

PHYS12 CH:20 The Invisible Force That Powers Your Life

From Aurora to Electric Motors

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Outline

- 1 Introduction
- 2 20.1 Magnetic Fields and Force
- 3 20.2 Motors, Generators, and Transformers
- 4 20.3 Electromagnetic Induction
- 5 Summary

The Aurora's Secret



The Aurora's Secret



The Connection

Same physics that creates northern lights powers your phone, lights your home, and makes your car move.

Learning Objectives

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- **20.3:** Calculate induced electromotive force and current

20.1 Magnetic Poles

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The Paradox

Civilian: "Opposites attract, same poles repel."

Physicist: "True, but you can NEVER isolate a single pole."

20.1 The Universal Law: Magnetic Force

Nature's Rule for Moving Charges

$$F = qvB \sin \theta$$

Force on a charge moving through a magnetic field.

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Nature's Rule for Moving Charges

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Force on a charge moving through a magnetic field.

Variables:

- F = force (N)
- q = charge (C)
- v = velocity (m/s)
- B = magnetic field strength (T, tesla)
- θ = angle between \vec{v} and \vec{B}

20.1 Right-Hand Rule for Force

To find **force** direction on positive **charge**:

- ① Point fingers in direction of **velocity** \vec{v}

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- ③ Thumb points in direction of **force** \vec{F}

Key Insight

For negative **charges**, **force** is **OPPOSITE** the thumb direction.

20.1 Maximum Force Condition

When is Force Maximum?

$\sin \theta$ is maximum when $\theta = 90^\circ$

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The Mental Model

Charge moving parallel to field lines feels no force. Moving perpendicular to field lines feels maximum force.

20.2 The Force on Current in Magnetic Field

Universal Law: Magnetic Force on Wire

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Current-carrying wire in magnetic field experiences force.

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Universal Law: Magnetic Force on Wire

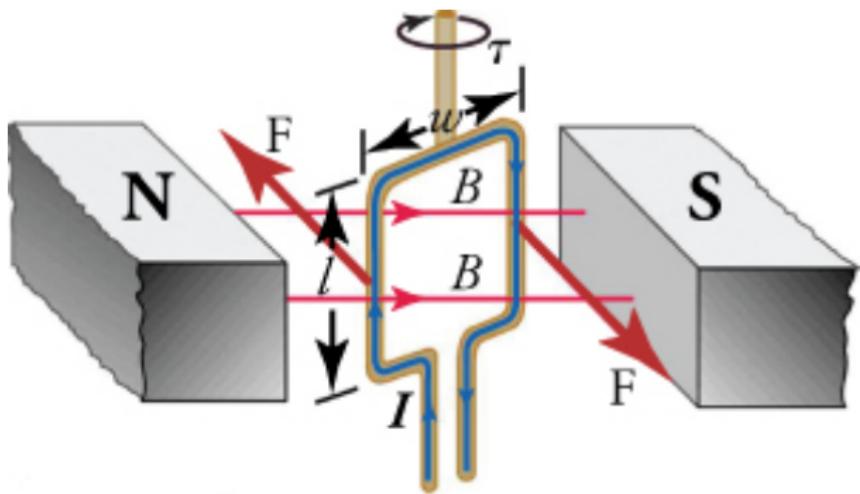
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Current-carrying wire in magnetic field experiences force.

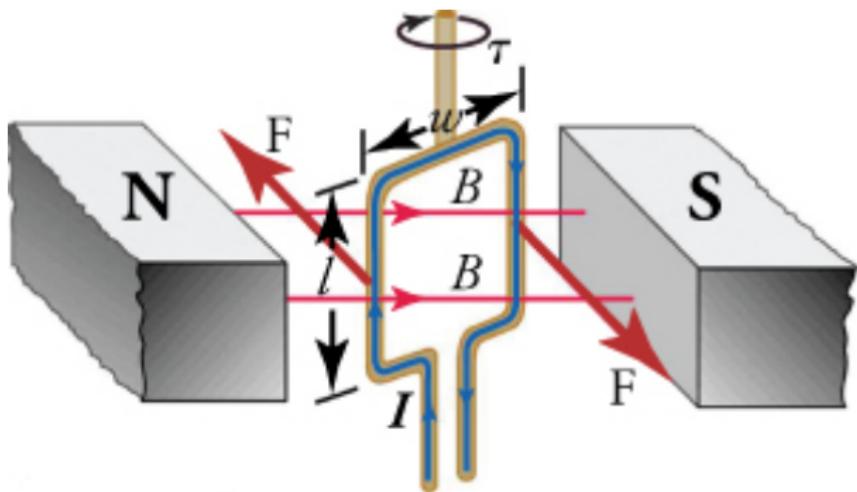
The Mental Model

Think of electricity as water flowing through a hose. Put that hose in a magnetic field, and the field *pushes* the hose sideways.

