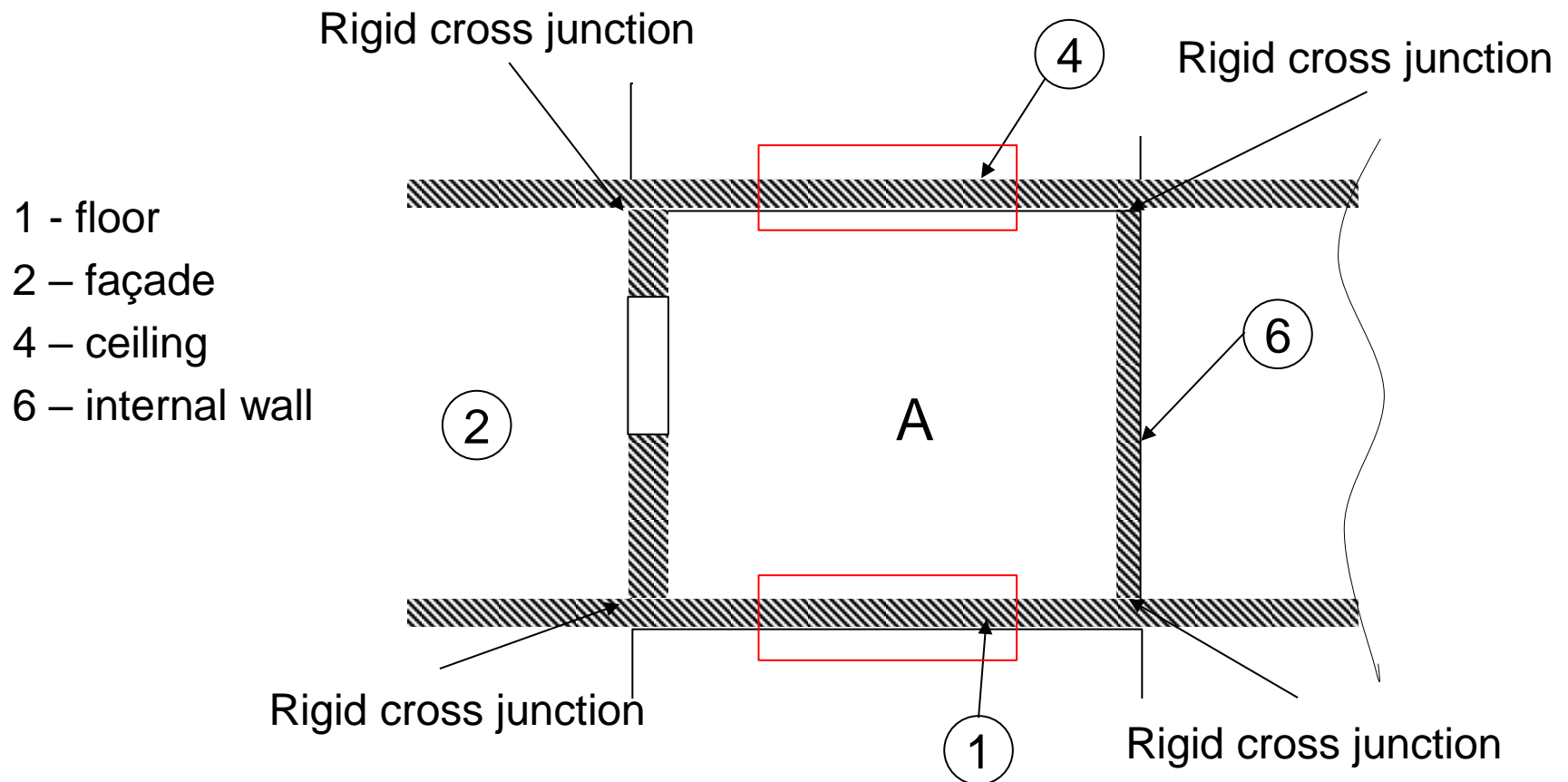
Flanking transmission elements

1 - floor
3 – façade
5 – internal wall
6 – internal wall



Side section

Flanking transmission elements



The transmission loss of a partition consisting of **separated components** arranged in parallel is defined as:

