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Course Title : Digital Logic Design

Course Code : CSE 260

Section: 05

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oms. to the g. NO-01

Given,

$$= (A+B) (A+C)$$

Complement of 1: 1 to Real of

$$\therefore (A+B)(A+B)(A+C) = A+BC$$

(Ans:)

communer to the g. NO-02

Given expression:-

$$(x'+y+z')(x'+y')(x+z')$$

$$=(x',y,z')+(x',y')+(x,z')$$

$$=(x,y',z)+(x,y)+(x'z)$$

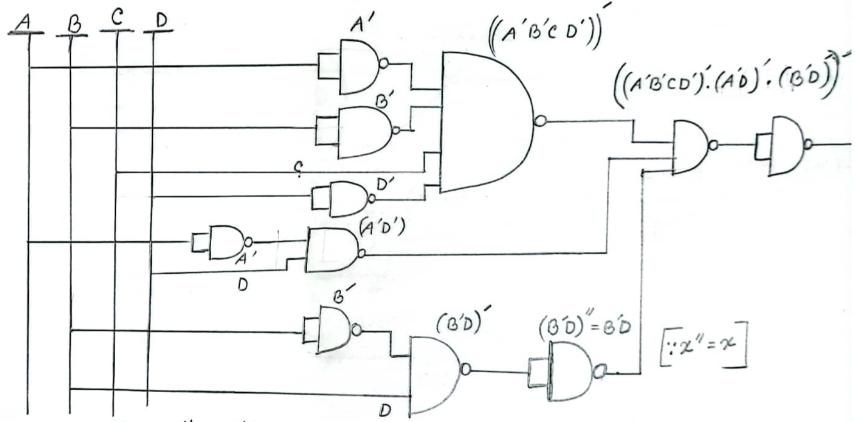
(Am:)

Given, commerce to the g. NO-03

F(A,B,C,D) = (A'B'CD' + A'D + (B+D'))Drawing using NAND Color when

Drawing using NAND Godes only:-

[P.T.O.]



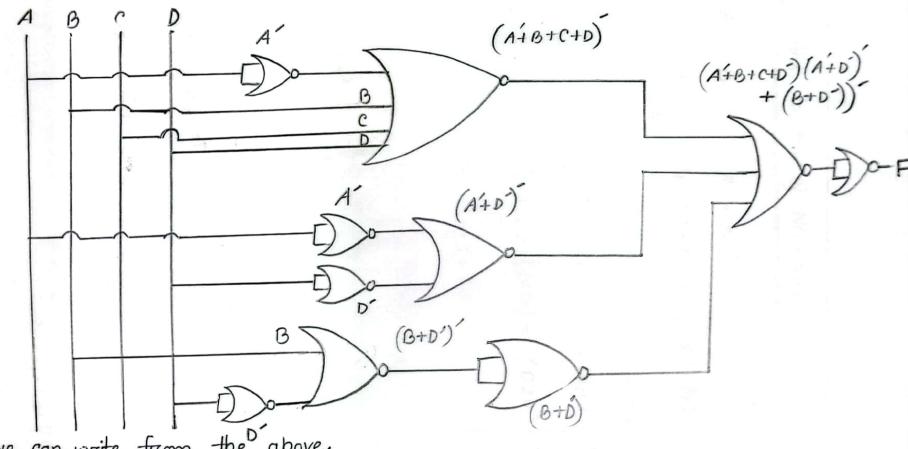
We can write from the above, $((A'B'CD')\cdot(A'D'')\cdot(B'D)'')' = (A'B'CD')''+(A'D'')+(B'D)''$ [:((xy)=x'+y')]

= A'B'CD'+ A'D+B'D [: \\ \(\alpha'' = \alpha \)

Am:

Given, F(A,B,C,D) = (AB'C'D' + AD + (B+D'))

F(A,B,C,D) = (AB'C'D' + AD + (B+D'))drawing using NOR Gates only:-



We can write from the above, $(A'+B+C+D')+(A'+D')+(B+D') = A\cdot B'C'D'+AD+(B+D')$

(Am:)

$$F(A.6.c) = AG+BC'$$
= $AG(c+c') + (A+A')BC'$
= $ABC + ABC' + AGC' + A'BC'$
= $ABC + ABC' + A'BC'$
= $(111) + (110) + (010)$
= $\Sigma(7, 6.2)$

$$POS = AB+BC'$$
= $(AB+B)$ $(AB+C')$
= $(A+B)$ $(B+C')$ $(B+C')$
= $(A+B)$ (B) $(A+C')$ $(B+C')$
= $(A+B)$ (B) $(A+C')$ $(B+C')$
= $(A+B+CC')$ $(AA'+B+CC')$ $(A+BC')$ $(AA'+B+C')$
= $(A+B+C)$ $(A+B+C')$ $(AA'+B+C)$ $(AA'+B+C')$ $(A+C'+B)$
• $(A+C'+B')$ $(B+C'+A)$