20.2 Electric Motor: Converting Energy



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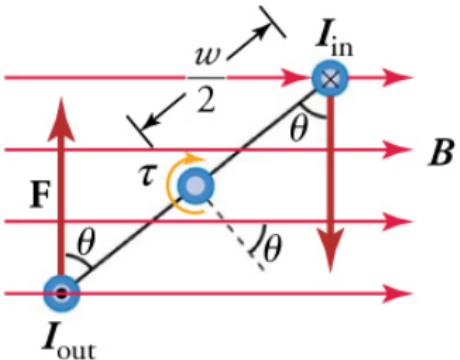


The Paradox

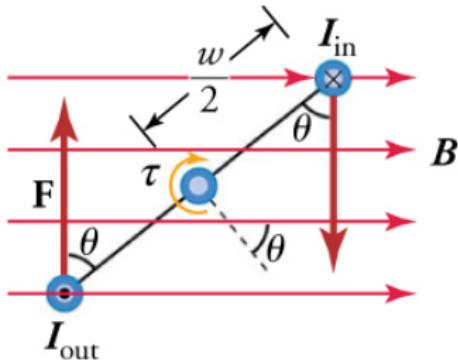
Civilian: "Motors are complicated machines."

Physicist: "Just a **current** loop in a **magnetic field**."

20.2 Motor Torque Analysis



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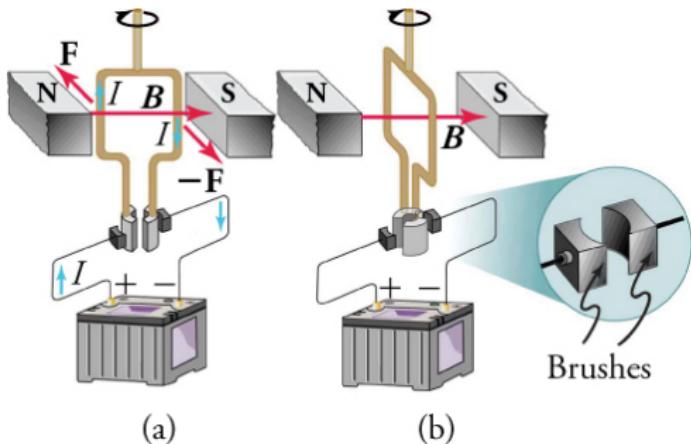