$$R_m = 10 \cdot \log_{10} \left(\frac{1}{\tau_m} \right) = 10 \cdot \log_{10} \left(\frac{\sum_{i=1}^N S_i}{\sum_{i=1}^N S_i \tau_i} \right) = 10 \cdot \log_{10} \left(\frac{\sum_{i=1}^N S_i}{\sum_{i=1}^N S_i 10^{\frac{-R_i}{10}}} \right)$$

where

S_i is the area of the surface of the i-th component

τ_i is the coefficient of transmission the i-th component arranged **in parallel**

R_i is the simple transmission loss of the i-th component arranged **in parallel**

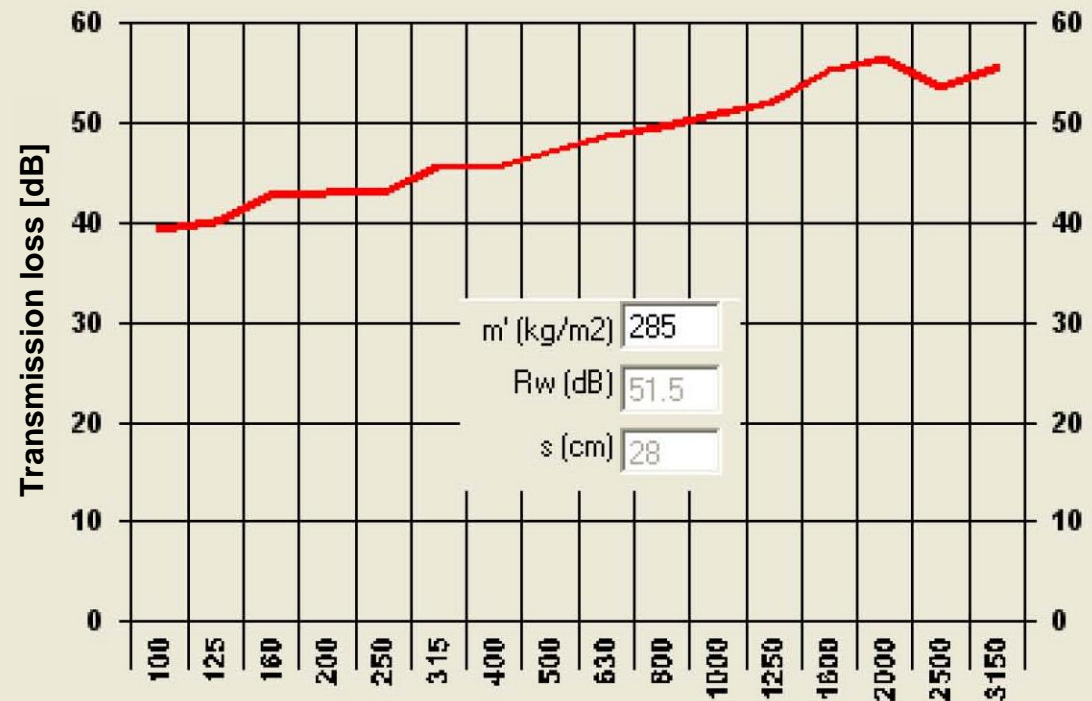


Facade Walls

Wall of hollow brick blocks of lightened paste (honeycomb) of 25 cm thickness (25x30x19), drilling =45% with vertical holes, plastered with 1.5 cm thick mortar M3 on both sides.



