

Binary Tree Traversals

- each element present is "visited" (or accessed) at least once

- Number of possible traversals: not a fixed number, depends on the structure

Idea!!!

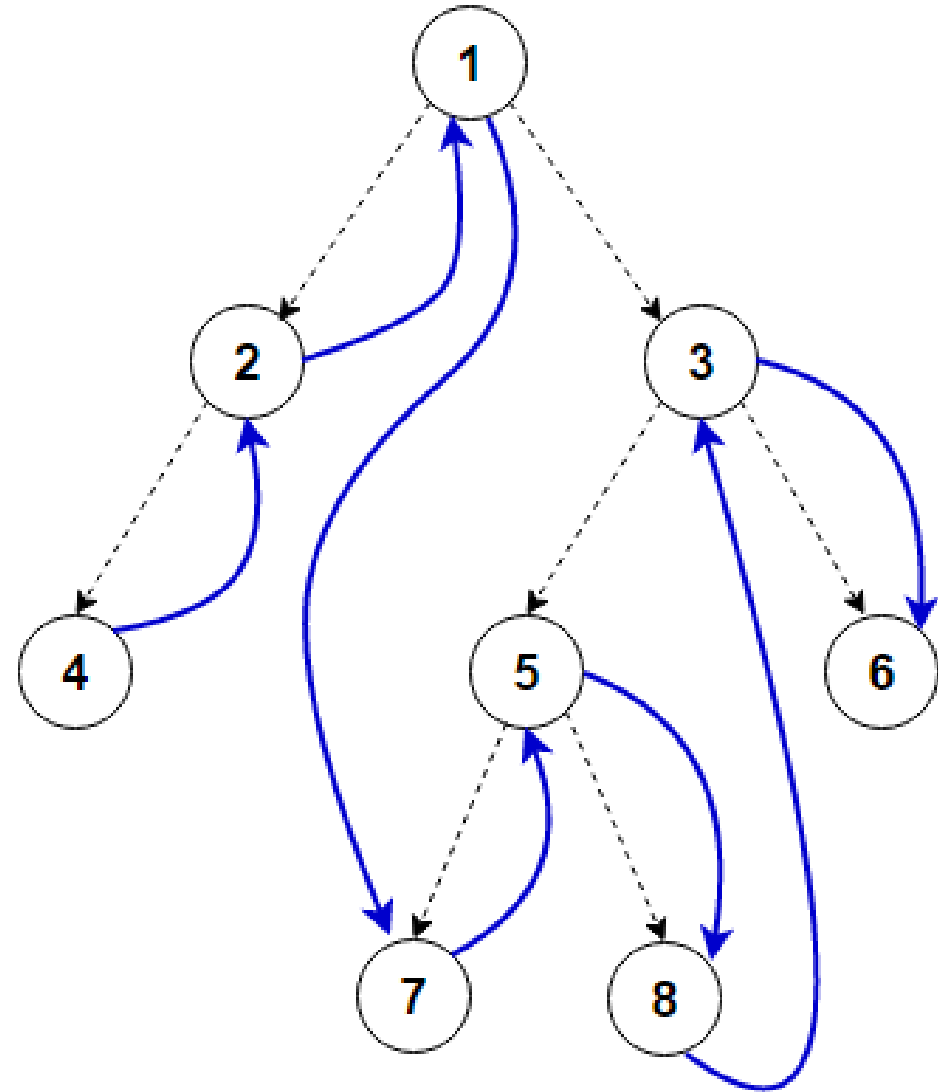
Recursion tree 😊

types of binary tree traversals

- Inorder
- Preorder
- Postorder

Inorder

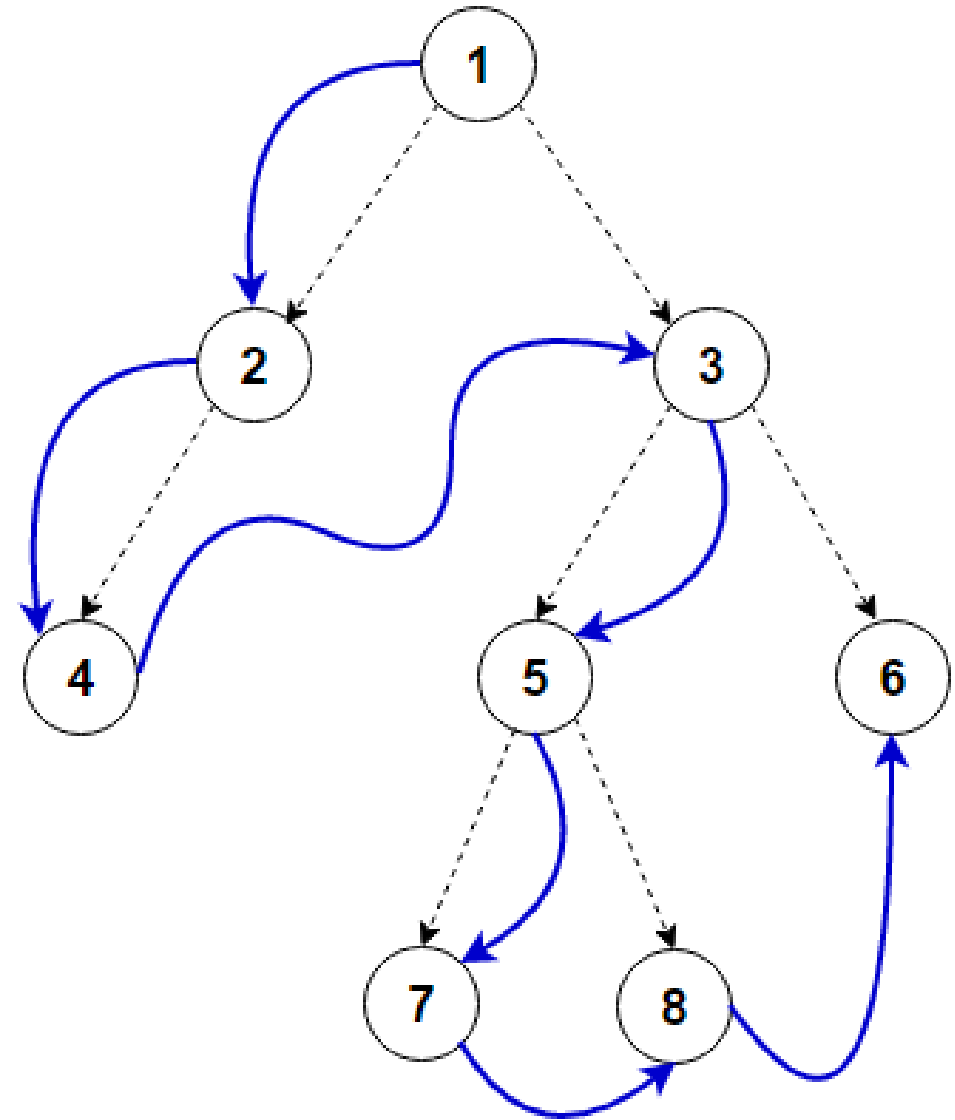
LVR (Left, Visit, Right)