Universal Law: Torque on Current Loop

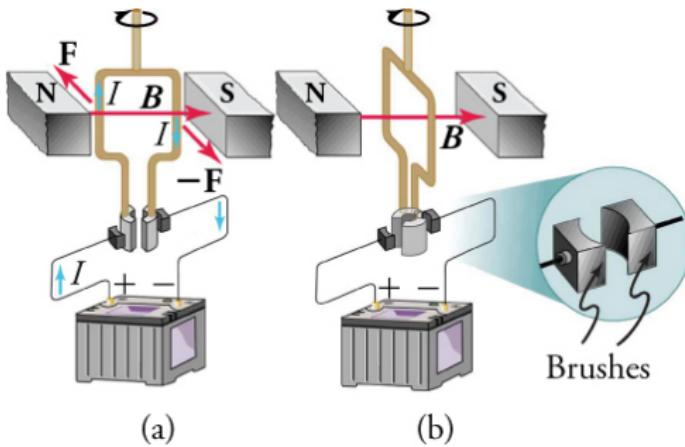
$$\tau = NIAB \sin \theta$$

Where N = turns, I = current, A = loop area, B = magnetic field

20.2 Keeping the Motor Spinning



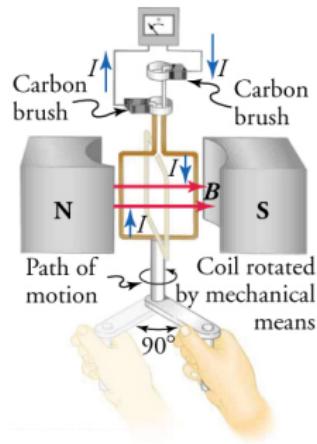
20.2 Keeping the Motor Spinning



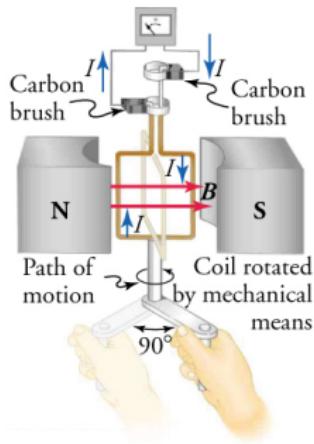
The Problem

Torque reverses every half turn. Without **brushes** to reverse **current**, motor oscillates instead of rotating.

20.2 Run Motor in Reverse: Generator



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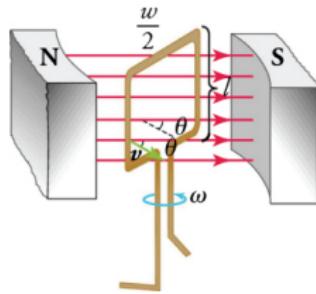
The Symmetry

Motor: Electrical energy \rightarrow Mechanical energy

Generator: Mechanical energy \rightarrow Electrical energy

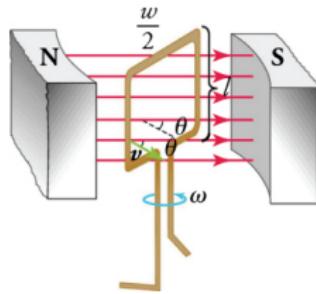
20.2 Generator: The Math

Velocity of wire makes angle θ with magnetic field:



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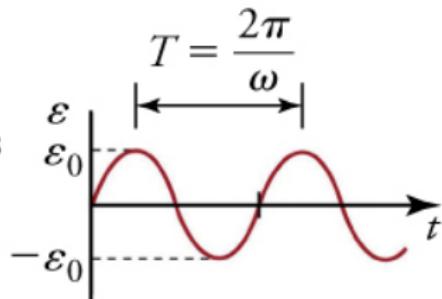
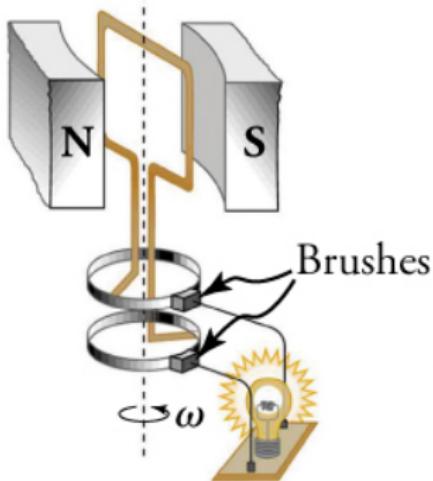


Universal Law: Generator EMF

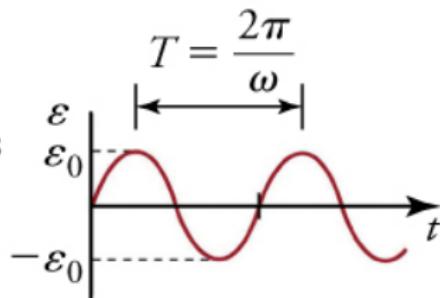
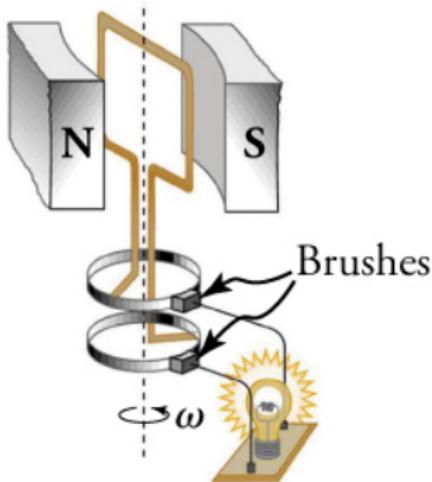
$$\varepsilon = NAB\omega \sin \omega t$$

Peak emf: $\varepsilon_0 = NAB\omega$

20.2 AC Power from Generator



20.2 AC Power from Generator



Civilian View vs. Reality

Civilian: "Why don't lights flicker 120 times per second?"