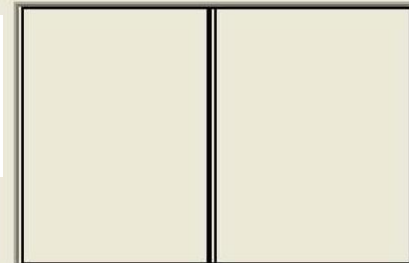
100	125	160	200	250	315	400	500	630	800	1000	1250	1600	2000	2500	3150
39.3	40.1	42.7	42.9	43	45.5	45.4	47	48.6	49.5	50.8	52	55.1	56.3	53.4	55.4



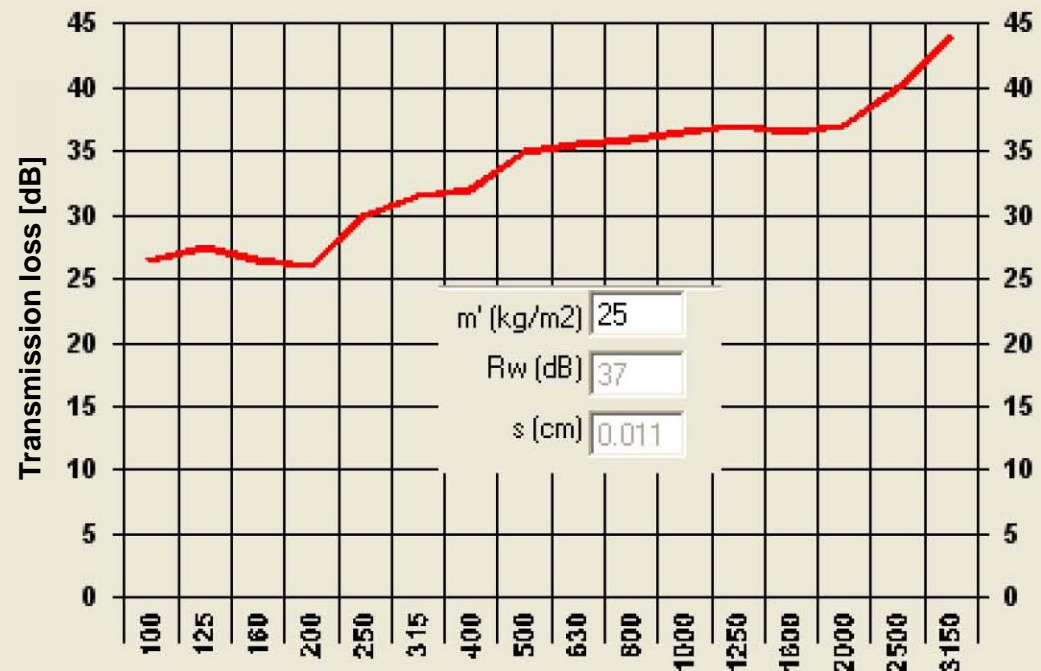


Windows

laminated sheet consisting of 2 slabs, 6 mm and 4 mm thick, joined together by the PVB layer 1.52 mm thick



100	125	160	200	250	315	400	500	630	800	1000	1250	1600	2000	2500	3150
26.5	27.5	26.5	26	30	31.5	32	35	35.5	36	36.5	37	36.5	37	40	44





Sound Reduction Index/ Single Wall / Brick (UNIVERSITA FERRARA):

$$R_w = 18,1 \log_{10}(m') + 2,9 \quad \text{[experimental relation 2]}$$

Walls made of solid or hollow brick, plastered.

Requirement: mass per unit area: $80 \leq m' \leq 500 \text{ kg/m}^2$

- Areic mass 160 kg/m^2



- Both 260 mm concrete slab

(example)

Construction	Mass kg/m ²	Sound reduction index (dB) in octave bands (Hz)							R _w (C; C _{tr})
		63	125	250	500	1 k	2 k	4 k	
120 mm concrete	276	35	34	36	46	54	62	69	49 (-2; -6)
260 mm concrete	598	43	42	51	59	67	74	75	61 (-1; -7)
110 mm Ca-Si blocks	193	34	34	33	39	49	58	65	44 (-1; -4)
240 mm Ca-Si blocks	420	38	38	46	54	62	68	68	56 (-1; -6)
120 mm lightweight conc.	156	33	36	34	35	44	53	56	42 (-1; -3)
300 mm lightweight conc.	390	37	37	42	51	58	58	58	54 (-2; -6)
100 mm autocl.aer. conc.	65	26	30	31	27	32	41	45	32 (0; -1)
200 mm autocl.aer. conc.	130	30	30	29	34	43	46	46	39 (-1; -3)



