

Bagging

→ Random Forest



Random

Row 244

Ensembling →



green → X

Boosting \rightarrow B



Niece

/ / / / /

Utility

error

overlooked feature

original dataset

BOOSTING LEARNING PROCEDURE

feature



Original Data



Weighted data



Weighted data



Classifier



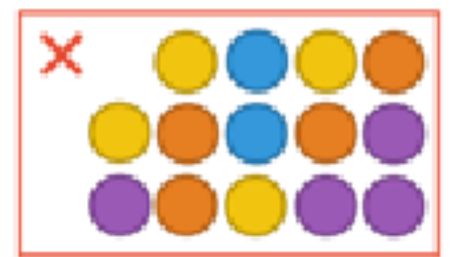
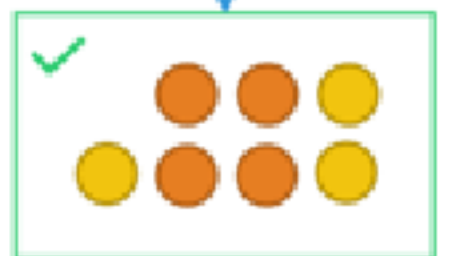
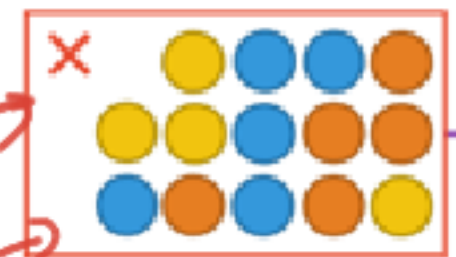
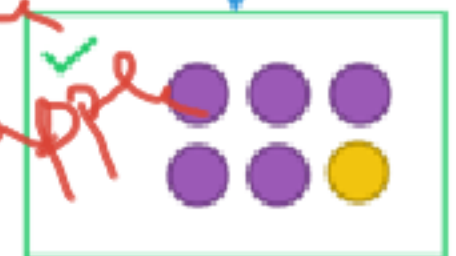
Classifier



