

Linear Algebra and Geometry 1

Systems of equations, matrices, vectors, and geometry

Normal equations of planes in the 3-space

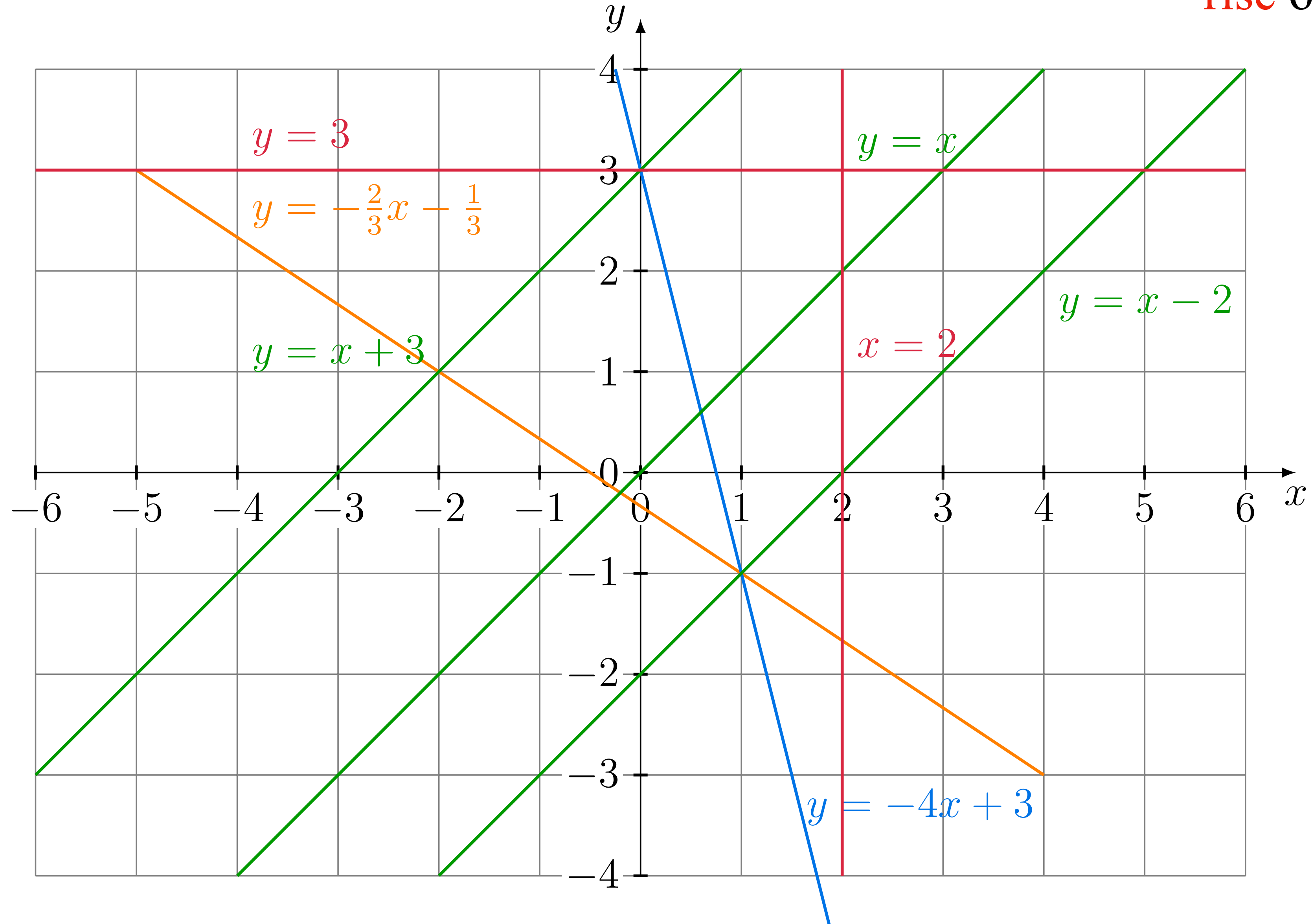
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University teacher in mathematics (Associate Professor / Senior Lecturer) at Mälardalen University, Sweden