To estimate the sound insulation of the door (multi-layer: steel frame with steel- 5 cm rock wool – steel composite panel), proceed as follows

- calculate the transmission loss at normal incidence of the steel plate as:

$$R_n = 20 \cdot \log_{10}(m^* \cdot f) - 42,5 \quad [\text{dB}]$$

- calculate the transmission loss at diffuse incidence of the steel plate as:

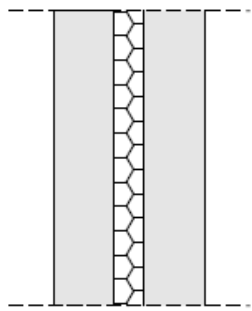
$$R_d = R_n - 10 \cdot \log_{10}(0,23 \cdot R_n) \quad [\text{dB}]$$

- calculate the door total transmission loss (in series) with the formula in the next slide for a system consisting wall-absorbing material-wall

DOOR		
Steel		
ρ	0.002	m
th	7 500	kg/m ³
m'	15	kg/m ²
Rock wool		
ρ	0.05	m
th	70	kg/m ³
m'	3.5	kg/m ²



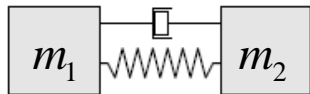
Estimation of sound insulation for double wall with an absorbent material inside the cavity (case b), when R_1 e R_2 are separately **CALCULATED** for **diffuse incidence** :



$$R \cong 20 \log_{10} [(m_1 + m_2) \cdot f] - 47 \quad f < \frac{2}{3} f_0$$

$$R \cong 10 \quad 2f_0/3 \leq f \leq f_0$$

$$R \cong R_1 + R_2 + 20 \log_{10} (d \cdot f) - 29 \quad f_0 < f < f_1$$



$$R \cong R_1 + R_2 + 6 \quad f > f_1$$

b)

$$f_0 = 60 \cdot \sqrt{\frac{1}{d} \left(\frac{1}{m_1} + \frac{1}{m_2} \right)} \quad f_1 = \frac{c}{2d} = \frac{343}{2d}$$

where

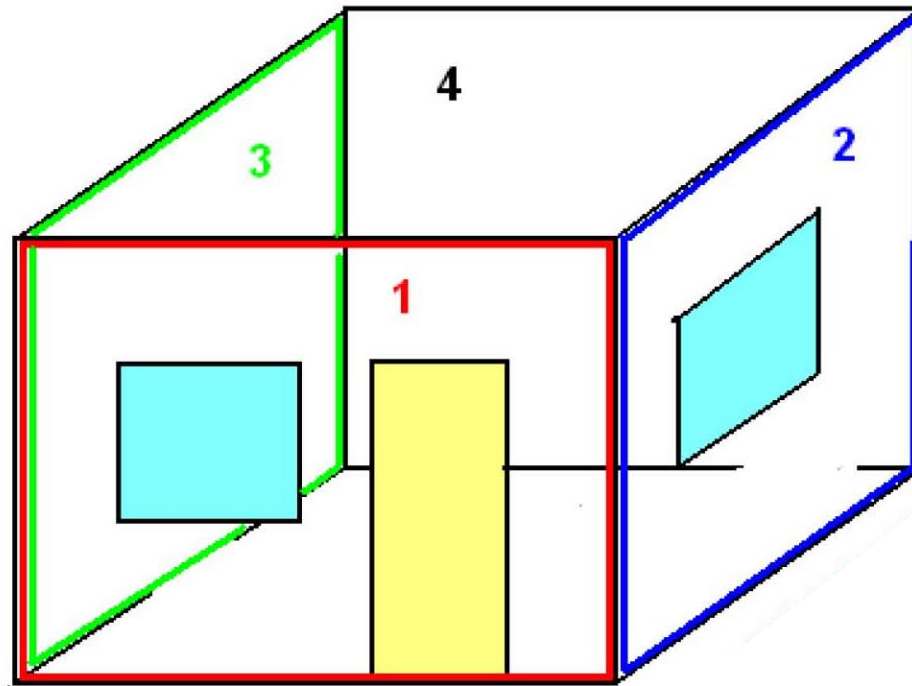
d = cavity thickness [m]



