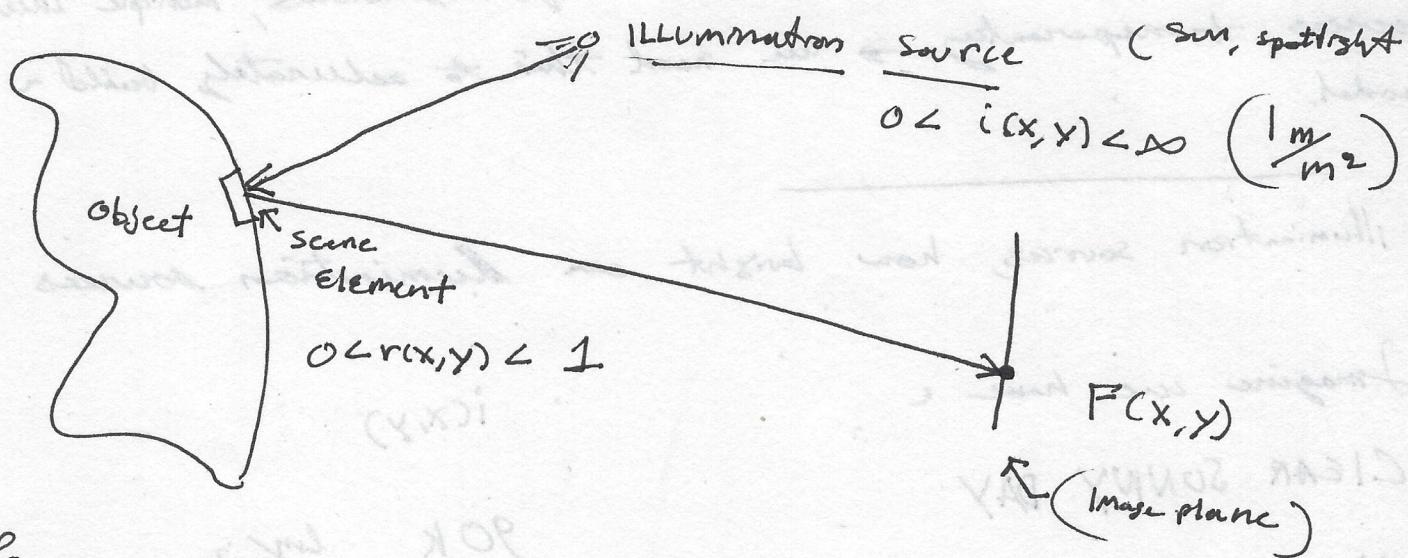


## Illumination Model

How much light energy is reaching the array?



So we want to know how much light is arriving at part  $(x, y)$  of  $F$  on this image plane.

So the amount of energy / light that gets recorded on the sensor  $\rightarrow$  combination of the strength of the illumination source and inherent color of the object

- the illumination source can have infinite brightness,  $(\frac{lm}{m^2}) \frac{\text{lumens}}{(\text{meter})^2}$
- The scene element has some inherent reflectance.  $\rightarrow$  Inherent reflectance is a measurement of how shiny the object is.  
 $\rightarrow$  fundamentally what I receive at this point on the sensor is  $F(x,y) = i(x,y) r(x,y)$   $\rightarrow$  highly simplified

(10) → we are assuming that the color/intensity is only coming from one point in the scene to one pixel

We did not take into account for shadows, multiple illumination sources, transparency → we need this to accurately build a model.

Illumination sources, how bright can illumination sources be?

Imagine we have a

CLEAR SUNNY DAY

Cloudy Day

INDOORS

Full moon

$i(x, y)$

90K  $\text{lm/m}^2$

10K  $\text{l/m}^2$

1K  $\text{lm/m}^2$

0.1  $\text{lm/m}^2$

So how reflective can the surface be?  $r$ ?

Snow - - - - -  $r(x, y)$

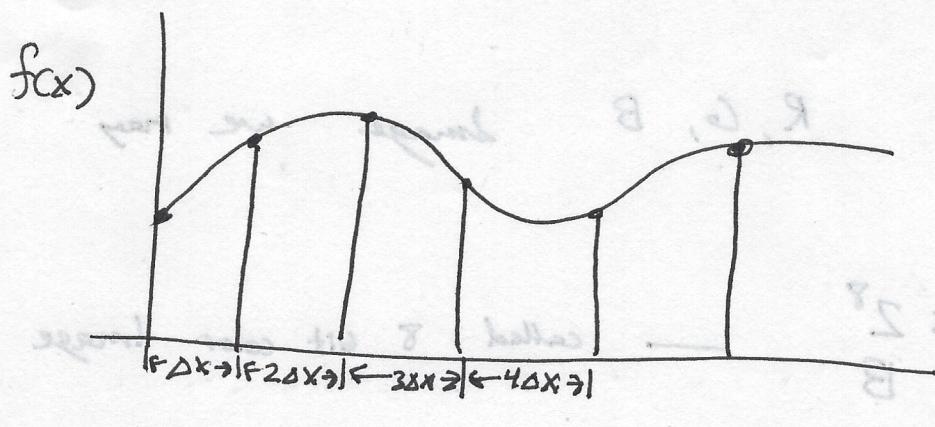
0.93

FLAT White wall - - - - - 0.80

Stainless steel - - - - - 0.65 (Like diamond  
if you have a nice  
one)