Physicist: "Faster than eye refresh rate. We don't notice."

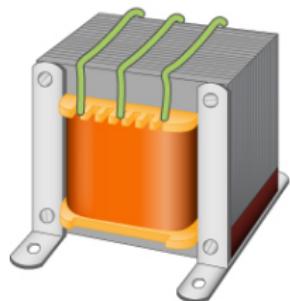
20.2 Real Generators: Steam Turbines



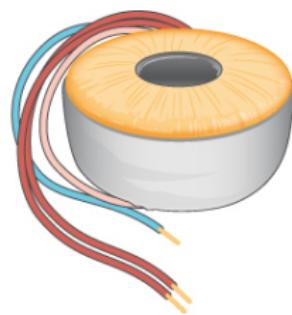
Energy Chain

Coal/Nuclear/Gas → Heat → Steam → Turbine → Generator → Electricity

20.2 Transformers: Changing Voltage

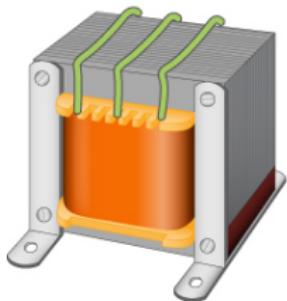


(a)

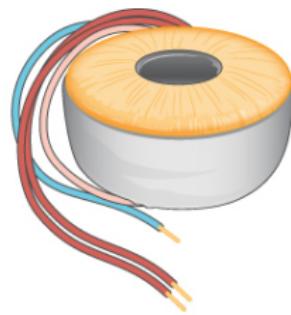


(b)

20.2 Transformers: Changing Voltage



(a)



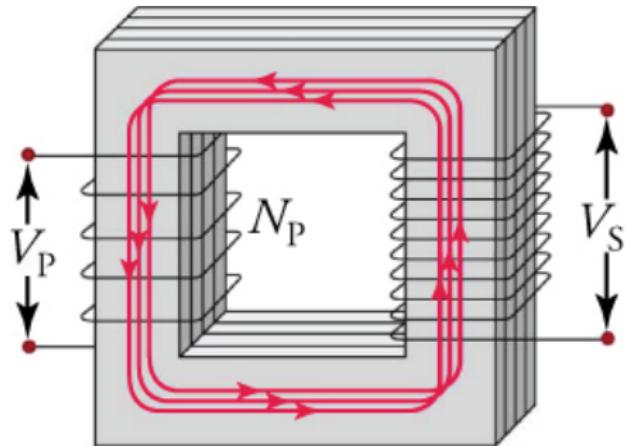
(b)

What Transformers Do

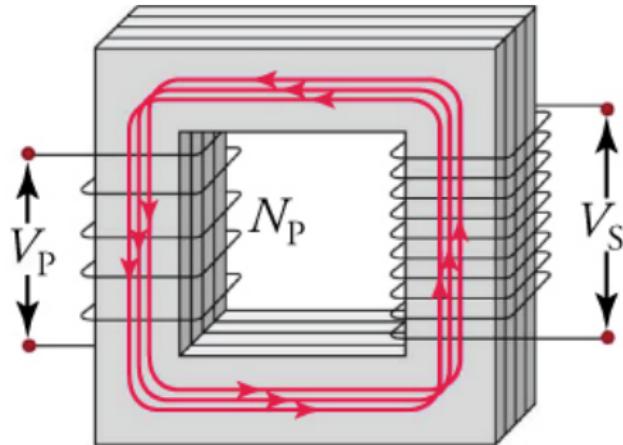
Change AC **voltage** from one value to another

Phone chargers, laptop adapters, power tools

20.2 How Transformers Work



20.2 How Transformers Work



The Principle

- ① AC **current** in primary coil creates changing magnetic field
- ② Iron core traps and amplifies magnetic field
- ③ Changing field passes through secondary coil
- ④ Induces AC **voltage** in secondary coil

