#### **Notebook Overview**

#### Steps:

- . Business Understanding.
- · Analysis of Data.
- Preprocessing.
- Build model.
- Evaluate.
- · Communicate.

# 1. Business Understanding

Breast cancer is the most common cancer amongst women in the world. It accounts for 25% of all cancer cases, and affected over 2.1 Million people in 2015 alone. It starts when cells in the breast begin to grow out of control. These cells usually form tumors that can be seen via X-ray or felt as lumps in the breast area.

### 2. Prepare Data

#### **Import**

```
In [1]: import pandas as pd
    import matplotlib.pyplot as plt
    import plotly.express as px
    import seaborn as sns
    import scipy

import chart_studio.plotly as py
    import plotly.graph_objs as go
```

```
from plotly.offline import iplot, init notebook mode
        init notebook mode(connected=True)
        from IPython.core.display import HTML
        pd.options.display.max rows = 30
        pd.options.display.max columns = 25
        import cufflinks as cf
        cf.go offline(connected=True)
        cf.set config file(colorscale='plotly', world readable=True)
        from IPvthon.core.interactiveshell import InteractiveShell
        InteractiveShell.ast node interactivity = 'all'
        from ipywidgets import interact, interact manual, widgets
        from sklearn.naive bayes import GaussianNB
        from sklearn.ensemble import RandomForestClassifier
        from sklearn.neighbors import KNeighborsClassifier
        from sklearn.linear model import LogisticRegression
        from sklearn.tree import DecisionTreeClassifier
        from sklearn.model selection import train test split , GridSearchCV, cross val score
        from sklearn.preprocessing import StandardScaler
        from sklearn.metrics import f1 score, precision score, accuracy score, recall score, balanced accuracy score, ConfusionMatrixDi
In [2]: df = pd.read_csv('breast-cancer.csv')
        df.head()
Out[2]:
                 id diagnosis radius mean texture mean perimeter mean area mean smoothness mean compactness mean concavity mean
                                                                                                                            points mean
             842302
                                   17.99
                                                             122.80
                                                                      1001.0
                                                                                      0.11840
                                                                                                      0.27760
                                                                                                                                0.14710
                                               10.38
                                                                                                                     0.3001
```

132.90

1326.0

0.08474

0.07864

0.0889

0.07017

import plotly.graph\_objs as go import plotly.express as px

842517

M

20.57

17.77

•	0.44	2000	м	7.00	40.00	400.00	4004.0	0.44040	0.07700	0.0004	0.44746	
0	842	2302	M 1	7.99	10.38	122.80	1001.0	0.11840	0.27760	0.3001	0.14710	
1	842	2517	M 2	0.57	17.77	132.90	1326.0	0.08474	0.07864	0.0869	0.07017	
2	84300	0903	M 1	9.69	21.25	130.00	1203.0	0.10960	0.15990	0.1974	0.12790	
3	84348	3301	M	11.42	20.38	77.58	386.1	0.14250	0.28390	0.2414	0.10520	
4	84358	8402	M 2	0.29	14.34	135.10	1297.0	0.10030	0.13280	0.1980	0.10430	
-									3.73200			
5 r	ows ×	32 columns										
4												<b> -</b>
E	xplo	re & Ar	nalyse									
: df.	df.info()											
		lumn 			ll Count	Dtype  int64						
0 1		agnosis		569 nor	n-null n-null							
2		dius mean			n-null	float64						
3		xture_mean		569 nor		float64						
4		rimeter_me		569 nor		float64						
5		ea_mean		569 nor		float64						
6		oothness_m	ean	569 nor		float64						
7		mpactness_		569 nor		float64						
8		ncavity_me		569 nor		float64						
9		ncave poin		569 nor		float64						
		mmetry_mea		569 nor		float64						
			nsion_mean	569 nor		float64						
		dius_se		569 nor		float64						
		xture se		569 nor		float64						
		rimeter_se		569 nor		float64						
		ea_se		569 nor		float64						
		oothness_s	e	569 nor		float64						
		mpactness_		569 nor	n-null	float64						

```
569 non-null
 17 compactness se
18 concavity_se 569 non-null float64
19 concave points_se 569 non-null float64
20 symmetry_se 569 non-null float64
21 fractal_dimension_se 569 non-null float64
 22 radius_worst 569 non-null float64
23 texture_worst 569 non-null float64
 24 perimeter_worst 569 non-null
                                                   float64
30 symmetry worst 569 non-null float64
 31 fractal dimension worst 569 non-null float64
dtypes: float64(30), int64(1), object(1)
memory usage: 142.4+ KB
Dataset Description:
The dataset contains information from 32 columns, comprising 31 numerical columns and 1 categorical column.
Numerical Columns:

    Radius

    Texture

    Perimeter

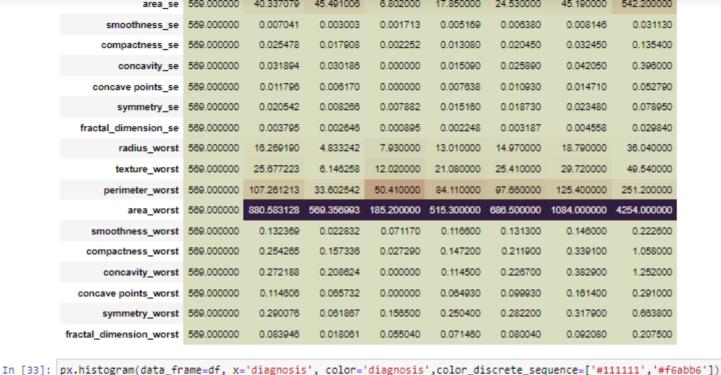
    Area

    Smoothness
```

