

# Probabilidad logarítmica negativa del entrenamiento de regresión logística (entropía cruzada)

## Objetivo

- Cómo la entropía cruzada (cross-entropy) usando inicialización aleatoria influye en la precisión del modelo

## Tabla de contenido

Veremos qué pasa al usar la entropía cruzada o función de costo total usando inicialización aleatoria para el valor de un parámetro

- [Crear algunos datos](#)
- [Crear el modelo y la función de costo al estilo PyTorch](#)
- [Entrenando el modelo: Batch Gradient Descent](#)

## Preparación

```
In [13]: import os
os.environ['KMP_DUPLICATE_LIB_OK']='True'
```

```
In [14]: # Import the libraries we need for this lab

import numpy as np
import matplotlib.pyplot as plt
from mpl_toolkits import mplot3d
import torch
from torch.utils.data import Dataset, DataLoader
import torch.nn as nn
```

La clase `plot_error_surfaces` ayuda a visualizar el espacio de datos y de parámetros durante el entrenamiento:

```
In [15]: # Create class for plotting and the function for plotting

class plot_error_surfaces(object):

    # Construtor
    def __init__(self, w_range, b_range, X, Y, n_samples = 30, go = True):
        W = np.linspace(-w_range, w_range, n_samples)
        B = np.linspace(-b_range, b_range, n_samples)
        w, b = np.meshgrid(W, B)
        Z = np.zeros((30, 30))
        count1 = 0
        self.y = Y.numpy()
        self.x = X.numpy()
        for w1, b1 in zip(w, b):
            count2 = 0
            for w2, b2 in zip(w1, b1):
                yhat = 1 / (1 + np.exp(-1*(w2*self.x+b2)))
                Z[count1,count2]=1*np.mean(self.y*np.log(yhat+1e-16) + (1-self.y)*np.log(1-yhat+1e-16))
                count2 += 1
            count1 += 1
        self.Z = Z
        self.w = w
        self.b = b
        self.W = []
        self.B = []
        self.LOSS = []
        self.n = 0
        if go == True:
            plt.figure()
            plt.figure(figsize=(7.5, 5))
            plt.axes(projection='3d').plot_surface(self.w, self.b, self.Z, rstride=1,
            plt.title('Loss Surface')
            plt.xlabel('w')
            plt.ylabel('b')
            plt.show()
            plt.figure()
            plt.title('Loss Surface Contour')
            plt.xlabel('w')
            plt.ylabel('b')
            plt.contour(self.w, self.b, self.Z)
            plt.show()

        # Setter
        def set_para_loss(self, model, loss):
            self.n = self.n + 1
            self.W.append(list(model.parameters())[0].item())
            self.B.append(list(model.parameters())[1].item())
            self.LOSS.append(loss)

        # Plot diagram
        def final_plot(self):
            ax = plt.axes(projection='3d')
            ax.plot_wireframe(self.w, self.b, self.Z)
            ax.scatter(self.W, self.B, self.LOSS, c='r', marker='x', s=200, alpha=1)
            plt.figure()
            plt.contour(self.w, self.b, self.Z)
            plt.scatter(self.W, self.B, c='r', marker='x')
            plt.xlabel('w')
            plt.ylabel('b')
            plt.show()

        # Plot diagram
        def plot_ps(self):
            plt.subplot(121)
            plt.ylim
            plt.plot(self.x, self.y, 'ro', label="training points")
            plt.plot(self.x, self.W[-1] * self.x + self.B[-1], label="estimated line")
            plt.plot(self.x, 1 / (1 + np.exp(-1 * (self.W[-1] * self.x + self.B[-1]))), label="sigmoid")
            plt.xlabel('x')
            plt.ylabel('y')
            plt.ylim((-0.1, 2))
            plt.title('Data Space Iteration: ' + str(self.n))
            plt.show()
            plt.subplot(122)
            plt.contour(self.w, self.b, self.Z)
            plt.scatter(self.W, self.B, c='r', marker='x')
            plt.title('Loss Surface Contour Iteration' + str(self.n))
            plt.xlabel('w')
            plt.ylabel('b')

        # Plot the diagram
        def PlotStuff(X, Y, model, epoch, leg=True):
            plt.plot(X.numpy(), model(X).detach().numpy(), label=('epoch ' + str(epoch)))
            plt.plot(X.numpy(), Y.numpy(), 'r')
            if leg == True:
                plt.legend()
            else:
                pass
```