Classifier

Ensemble Classifier

✓ apply
✓ not apply



$$f(x) = \sum_t \alpha_t h_t(x)$$

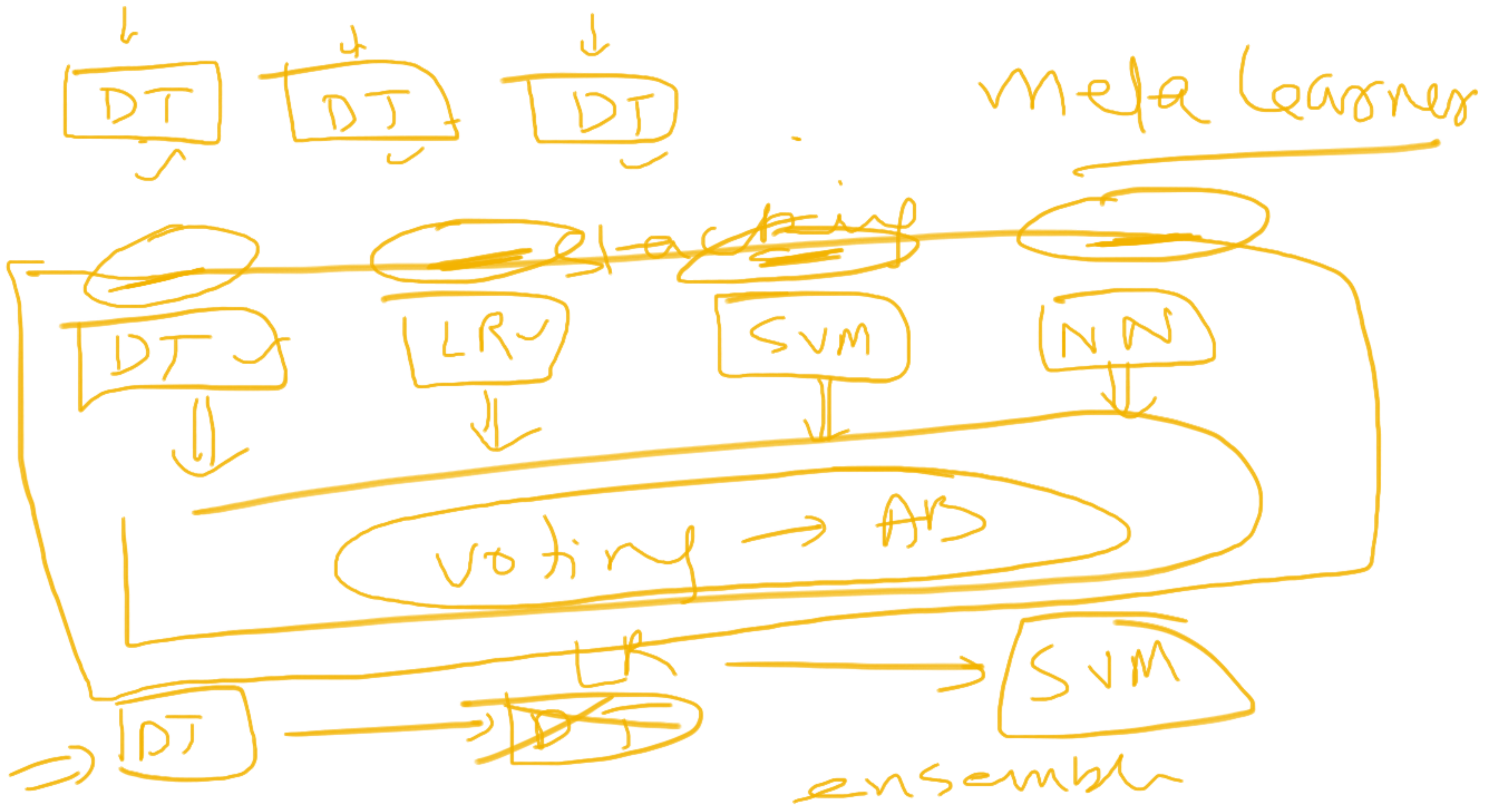
Strong Learner

Weak Learners

Weight calculated by considering the last iteration's error