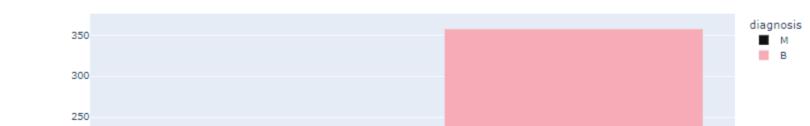
These columns are further categorized into three groups:

 Compactness Concavity Concave Points Symmetry Fractal Dimension float64

These columns are further categorized into three groups: 10 columns for mean measurements. 10 columns for standard error measurements. 10 columns for worst measurements Target Variable: classify tumors as either benign or malignant. In [3]: # Drop ID column df.drop('id', axis=1, inplace=True) df.describe().T.style.background gradient(cmap = sns.color palette("ch:s=-.0,r=.6", as cmap=True)) Out[32]: 25% 50% 75% count mean std min max radius\_mean 569.000000 14.127292 3.524049 6.981000 11.700000 13.370000 15.780000 28.110000 texture mean 589,000000 18.840000 21.800000 39.280000 19.289649 4.301036 9.710000 16.170000 perimeter\_mean 589.000000 91.969033 24.298981 43.790000 75.170000 88.240000 104.100000 188.500000 589.000000 654.889104 351.914129 143.500000 551.100000 782.700000 2501.000000 area mean 420.300000 smoothness mean 569,000000 0.096360 0.014064 0.052630 0.086370 0.095870 0.105300 0.163400 compactness\_mean 589.000000 0.104341 0.052813 0.019380 0.064920 0.092630 0.130400 0.345400 concavity\_mean 569.000000 0.088799 0.000000 0.029580 0.081540 0.130700 0.426800 0.079720 concave points mean 589,000000 0.048919 0.038803 0.000000 0.020310 0.033500 0.074000 0.201200 symmetry\_mean 569.000000 0.181162 0.027414 0.106000 0.161900 0.179200 0.195700 0.304000 fractal\_dimension\_mean 569.000000 0.062798 0.049960 0.057700 0.086120 0.097440 0.007060 0.061540 radius se 589.000000 0.405172 0.277313 0.111500 0.232400 0.324200 0.478900 2.873000 texture\_se 569.000000 1.216853 0.551648 0.360200 0.833900 1.108000 1.474000 4.885000 perimeter\_se 569.000000 0.757000 2.287000 3.357000 21.980000 2.886059 2.021855 1.606000 area\_se 569.000000 24.530000 542.200000 40.337079 45.491006 6.802000 17.850000 45.190000







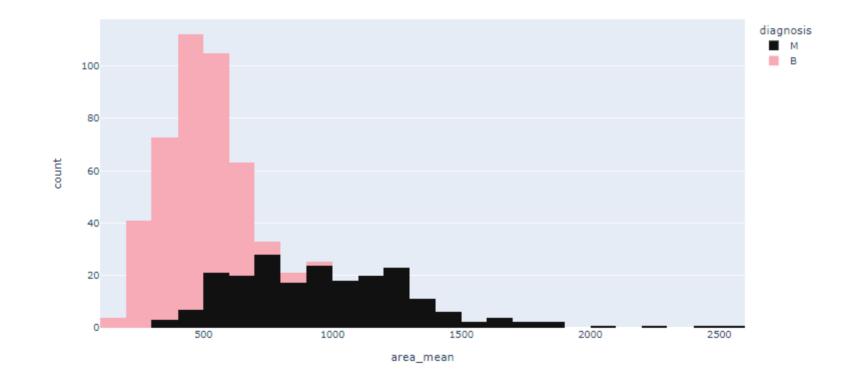


In [13]: df['diagnosis'].value\_counts(normalize=True)