BLACK VELVET - - - - - 0.01

# SAMPLING AND QUANTIZATION



In our digital image we have a series of discrete pixels. We don't have a continuous world when it comes to real world image processing.

- We do have a continuous realm for film

- Digital Images have these rigid "boxed in" pixels

Note: We may not be able to represent the intensity/color of the pixel with floating point precision.

The samples we have are rounded to the nearest Quantization level.

The energy arriving on the sensor is quantized.

- Resizing pixels and adjusting gray levels

- Ranges around 40 in ms M.

- False contouring

⑫ We often use 8 BITS  $\rightarrow$  256 levels per color channel

So if we have a R, G, B image we may say

$$2^8 \times 2^8 \times 2^8 = \text{called 8 bit color image}$$

R      G      B

Jpeg has this

Lesson is to discuss what we spend latency now of memory, the value below quantization is not took all memory

\* Lower the sampling rate  $\rightarrow$  Blockiness  
(Lower resolution)

\* Lower the number of levels  $\rightarrow$  False Contouring

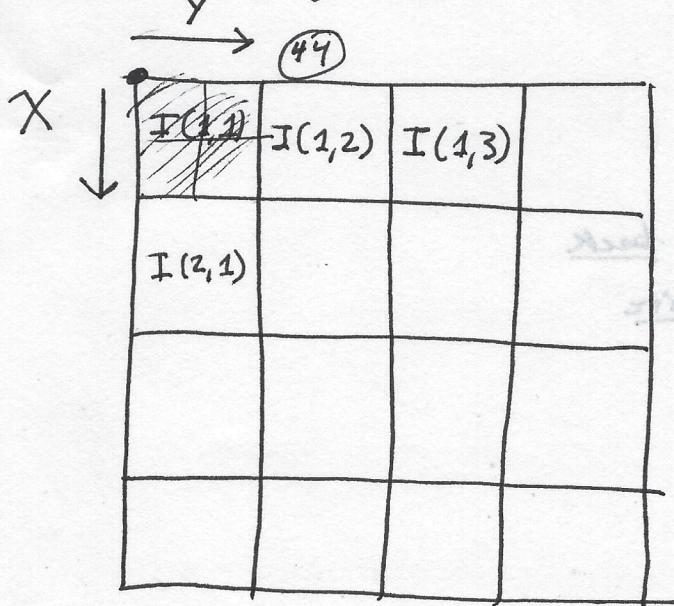
Low detail

In this class

we think of an image as a 2D array of Numbers

$\rightarrow$  we will use gray scale for the concept building

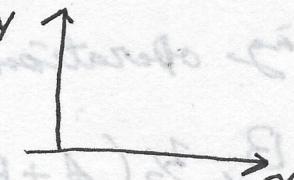
2D array of Numbers



I (Row, column)

I (x, y)

we may run into problems when we run into cartesian coordinates



→ explain this convention, sometimes the middle is the origin instead of the right-hand corner

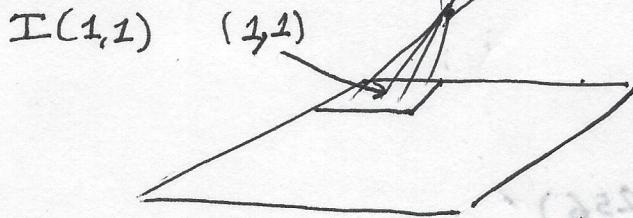
→ Take note of the <sup>left</sup> ccd, we stated the origin of the image to be the center.

