TD3 ex 1

 $S \,\to\, A$ 

 $A \rightarrow B + A$ 

 $A \rightarrow B$ 

 $B \rightarrow A * id$ 

 $B \,\to\, id$ 

 $A \rightarrow A * id + A$ 

 $A \rightarrow A * id$ 

 $A \rightarrow id + A$ 

 $A \rightarrow id$ 

 $A' \rightarrow * id (+A | \epsilon) A' | \epsilon$ 

 $F \rightarrow (+A \mid \epsilon) A'$ 

 $A \to id F$ 

A'  $\rightarrow$  \* id F |  $\epsilon$ 

 $S \,\to\, A$ 

 $A \rightarrow Aa \mid b$ 

 $A \rightarrow bA'$ 

 $A' \rightarrow a | A' | \epsilon$ 

 $A \rightarrow A (*id + A | *id)$ 

 $A \rightarrow id + A \mid id$ 

 $A \rightarrow (id + A \mid id) A' = id (+ A \mid \epsilon) A'$ 

 $A' \rightarrow (*id + A | *id) A' | \epsilon$ 

 $S \rightarrow A$ 

## TD 3 Ex 2

- 1.  $N \rightarrow R p C$
- 2.  $N \rightarrow R$
- 3.  $N \rightarrow C$
- 4.  $C \rightarrow i R$
- 5.  $R \rightarrow R c$
- 6.  $R \rightarrow c$

## $R \rightarrow c S$ $S \rightarrow c S \mid \epsilon$

$$N \rightarrow R p C | R | C \text{ (régles 1-3)}$$

$$N \rightarrow c S p C | c S | C = c (S p C | S) | C$$

## $N \rightarrow c X | i R$

$$X \rightarrow S p C | S$$

$$X \rightarrow c S p C | c S | \epsilon | p C$$

$$X \rightarrow c X | \epsilon | p C$$

$$C \rightarrow i R$$

## TD3 Ex 3

$$N_1 \rightarrow M \mid E_x \mid M \mid E_x \mid s \mid (M \mid E_x \mid M \mid E_x)$$

$$\rightarrow$$
 E | D | E D | E<sub>x</sub> | (E | D | ED) E<sub>x</sub> | s N<sub>2</sub>

$$\rightarrow$$
 cS | ·E | cS·E | e E<sub>s</sub> | cS E<sub>x</sub> | ·EE<sub>x</sub> | cS·EE<sub>x</sub> | sN<sub>2</sub>

$$\rightarrow$$
 c (S |S·E |S  $E_x$  |S·E $E_x$ ) | e  $E_s$  | ·(E $E_x$  | E) | s $N_2$ 

$$N_1 \rightarrow c X | e E_s | \cdot Y | s N_2$$

$$N_2 \rightarrow c X | e E_s | \cdot Y$$

$$X \rightarrow S | S \cdot E | S E_x | S \cdot E E_x$$

$$\rightarrow$$
 cS | cS·E | cS  $E_x$  | cS·E $E_x$ | $\varepsilon$ |·E |  $E_x$ |·E $E_x$ 

- $\rightarrow$  c (S | S·E|SE<sub>x</sub>|S·EE<sub>x</sub>) | $\epsilon$ |·E | E<sub>x</sub>|·EE<sub>x</sub>
- $\rightarrow cX \mid \cdot (E \mid EE_x) \mid \epsilon \mid E_x$

$$X \rightarrow c X | \cdot Y | \epsilon | e E_s$$

$$Y \rightarrow EE_x \mid E \rightarrow cS \mid cS \mid E_x \rightarrow c(S \mid S \mid E_x)$$

$$Y \rightarrow c Z$$

$$Z \rightarrow c (S \mid S E_x) \rightarrow c Z$$

$$E_s \rightarrow E \mid sE \rightarrow cS \mid sE$$

$$X \rightarrow S | S \cdot E | S E_x | S \cdot E E_x$$

$$Y \,\to\, EE_x|\; E$$

$$N_1$$

$$N_2$$

$$E_{x}$$

$$\begin{array}{c} E_s \\ S_i \end{array}$$

$$S \rightarrow cS \mid \epsilon$$

$$Z \rightarrow (S \mid S E_x)$$