Out[13]: B 0.627417 M 0.372583

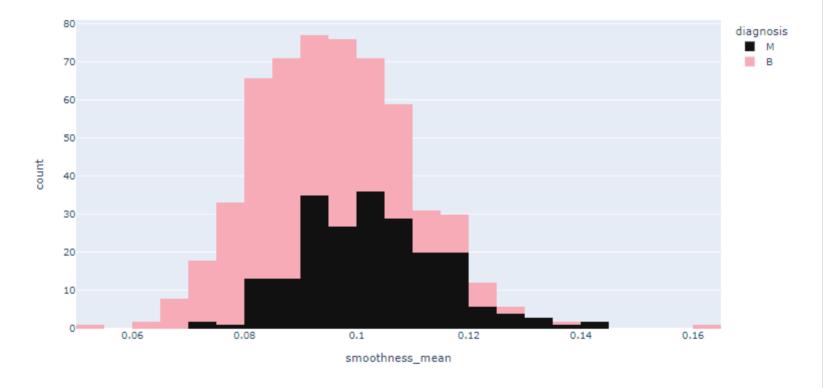
Name: diagnosis, dtype: float64

In [35]: px.histogram(data\_frame=df,x=df.area\_mean,color='diagnosis',color\_discrete\_sequence=['#111111','#f6abb6'])







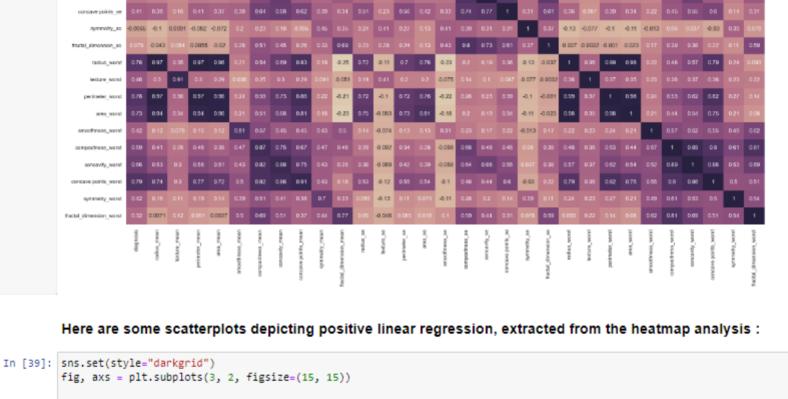


In [4]: # Convert the categorical data into numerical as (Malignant:1 ,Benign:0)

df['diagnosis'] = (df['diagnosis'] == 'M').astype(int)

043 035 038 0089 042 039

-0.058 0 84



--02

009 001 019 005 001 000 074 007 049 040 050 000 000 000 000 004 1 OR 074 009 0A D2 014 000 00 000 004 004 009 009 25 019 014 023 021 025 057 019 044 054 055 033 019 036 027 027 08 1 077 031 073 019 01 023 019 017 048 066 044 02 04

# plt.subplots\_adjust(hspace=0.8) # Plot the first scatterplot sns.scatterplot(x='radius\_mean', y='perimeter\_mean', data=df, color='blue', alpha=0.8 , ax=axs[0, 0]) axs[0, 0].set title('Scatter Plot of Radius Mean vs Perimeter Mean')

sns.scatterplot(x='radius\_mean', y='perimeter\_worst', data=df, color='blue', alpha=0.8, ax=axs[0, 1])

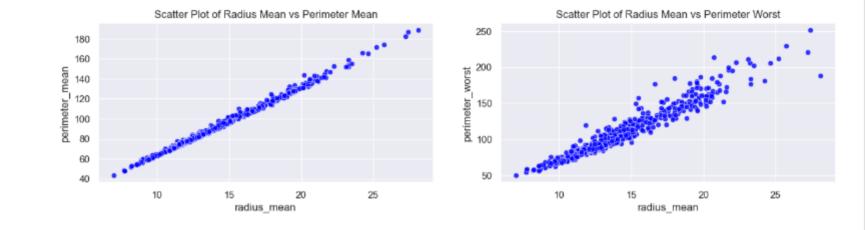
axs[0, 1].set title('Scatter Plot of Radius Mean vs Perimeter Worst')