Terms of adaptation and weighted sound reduction indexes

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- Calculate the terms of adaptation C and C_{tr} for each for each wall



- Calculate the weighted sound reduction index for all components



Airborne Sound Insulation Indices – ISO 717

X_w a 500 Hz

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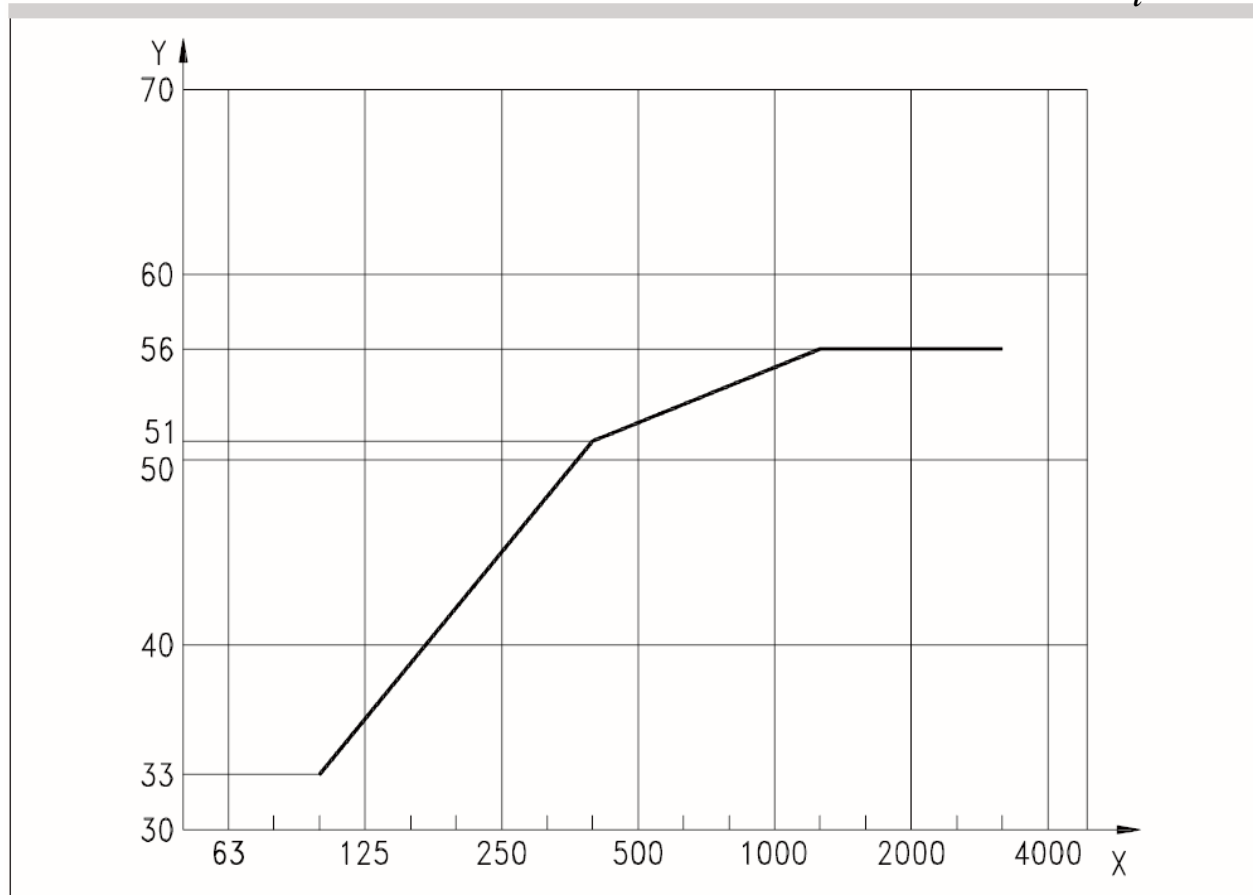
Curve of reference values for airborne sound, one-third-octave bands

