# Multi-GPU training with TensorFlow on Piz Daint

Synchronous Distributed Training with TensorFlow and Horovod

Rafael Sarmiento and Henrique Mendonça ETHZürich / CSCS 7<sup>th</sup>-8<sup>th</sup> September 2020

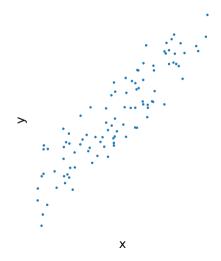


#### **Outline**

- Stochastic Gradient Descent
- [lab] Simple Stochastic Gradient Descent
- Synchronous Distributed Stochastic Gradient Descent
- Ring Allreduce
- Horovod
- [lab] Simple Stochastic Gradient Descent with Horovod
- [lab] CNN on MNIST: Horovod and tf.distribute



## We want to train a model on this data



## We choose a model and a cost function

$$y = mx + n$$

$$L = \frac{1}{N} \sum_{i}^{N} (\hat{y}_i - y_i)^2$$

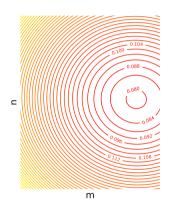
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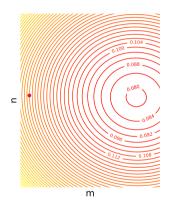
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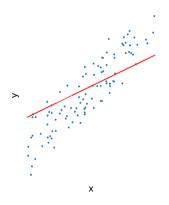


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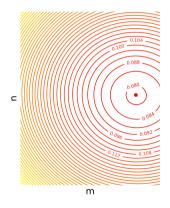
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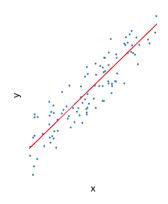
# We need to choose an optimizer

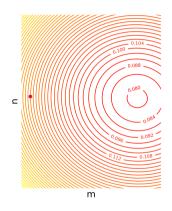




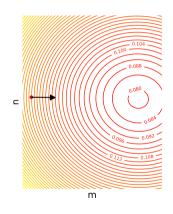
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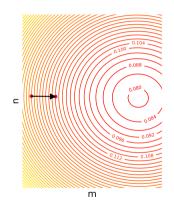




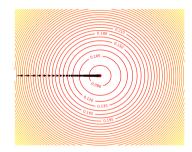
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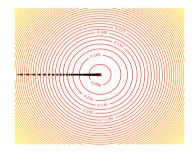


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- Compute the gradients of the loss function with respect to the parameters of the model  $\frac{\partial L}{\partial W}\big|_{\{x,y\}}$  (backpropagation)
- Update the parameters  $W_t = W_{t-1} \eta \frac{\partial L}{\partial W} \big|_{\{x,y\}_{t-1}}$



Gradient
Descent
batch\_size = training\_set\_size





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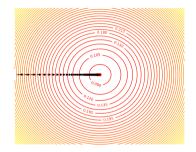
0.100 0.100 0.100 0.100 0.100 0.100

Stochastic Gradient

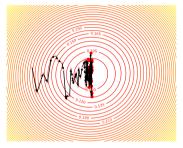
Descent

batch\_size = 1

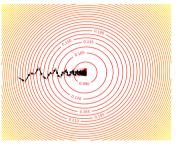




Gradient
Descent
batch\_size = training\_set\_size



Stochastic Gradient
Descent
batch\_size = 1



Minibatch Stochastic Gradient

Descent

1 < batch\_size < training\_set\_size

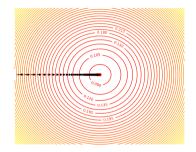


## [lab] Simple Stochastic Gradient Descent

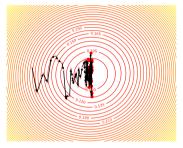
Let's run the notebook SGD/1-linear\_regression\_SGD\_TF2-simple.ipynb. There we use an unidimensional linear model to understand the trajectories of the SGD minimization.

Try different batch sizes and see how the trajectory changes.