20.2 Transformer Equation

Universal Law: **Voltage** Transformation

$$\frac{V_S}{V_P} = \frac{N_S}{N_P}$$

Secondary **voltage** / Primary **voltage** = Turns ratio

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Step-Up vs. Step-Down

Step-Up: $N_S > N_P \rightarrow$ Increases **voltage** (power transmission)

Step-Down: $N_S < N_P \rightarrow$ Decreases **voltage** (home delivery)

20.2 Power Transmission: Why High Voltage?

Power Transmitted

$$P_{\text{transmitted}} = I_{\text{transmitted}} V_{\text{transmitted}}$$

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The Problem: Joule Losses

$$P_{\text{lost}} = I_{\text{transmitted}}^2 R_{\text{wire}}$$

Power lost as heat proportional to **current squared**

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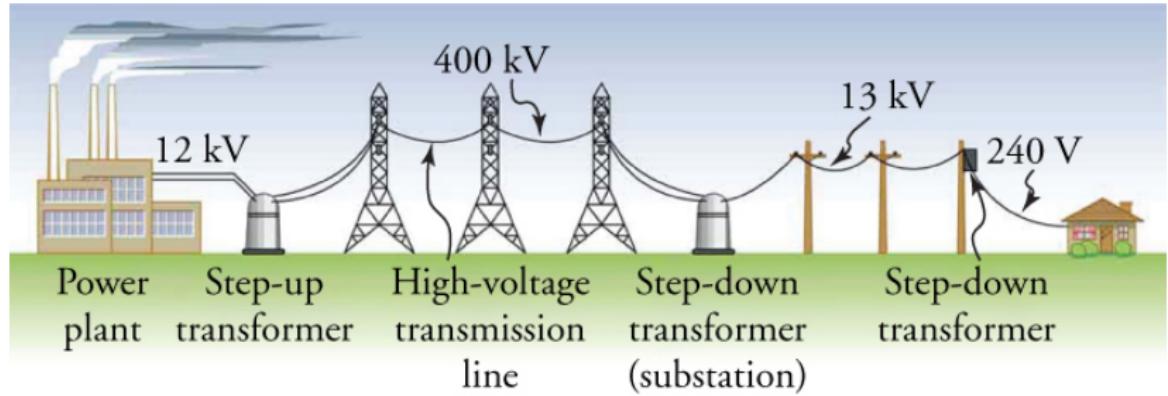
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Power lost as heat proportional to **current squared**

The Solution

Increase **voltage** → Decrease **current** → Minimize losses

20.2 The Power Grid



20.3 Nature's Symmetry

We Already Know

Electric **current** creates magnetic field (electromagnet)

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Faraday's Question (1831)

Can magnetic field create electric **current**?

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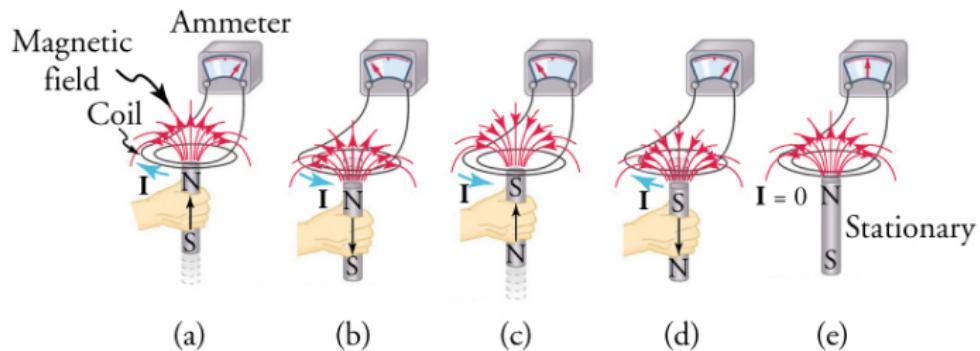
Faraday's Question (1831)

Can magnetic field create electric current?