feature

feature → model → errors

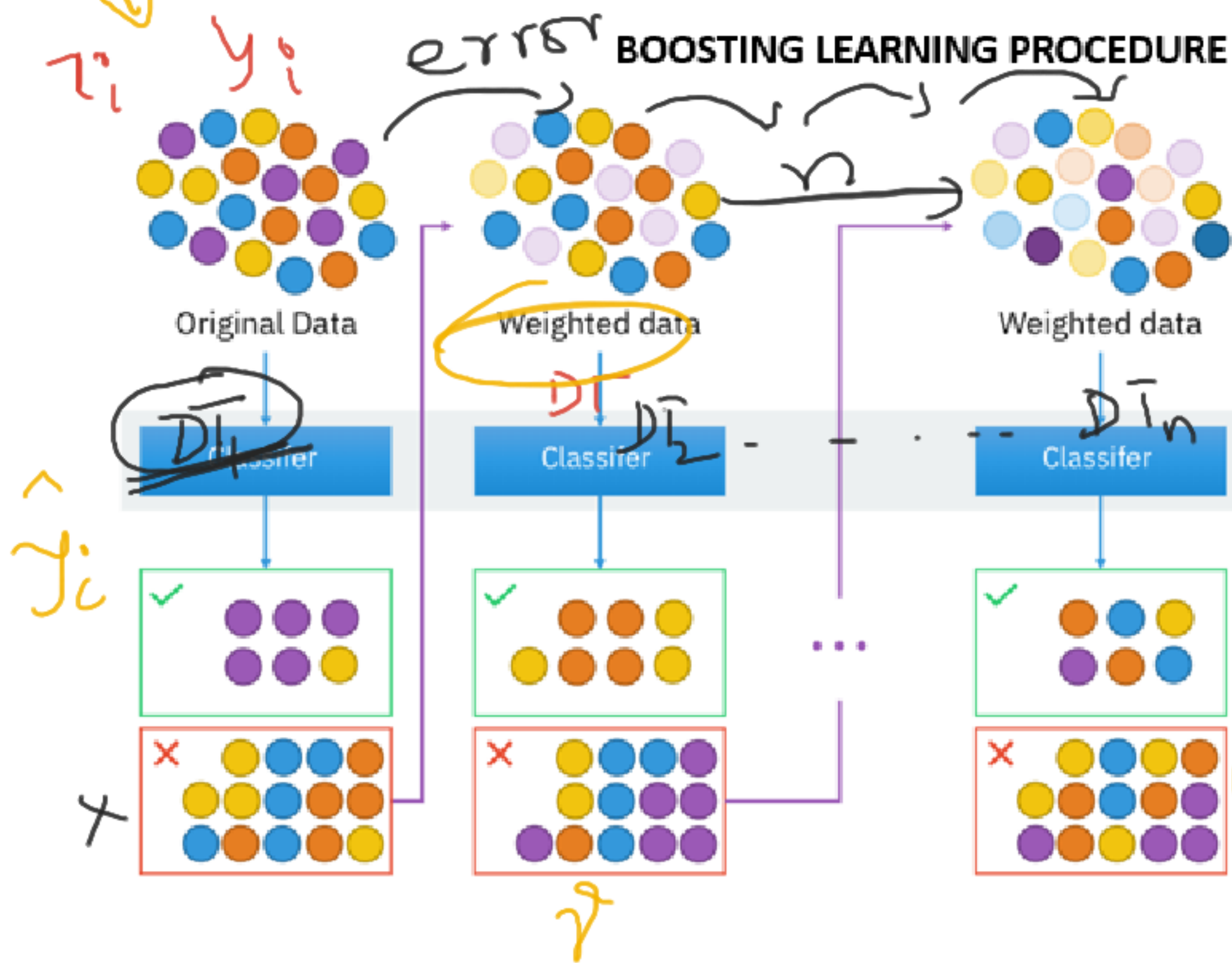


new dataset

Meta learner

$$\frac{x_i}{\frac{y_i}{\hat{y}_i}} \quad \frac{y_i}{\hat{y}_i} \quad \frac{(y_i - \hat{y}_i)^2}{\hat{y}_i}$$