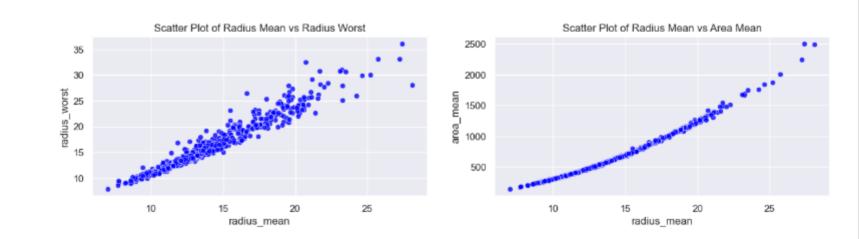
# Plot the second scatterplot

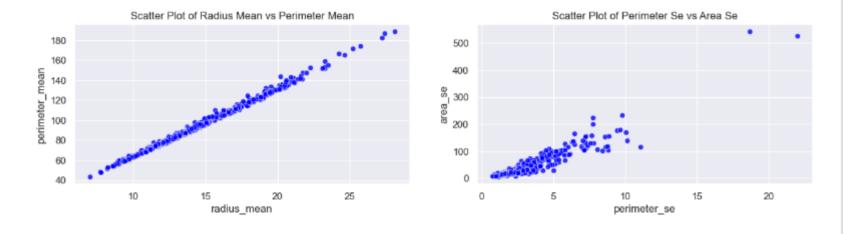
```
plt.subplots adjust(hspace=0.8)
# Plot the first scatterplot
sns.scatterplot(x='radius mean', v='perimeter mean', data=df, color='blue', alpha=0.8 , ax=axs[0, 0])
axs[0, 0].set title('Scatter Plot of Radius Mean vs Perimeter Mean')
# Plot the second scatterplot
sns.scatterplot(x='radius mean', y='perimeter worst', data=df, color='blue', alpha=0.8, ax=axs[0, 1])
axs[0, 1].set title('Scatter Plot of Radius Mean vs Perimeter Worst')
# Plot the third scatterplot
sns.scatterplot(x='radius mean', v='radius worst', data=df, color='blue', alpha=0.8, ax=axs[1, 0])
axs[1, 0].set title('Scatter Plot of Radius Mean vs Radius Worst')
# Plot the fourth scatterplot
sns.scatterplot(x='radius mean', y='area mean', data=df, color='blue', alpha=0.8, ax=axs[1, 1])
axs[1, 1].set title('Scatter Plot of Radius Mean vs Area Mean')
# Plot the fifth scatterplot
sns.scatterplot(x='radius mean', v='perimeter mean', data=df, color='blue', alpha=0.8, ax=axs[2, 0])
axs[2, 0].set title('Scatter Plot of Radius Mean vs Perimeter Mean')
# Plot the sixth scatterplot
sns.scatterplot(x='perimeter_se', y='area_se', data=df, color='blue', alpha=0.8)
axs[2, 1].set title('Scatter Plot of Perimeter Se vs Area Se')
plt.show();
                 Scatter Plot of Radius Mean vs Perimeter Mean
                                                                                     Scatter Plot of Radius Mean vs Perimeter Worst
                                                                       250
   180
   160
                                                                       200
                                                                     Worst
 perimeter_mean
   140
   120
                                                                     perimeter
   100
   80
```

In [39]: sns.set(style="darkgrid")

fig, axs = plt.subplots(3, 2, figsize=(15, 15))

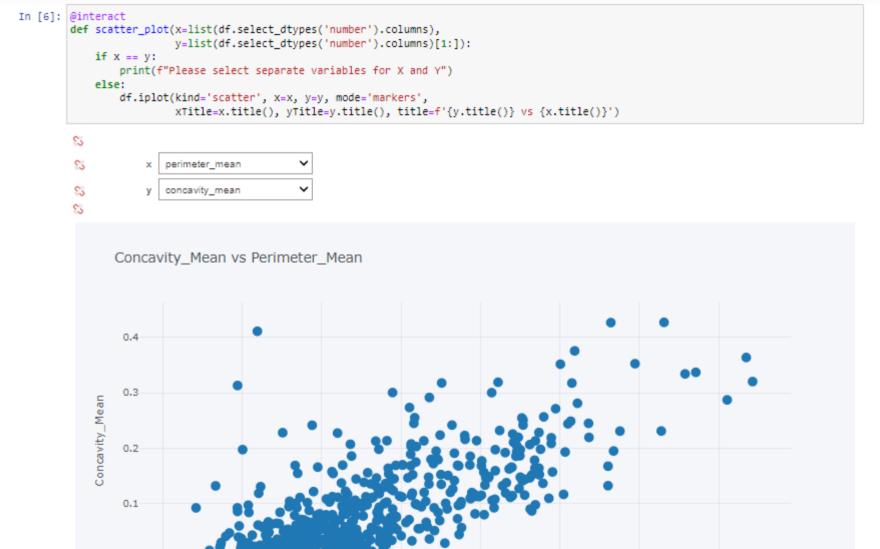






#### we construct a widget that quickly finds the correlation between two columns in the dataset.





```
Export to plot.ly »
In [42]: # Set the style
         sns.set(style="darkgrid")
         # Create two separate subplots
         fig, axs = plt.subplots(5, 2, figsize=(15, 15)) # Increase the figure size
         # Adjust the spacing between subplots
         plt.subplots adjust(hspace=0.8) # Increase the vertical spacing
         # Plot the first histogram
         sns.histplot(data=df, x="area mean", kde=True, ax=axs[0, 0], color='green')
         axs[0, 0].set title('Histogram of Area Mean')
         # Plot the second histogram
         sns.histplot(data=df, x="radius_mean", kde=True, ax=axs[0, 1], color='red')
         axs[0, 1].set title('Histogram of Radius Mean')
         # Plot the third histogram
         sns.histplot(data=df, x="texture_mean", kde=True, ax=axs[1, 0], color='green')
         axs[1, 0].set_title('Histogram of Texture Mean')
```

# PLot the fourth histogram sns.histplot(data=df, x="perimeter\_mean", kde=True, ax=axs[1, 1], color='red') axs[1, 1].set\_title('Histogram of Perimeter Mean') # Plot the fifth histogram sns.histplot(data=df, x="smoothness\_mean", kde=True, ax=axs[2, 0], color='green')