The Answer

Yes - but only when magnetic field *changes*

20.3 Faraday's Experiment



20.3 What is EMF?

Terrible Name

Electromotive Force is NOT a **force**
It's a *potential difference* (**voltage**)

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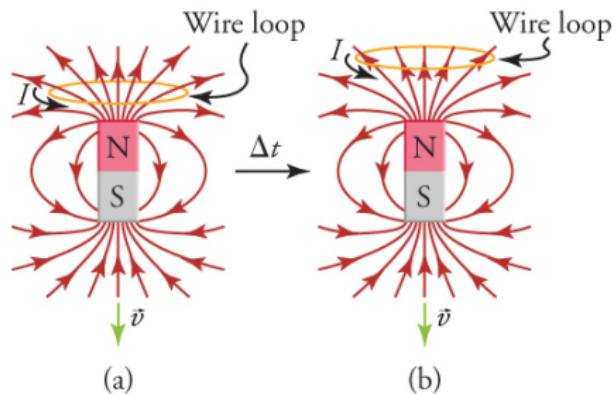
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It's a ***potential difference (voltage)***

Universal Law: EMF Definition

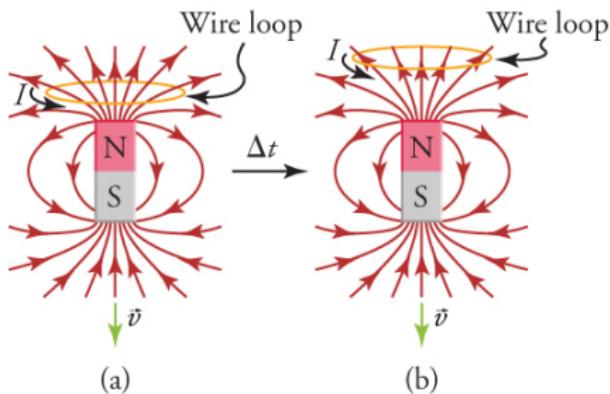
Energy added per unit charge by source

Symbol: ϵ Units: Volts (V)

20.3 Understanding Magnetic Flux



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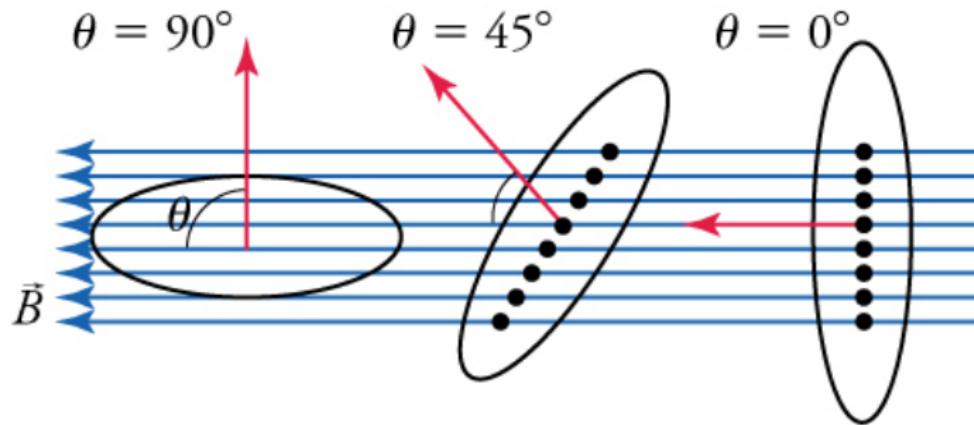
Universal Law: Magnetic Flux

$$\Phi = BA \cos \theta$$

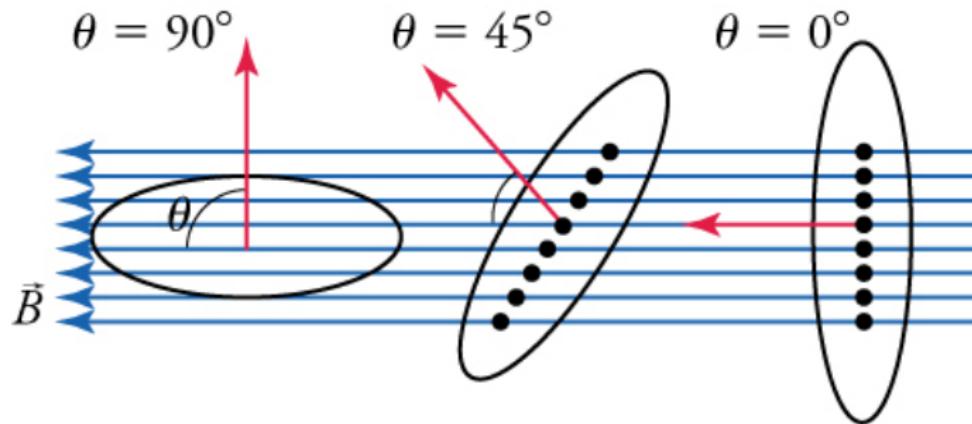
Number of field lines perpendicular through **area A**