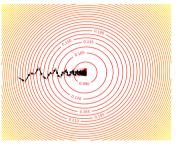




Gradient
Descent
batch\_size = training\_set\_size



Stochastic Gradient
Descent
batch\_size = 1



Minibatch Stochastic Gradient

Descent

1 < batch\_size < training\_set\_size



• The batch size is a hyperparameter

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- Large batches may not fit on the GPU memory



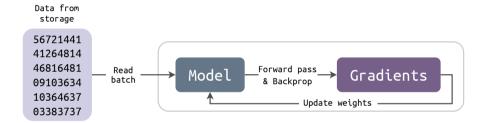
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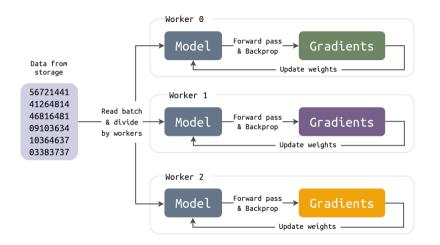
- The batch size is a hyperparameter
- Large batches may not fit on the GPU memory
- Splitting the training into multiple nodes/GPUs enables the use of large batches
- Multiple nodes/GPUs does not necessarily mean more throughput or faster convergence



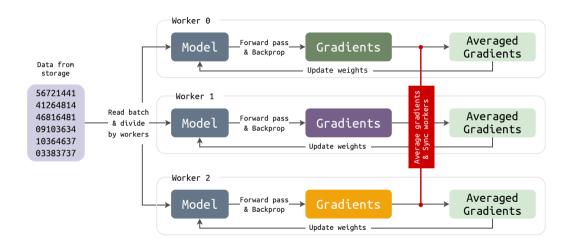
## Distributing the training with data parallelism



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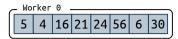
## Distributing the training with data parallelism



#### The Allreduce operation

- The Allreduce name comes from the MPI standard.
- MPI defines the function MPI\_Allreduce to reduce values from all ranks and broadcast the result of the reduction such that all processes have a copy of it at the end of the operation.
- Allreduce can be implemented in different ways depending on the problem.

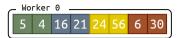




65 18 20 21 40 11 50 5

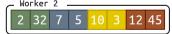
10 36 1 34 6 17 9 1

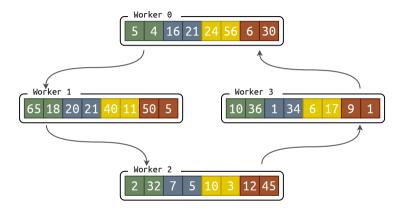
Worker 2 2 32 7 5 10 3 12 45



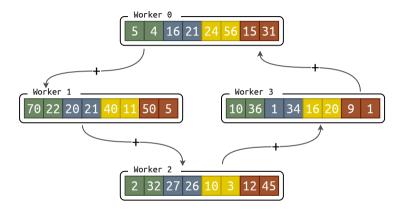




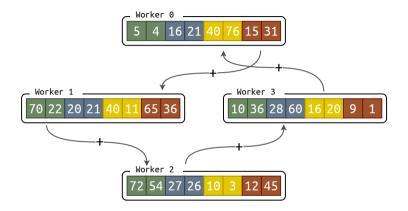


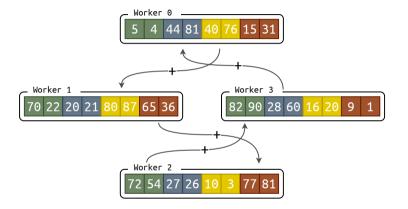


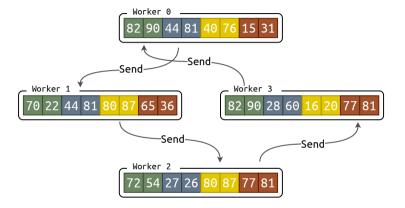


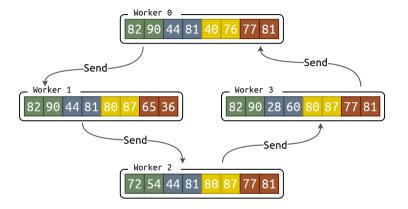


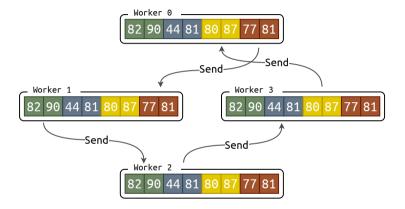












- ullet Each of the N workers communicates only with other two workers 2(N-1) times.
- The values of the reduction are obtained with the first N-1 communications.
- The second N-1 communications are performed to update the reduced values on all workers.
- The total amount of data sent by each worker  $\left[2(N-1)\frac{\text{array\_size}}{N}\right]$  is virtually independent of the number of workers.