Inorder: 4, 2, 1, 7, 5, 8, 3, 6

Preorder

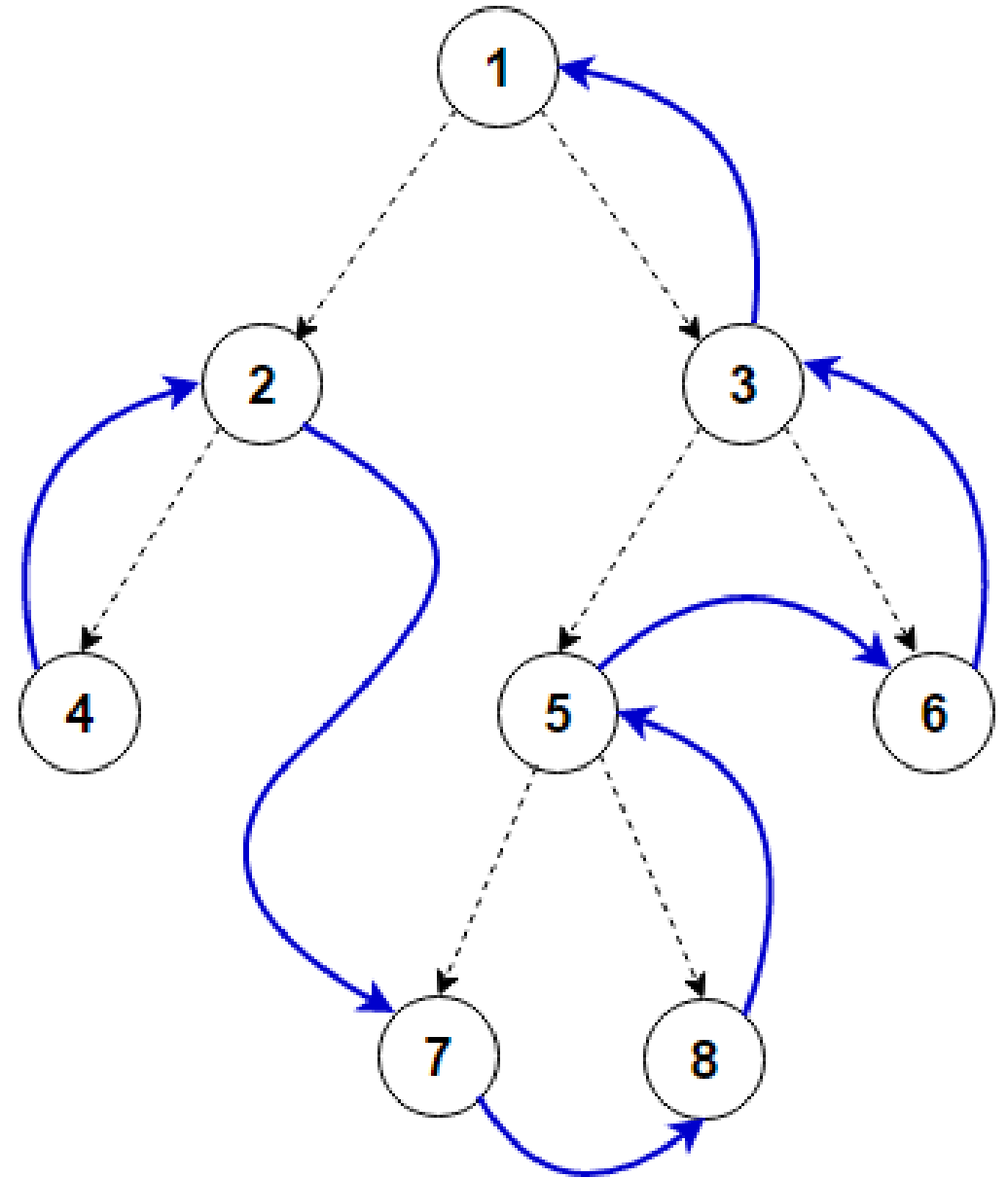
VLR (Visit, Left, Right)



Preorder: 1, 2, 4, 3, 5, 7, 8, 6

Postorder

LRV (Left, Right, Visit)