Straight lines in \mathbb{R}^2

(m, b) -equation: $y = mx + b$ where $m = \frac{\Delta y}{\Delta x}$ is the **slope**
rise over **run**



All straight lines in the plane can be described by $ax + by + c = 0$

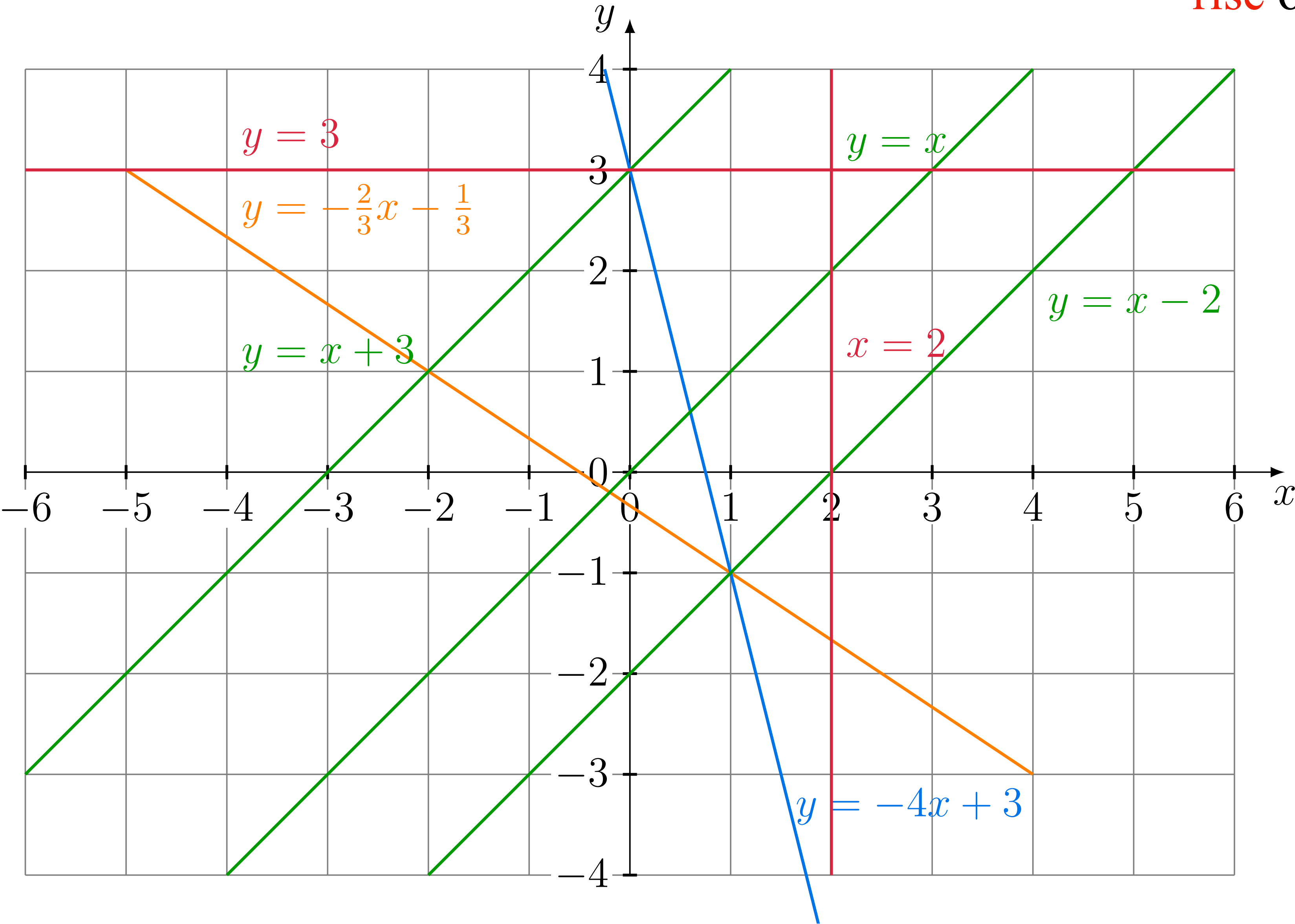
Such equations are called **normal equations**