[P.T.O]



$$\Rightarrow (A+B+C) (A+B+C') (A+B+C) (A'+B+C) (A+B+C')$$

$$(A'+B+C') (A+C'B) (A+C'+B') (B+C'+A) (B+C'+A')$$

$$= (A+B+C) (A+B+C') (A'+B+C) (A'+B+C') (A+B'+C')$$

$$000 001 100 101 | POS, x=0 x'=1$$

$$= TT (0, 1, 4, 5, 3)$$

:
$$F(A_1B_1C) = AB + BC' \Rightarrow SOP = \Sigma(7,6,2)$$

 $\Rightarrow POS = \pi(0,1,4,5,3)$

(Am:)

Given,
$$F(A,B,C,D) = A + B'CD'$$

$$= ABCD + ABCD' + ABC'D + ABC'D' + AB'CD' + AB'C'D' + AB'C'D' + AB'C'D' + A'B'CD'$$

$$= ABCD + ABCD' + ABC'D + AB'CD + ABCD' + ABC'D + ABC'D' + ABC'D'$$

P.T.O.]



$$= (A+B')(A+C)(A+D')$$

$$= (A+B'+CC'+DD') (A+BB'+C+DD') (A+BB'+CC'+D')$$

$$(A+B'+CC'+D) (A+B'+CC'+D') (A+BB'+C+D)$$

$$(A+BB'+C+D') (A+BB'+D'+C') (A+BB'+D'+C')$$

$$= (A+B'+C+D)(A+B'+C'+D)(A+B'+C+D')(A+B'+C'+D')$$

$$(A+B+C+D)(A+B'+C+D)(A+B+C+D')(A+B'+C+D')$$

$$(A+B+C+D')(A+B'+C+D')(A+B+C+D')(A+B'+C'+D')$$

$$= (A+B'+C+D) (A+B'+C'+D) (A+B'+C+D') (A+B'+C'+D')$$

$$(A+B+C+D) (A+B+C+D') (A+B+C'+D')$$

$$=(0100)(010)(0101)(0111)(0000)(0001)$$

$$: F(A,0,c,D) = 50P \Rightarrow \Sigma^{(15,14,13,12,11,10,9,8,2)}$$

$$= POS \Rightarrow \pi^{(4,6,5,7,0,1,3)}$$

$$(Am:)$$

Am. to the g. NO - 05 (c)

SOP

Given,

$$= (11111) (11110) (11101) (11100) (11011) (11010)$$

$$(11001) (11000) (10111) (01111) (00111)$$

$$= \Sigma (31, 30, 29, 28, 27, 26, 25, 24, 23, 15, 17)$$

P05 AB+CDE =(AB+C) (AB+D) (AB+E) = (A+C) (B+C) (A+D) (B+D) (A+E) (B+E) = (A+BB'+C+ DD'+ EE') (AA'+B+C+DD'+ EE') .. (A+BB'+ CC'+D+ EE') (AA'+B+CC'+D+EE'). (A+BB'+CC'+DD'+E) (AA'+B+CC'+DD'+E) = (A+ BB'+C+DD+E) (A+BB'+C+DD'+E') (AA'+B+C+DD'+E) (AA'+ B+C+DD'+E') (A+BB'+CC'+D+E) (A+BB+CC'+ (AA'+B +CC+D+E) (AA'+B+CC'+D+E') (A+BB+CC+D+E) (A+BB'+CC'+D'+E) (AA'+B+CC'+D+E) (AA'+B+CC'+ =(A+BB'+C+D+E) (A+BB'+C+D'+E) (A+BB'+C+D+E) (A+BB'+C+D'+E') (AA'+B+C+D+E) (AA'+B+C+D'+E). (AA'+0+C+D+E') (AA'+0+C+D'+E') (A+00+C+D+E). (A+BB'+C'+D+E) (A+BB'+C+D+E') (A+BB'+C+D+E'). (AA'+B+C+D+E) (AA'+B+C+D+E) (AA'+B+C+D+E') (AA'+B+C'+D+E') (A+BB'+C+D+E) (A+BB'+C'+D+E).

(AA'+ B+C+D+E) (AA'+B+C'+D+E) = (A+B+C+D+E) (A+B'+C+D+E) (A+B+C+D'+E). (A+0'+C+D'+€) (A+0+C+D+E') (A+0'+C+D+E'). (A+B+C+D'+E') (A+B'+C+D'+E') (A'+B+C+D+E). (A'+B+C+D'+E) (A+0+C+D+E') (A'+B+C+D+E') (A+0+C+D+E) (A+B'+C'+D+E) (A+B'+C'+D+E') (A'+B+C'+D+E) (A'+B+C'+D+E') (A+B+C'+D'+E) (A'+B+C+D'+E) =(00000) (01000) (00010) (01010) (00001)(01001) (00011) (01011) (10000) (10010) (10001) (10011) (00100) (01100) (00111) (01101) (10100) (10101) (00110) (10110) $=\pi$ (0,8,2,10,1,9,3,11,16,18,17,19,4,12) 13,20,21,6,22)

