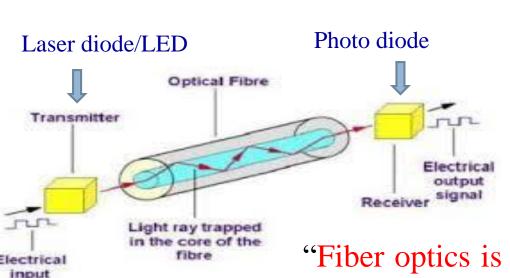
PHY110 UNIT III: Fiber optics

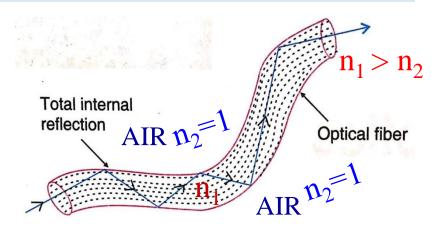
LECTURE 2

Revision

Fiber- Thin strand of **dielectric** material (*transmission of light*) Wire: The stand of **metal** (transmission of electricity)

Laser diode: Forward biased

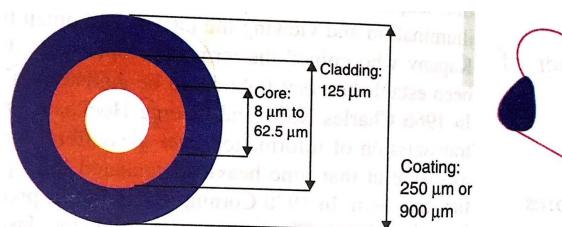


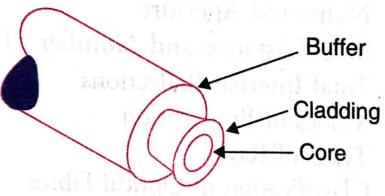


"Fiber optics is a technology in which electrical signal is converted to optical signals **OPTICAL FIBER SYSTEM** transmitted through fibers and reconverted back into electrical signals"

October 7, 2023

Human hair thickness ~ 100μm



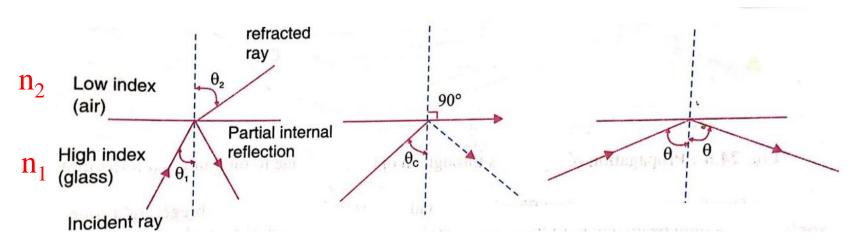


- 1. Core Light guiding region
- 2. Cladding-confine the light to the core
- 3. Buffer or Sheath protect the fiber from physical and environmental damage

Additional functions of cladding

- ✓ To maintain the uniformity along the length of the fiber
- ✓ To protect the outer surface of the core
- ✓ To reduce the cone of the light

TOTAL INTERNAL REFLECTION happens when a ray light pass from the denser medium to rarer medium:



TOTAL INTERNAL REFLECTION

Snell's law

$$\sin \theta_2 = \frac{n_1}{n_2} \sin \theta_1$$

Critical angle

$$\theta > \theta_{\rm c}$$

$$\sin \theta_c = \frac{n_2}{n_1}$$

Principle on which Fiber optic communication rely on is TOTAL

INTERNAL REFLECTION

Total Internal Reflection

The phenomena in which light is totally reflected back to denser medium at the denser-rarer boundary is known as TOTAL INTERNAL REFLECTION.

$$\sin \theta_2 = \frac{n_1}{n_2} \sin \theta_1 \qquad \qquad \text{Eq.1}$$

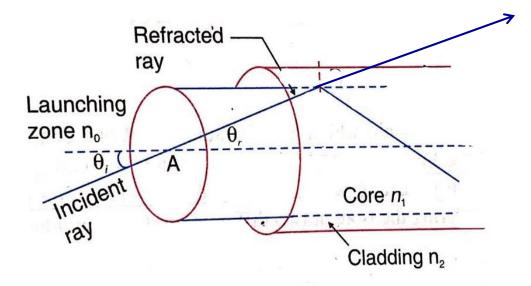
Critical angle can be obtained from Eq.1

$$\theta_1 = \theta_c$$
; $\theta_2 = 90^\circ$
$$\sin \theta_c = \frac{n_2}{n_1} \qquad \text{Eq.1a}$$

Later we use ϕ for $\theta \odot$

If the rarer medium is air $n_2=1$

$$\sin \theta_c = \frac{1}{n_1}$$
 or $\theta_c = \sin^{-1} \left(\frac{1}{n_1}\right)$ Eq.2



Case 1: Refraction at A

Incident ray from launching medium having the refractive index $n_0 \rightarrow$ refracted into the core having refractive index n_1 , according to the Snell's law...