BOOSTING LEARNING PROCEDURE



Strong Learner

Weak Learners

$$f(x) = \sum_t \alpha_t h_t(x)$$

Weight calculated by considering the last iteration's error

$$\hat{y}_i = \hat{y}_{i1} + \delta_1 \hat{y}_{i2} + \delta_2 \hat{y}_{i3}$$

Initial weights $[W: W_1, W_2, \dots, W_n = \frac{1}{n}]$

for i in [1, M] // M weak classifiers

fit weak classifier C^i with sample weights W

$$\text{Error}^i = \frac{\sum_{j=1}^n W_j I(C^i(X_j) \neq Y_j)}{\sum_{j=1}^n W_j}$$

$$\alpha^i = \log\left(\frac{(1 - \text{Error}^i)}{\text{Error}^i}\right) + \log(K - 1) // \text{coefficient for } C^i$$

$W_j = W_j * e^{\alpha^i * I(C^i(X_j) \neq Y_j)}$ for $W_j \in W$ // if wrong, increase weights

$W = W - \text{mean}(W)$ // normalize weights

// output of the model is done by weighted voting, find the class with highest vote

Prediction: $\hat{Y}_j = \max_k (\sum_{i=1}^M \alpha_i I(C^i(X_j) = k))$

pseudocode
AdaBoost

X, Y Boost

$F(x)$

$w_j \rightarrow$ weights of each
BT's

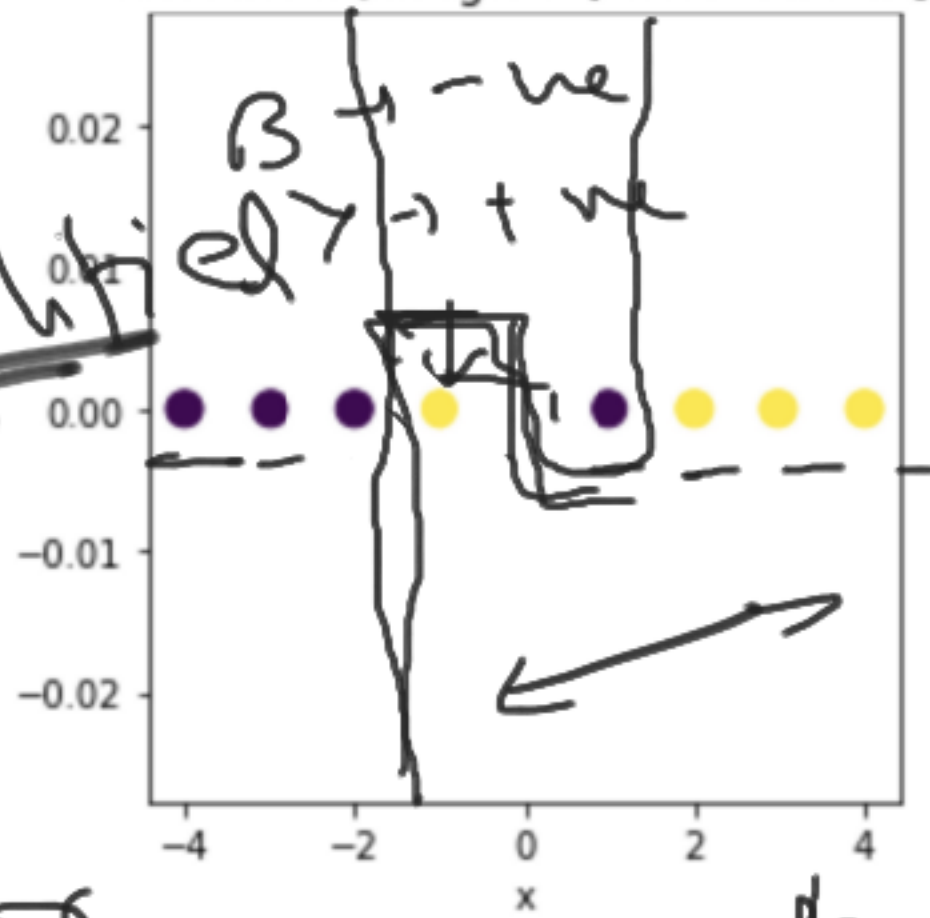
modelling error

w_i

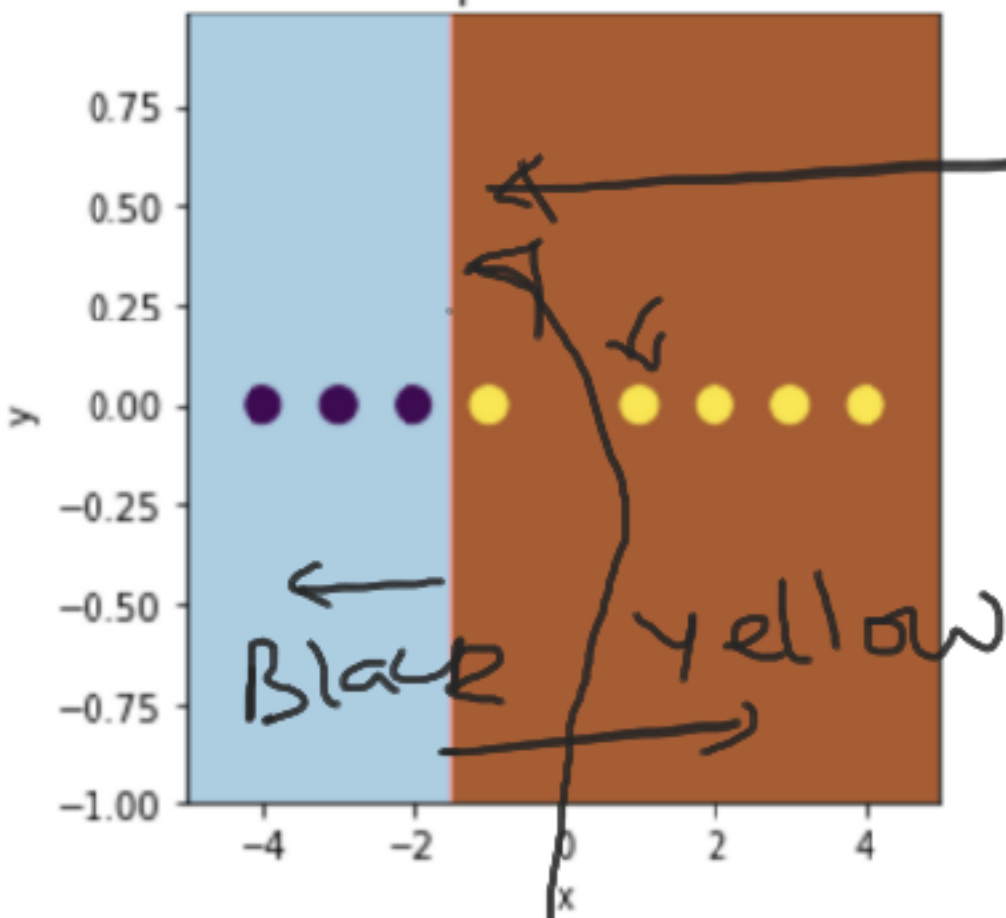
over simplified

Simp

actual data, weights=[1 1 1 1 1 1 1 1]