Key

X frequency in Hz

Y reference value

$$\Delta Y = \sum_i \max[0; Y_{ref} - Y_{meas}]_i < 32$$



sum of unfavourable deviations is as large as possible, but not more than 32,0 dB, measurement in one-third-octave bands

The same procedure applies to all of the characteristic Airborne Sound Insulation Indices



X_w at 500 Hz: spectra adaptation terms

Spectra adaptation terms, C_j , in decibel, shall be calculated with the specific sound spectra j from the following equation:

$$C_j = X_{Aj} - X_w$$

where:

j is the subscript for the sound spectra N° 1 e 2;

X_w is the Insulation Index calculated from R , D_n or D_{nT} values;

X_{Aj}

$$X_{Aj} = -10 \cdot \log_{10} \sum_i 10^{\frac{L_{ij} - X_i}{10}} \quad [dB]$$

where:

- i is the subscript for the one-third-octave bands 100 Hz to 3150 Hz or the octave bands 125 Hz to 2000 Hz;
- L_{ij} are the levels of the sound level spectra to calculate the adaptation terms at the frequency i for the spectrum j ;
- X_i is the transmission loss R_i , or apparent transmission loss, or the normalized level difference $D_{n,i}$, or standardized level difference $D_{nT,i}$, at the measuring frequency i , given to one decimal place.

Calculate the quantity, X_{Aj} , with sufficient accuracy and round the result to an integer.2) The resulting spectrum adaptation term is an integer by definition and shall be identified in accordance with the spectrum used, as follows:

C when calculated with spectrum No. 1 (A-weighted pink noise);

C_{tr} when calculated with spectrum No. 2 (A-weighted urban traffic noise).



Sound level spectra to calculate the adaptation terms

Sound level spectra to calculate the spectrum adaptation terms for one-third octave band values

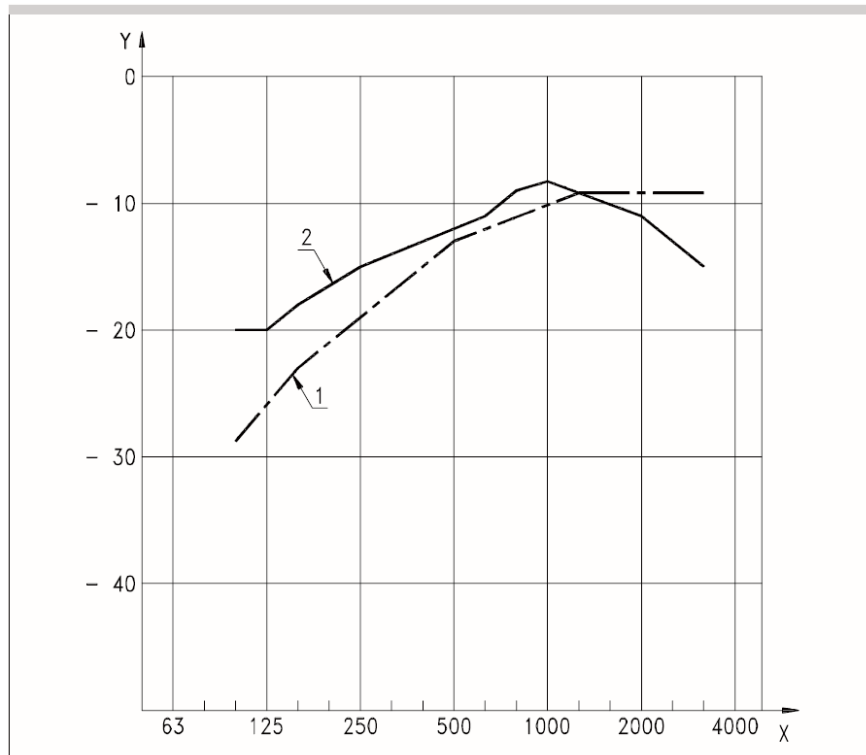
Key

1 spectrum No. 1 to calculate C

2 spectrum No. 2 to calculate C_{tr}

X Frequency in HZ

Y L_{ij} in dB



Sound level spectra to calculate the spectrum adaptation terms for octave band values