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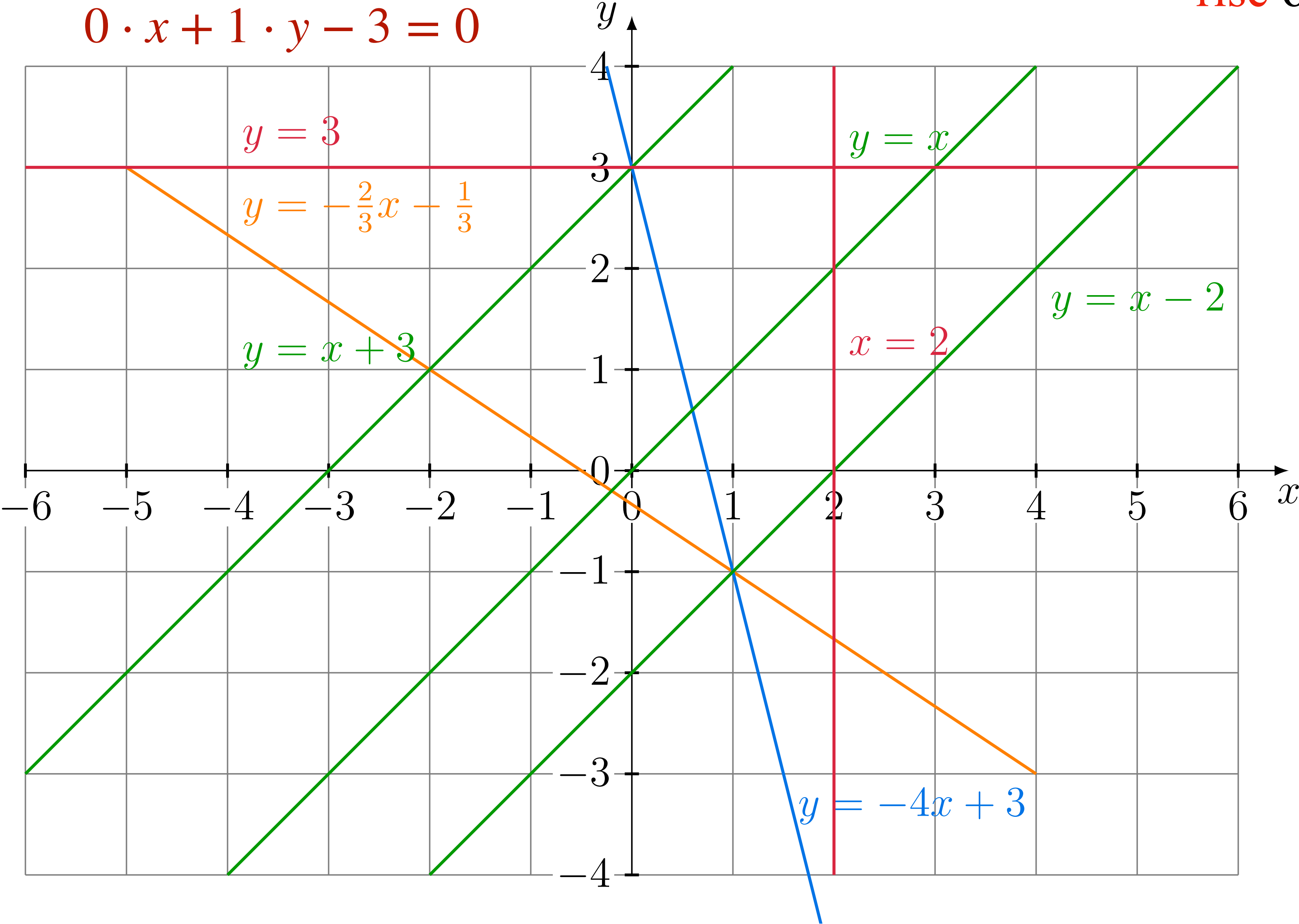