prediction

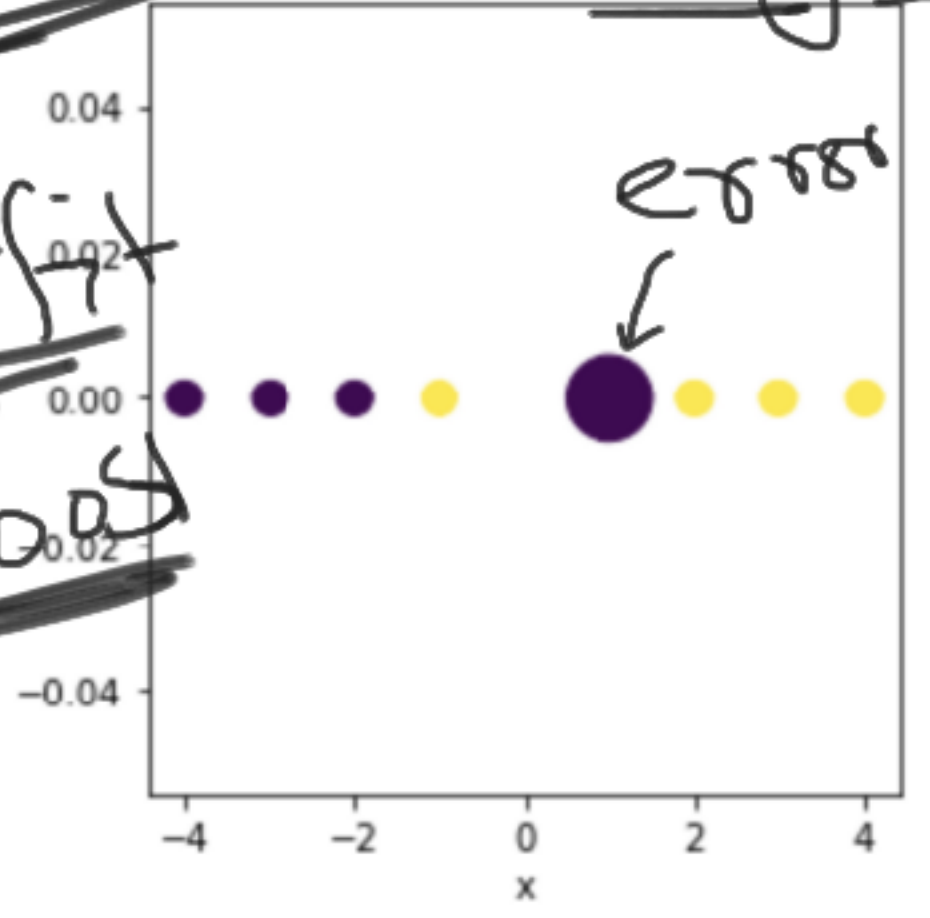


Boundary

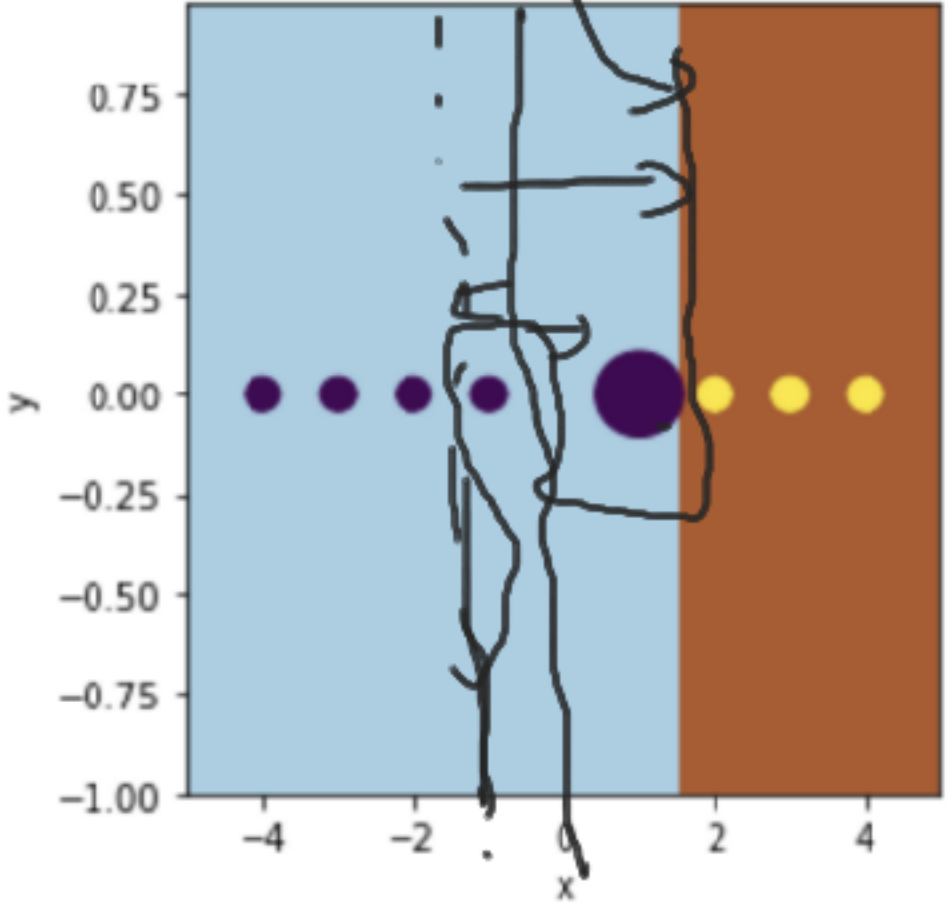
$w \uparrow$

correct

actual data, weights=[1 1 1 1 6 1 1 1]



prediction



overall error

ROC-AUC frac

Recall

$$\frac{TP}{TP + FN}$$

$$\frac{TP}{TP + FP}$$

	Actual	
	0	1
Pred 0	TN	FN
Pred 1	FP	TP

= 93

EM

~~TV~~

+ve class actual + ve

$$\text{Recall} = \frac{\text{+ve class correctly}}{\text{Total +ve class actual}}$$