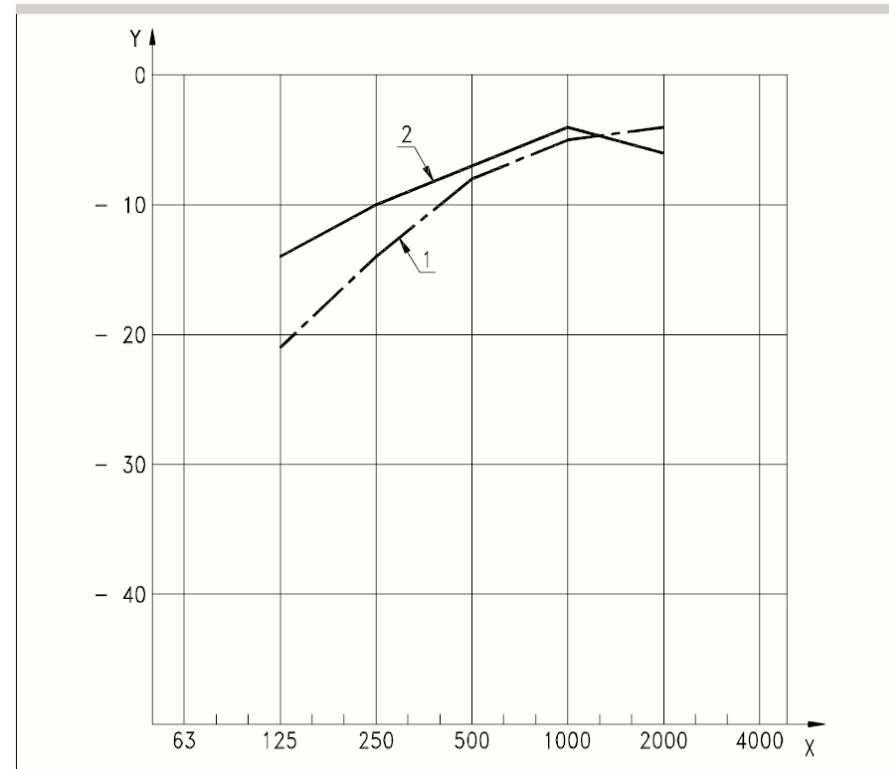
Key

1 spectrum No. 1 to calculate C

2 spectrum No. 2 to calculate C_{tr}

X Frequency in HZ

Y L_{ij} in dB





Frequency reference values and sound spectra in one-third-octave bands and octave bands reference values to calculate the spectrum adaptation

terms C e C_{tr}

Frequency Hz	Reference Values[dB]	
	one-third-octave band	octave band
100	33	36
125	36	
160	39	
200	42	
250	45	45
315	48	
400	51	
500	52	
630	53	52
800	54	
1 000	55	
1 250	56	
1 600	56	56
2 000	56	
2 500	56	
3 150	56	

Frequency Hz	Sound Level, L_{ij} , [dB]			
	spectrum N° 1 to calculate C		spectrum N° 2 to calculate C_{tr}	
	one-third-octave band	octave band	one-third-octave band	octave band
100	-29	-21	-20	-14
125	-26		-20	
160	-23		-18	
200	-21		-16	
250	-19	-14	-15	-10
315	-17		-14	
400	-15		-13	
500	-13		-12	
630	-12	-8	-11	-7
800	-11		-9	
1 000	-10		-8	
1 250	-9		-9	
1 600	-9	-4	-10	-6
2 000	-9		-11	
2 500	-9		-13	
3 150	-9		-15	



Table A.1 — Relevant spectrum adaptation term for different types of noise source

Type of noise source	Relevant spectrum adaptation term
Living activities (talking, music, radio, TV) Children playing Railway traffic at medium and high speed ^a Highway road traffic at >80 km/h ^a Jet aircraft, short distance Factories emitting mainly medium- and high-frequency noise	C (spectrum No. 1)
Urban road traffic Railway traffic at low speeds ^a Aircraft, propeller driven Jet aircraft, large distance Disco music Factories emitting mainly low and medium frequency noise	C_{tr} (spectrum No. 2)
^a In several European countries, calculation models for highway road traffic noise and railway noise exist, which define octave band levels; these could be used for comparison with spectra Nos. 1 and 2.	