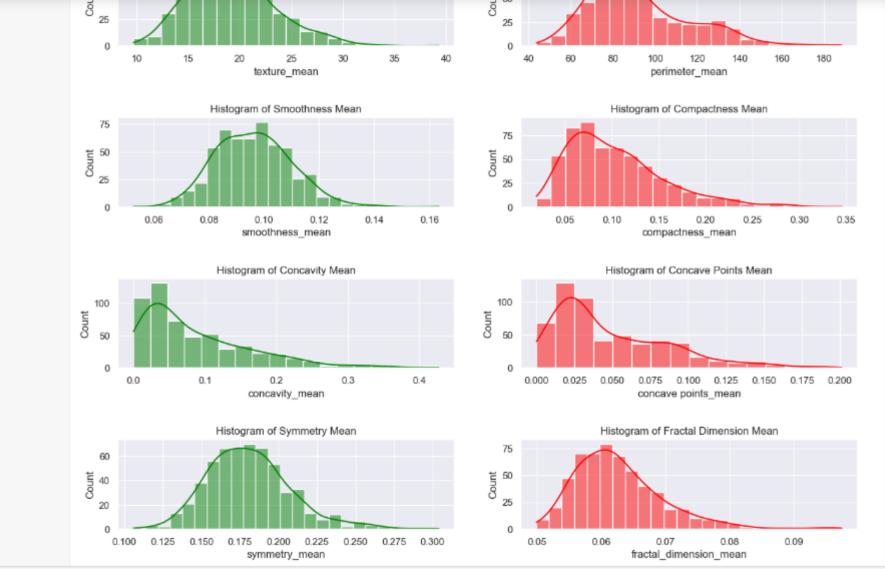
axs[2, 0].set\_title('Histogram of Smoothness Mean') # Plot the sixth histogram

```
# PLOT THE SIXTH HISTOGRAM
sns.histplot(data=df, x="compactness mean", kde=True, ax=axs[2, 1], color='red')
axs[2, 1].set title('Histogram of Compactness Mean')
# Plot the seventh histogram
sns.histplot(data=df, x="concavity_mean", kde=True, ax=axs[3, 0], color='green')
axs[3, 0].set title('Histogram of Concavity Mean')
# Plot the eighth histogram
sns.histplot(data=df, x="concave points_mean", kde=True, ax=axs[3, 1], color='red')
axs[3, 1].set title('Histogram of Concave Points Mean')
# Plot the ninth histogram
sns.histplot(data=df, x="symmetry_mean", kde=True, ax=axs[4, 0], color='green')
axs[4, 0].set title('Histogram of Symmetry Mean')
# Plot the tenth histogram
sns.histplot(data=df, x="fractal_dimension_mean", kde=True, ax=axs[4, 1], color='red')
axs[4, 1].set title('Histogram of Fractal Dimension Mean')
plt.show();
```