Establecemos la semilla aleatoria:

```
In [16]: # Set random seed

torch.manual_seed(0)
```

Out[16]: <torch.\_C.Generator at 0x1959c3795f0>

## Obtenemos algunos datos

```
In [17]: # Create the data class

class Data(Dataset):

    # Constructor
    def __init__(self):
        self.x = torch.arange(-1, 1, 0.1).view(-1, 1)
        self.y = torch.zeros(self.x.shape[0], 1)
        self.y[self.x[:, 0] > 0.2] = 1
        self.len = self.x.shape[0]

    # Getter
    def __getitem__(self, index):
        return self.x[index], self.y[index]

    # Get length
    def __len__(self):
        return self.len
```

Creamos un objeto `Data` :

```
In [18]: # Create Data object

data_set = Data()
```

## Creamos el modelo y el costo

Creamos un módulo personalizado para la regresión logística:

```
In [19]: # Create logistic_regression class

class logistic_regression(nn.Module):

    # Constructor
    def __init__(self, n_inputs):
        super(logistic_regression, self).__init__()
        self.linear = nn.Linear(n_inputs, 1)

    # Prediction
    def forward(self, x):
        yhat = torch.sigmoid(self.linear(x))
        return yhat
```

Creamos un objeto regresión logística o modelo:

```
In [20]: # Create the logistic_regression result

model = logistic_regression(1)
```

Reemplazamos los valores de las variables inicializados aleatoriamente.

```
In [21]: # Set the weight and bias

model.state_dict()['linear.weight'].data[0] = torch.tensor([[5]])
model.state_dict()['linear.bias'].data[0] = torch.tensor([[10]])
print("The parameters: ", model.state_dict())
```

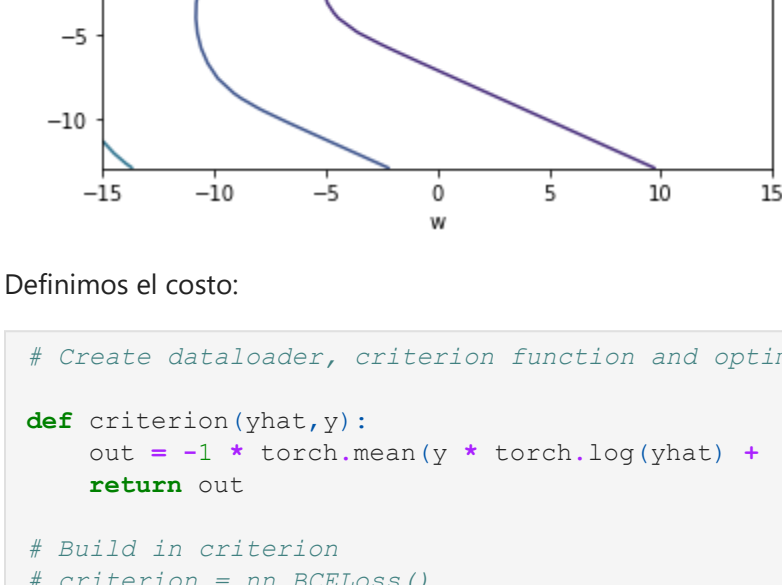
The parameters: OrderedDict([('linear.weight', tensor([[5.])), ('linear.bias', tensor([[10.]))])]