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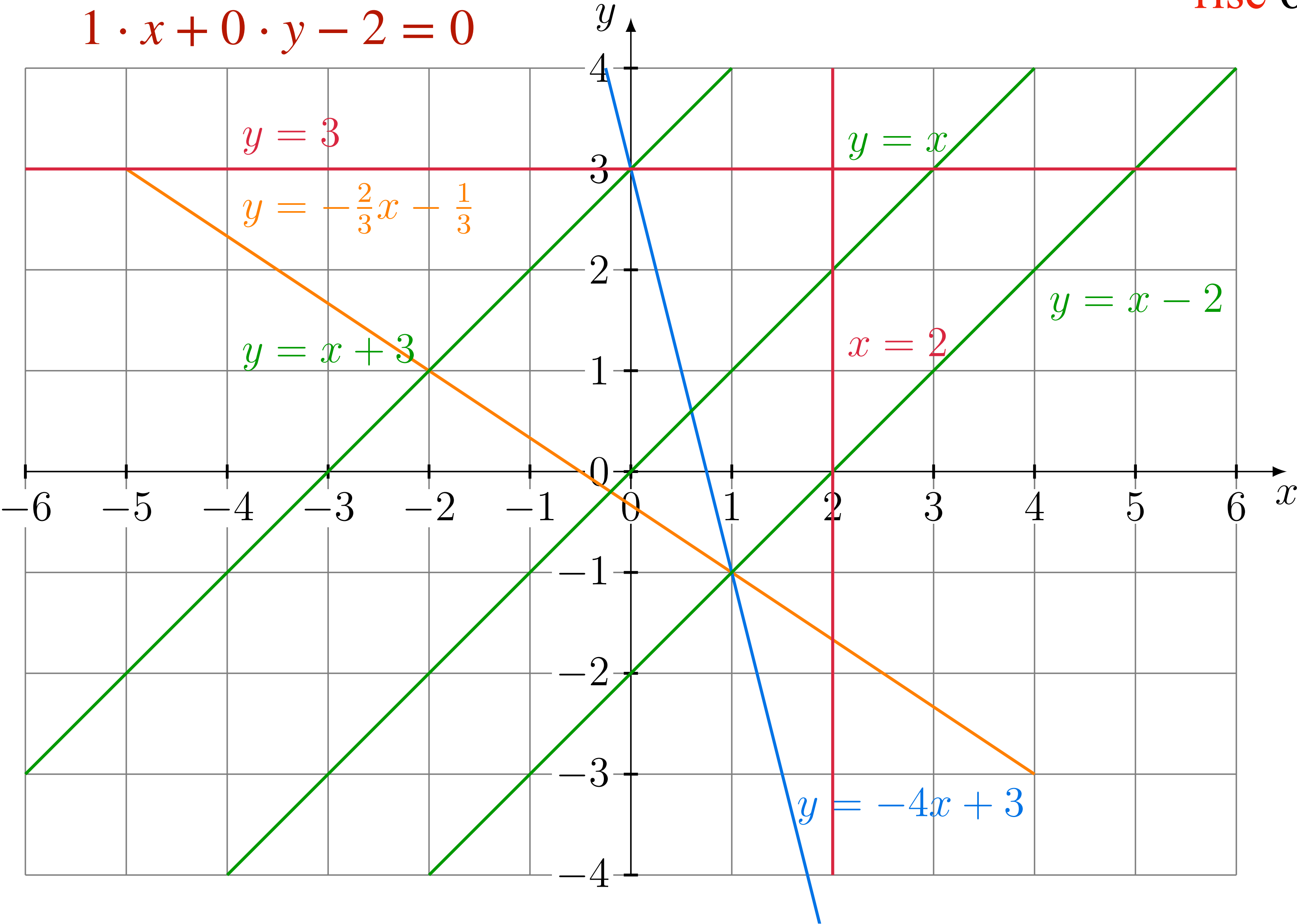