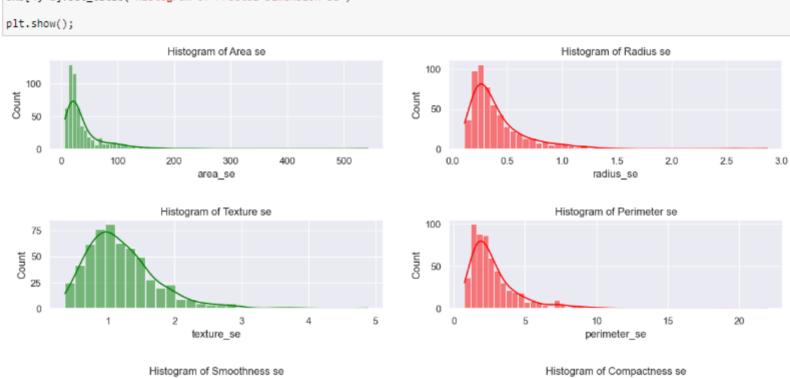




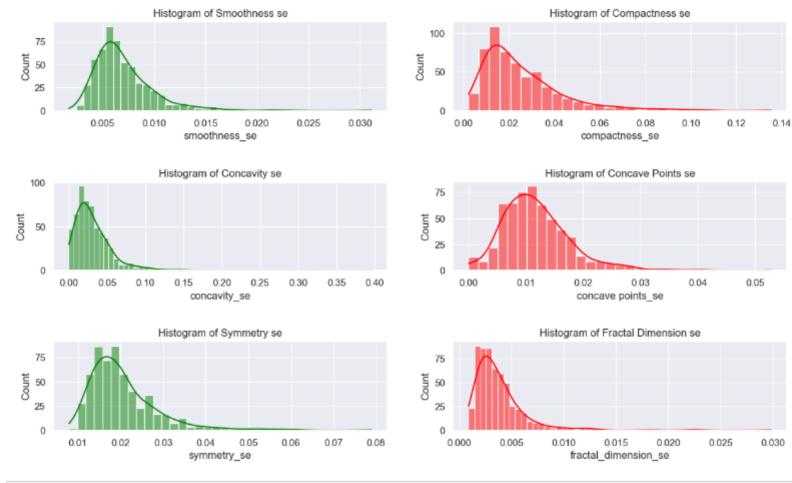
```
sns.set(stvle="darkgrid")
# Create two separate subplots
fig, axs = plt.subplots(5, 2, figsize=(15, 15))
# Adjust the spacina between subplots
plt.subplots adjust(hspace=0.8)
# Plot the first histogram
sns.histplot(data=df, x="area se", kde=True, ax=axs[0, 0], color='green')
axs[0, 0].set title('Histogram of Area se')
# Plot the second histogram
sns.histplot(data=df, x="radius se", kde=True, ax=axs[0, 1], color='red')
axs[0, 1].set title('Histogram of Radius se')
# Plot the third histogram
sns.histplot(data=df, x="texture se", kde=True, ax=axs[1, 0], color='green')
axs[1, 0].set_title('Histogram of Texture se')
# Plot the fourth histogram
sns.histplot(data=df, x="perimeter se", kde=True, ax=axs[1, 1], color='red')
axs[1, 1].set title('Histogram of Perimeter se')
# Plot the fifth histogram
sns.histplot(data=df, x="smoothness_se", kde=True, ax=axs[2, 0], color='green')
axs[2, 0].set title('Histogram of Smoothness se')
# Plot the sixth histogram
sns.histplot(data=df, x="compactness_se", kde=True, ax=axs[2, 1], color='red')
axs[2, 1].set title('Histogram of Compactness se')
# Plot the seventh histogram
sns.histplot(data=df, x="concavity_se", kde=True, ax=axs[3, 0], color='green')
axs[3, 0].set title('Histogram of Concavity se')
# Plot the eighth histogram
sns.histplot(data=df, x="concave points se", kde=True, ax=axs[3, 1], color='red')
axs[3, 1].set_title('Histogram of Concave Points se')
```

In [43]: # Set the style

```
# Plot the ninth histogram
sns.histplot(data=df, x="symmetry_se", kde=True, ax=axs[4, 0], color='green')
axs[4, 0].set_title('Histogram of Symmetry se')
# Plot the tenth histogram
sns.histplot(data=df, x="fractal_dimension_se", kde=True, ax=axs[4, 1], color='red')
axs[4, 1].set_title('Histogram of Fractal Dimension se')
```







In [44]: # Set the style
sns.set(style="darkgrid")

```
sns.set(stvle="darkgrid")
# Create two separate subplots
fig, axs = plt.subplots(5, 2, figsize=(15, 15))
# Adjust the spacing between subplots
plt.subplots adjust(hspace=0.8)
# Plot the first histogram
sns.histplot(data=df, x="area_worst", kde=True, ax=axs[0, 0], color='green')
axs[0, 0].set title('Histogram of Area worst')
# PLot the second histogram
sns.histplot(data=df, x="radius worst", kde=True, ax=axs[0, 1], color='red')
axs[0, 1].set title('Histogram of Radius worst')
# Plot the third histogram
sns.histplot(data=df, x="texture worst", kde=True, ax=axs[1, 0], color='green')
axs[1, 0].set title('Histogram of Texture worst')
# Plot the fourth histogram
sns.histplot(data=df, x="perimeter_worst", kde=True, ax=axs[1, 1], color='red')
axs[1, 1].set title('Histogram of Perimeter worst')
# Plot the fifth histogram
sns.histplot(data=df, x="smoothness_worst", kde=True, ax=axs[2, 0], color='green')
axs[2, 0].set title('Histogram of Smoothness worst')
# Plot the sixth histogram
sns.histplot(data=df, x="compactness_worst", kde=True, ax=axs[2, 1], color='red')
axs[2, 1].set title('Histogram of Compactness worst')
# PLot the seventh histogram
sns.histplot(data=df, x="concavity_worst", kde=True, ax=axs[3, 0], color='green')
axs[3, 0].set title('Histogram of Concavity worst')
# Plot the eighth histogram
sns.histplot(data=df, x="concave points_worst", kde=True, ax=axs[3, 1], color='red')
axs[3, 1].set title('Histogram of Concave Points worst')
```

In [44]: # Set the style

sns.histplot(data=df, x="concave points\_worst", kde=True, ax=axs[3, 1], color='red')
axs[3, 1].set\_title('Histogram of Concave Points worst')

# Plot the ninth histogram
sns.histplot(data=df, x="symmetry\_worst", kde=True, ax=axs[4, 0], color='green')
axs[4, 0].set\_title('Histogram of Symmetry worst')

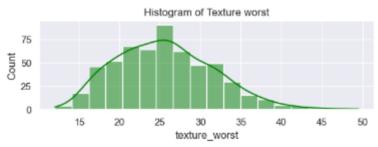
# Plot the tenth histogram
sns.histplot(data=df, x="fractal\_dimension\_worst", kde=True, ax=axs[4, 1], color='red')
axs[4, 1].set\_title('Histogram of Fractal Dimension worst')

plt.show();