## Communication between Cray XC50 Nodes on Piz Daint

- Aries interconnect with the Dragonfly topology
- Direct communications between nodes on the same electrical group (2 cabinets / 384 nodes)
- Communications between nodes on different electrical groups passes by switches (submit with option #SBATCH --switches=1 to make your job wait for a single-group allocation)
- More info on CSCS user portal



#### Horovod



Horovod is an open-source distributed training framework for TensorFlow, Keras, PyTorch, and MXNet developed by Uber. The goal of Horovod is to make distributed Deep Learning fast and easy to use.

#### Horovod



- Minimal code modification required
- Uses bandwidth-optimal communication protocols
- Seamless integration with Cray-MPICH and use of the NVidia Collective Communications Library (NCCL-2)
- Actively developed
- Growing community

#### **NVIDIA Collective Communications Library (NCCL)**



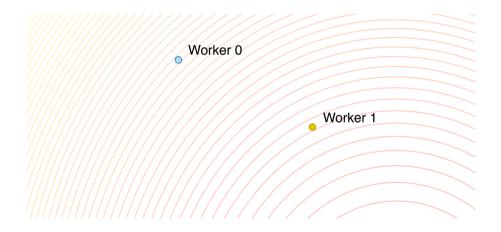
NCCL implements multi-GPU and multi-node collective communication primitives that are performance optimized for NVIDIA GPUs. NCCL provides routines such as Allgather, Allreduce and Broadcast, optimized to achieve high bandwidth over PCIe and NVLink high-speed interconnect.

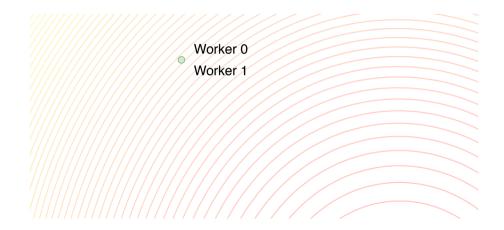
### Horovod: 1. Import and initialize the library (tf.keras)

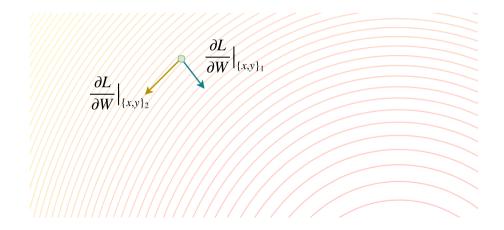
import horovod.tensorflow.keras as hvd

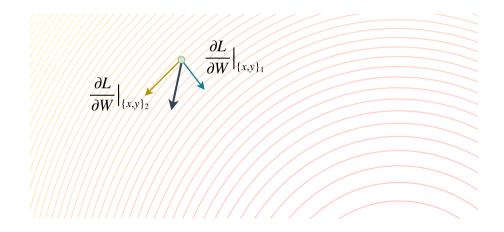
hvd.init()

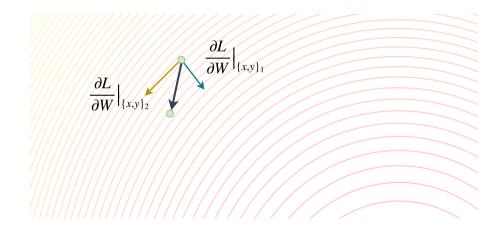


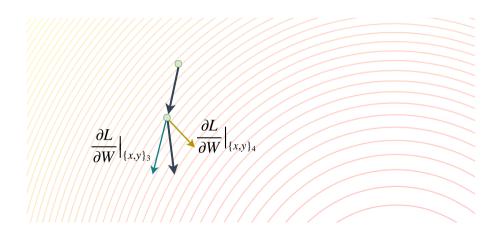












#### Horovod: 2. Sync the initial state of the workers (tf.keras)

```
initial_sync = hvd.callbacks.BroadcastGlobalVariablesCallback(0)
model.fit(dataset, ..., callbacks=[initial_sync])
```



#### Horovod: 3. Wrap the optimizer with Horovod's one (tf.keras)

```
opt = tf.keras.optimizers.SGD(learning_rate)
opt = hvd.DistributedOptimizer(opt)
```

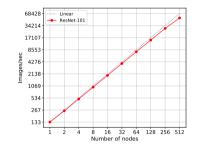


### Horovod: 4. Checkpoints

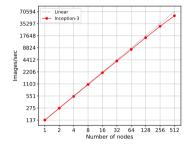
```
# Save checkpoints for the worker of rank 0.
# This will prevent all workers from corrupting a
# single checkpoint file.
if hvd.rank() == 0:
```