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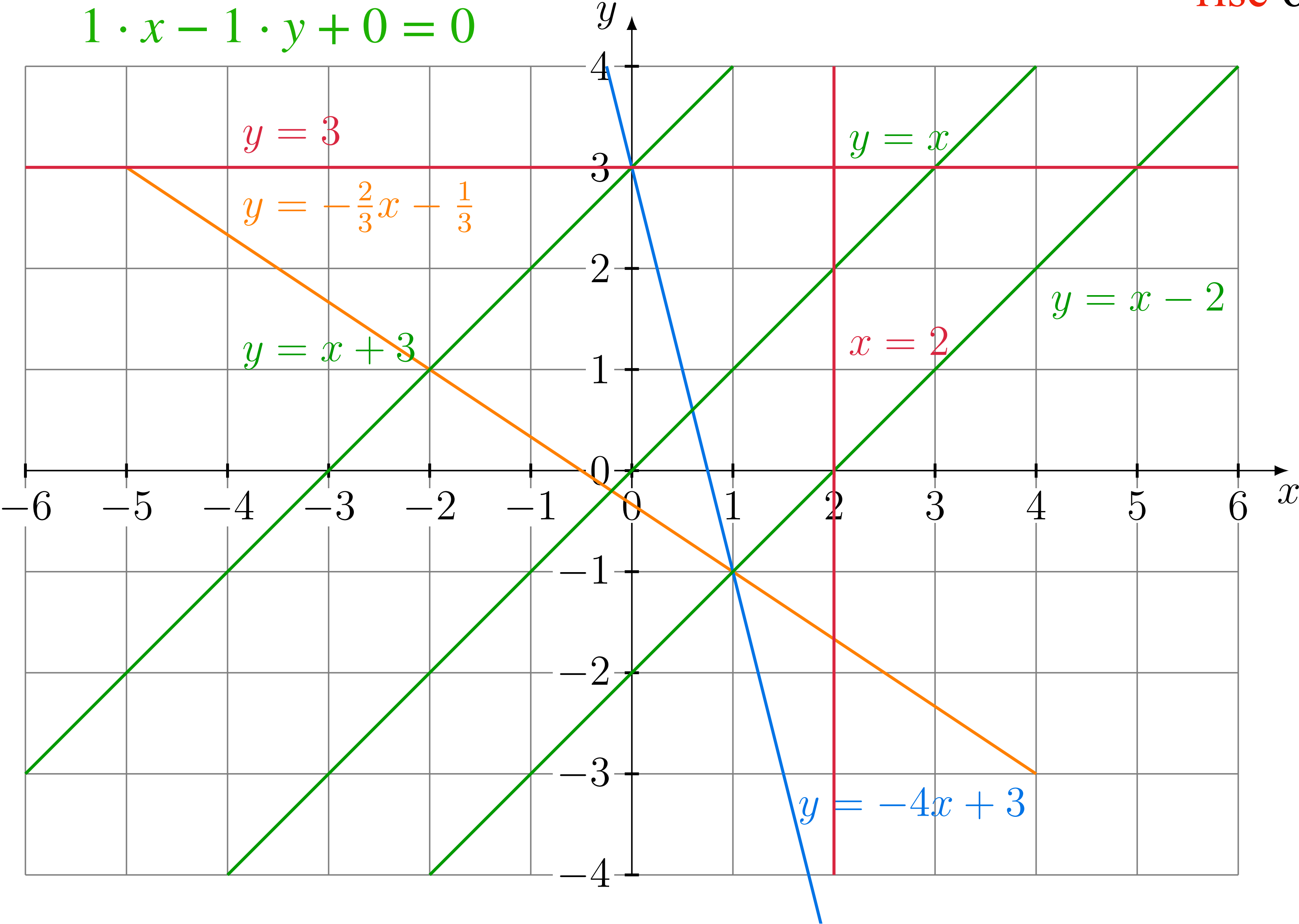