P = T

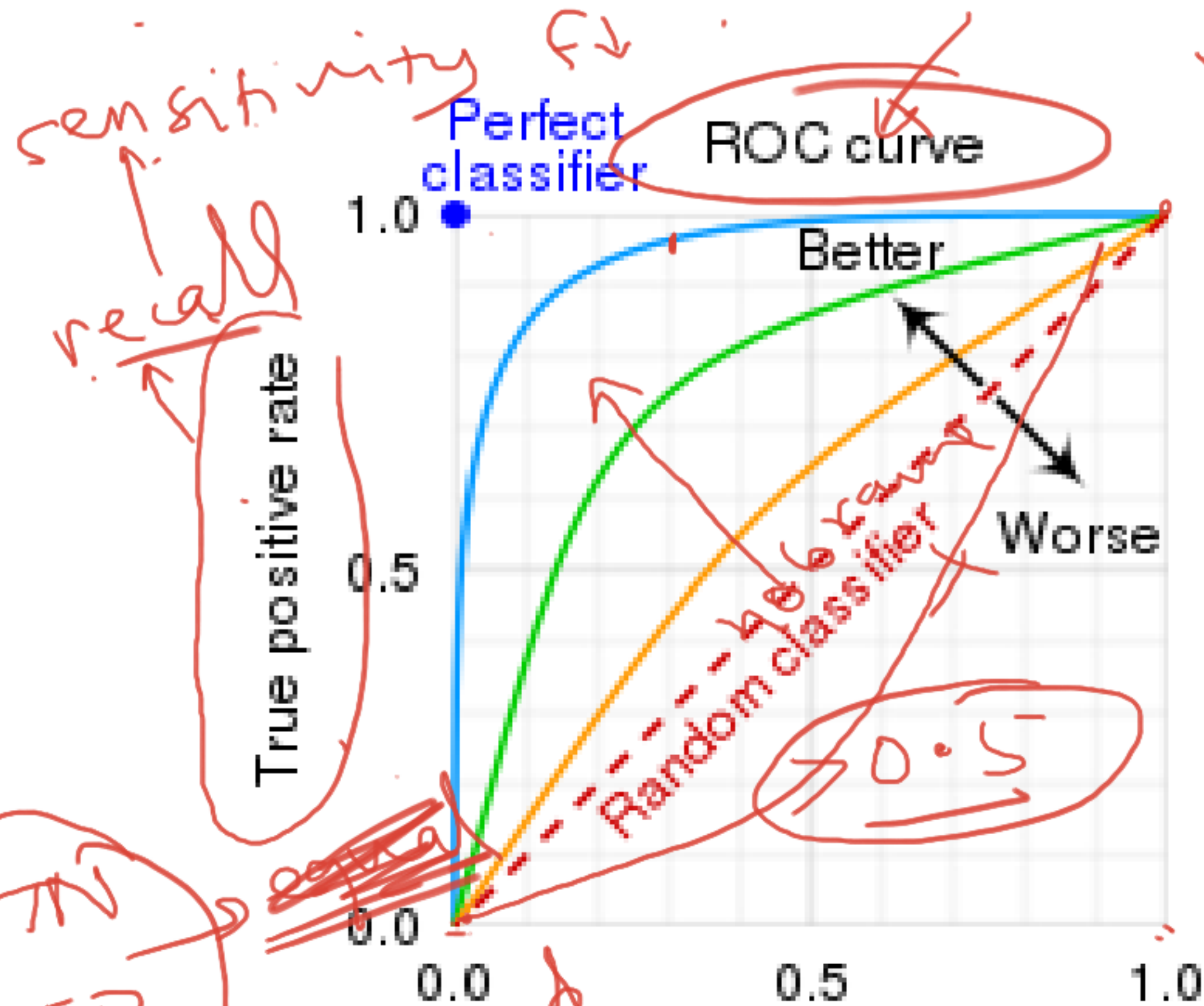
Specificity & sensitivity = Recall

Recall -ve class

TPD TN → -ve class

$$\frac{TN}{TN + FP}$$

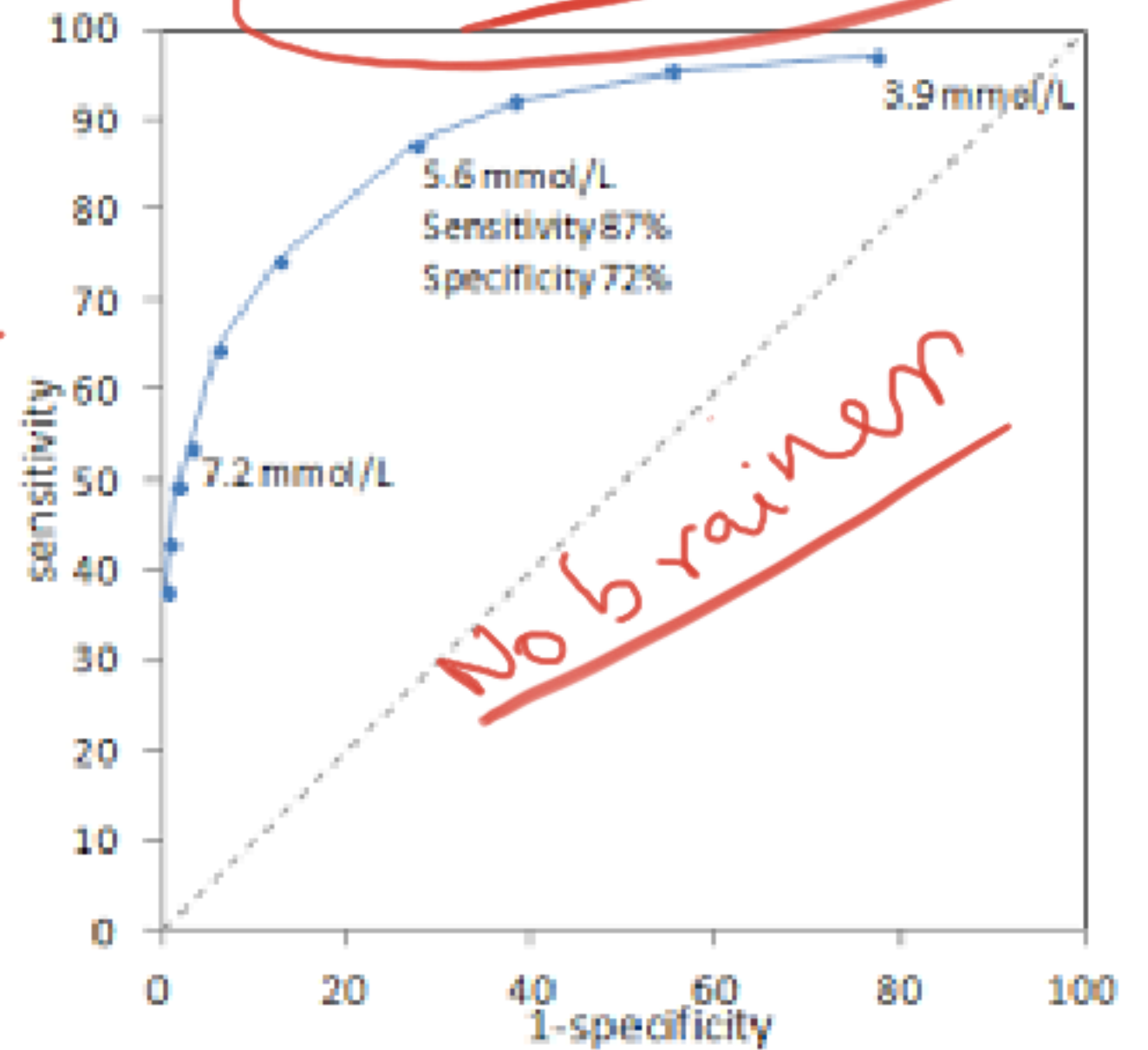
-ve class



useful $0 < \text{ratio} < 1$

50%

biased



False positive rate

$$= 1 - \frac{\text{recall} - \text{ve}}{\text{recall} - \text{ve}} = 1 - \frac{\text{recall} - \text{ve}}{\text{recall} - \text{ve}}$$