Histogram of Area worst

Histogram of Radius worst

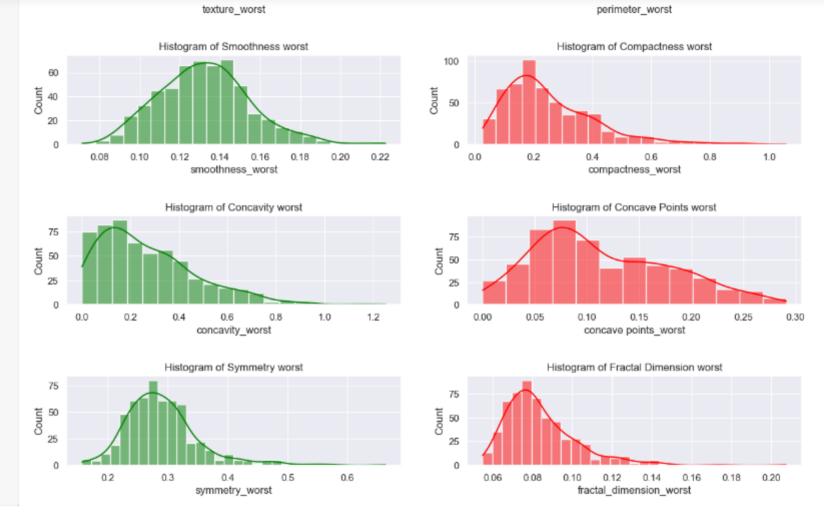












We conclude that most of these graphs tend to exhibit a normal distribution, while some show a tendency towards positive skewness

# 3. Preprocessing

1.89116053, 2.49783848],

```
Split ¶
In [45]: target = 'diagnosis'
         X = df.drop(columns=target)
         y = df[target]
         print("X shape:", X.shape)
         print("v shape:", v.shape)
         X shape: (569, 30)
         v shape: (569,)
In [46]: X train, X test, y train, y test = train test split(X, y, test size = 0.2, random state=42)
         print("X train shape:", X train.shape)
         print("y_train shape:", y_train.shape)
         print("X_test shape:", X_test.shape)
         print("y_test shape:", y_test.shape)
         X_train shape: (455, 30)
         v train shape: (455,)
         X_test shape: (114, 30)
         v test shape: (114,)
In [47]: scaler = StandardScaler()
         scaler.fit(X train)
         scaler.transform(X train)
         scaler.transform(X test)
Out[47]: StandardScaler()
Out[47]: array([[-1.44075296, -0.43531947, -1.36208497, ..., 0.9320124 ,
                  2.09724217, 1.88645014],
                [ 1.97409619, 1.73302577, 2.09167167, ..., 2.6989469 ,
```

```
[ 0.04880192, -0.55500086, -0.06512547, ..., -1.23903365,
                -0.70863864, -1.27145475],
               [-0.03896885, 0.10207345, -0.03137406, ..., 1.05001236,
                 0.43432185, 1.21336207],
                [-0.54860557, 0.31327591, -0.60350155, ..., -0.61102866,
                -0.3345212 , -0.84628745]])
Out[47]: arrav([[-0.46649743, -0.13728933, -0.44421138, ..., -0.19435087,
                 0.17275669, 0.20372995],
                [ 1.36536344, 0.49866473, 1.30551088, ..., 0.99177862,
                -0.561211 . -1.008389491.
                [ 0.38006578, 0.06921974, 0.40410139, ..., 0.57035018,
                -0.10783139, -0.20629287],
                [-0.73547237, -0.99852603, -0.74138839, ..., -0.27741059,
               -0.3820785 , -0.32408328],
                [ 0.02898271, 2.0334026 , 0.0274851 , ..., -0.49027026,
                -1.60905688, -0.33137507],
                [ 1.87216885, 2.80077153, 1.80354992, ..., 0.7925579 ,
                -0.05868885, -0.0946724311)
         4. Build Model
In [48]: def train_evaluate_model(model, X_train, y_train, X_test,y_test):
             model.fit(X train, v train) #fit the model instance
             predictions = model.predict(X test) # calculate predictions
             accuracy = accuracy score(y test, predictions)
            f1 = f1_score(y_test, predictions)
            precision = precision_score(y_test, predictions)
            recall = recall_score(y_test, predictions)
            #create a dataframe to visualize the results
            eval_df = pd.DataFrame([[accuracy, f1, precision, recall]], columns=['accuracy',
                                                          'f1_score', 'precision', 'recall'])
```

