

# Problem G

## Website Hits

Max no. of test cases: 16  
Time limit: 4 seconds

The NCPC practice website is the goto site for programming practices. The website keeps a count of number of people visiting the website each day. After many months in service, there are now  $n$  days of website hit count, namely  $h_1, h_2, \dots, h_n$ , available for analysis. The website manager wants to know if there are trends in the hit counts, so he decides to do the following analysis.

Define the  $k$ -day hit count interval starting at day  $i$  to be  $h_i, h_{i+1}, h_{i+2}, \dots, h_{i+k-1}$ . Thus, there can be exactly  $n - k + 1$   $k$ -day intervals, starting from day 1, 2, ..., and day  $n - k + 1$ , respectively. A pair of  $k$ -day intervals is called  $m$ -similar if the number of corresponding days that have different hit count is at most  $m$ . In other words, if  $k_i = [h_i, h_{i+1}, \dots, h_{i+k-1}]$

and  $k_j = [h_j, h_{j+1}, \dots, h_{j+k-1}]$ ,  $k_i$  and  $k_j$  are  $m$ -similar if  $\sum_{c=0}^{k-1} (h_{i+c} \neq h_{j+c}) \leq m$ .

For example, if the hit counts collected are 34, 56, 96, 78, 34, 56, 60, 78, 52, 96, 60, 30. then 7-day interval ( $k = 7$ ) starting at day 1 and day 5 are  $k_1 = 34, 56, 96, 78, 34, 56, 60$  and  $k_5 = 34, 56, 60, 78, 52, 96, 60$ . The two 7-day intervals have 3 corresponding days with different hit counts (day 3, 5, 6). Thus intervals  $k_1$  and  $k_5$  are at least 3-similar (can also be said to be 4-, 5-, 6-, or 7-similar). For this example, total number of pair of intervals that is 4-similar is 2 ( $k_1$ - $k_5$  and  $k_2$ - $k_6$ ).

Given the hit counts and the interval length  $k$ , please help determine the total number of pair of intervals that are  $m$ -similar in a sequence of queries.

## Input File Format

The first line of input contains an integer indicating the number of test cases. For each test case, the first line contains three integer,  $n$ ,  $k$ , and  $q$  which are the number of consecutive days of hit count collected, the interval length to be analyzed, and the number of  $m$ -similar interval pairs to be computed. Note that  $1 \leq k \leq n \leq 10,000$  and  $q \leq 100$ . The next line contains  $n$  integers, indicating the number of hit counts in  $n$  consecutive days. Note that the hit counts are all positive integers but no greater than  $10^9$ . The next  $q$  lines each contains an integer  $m$ , which is a query asking for the number of  $m$ -similar  $k$ -day interval pairs in the given list of hit counts.

## Output Format

For each test case, output  $q$  integers on a single line, which are the total number of  $m$ -similar interval pairs among all  $k$ -day intervals for each of the  $q$  queries in the input. The answer should be in sequence of the  $q$  queries.

## Sample Input

```
2
12 7 3
34 56 96 96 34 56 60 96 52 96 60 30    <-- 12 hit counts ==> six 7-day interval
4                                           <-- query on number of 4-similar 7-day interval pairs
6                                           <-- query on number of 6-similar 7-day interval pairs
2                                           <-- query on number of 2-similar 7-day interval pairs
4 2 2
1 2 1 4                                   <-- four hit counts ==> three 2-day interval
1                                           <-- query on number of 1-similar 2-day interval pairs
2                                           <-- query on number of 2-similar 2-day interval pairs
```

## Output for the Sample Input

```
2 9 0
1 3
```