

Type Checking

- Traversing of abstract tree from the root
- Checks:
 1. Equality of function's name with names specified before and after the body
 2. Definition of constants in **const** section: compatibility of instance with type
 3. Visibility of referenced identifiers
 4. Compatibility in number and type of actual parameters with formal parameters
 5. Compatibility of return expressions with function codomain
 6. Return statement always executed for any function call
 7. Compatibility of operators with operands
 8. Compatibility of LHS of assignment with RHS of assignment (expression)
 9. Compatibility of expressions with statements in which they are involved
- Type inference: computation of result **schema** of each operation

logic-expr \rightarrow *expr*₁ *expr*₂

- Qualifier: AND, OR
- Constraint: $\text{type}(\text{expr}_1) = \text{bool}$ and $\text{type}(\text{expr}_2) = \text{bool}$
- Type inference: $\text{type}(\text{logic-expr}) = \text{bool}$

$$rel\text{-}expr \rightarrow expr_1 expr_2$$

- Qualifier: EQUAL, NEQ
- Constraint: $type(expr_1) = type(expr_2)$
- Type inference: $type(rel\text{-}expr) = \mathbf{bool}$

$$rel\text{-}expr \rightarrow expr_1 expr_2$$

- Qualifier: '>', GEQ, '<', LEQ
- Constraint: $type(expr_1) = type(expr_2)$ and $type(expr_1) \in \{ \mathbf{char}, \mathbf{int}, \mathbf{real}, \mathbf{string} \}$
- Type inference: $type(rel\text{-}expr) = \mathbf{bool}$

$$rel\text{-}expr \rightarrow expr_1 expr_2$$

- Qualifier: **IN**
- Constraint: $\text{type}(expr_2) = \mathbf{vector} \ [\dots] \ \mathbf{of} \ \text{type}(expr_1)$
- Type inference: $\text{type}(rel\text{-}expr) = \mathbf{bool}$

math-expr \rightarrow *expr*₁ *expr*₂

- Constraint: $(\text{type}(\text{expr}_1) = \text{int} \text{ and } \text{type}(\text{expr}_2) = \text{int}) \text{ or } (\text{type}(\text{expr}_1) = \text{real} \text{ and } \text{type}(\text{expr}_2) = \text{real})$
- Type inference: $\text{type}(\text{math-expr}) = \text{type}(\text{expr}_1)$

neg-expr \rightarrow *expr*

- Qualifier: `' - '`
- Constraint: `math(expr)`
- Type inference: `type(neg-expr) = type(expr)`

neg-expr \rightarrow *expr*

- Qualifier: NOT
- Constraint: $\text{type}(\text{expr}) = \text{bool}$
- Type inference: $\text{type}(\text{neg-expr}) = \text{bool}$

$wr\text{-}expr \rightarrow specifier\text{-}opt\ expr$

- Constraint: $\text{null}(specifier\text{-}opt)$ or $\text{type}(specifier\text{-}opt) = \mathbf{string}$
- Type inference: $\text{type}(wr\text{-}expr) = \text{type}(expr)$

$rd\text{-}expr \rightarrow specifier\text{-}opt \ domain$

- Constraint: $\text{null}(specifier\text{-}opt) \text{ or } \text{type}(specifier\text{-}opt) = \text{string}$
- Type inference: $\text{type}(rd\text{-}expr) = \text{type}(domain)$

left-hand-side \rightarrow **id**

- Constraint: `visible(name(id))` and `class(name(id)) \in { VAR, PAR, CONST }`
- Type inference = `type(left-hand-side) = schema(name(id))`

fielding \rightarrow *left-hand-side* **id**

- Constraint: $\text{type}(\textit{left-hand-side}) = \mathbf{struct}$ and $(\text{name}(\mathbf{id}): \text{domain}) \in \text{attr}(\text{type}(\textit{left-hand-side}))$
- Type inference = $\text{type}(\textit{fielding}) = \text{domain}$

indexing \rightarrow *left-hand-side* *expr*

- Constraint: $\text{type}(\textit{left-hand-side}) = \mathbf{vector} \ [\dots] \ \mathbf{of} \ \text{domain},$
 $\text{type}(\textit{expr}) = \mathbf{int}$
- Type inference = $\text{type}(\textit{indexing}) = \text{domain}$

instance-expr \rightarrow *expr*₁ *expr*₂ ... *expr*_n

- Qualifier: STRUCT

- Type inference:

