

Lezi - Rolling Contact Bearing

Bearings are elements that allow relative motion between components, it also helps realize constraints.

Usually the friction coefficient is lower than the ^A sliding

sliding friction coefficient, so they are more common.

↑ pg. 2

The roller bearing is the simplest type of bearing.

The balls roll between rings, they usually have cages and seals as well.

pg. 2 left more detailed.

There are many different types of rolling contact bearings but or many others customs can be ordered.

There are 3 main bearing manufacturers:

↳ SKF

↳ Schäffer

↳ one other (didn't hear)

The catalogues for bearings are books which explain theory and how to use different equations, and other practical information.

Classifications:

Shape of
rolling
elements

There are bearings based on splines or roller bearings.
Usually rollerbearings are able to sustain higher stresses
since the roller bearings distribute pressures over a greater
area, reducing pitting.

Another classification can be made based on
the direction of sustainable loads:

- ↳ Radial \rightarrow just radial loads
- ↳ Thrust \rightarrow Just axial
- ↳ Angular \rightarrow Mixed but just from one direction.

Another classification is the ability to accommodate
misalignment.

- ↳ They can allow even degrees of misalignment
- ↳ For the notation check we have to check the
permissible rotation angles.

Bearings allow to idealize constraints.

- ↳ To idealize the constraints we don't have specific
bearings, rather the constraints are idealized by what
is around the bearing and what we allow to move in
an assembly.

The difference between the slider and roller is if we have a Locating bearing or non-locating bearing.

A locating bearing allows movements (other than rotation) usually a translation, these are rollers.

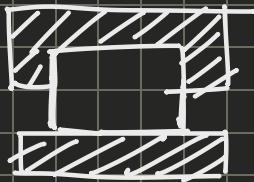
Roller vs. hinge

↳ We check if the outer ring can move, if the inner ring can move or if the rolling element allows relative motion between rings.

↳ Spheres don't allow relative motion, but they still allow rotations.

The difference between a hinge and total fix is if it blocks rotations.

Even small rotations are rotations so they are hinges.



} Still a roller since the roller can slide allowing relative motion, accommodating axial displacement.

If it's a hinge or roller is based on how we constrain the bearing.

pg. 7 \Rightarrow clear image difference between pin/hinge and roller.

Common bearing

- ↳ Seeger rings, circlips, snap rings.
- ↳ Spacers and shims. → allow us to recover tolerances.
- ↳ Lock nut
- ↳ Shoulders (in the shaft)
- ↳ There are infinite possibilities.

In order to use bearings as constraints, means that we have to introduce notches, and means that they can have an effect on the static and fatigue checks.

→ like if we use elastic rings.

If they are in some wrong places we may have to consider bottlenecks with appropriate calculations.

We may also introduce some other things to reduce the notch effect. We have to use airways to minimize the number of issues.

We can also use big spacers to do the same job we wanted to do the job where we would have used notches.

Pg. 10 Peterson diagram for seats of elastic rings.

To accommodate the housing we must pay attention to the fillet radii and shoulder height.

↳ We generally want to use as large a radii as possible but in many cases to accommodate the bearings we will usually have to reduce it.
- if we cannot,

↳ A way to not reduce it is to either use relief grooves or use spacers, to allow larger radii.

→ All bearings have a maximum radius they can interact with, so we have to check this and apply it if we can, this will have an effect on our checks, which is something we can't do much about

The height of the shoulder is also critical, the catalogues include the most appropriate maximum and minimum values for both shafts.

Failure of rolling contact Bearings.

↳ Basically how to select a bearing, we are cherry-picking the best bearing of the available ones.

The problem for bearings is pitting, so once again the issue is contact fatigue. This means that they generally break over time.

In most cases the failures are due to issue related to the lubrication.

Rolling bearings are subject to static, fatigue, or mixed loads.

Static cases include stationary or slightly oscillating bearing, or rare impacts or other cases.

Static strength is limited by the permissible plastic strain.

A plastic strain equals 0.5% of the diameter of the rolling element.

This permissible plastic strain corresponds to a possible Hertz pressure $p_{H, \text{allow}}$ of the order of 4000 MPa .

This is high considering the σ_{ut} of steels, and is possible because we are accepting plasticity, and since it's in such a small area which is surrounded by elasticity meaning that it won't fracture. It does fracture but in the form of pitting.

Thus is why we limit based on the accumulated plastic deformation.

limit

In the catalogue we are given loads in $[kN]$ which corresponds to the plastic deformation from the Hertz pressure.

This means that for us we no longer have to use the contact theory to size our bearings.

We know what's happening but we don't need to do contact problems.

For just radial loads: $P_0 = F_r$

↳ static load.

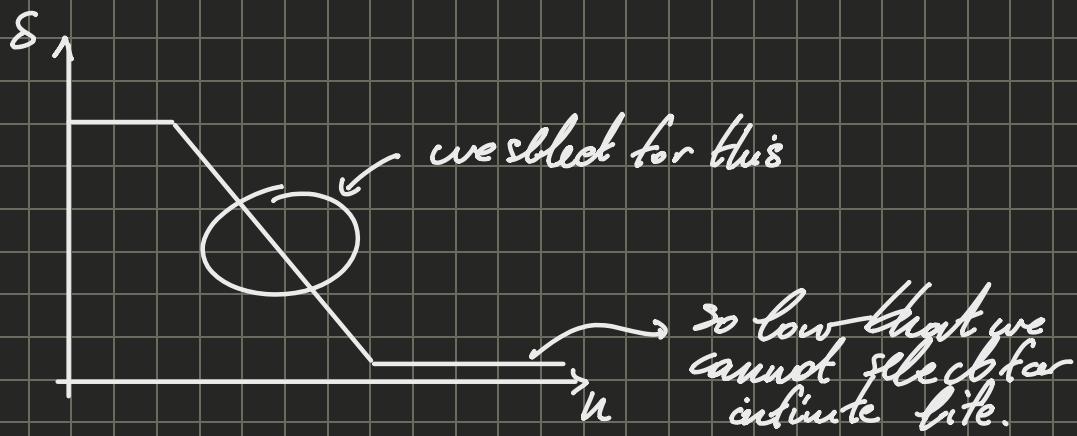
If we have a mix, the

catalogue gives us an indication how to calculate the directional forces to compare to C_0 .

Dynamic Strength

↪ The idea is the same, we can give C as the maximum dynamic load to which to compare.

We need to remember that bearings don't have infinite life and therefore they need to be replaced, they will always sooner or later fail.



Since we're constantly in a cyclic plastic field, sooner or later the fracture will begin.

Basic dynamic load rating : $C \rightarrow$ load for which 90% of bearings will work for 10^6 cycles, before failure, at least

$$L_{\text{min}} = a_1 \cdot a_2 \cdot a_3 \cdot L_{10}$$

a_1 = reliability

$a_2 = \dots$

$a_3 = \dots$

$$L_{10} = \left(\frac{C}{P} \right)^P \quad P = \frac{10}{3}$$

There are tables that help to determine a_1, a_2, a_3

Viscosity ratio: $K = \frac{V}{V_i}$
from 2 diagram

Lubricant Viscosity \rightarrow ISO (number)
 \downarrow
viscosity at 40°C

Mixed strength

↳ We have both static and dynamic loads.

$$\bar{F}_m = f_m \cdot (F_1 + F_2)$$

$$P = T_m$$

$$P = X \cdot \bar{F}_m + Y \cdot F_a$$

This requires a whole rewrite of the last part, since he went very fast.