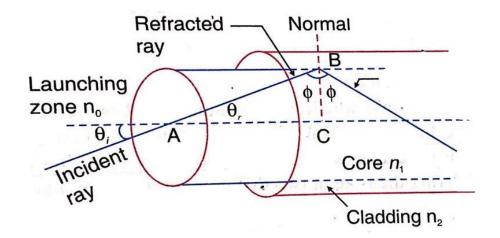
$$n_1 \sin \theta_r = n_0 \sin \theta_i$$
 ----- Eq.3

Case 2: Refracted ray incident on interface at B

Refracted ray in the core (n_1) now incident on the core-cladding interface at an angle (ϕ) ,

From the triangle ABC

$$\theta_r = 90 - \phi$$
 ----- Eq.4

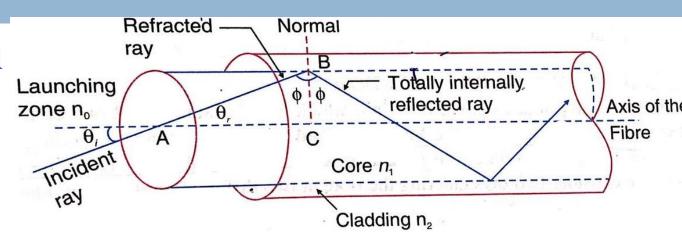


substitute Eq.4 in Eq.3
$$n_1 \sin(90 - \phi) = n_0 \sin \theta_i$$

$$n_1 \cos \phi = n_0 \sin \theta_i$$

$$\sin\theta_{i} = \frac{n_{1}}{n_{0}}\cos\phi \qquad ----- Eq.5$$

Case3: Total internal reflection at B



When $\phi = \phi_c$ total internal reflection occurs at B, that set the maximum allowable launching angle, θ_{imax} , equation 5 changes to

$$\sin \theta_{\text{imax}} = \frac{n_1}{n_0} \cos \phi_c \qquad ---- Eq.6$$

But from Eq.1a

$$\sin \phi_c = \frac{n_2}{n_1} \qquad ---- Eq.7$$

$$\cos^2 \phi_c + \sin^2 \phi_c = 1$$
 substitute for $\sin^2 \phi_c$ from Eq.7
$$\cos^2 \phi_c + \left(\frac{n_2}{n_1}\right)^2 = 1$$

$$\cos^2 \phi_c = \frac{n_1^2 - n_2^2}{n_1^2}$$
 Or $\cos \phi_c = \frac{\sqrt{n_1^2 - n_2^2}}{n_1}$ ------ Eq.8

substitute Eq.8 in Eq.6

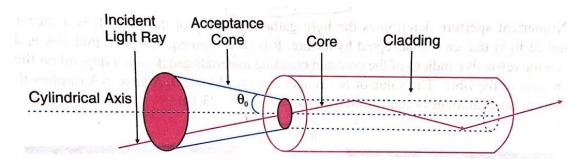
Sin
$$\theta_{\text{imax}} = \frac{n_1}{n_0} \frac{\sqrt{n_1^2 - n_2^2}}{n_1}$$
 For launching from air $n_0 = 1$

$$\sin \theta_{\text{imax}} = \sqrt{n_1^2 - n_2^2}$$
 $\theta_{\text{imax}} = \sin^{-1} \left(\sqrt{n_1^2 - n_2^2} \right)$ ----- Eq.9

 θ_{imax} is the acceptance angle of the fiber. Also called waveguide acceptance angle

Acceptance Cone

We know in 2D, θ_{imax} is the acceptance angle- and is with axis of the fiber



If you consider 3Dimension, instead of angle it is the **cone** (**solid angle**), **Light rays within the cone having full** $2\theta_{imax}$ are accepted and hence called **acceptance cone** ($2\theta_{imax}$).

- \triangleright Larger the θ_{imax} easier to launch light into the fiber
- \triangleright Incident at an angle more than θ_{imax} refract through the cladding and lost

What is the other name for maximum external incident angle?

- a) Optical angle
- b) Total internal reflection angle
- c) Refraction angle
- d) Wave guide acceptance angle

Ans: D

Relative Refractive Index

The fractional difference between the refractive indices of the core and the cladding *is relative refractive index or the fractional* refractive index difference

$$\Delta = \frac{n_1 - n_2}{n_1}$$
 ----- Eq.10

- $\triangleright \Delta$ is always positive because $n_1 > n_2$.
- \triangleright Typically value of Δ is the order of 0.01
- \triangleright For effective light transmission through the fiber, $\Delta <<1$.