recall - ve

recall - ve

LEM

RDC - AUC → threshold



P/R

RDL - AUC

0 → 10K
1 → 100

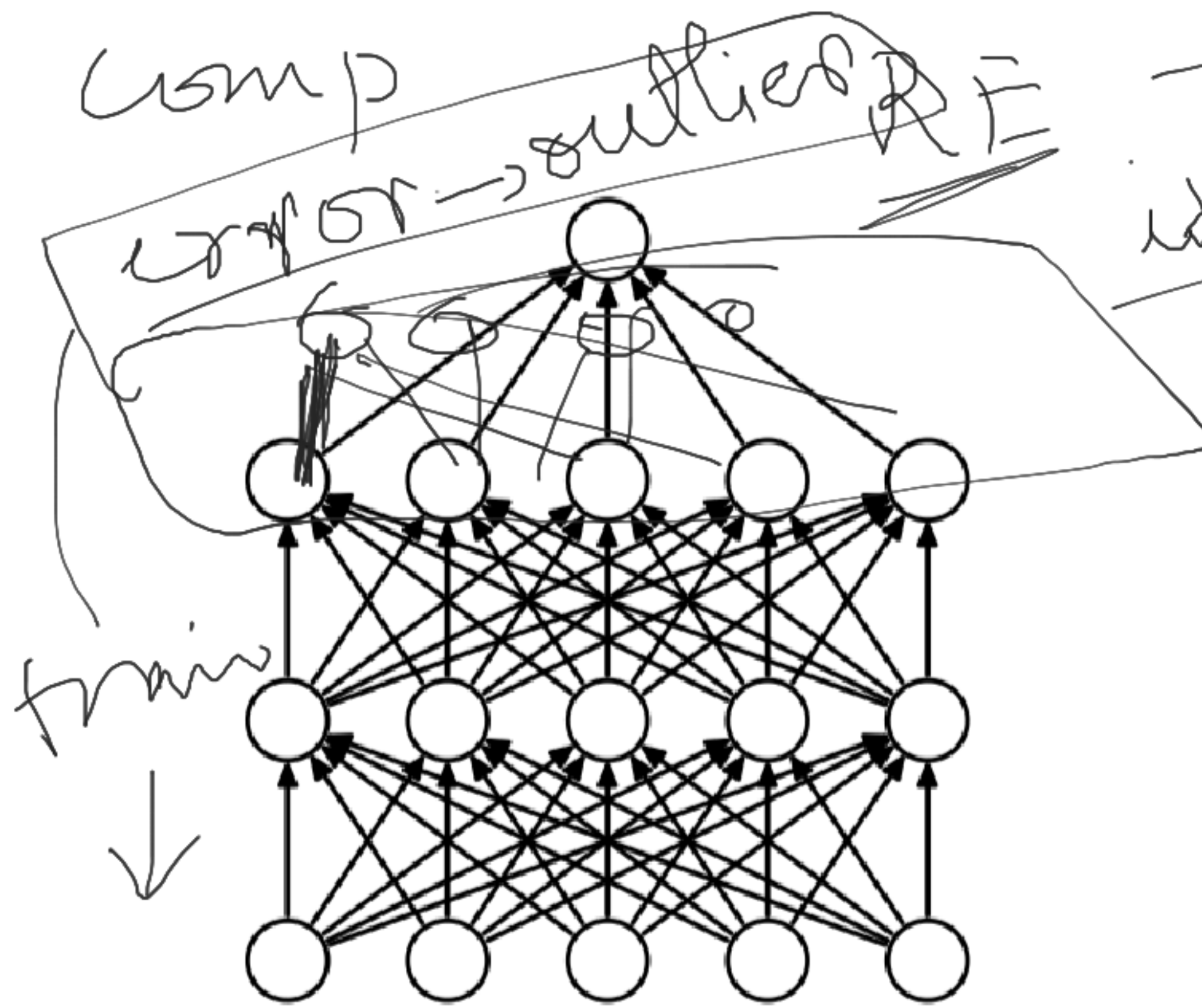
↓
Biased class

TP
FP
TN
FN

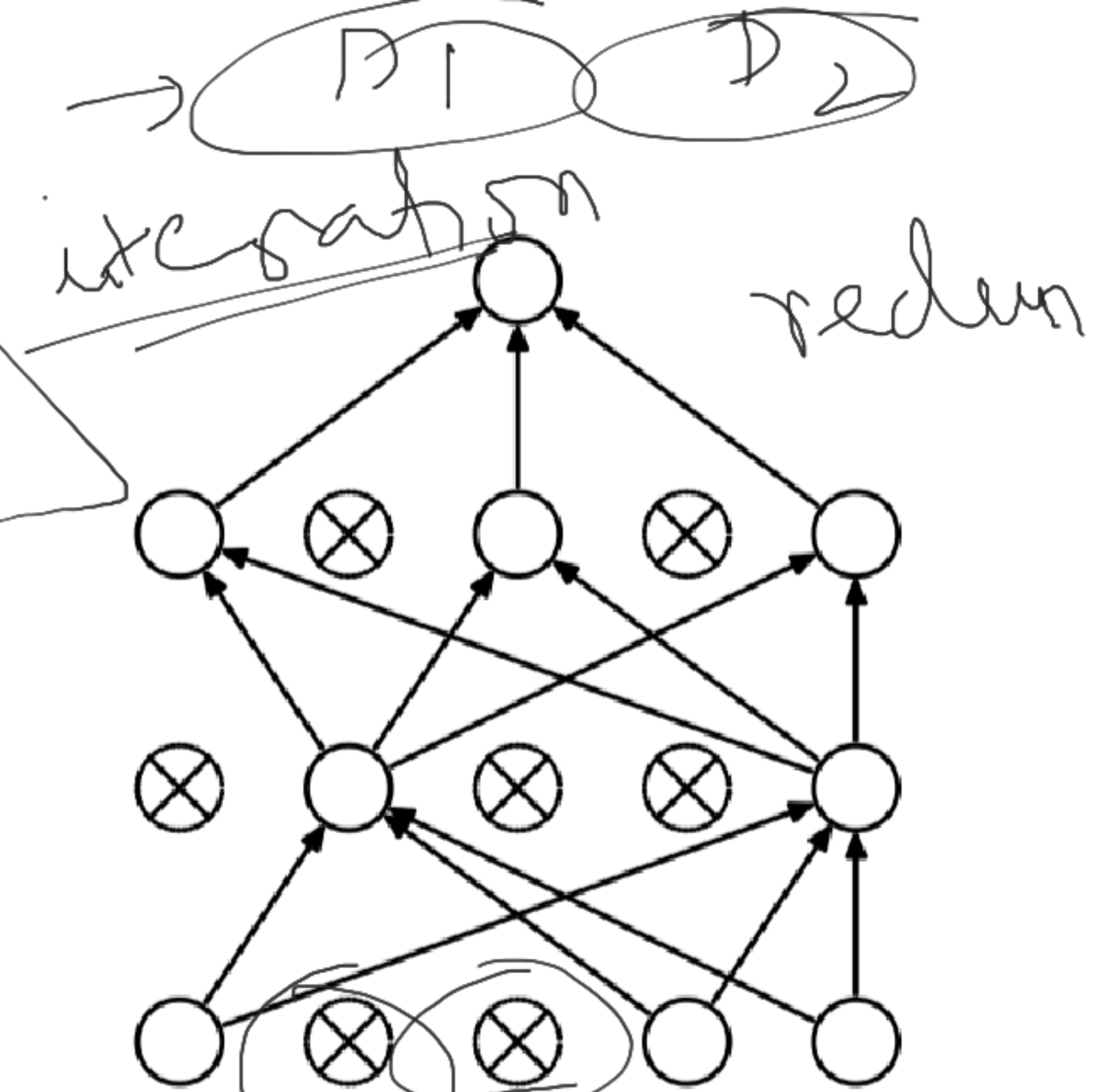
0.4
0.3

classific

~~cont~~
~~reverse~~



(a) Standard Neural Net



(b) After applying dropout.