Postorder: 4, 2, 7, 8, 5, 6, 3, 1

Example 1

Given the given Postorder and Inorder, construct its unique binary tree

PostOrder: DECBFA

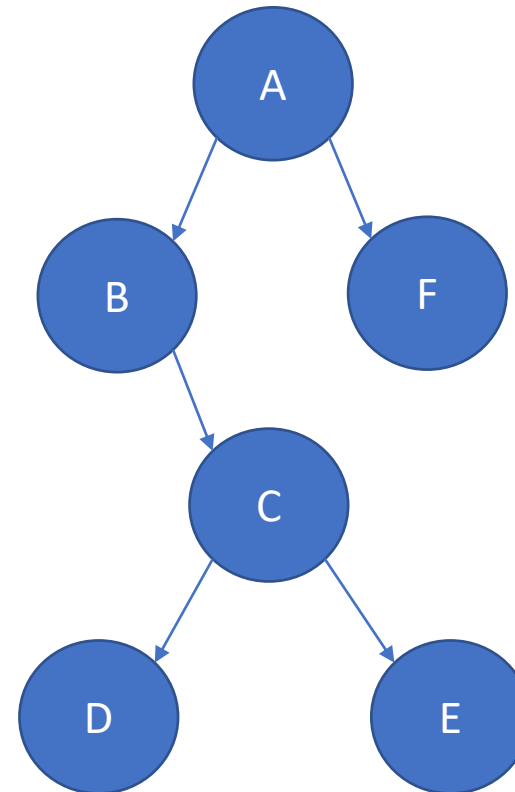
InOrder: BDCEAF

Example 1

Given the given Postorder and Inorder, construct its unique binary tree

PostOrder: DECBFA

InOrder: BDCEAF



Example 2

Given the given Postorder and Inorder, construct its unique binary tree

PostOrder: ABEFGHDC

InOrder: ABCEDGFH

Example 2

Given the given Postorder and Inorder, construct its unique binary tree

PostOrder: ABEFGHDC

Root



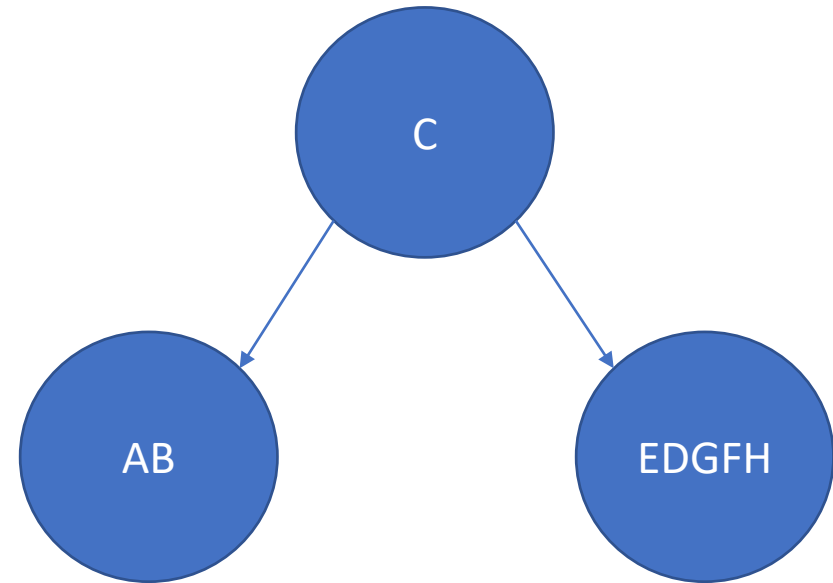
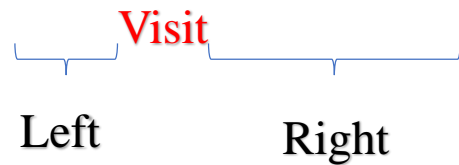
InOrder: ABCEDGFH

