

Lesson 6 - Classification and Description of Fluid Machines

Direction of energy transfer

- Pressure \downarrow
- ↳ $P, h \downarrow, l > 0$, motor machines convert fluid energy to mechanical energy
 - ↳ Operating machine \rightarrow mechanical energy \rightarrow fluid energy.
 $\rightarrow P, h \uparrow, l < 0$

Volumetric behaviour of fluid

- ↳ There are two models based on the compressibility.
- ↳ Incompressible \rightarrow we use ideal liquid (thermal machines)
- ↳ Compressible \rightarrow we use perfect / ideal gas (change in P irrelevant)

Operating way

- Volume
- ↳ Volumetric/ positive displacement machines \rightarrow exchange energy through cyclic change of volume or displacement of the fluid. \rightarrow low flow velocity/ flow rate
No limitation on the specific work we can generate given no technological limitations.
 - ↳ Turbo machine energy exchange occurs through continuous interaction between the fluid and rotating components.
 - ↳ high flow velocity/ flow rate limited specific work.
 - ↳ (since P is variable, even though h is low)
 - ↳ if we put too much work we can get stall, meaning

that there is a limit to the specific work that we can generate
we can increase many rotors

Aero-engines vs. ICE → turbomachinery vs. pistons.

All these engines are called "air-breathing engines"

< Table of classification and nomenclature >

Turbo compressors are not turbo gas engine!

Volumetric machines:

↳ Reciprocating machines

↳ Rotative machines

↳ we capture the fluid in the rotation and depending on the operating way the volume we use to capture can be lower or greater than the original volume, usually it's compressible.

They are suitable for low flow rate and high specific work.

Turbomachines

↳ we exchange work by making fluid interact with airfoils.

↳ the flow is deflected by the specific shape of the airfoil, the flow cannot be deflected too much in one go.

↳ To be able to use multiple rotors, we need to use stators

between them to return the flow to the undisturbed.

Rotor + Stator = Stage

→ The deflection is the way in which we generate work.



For compressors.

In turbines, the deflection is very great, creating a large pressure gradient.

Turbo machine architecture

Radial ^{flow} machine can be centrifugal and centripetal.

Mixed flow machines → uses principles of both.

Axial flow machines

- ↳ Made for high flow rate, since they have higher cross-section so we don't need velocity
- ↳ They have a limit on the pressure ratio.

Radial flow machines

- ↳ The work exchanged is proportional to the radial path
- ↳ They are more efficient since they can deal with higher pressure ratios.

When we have several stages, the flow is complex, so it can be hard to determine if it axial or radial.

So to be able to classify it, we need to ratio of the peripheral velocities from inlet to outlet
stream lines \rightarrow Stream surface.

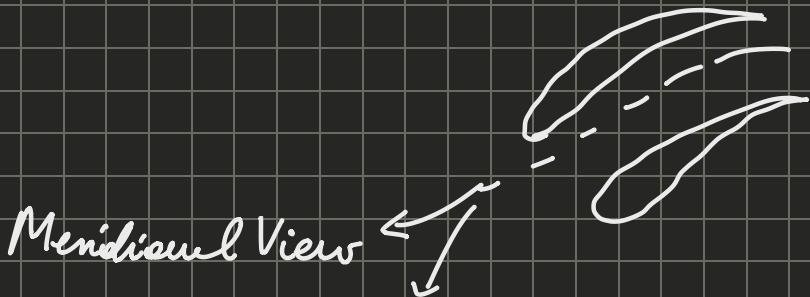
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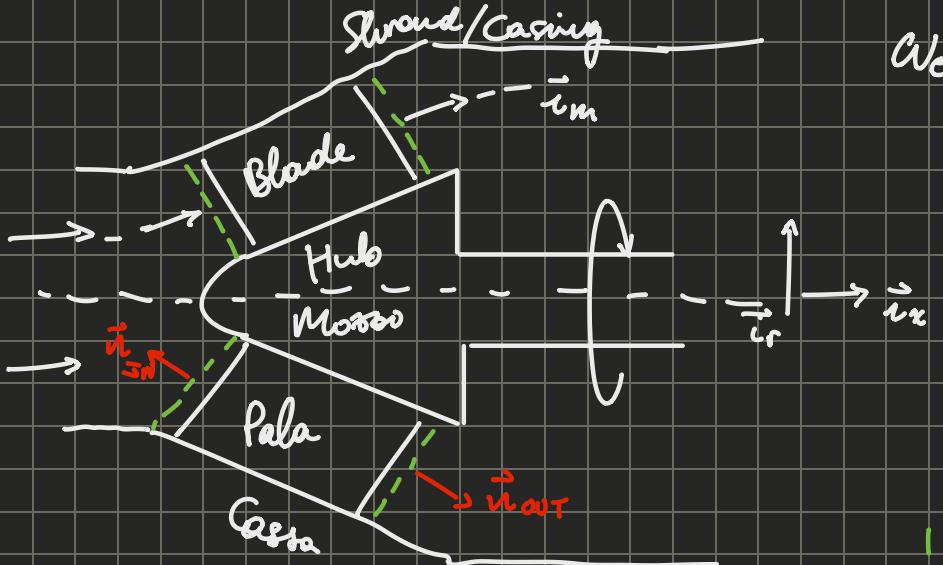
Dealing with mixed flow machines is complex since it's a 3D problem. The way we deal with it is taking 3 planes, one is parallel to the base, one is called the meridional plane from this plane we can get the axial and radial component, it allows us to visualize the flow lines and define the stream surface. It also allows to classify between axial and radial components.

The Blade-to-blade surface, allows us to visualize the interaction between blades. The horizontal direction is the tangential direction, the vertical is a mix of the axial and radial depending on the shape.

To find the velocity we combine the meridional velocity with the tangential velocity.

Defining the flow in a fixed flow machine





Control volume

$$\vec{V} = \underbrace{V_x \vec{i}_x + V_r \vec{i}_r}_{V_m} + V_\theta \vec{i}_\theta$$

$$\vec{V}_m = V_m \vec{i}_m$$

$$\vec{V} = V_m \vec{i}_m + V_\theta \vec{i}_\theta$$

Control volume
→ volume

Blade to Blade



$$\dot{m} = \int_{\text{Across}} \rho \vec{v} \cdot \vec{n} dA = \rho V_m A_{\text{cross}}$$

cross sectional area

$$\vec{v} \cdot \vec{n} = V_x \vec{i}_x + V_r \vec{i}_r + V_\theta \vec{i}_\theta$$

$= V_m \vec{i}_m = V_m$
the cross section is perp.
to the tangent plane

$$\text{Across} = \pi D_m b$$

blade height

mean diameter.