0.59760192, 0.0578942 l.

```
accuracy = accuracy score(y test, predictions)
             f1 = f1 score(y test, predictions)
             precision = precision score(y test, predictions)
             recall = recall score(v test, predictions)
             #create a dataframe to visualize the results
             eval df = pd.DataFrame([[accuracy, f1, precision, recall]], columns=['accuracy',
                                                            'f1 score', 'precision', 'recall'])
             return eval df
In [49]: lg = LogisticRegression(max iter=40)
         results = train evaluate_model(lg, X_train, y_train, X_test, y_test)
         results.index = ['LogisticRegression']
         C:\ProgramData\Anaconda3\lib\site-packages\sklearn\linear_model\_logistic.py:814: ConvergenceWarning:
         lbfgs failed to converge (status=1):
         STOP: TOTAL NO. of ITERATIONS REACHED LIMIT.
         Increase the number of iterations (max_iter) or scale the data as shown in:
             https://scikit-learn.org/stable/modules/preprocessing.html
         Please also refer to the documentation for alternative solver options:
             https://scikit-learn.org/stable/modules/linear_model.html#logistic-regression
In [50]: decision tree = DecisionTreeClassifier(max leaf nodes=10)
         decision tree_results = train_evaluate_model(decision_tree,X_train, y_train, X_test, y_test)
         decision_tree_results.index = ['DecisionTree']
         results = results.append(decision tree results)
In [51]: KNN = KNeighborsClassifier(n_neighbors=11)
```

predictions = model.predict(X test) # calculate predictions

```
knn = train evaluate model(KNN, X train, v train, X test, v test)
         knn.index =['KNearsNeighbors']
         results = results.append(knn)
         C:\ProgramData\Anaconda3\lib\site-packages\sklearn\neighbors\ classification.pv:228: FutureWarning:
         Unlike other reduction functions (e.g. `skew`, `kurtosis`), the default behavior of `mode` typically preserves the axis it acts
         along. In SciPv 1.11.0. this behavior will change; the default value of `keepdims` will become False, the `axis` over which the
         statistic is taken will be eliminated, and the value None will no longer be accepted. Set 'keepdims' to True or False to avoid
         this warning.
In [52]: rfc = RandomForestClassifier(n estimators=10)
         rfc result = train_evaluate_model(rfc, X_train, y_train, X_test, y_test)
         rfc result.index = ['RandomForest']
         results = results.append(rfc result)
```

# In [53]: Naive\_Bayes = GaussianNB() Naive\_Bayes\_result = train\_evaluate\_model(Naive\_Bayes, X\_train, y\_train, X\_test, y\_test) Naive\_Bayes\_result.index = ['NaiveBayes']

results = results.append(Naive\_Bayes\_result)

In [51]: KNN = KNeighborsClassifier(n neighbors=11)

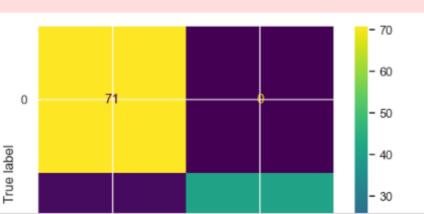
#### 5. Evaluate

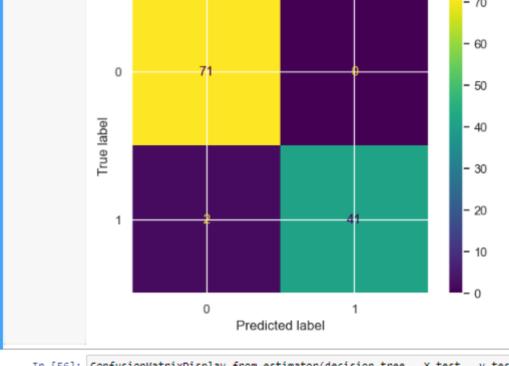


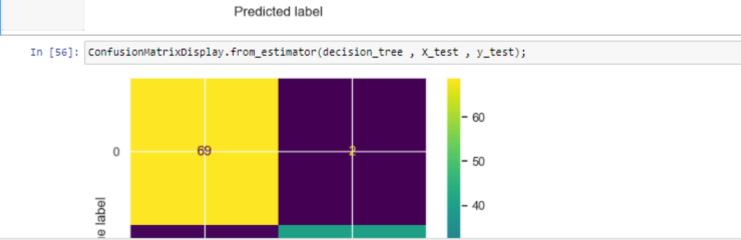


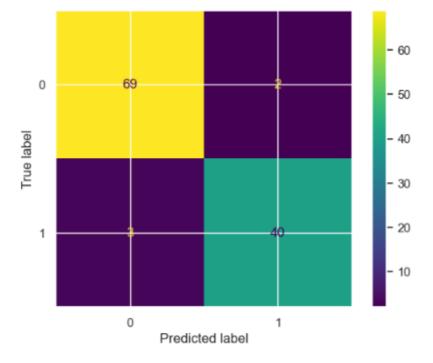
C:\ProgramData\Anaconda3\lib\site-packages\sklearn\neighbors\\_classification.py:228: FutureWarning:

Unlike other reduction functions (e.g. `skew`, `kurtosis`), the default behavior of `mode` typically preserves the axis it acts along. In SciPy 1.11.0, this behavior will change: the default value of `keepdims` will become False, the `axis` over which the statistic is taken will be eliminated, and the value None will no longer be accepted. Set `keepdims` to True or False to avoid this warning.









## 6. Communicate

Now that we have a reasonable model, let's graph the importance of each feature.

A horizontal bar chart with the 10 most important features for DecisionTree model

A horizontal bar chart with the 10 most important features for DecisionTree model