Example 2

Given the given Postorder and Inorder, construct its unique binary tree

PostOrder: ABEFGHDC

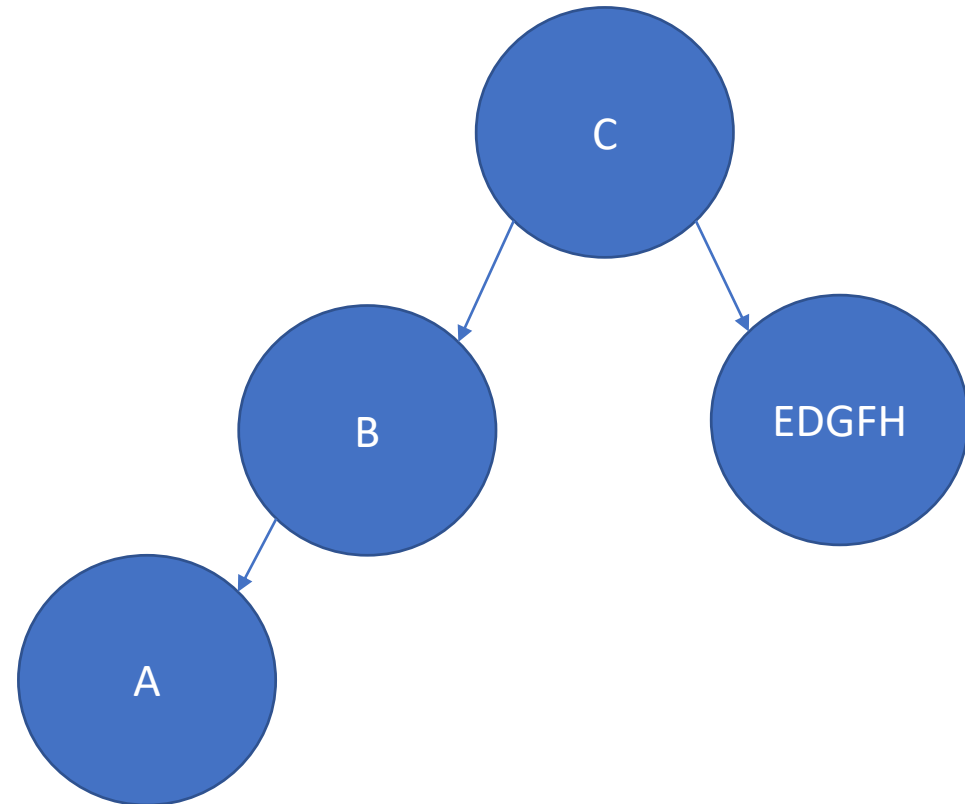
InOrder: AB C EDGFH



Example 2

Given the given Postorder and Inorder, construct its unique binary tree

PostOrder: A**B**
InOrder: A **B** \emptyset
 └─ Visit ─┘
 └─┘ └─┘
 Left Right



Example 2

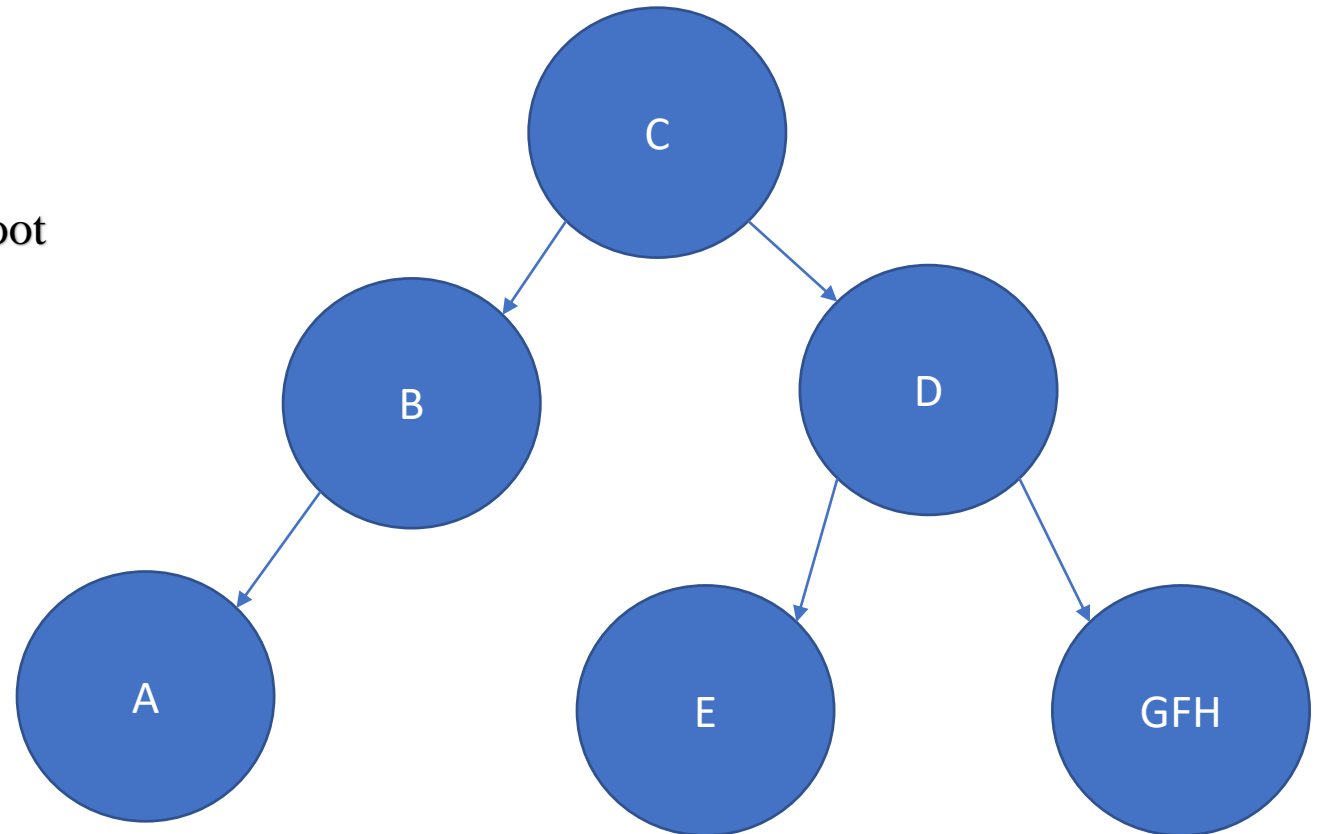
Given the given Postorder and Inorder, construct its unique binary tree