Creamos un objeto `plot_error_surfaces` para visualizar el espacio de datos y de parámetros durante el entrenamiento:

```
In [22]: # Create the plot_error_surfaces object

get_surface = plot_error_surfaces(15, 13, data_set[:,0], data_set[:,1], 30)
```

<Figure size 432x288 with 0 Axes>



Definimos el costo:

```
In [23]: # Create dataloader, criterion function and optimizer

def criterion(yhat,y):
    out = -1 * torch.mean(y * torch.log(yhat) + (1 - y) * torch.log(1 - yhat))
    return out

# Build in criterion
criterion = nn.BCELoss()

trainloader = DataLoader(dataset = data_set, batch_size = 3)
learning_rate = 2
optimizer = torch.optim.SGD(model.parameters(), lr = learning_rate)
```

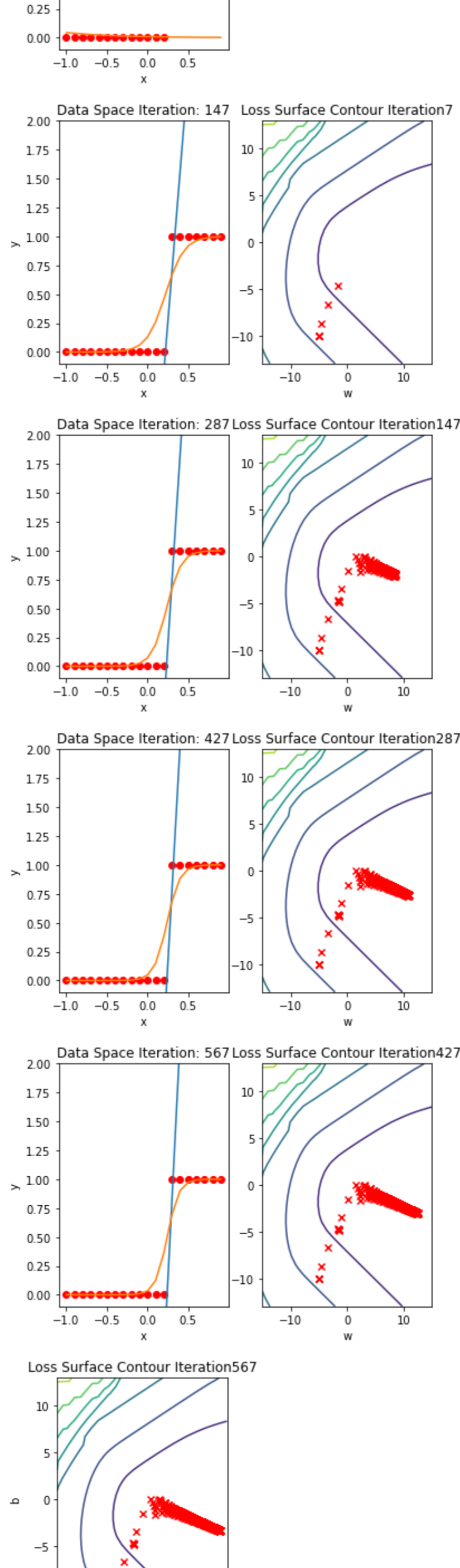
## Entrenamos el modelo vía Batch Gradient Descent

Entrenamos el modelo:

```
In [24]: # Train the Model

def train_model(epochs):
    for epoch in range(epochs):
        for x, y in trainloader:
            yhat = model(x)
            loss = criterion(yhat, y)
            optimizer.zero_grad()
            loss.backward()
            optimizer.step()
            get_surface.set_para_loss(model, loss.tolist())
        if epoch % 20 == 0:
            get_surface.plot_ps()

train_model(100)
```



Obtenemos la clase actual de cada muestra y calculamos la precisión sobre los datos de test:

```
In [25]: # Make the Prediction

yhat = model(data_set.x)
label = yhat > 0.5
print("The accuracy: ", torch.mean((label == data_set.y.type(torch.ByteTensor)).type(torch.ByteTensor)))

The accuracy: tensor(1.)
```

La precisión es perfecta.