→ be mindful of the convention we are using

5:3c 800x600 the old origin may be (-400, -300)

→ explained around 48-52 minutes into the video

(44) we can think of (1, 1) as being the center of pixel



$$I(1,1) = \iint_{\text{SENSOR}} i(x,y) r(x,y) dx dy$$

it knows where to look

25.80.1

(14) MATLAB commands

imread

imshow

imshow(., image specified)

imshow(., [ ])

→ scale smallest value to black  
largest value to white

rgb2gray

Conversion between color and gray

(E,I)	(S,I)	(D,I)

Image processing operations

$$A+B, A-B, \frac{1}{2}(A+B)$$

we need to remember a matlab unsigned 8 bit integer uint8 vs  
double

$\begin{bmatrix} 0 \\ * \\ 255 \end{bmatrix}$

[1

]

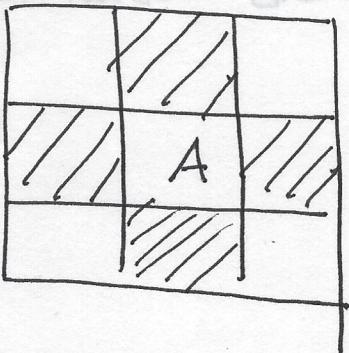
gives us an unsigned int & highest val  
 $(2^{8-1}, 2^8)$  and you can do all sort of operations  $\rightarrow$  int8

and do  $\rightarrow$  minimum  $52 - 87$  lower brightness

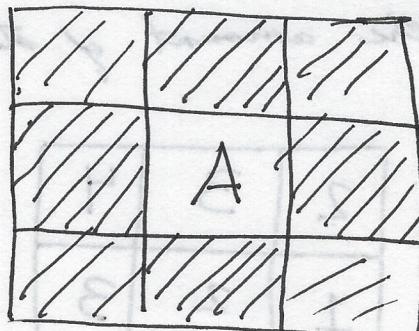
im1 = [0:255]\*ones(1,256);

look at video around 1 in

1:08.25

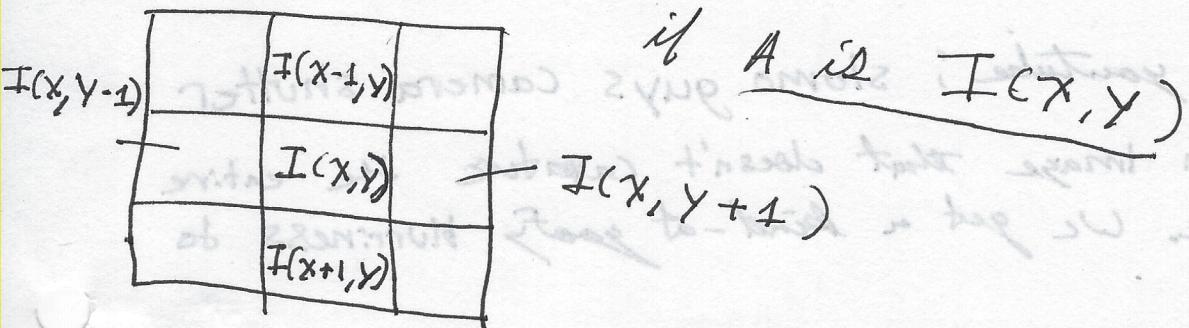


4 neighbors of A



8-neighbors of A

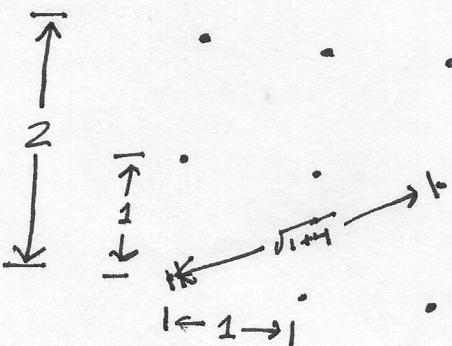
As an exercise we may write,



→ We may talk about distance measures

2	$\sqrt{5}$	$2\sqrt{2}$
1	$\sqrt{2}$	$\sqrt{5}$
0	1	2

→ Think that the centers of the pixels of the start point  
With this, we see that

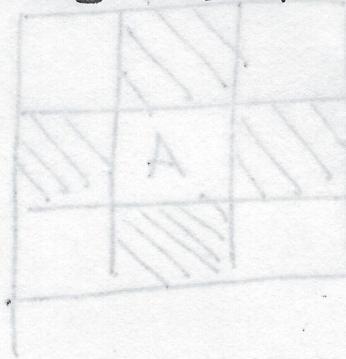


call it ~~cartesian~~ Euclidean Distance

(16)

Some times we may talk in a discrete world to refer  
to the amount of steps

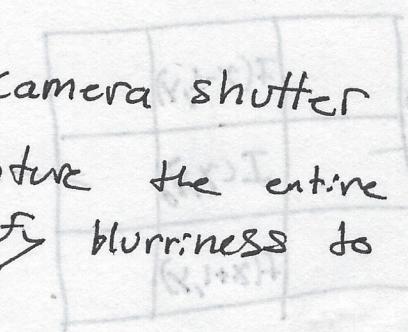
2	3	4
1	2	3
0	1	2



"MANHATTAN" City-block

→ Watch on youtube; slomo guy's camera shutter

→ An image that doesn't capture the entire scene at once. We get a kind-of goofy blurriness to it.



5	2	5
2	5	1
5	1	0

notes on numbers