PostOrder: EFGHD

InOrder: E D GFH

Left Visit Right

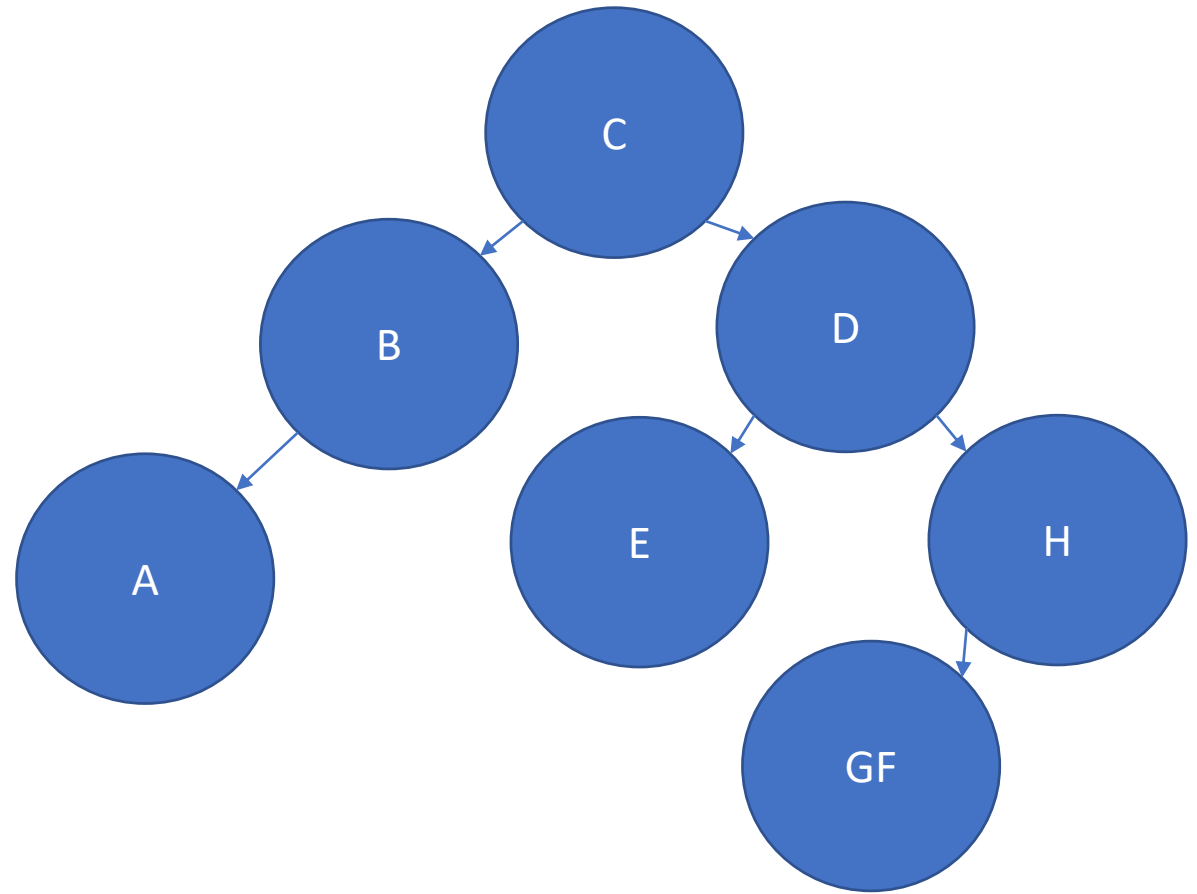
Root



Example 2

Given the given Postorder and Inorder, construct its unique binary tree

PostOrder: FG**H** ↖ Root
InOrder: GF **H** \emptyset
 └─ Visit ─┘
 Left Right



Example 2

Given the given Postorder and Inorder, construct its unique binary tree

PostOrder: FG **G** ← Root
InOrder: \emptyset **G** F
└─ Visit ─┘
Left Right