3. Verify the passive acoustic requirements of buildings

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The required indices are:

- R'_w : **Weighted Apparent Sound Reduction Index**, which is:
 - $R'(500 \text{ Hz})$ apparent transmission loss that is obtained at 500 Hz from the reference curve after repositioning to respect the unfavourable deviations limitation
- $D_{2m,n,T,w}$ **Facade Weighted Standardized Level Difference Index**, which is :
 - $D_{2m,n,T}(500 \text{ Hz})$ Facade Weighted Standardized Level Difference that is obtained at 500 Hz from the reference curve after repositioning to respect the unfavourable deviations limitation



Calculation sequence:

- determine the weighted sound reduction index of the elements: $R_{s,w} \cdot R_{F,w} \cdot R_{f,w}$;
- determine the vibration reduction index for each junction and path: K_{Ff} ; K_{Fd} ; K_{Df} ;
- determine the total weighted sound reduction index improvement for the separating element: $\Delta R_{Dd,w}$;
- determine the total weighted sound reduction index improvement for each flanking path: $\Delta R_{Ff,w}$; $\Delta R_{Fd,w}$; $\Delta R_{Df,w}$;
- calculate $R_{Dd,w}$ the weighted sound reduction index for direct transmission as:

$$R_{Dd,w} = R_{s,w} + \Delta R_{Dd,w}$$



- calculate $R_{Ff,w}$ with

$$R_{Ff,w} = \frac{R_{F,w} + R_{f,w}}{2} + \Delta R_{Ff,w} + K_{Ff} + 10 \log_{10} \left(\frac{S_s}{I_0 I_f} \right)$$

- calculate $R_{Df,w}$ with

$$R_{Df,w} = \frac{R_{s,w} + R_{f,w}}{2} + \Delta R_{Df,w} + K_{Df} + 10 \log_{10} \left(\frac{S_s}{I_0 I_f} \right)$$

- calculate $R_{Fd,w}$ with

$$R_{Fd,w} = \frac{R_{F,w} + R_{s,w}}{2} + \Delta R_{Fd,w} + K_{Fd} + 10 \log_{10} \left(\frac{S_s}{I_0 I_f} \right)$$

- calculate R'_w with

$$R'_w = -10 \cdot \log_{10} \left[10^{\frac{-R_{Dd,w}}{10}} + \sum_{F=f=1}^N 10^{\frac{-R_{Ff,w}}{10}} + \sum_{f=1}^N 10^{\frac{-R_{Df,w}}{10}} + \sum_{F=1}^N 10^{\frac{-R_{Fd,w}}{10}} \right]$$



Calculation sequence:

- determine the weighted sound reduction index of each façade elements: $R_{w,i}$;
- determine the weighted small element normalized level difference for each i-elements: $D_{ne,w,i}$;
- calculate R'_w the weighted sound reduction index for the façade as:

$$R'_w = -10 \log_{10} \left[\sum_{i=1}^N \frac{S_i}{S} 10^{\frac{-R_{w,i}}{10}} + \sum_{i=1}^N \frac{A_0}{S} 10^{\frac{-D_{ne,w,i}}{10}} \right] - K$$

- determine the weighted level difference due to facade shape, $\Delta L_{fs,w}$



- calculate the Weighted Standardized level difference of a facade as:

$$D_{2m,nT,w} = R'_w + \Delta L_{fs,w} + 10 \log_{10} \left[\frac{V}{6T_0 S} \right]$$