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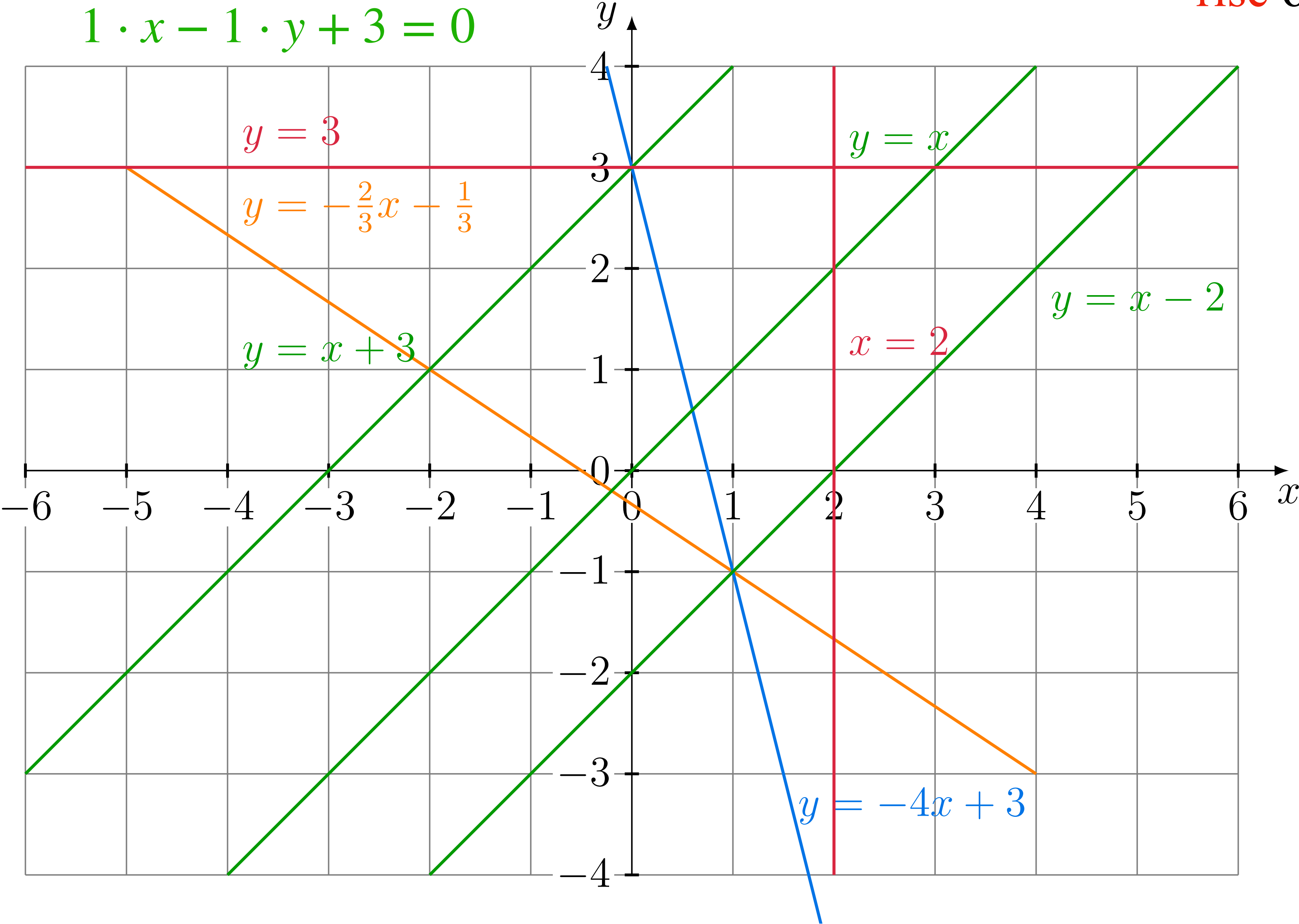