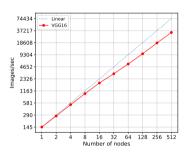
## Benchmarks results on Piz Daint (CNNs on Imagenet)



num layers : 347 num weights: 44,601,832



num layers : 313 num weights: 23,817,352



num layers : 23 num weights: 138.357.544



#### Running TensorFlow + Horovod on Piz Daint

```
#!/bin/bash -l
#SBATCH -- iob-name=tf hvd
#SBATCH --time=00:15:00
#SBATCH --nodes=2
#SBATCH --ntasks-per-core=1
#SBATCH --ntasks-per-node=1
#SBATCH --cpus-per-task=12
#SBATCH --hint=nomultithread
#SBATCH --constraint=gpu
module load daint-gpu
module load Horovod/0.19.1-CrayGNU-19.10-tf-2.2.0
export OMP NUM THREADS=$SLURM CPUS PER TASK
export NCCL_DEBUG=INFO
export NCCL IB HCA=ipogif0
export NCCL IB CUDA SUPPORT=1
srun python my_script.py
```



#### Some additional considerations

- Data must be split equally by workers to avoid load imbalance.
- If applicable, data can be split such that each worker does not need to read all files.
- Dataset splits resulting in non-homogeneous datasets may harm the convergence.
- Consider scaling the learning rate (learning\_rate \* hvd.size())



$$L = \frac{1}{N} \sum_{i}^{N} l(\hat{y}_i, y_i)$$

$$W_{t+1}^{\,\mathrm{SGD}} = \left.W_t^{\,\mathrm{SGD}} - \eta rac{\partial L}{\partial W}
ight|_{\{x,y\}_t}$$

$$\begin{split} L &= \tfrac{1}{N} \sum_{i}^{N} l(\hat{y}_{i}, y_{i}) \\ W^{\text{SGD}}_{t+1} &= W^{\text{SGD}}_{t} - \eta \tfrac{\partial L}{\partial W}\big|_{\{x,y\}_{t}} \\ W^{\text{SGD}}_{t+1} &= W^{\text{SGD}}_{t} - \tfrac{\eta}{N} \sum_{i \in t}^{N} \tfrac{\partial l}{\partial W}\big|_{\{x,y\}_{i}} \end{split}$$

$$W_{t+k}^{ ext{SGD}} = \left. W_t^{ ext{SGD}} - rac{\eta}{N} \sum_j^k \sum_{i \in t_j}^N rac{\partial l}{\partial W} 
ight|_{\{x,y\}_i}$$

$$W_{t+k}^{\mathrm{SGD}} = \left. W_t^{\mathrm{SGD}} - \frac{\eta}{N} \sum_{j}^{k} \sum_{i \in t_j}^{N} \frac{\partial l}{\partial W} \right|_{\{x,y\}_i}$$

$$W_{t+1}^{\text{distrSGD}} = \left.W_t^{\text{distrSGD}} - \frac{\eta}{kN} \sum_{i \in t}^{kN} \frac{\partial l}{\partial W}\right|_{\{x,y\}_i}$$



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ight|_{\{x,y\}_i}$$



#### TensorFlow's distribution strategy

- TensorFlow includes support for synchronous distributed training using Ring Allreduce through tf.distribute.
- tf.distribute support training over multiple nodes with Slurm through MultiWorkerMirroredStrategy and SlurmClusterResolver.



#### [lab] Simple Stochastic Gradient Descent with Horovod

The notebook SGD/2-exercise-linear\_regression\_SGD\_TF2-horovod.ipynb uses the same model that we saw before. We will addapt it to Horovod and we will run it with 2 workers.

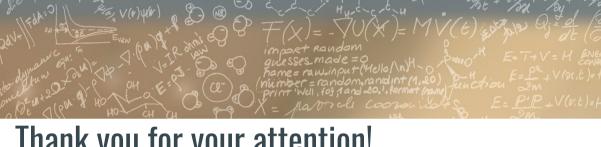
Visualize the trajectories before and after adding each Horovod modification. Try to understand why each line of Horovod is needed.



#### [lab] CNN on MNIST: Horovod and tf.distribute

Let's edit SGD/mnist/01-mnist.ipynb to run the training in 2 nodes. Let's start first with the Horovod implementation. After that we will introduce TensorFlow's solution.





# Thank you for your attention!