Unit: Weber (Wb) = T·m² = V·s

20.3 Flux and Loop Orientation



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The Sail Analogy

Loop = Sail, Magnetic Field = Wind

Maximum **flux** when perpendicular ($\theta = 0$)

Zero **flux** when parallel ($\theta = 90$)

20.3 Faraday's Law of Induction

Universal Law: Faraday's Law

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EMF induced equals rate of change of magnetic flux

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Three Ways to Induce EMF

- ① Change magnetic field strength B
- ② Change loop area A
- ③ Change orientation angle θ

20.3 Lenz's Law: The Minus Sign

Universal Law: Lenz's Law

Induced **current** flows in direction that *opposes* the change in **flux**

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Universal Law: Lenz's Law

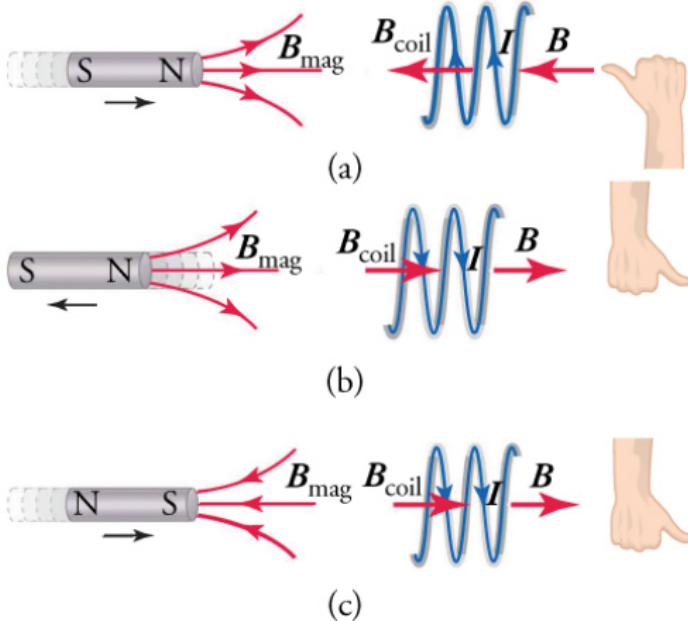
Induced **current** flows in direction that *opposes* the change in **flux**

Nature Resists Change

Flux increasing? → Induced field opposes increase

Flux decreasing? → Induced field opposes decrease

20.3 Applying Lenz's Law



Attempt: EMF in Moving Coil

Try this on your own (3 min, silent):

A magnetic field passes through a 16-turn coil with diameter 2.0 cm. The magnetic field decreases from 0.020 T to 0.010 T in 34 s. The coil has resistance 0.1 Ω.

Given:

- $N = 16$ turns
- $d = 0.020$ m
- $\Delta B = -0.010$ T
- $\Delta t = 34$ s
- $R = 0.1$ Ω

Find: Magnitude and direction of induced **current**

Work individually. It's okay to get stuck.

Compare: EMF in Moving Coil

Turn and talk (2 min):

- ① What equation did you use for EMF?
- ② How did you calculate the magnetic **flux**?
- ③ How did you find **current** from EMF?
- ④ What direction does **current** flow?

Compare: EMF in Moving Coil

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Name wheel: One pair share your approach (not your answer).

Reveal: Solution

Self-correct in a different color:

G - Given: See problem

Reveal: Solution

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Reveal: Solution

Self-correct in a different color:

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E - Equations:

$$\varepsilon = -N \frac{\Delta \Phi}{\Delta t} = -N \frac{\Delta B \pi d^2}{4 \Delta t}$$
$$I = \frac{\varepsilon}{R}$$

Reveal: Solution

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S - Substitute:

$$I = -16 \frac{(-0.010 \text{ T}) \pi (0.020 \text{ m})^2}{4(0.10 \Omega)(34 \text{ s})} = 15 \mu\text{A}$$

