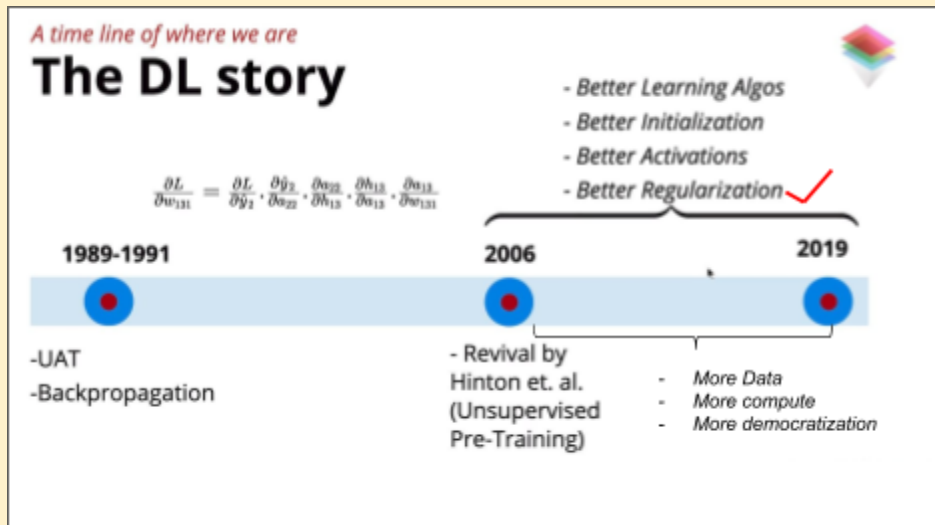


### Regularization Methods

#### Simple vs complex models

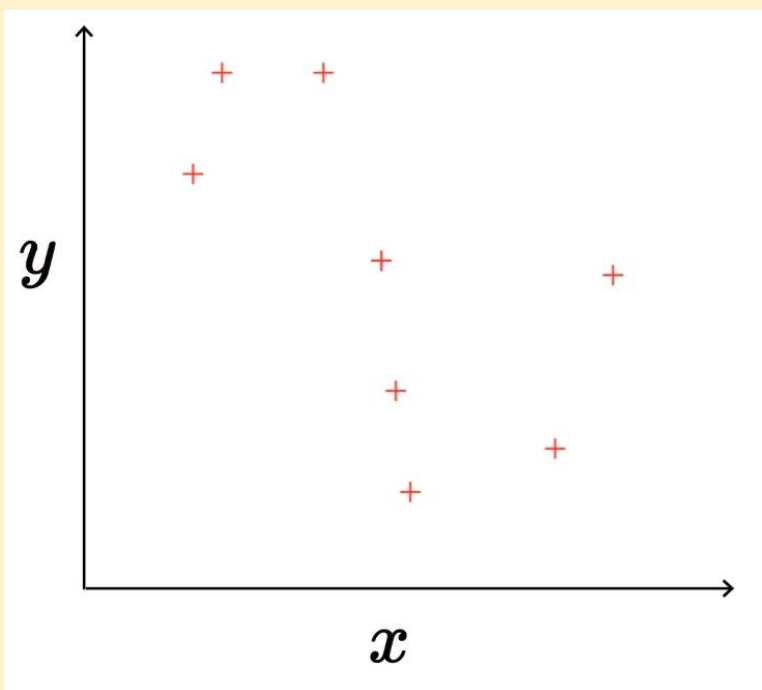
The timeline of where we are

1. In this section, we will look at how better Regularization methods have accelerated the growth of DL over the last decade



2. Why do we need **Regularization**?

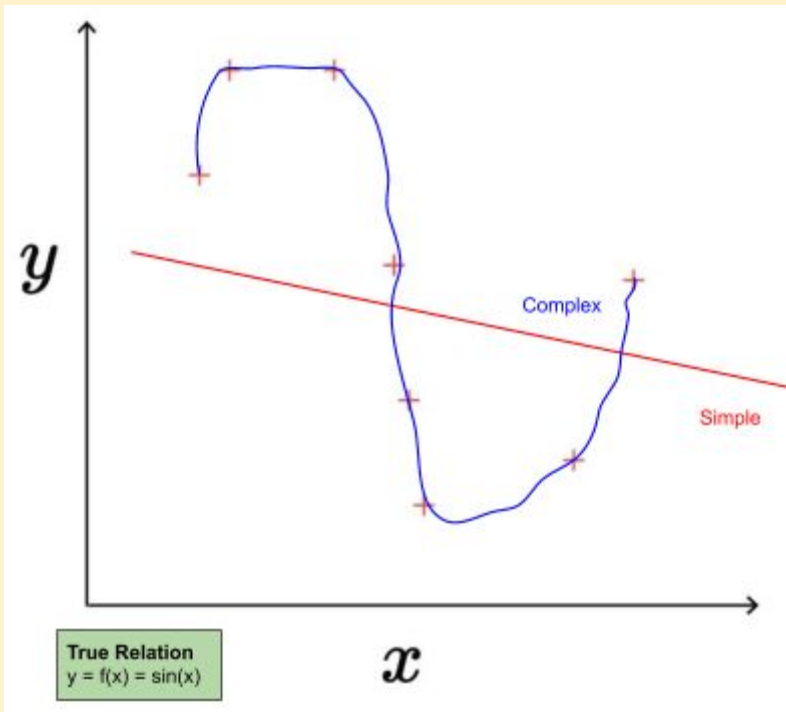
- a. To answer this question, we must look at a concept known as **Bias Variance trade-off**. The Bias that we're speaking about here is different from the bias parameter  $b$  that we have seen so far in Neural Networks
- b. Consider the following toy data visualisation



# PadhAI: Regularization

## One Fourth Labs

- c. In the above figure, the true relation is  $y = f(x)$ , where  $f(x) = \sin(x)$ , however, in practice, that is not known to us. So we try to approximate models.



- d. **Simple**(degree 1):  $y = \hat{f}(x) = w_1x + w_0$
- We assume that the relationship between  $y$  and  $x$  is a straight line of the form  $mx + c$
  - This looks like a very naive assumption.
  - It is represented by the **Red** line in the figure
  - The best fitting **Red** line is plotted while trying to minimize the error/loss between the predicted points and the actual points
  - This is a pretty bad model, where even the minimised loss is still far too high
- e. **Complex**(degree 25):  $y = \hat{f}(x) = \sum_{i=1}^{25} w_i x^i + w_0$
- This is a degree 25 polynomial, with 26 parameters (including  $w_0$ )
  - It is represented by the **Blue** curve in the figure
  - The **Blue** curve is plotted the same way, by minimising the error/loss between predicted and actual values
  - Here, there is zero error/loss, it is a perfect fit.
3. Now, how does this relate to Bias and Variance and how does it in turn lead to regularization.