Am. to the g. NO-06

Given,

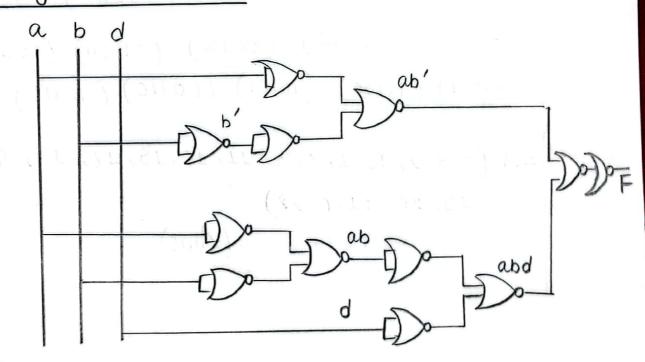
$$F(a,b,c,d) = \sum (8,9,10,11,13,15)$$
$$= (1000) (1001) (1010) (1011) (1101)$$
$$(1111)$$

$$= ab'c'(d'+d) + ab'c(d'+d) + abd(c'+c)$$

$$= ab'c' + ab'c + abd$$

=
$$ab'(c'+c) + abd$$

using only NOR Gates:



Coms. to the Q. NO- 07(a) $F(a,b,c,d) = \sum (8,9,0,11,7,15)$ = (1000)(1001)(0000)(1011)(0111)(1111) = ab'c'd' + ab'c'd + a'b'c'+d' + ab'cd +

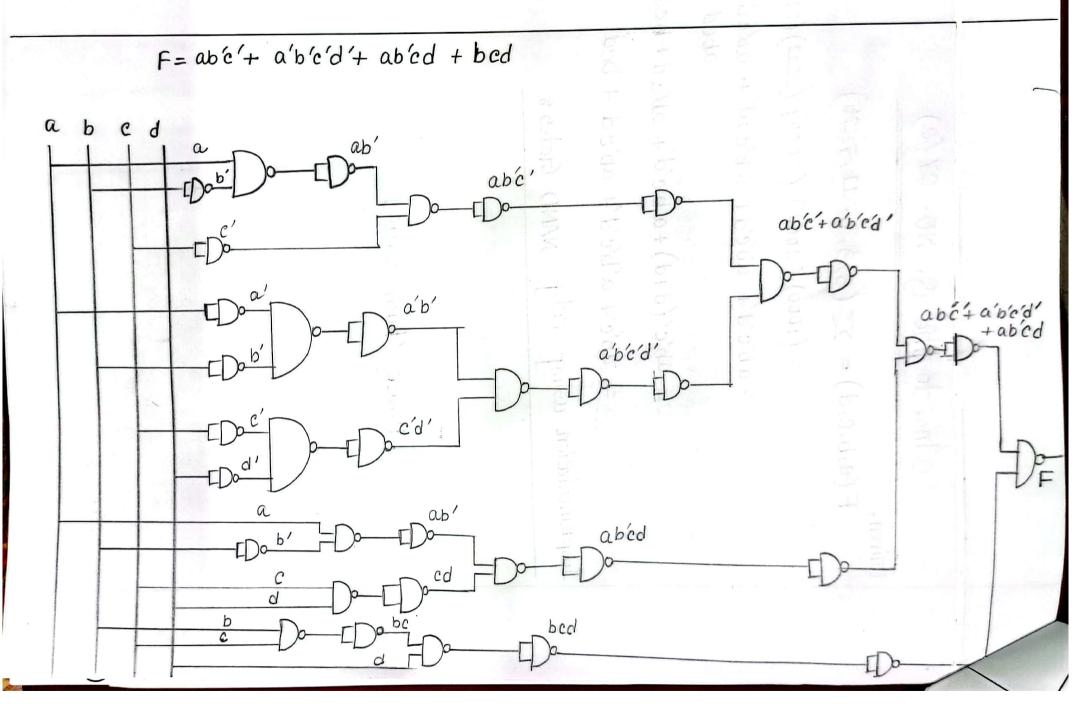
= ab'c'(d+d) + a'b'c'd' + ab'c d + bcd(a+a')

= ab'c'+ a'b'c'd'+ ab'ed + bcd

Implementation using only NAND Grates :

Given,

[Please Twen Over]





Am. to the g. NO-07 (b)

Given,

$$F(a,b,c,d) = \sum (5,8,9,12,15)$$

$$= (0101) (1000) (1001) (1100) (1111)$$

$$= a'bc'd + ab'c'd' + ab'c'd + abc'd' + abcd$$

$$= a'bc'd + ab'c' (d'+d) + abc'd' + abcd$$

$$= a'bc'd + ab'c' + abc'd' + abcd$$

Implementing using only NAND Grates 8

Please Twen Over