Reveal: Solution

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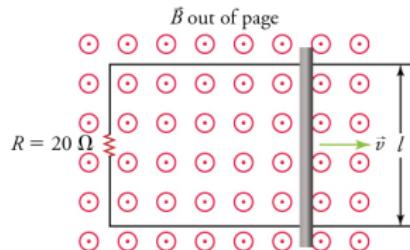
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S - Statement: $I = 15 \mu\text{A}$ to the right (opposes decrease in field)

Attempt: Sliding Rod Circuit

Try this on your own (3 min, silent):

A U-shaped wire with a $20\ \Omega$ resistor has a conducting rod sliding on it at 0.50 m/s . The circuit is in a constant 0.010 T magnetic field pointing into the page. The rod is 0.10 m long.



Given: $B = 0.010\text{ T}$, $v = 0.50\text{ m/s}$, $l = 0.10\text{ m}$, $R = 20\ \Omega$

Find: Current magnitude and direction

Work individually. It's okay to get stuck.

Compare: Sliding Rod Circuit

Turn and talk (2 min):

- ① What changes: B , A , or θ ?
- ② How fast does area change?
- ③ What's the rate of flux change?
- ④ Direction of induced current?

Compare: Sliding Rod Circuit

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Self-correct in a different color:

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Reveal: Sliding Rod Solution

Self-correct in a different color:

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$$\varepsilon = -B v \ell$$

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$$I = 25 \mu\text{A}$$

flowing **clockwise**

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flowing **clockwise**

Check: Lenz's law - **flux** into page increasing, so induced field out of page
(**current** is clockwise)

Key Equations Summary

Motors and Generators

$$F = I\ell B \sin \theta \quad (\text{Force on wire})$$

$$\tau = NIAB \sin \theta \quad (\text{Motor torque})$$

$$\varepsilon = NAB\omega \sin \omega t \quad (\text{Generator EMF})$$

Transformers and Power

$$\frac{V_S}{V_P} = \frac{N_S}{N_P} \quad (\text{Transformer equation})$$

$$P_{\text{lost}} = I^2 R \quad (\text{Joule heating})$$

Key Equations Summary (continued)

Electromagnetic Induction

$$\Phi = BA \cos \theta \quad (\text{Magnetic flux})$$

$$\varepsilon = -N \frac{\Delta \Phi}{\Delta t} \quad (\text{Faraday's Law})$$

$$\varepsilon = Blv \quad (\text{Motional EMF})$$

Lenz's Law (Direction)

Induced **current** opposes the change in magnetic **flux**

The Big Picture

Symmetry of Electromagnetism

Electricity ↔ Magnetism

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Symmetry of Electromagnetism

Electricity ↔ Magnetism

- Electric current creates magnetic field (electromagnet)

The Big Picture

Symmetry of Electromagnetism

Electricity \leftrightarrow Magnetism

- Electric **current** creates magnetic field (electromagnet)
- Changing magnetic field creates electric **current** (induction)

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Symmetry of Electromagnetism

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- Electric **current** creates magnetic field (electromagnet)
- Changing magnetic field creates electric **current** (induction)
- Motors convert electrical \rightarrow mechanical **energy**

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Symmetry of Electromagnetism

Electricity \leftrightarrow Magnetism

- Electric **current** creates magnetic field (electromagnet)
- Changing magnetic field creates electric **current** (induction)
- Motors convert electrical \rightarrow mechanical **energy**
- Generators convert mechanical \rightarrow electrical **energy**

The Big Picture

Symmetry of Electromagnetism

Electricity \leftrightarrow Magnetism

- Electric **current** creates magnetic field (electromagnet)
- Changing magnetic field creates electric **current** (induction)
- Motors convert electrical \rightarrow mechanical **energy**
- Generators convert mechanical \rightarrow electrical **energy**
- Transformers change **voltage** using induction

The Big Picture

Symmetry of Electromagnetism

Electricity \leftrightarrow Magnetism

- Electric **current** creates magnetic field (electromagnet)
- Changing magnetic field creates electric **current** (induction)
- Motors convert electrical \rightarrow mechanical **energy**
- Generators convert mechanical \rightarrow electrical **energy**
- Transformers change **voltage** using induction
- **Power** grid uses transformers to transmit **energy** efficiently

Homework

Complete the assigned problems
posted on the LMS