$\text{type}(\text{instance-expr}) = \mathbf{struct}(\mathbf{nil}: \text{type}(\text{expr}_1), \dots, \mathbf{nil}: \text{type}(\text{expr}_n))$

instance-expr \rightarrow *expr*₁ *expr*₂ ... *expr*_{*n*}

- Qualifier: VECTOR
- Constraint: $\forall i \in [1..n], \forall j \in [1..n] \text{ (type(expr}_i\text{)} \approx \text{type(expr}_j\text{)})$
- Type inference: $\text{type(instance-expr)} = \mathbf{vector} [n] \text{ of type(expr}_1\text{)}$

$\textit{func-call} \rightarrow \textit{id} \textit{expr}_1 \textit{expr}_2 \dots \textit{expr}_n$

- Constraint:

visible(name(**id**)) **and** class(name(**id**)) = FUNC **and**

n = number of formal parameters of name(**id**) **and**

$\forall i \in [1.. n]$ (type(\textit{expr}_i) compatible with i -th formal parameter of name(**id**))

- Type inference: $\text{type}(\textit{func-call}) = \text{schema}(\text{name}(\textit{id}))$

cond-expr \rightarrow *expr*₁ *expr*₂ *elsif-expr-list-opt* *expr*₃

- Constraint: $\text{type}(\text{expr}_1) = \mathbf{bool}$ and $\text{type}(\text{expr}_2) \approx \text{type}(\text{expr}_3)$ and $(\text{null}(\text{elsif-expr-list-opt}))$ or $\text{type}(\text{elsif-expr-list-opt}) \approx \text{type}(\text{expr}_2)$
- Type inference: $\text{type}(\text{cond-expr}) = \text{type}(\text{expr}_2)$

$elsif\text{-}expr\text{-}list\text{-}opt \rightarrow expr_{11} expr_{12} expr_{21} expr_{22} \dots expr_{n1} expr_{n2}$

- Constraint: $\forall i \in [1..n] \text{ (type}(expr_{i1}) = \text{bool) and}$
 $\forall i \in [1..n], \forall j \in [1..n] \text{ (type}(expr_{i2}) \approx \text{type}(expr_{j2}))$
- Type inference: $\text{type}(elsif\text{-}expr\text{-}list\text{-}opt) =$
if $n = 0$ **then**
 nil
else
 $\text{type}(expr_{12})$
endif

built-in-call \rightarrow ***expr***

- Qualifier: **TOINT**
- Constraint: **type(expr) = real**
- Type inference = **type(built-in-call) = int**

built-in-call \rightarrow ***expr***

- Qualifier: **TREAL**
- Constraint: **type(*expr*) = int**
- Type inference = **type(*built-in-call*) = real**

assign-stat \rightarrow *left-hand-side* *expr*

- Constraint: $\text{type}(\textit{left-hand-side}) \approx \text{type}(\textit{expr})$ **and**
left-hand-side refers either to VAR or PAR

$if-stat \rightarrow expr\ stat-list_1\ elsif-stat-list-opt\ [stat-list_2]$

- Constraint: $type(expr) = \mathbf{bool}$

$elsif\text{-}stat\text{-}list\text{-}opt \rightarrow expr_{11} stat\text{-}list_{12} \dots expr_{n1} stat\text{-}list_{n2}$

- Constraint: $\forall i \in [1..n] (\text{type}(expr_{i1}) = \mathbf{bool})$

while-stat** \rightarrow **expr stat-list

- Constraint: `type(expr) = bool`

for-stat \rightarrow **id** *expr*₁ *expr*₂ *stat-list*

- Constraint: **visible(name(id)) and**
class(name(id)) \in { VAR, PAR } and
schema(name(id)) . type = INT and
type(*expr*₁) = **int and**
type(*expr*₂) = **int and**
name(id) is not assigned in *stat-list*

foreach-stat \rightarrow **id** *expr* *stat-list*

- Constraint: **visible(name(id)) and**
class(name(id)) \in { VAR, PAR } and
schema(*expr*) = vector [...] of (schema(name(id)) .type)

read-stat \rightarrow *specifier-opt* **id**

- Constraint: $\text{visible}(\text{name}(\mathbf{id})), \text{class}(\text{name}(\mathbf{id})) \in \{ \text{VAR}, \text{PAR} \}$ **and**
 $(\text{null}(\text{specifier-opt}) \text{ or } \text{type}(\text{specifier-opt}) = \mathbf{string})$

write-stat** \rightarrow **specifier-opt** **expr

- Constraint: *null(specifier-opt) or type(specifier-opt) = **string***