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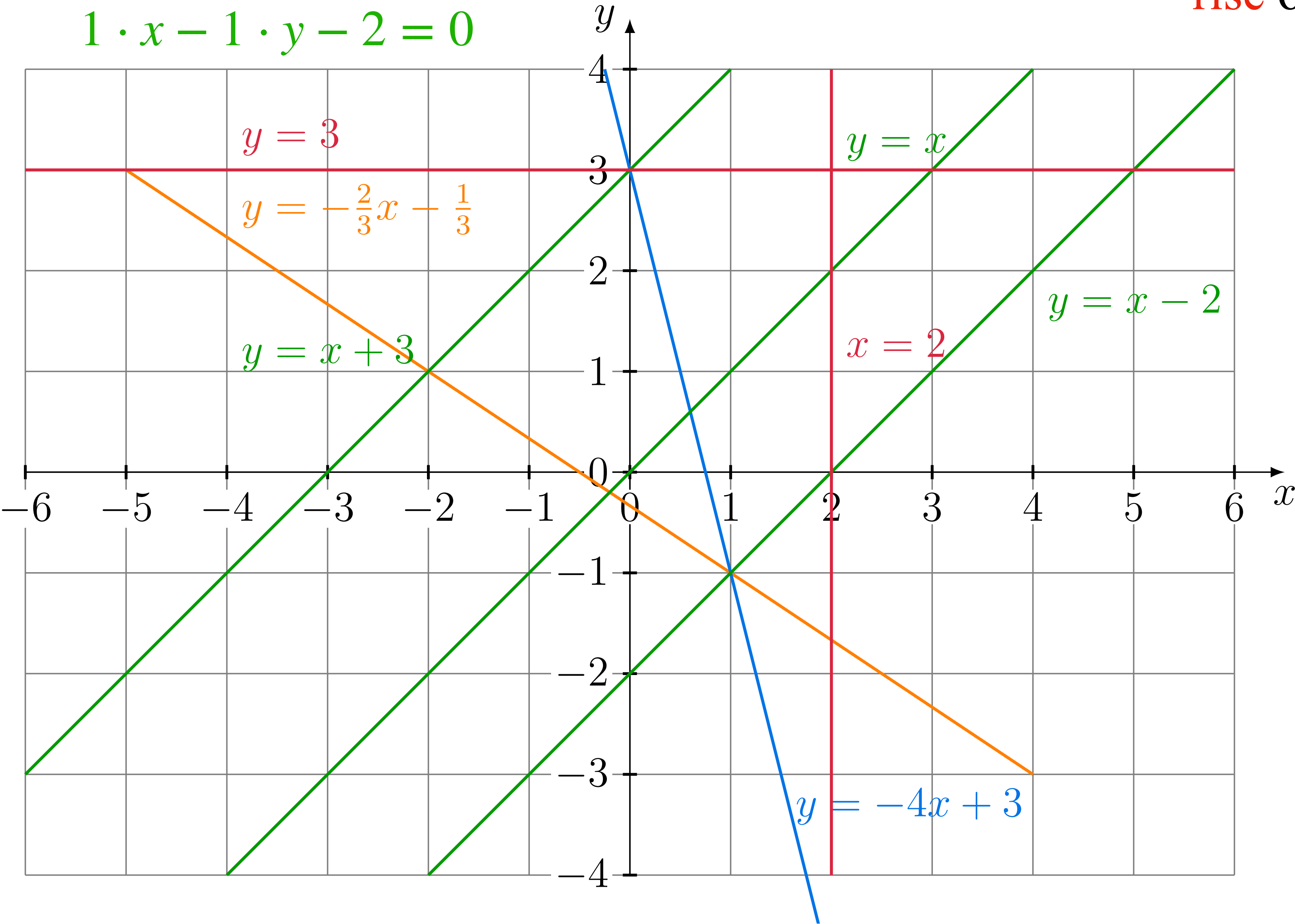


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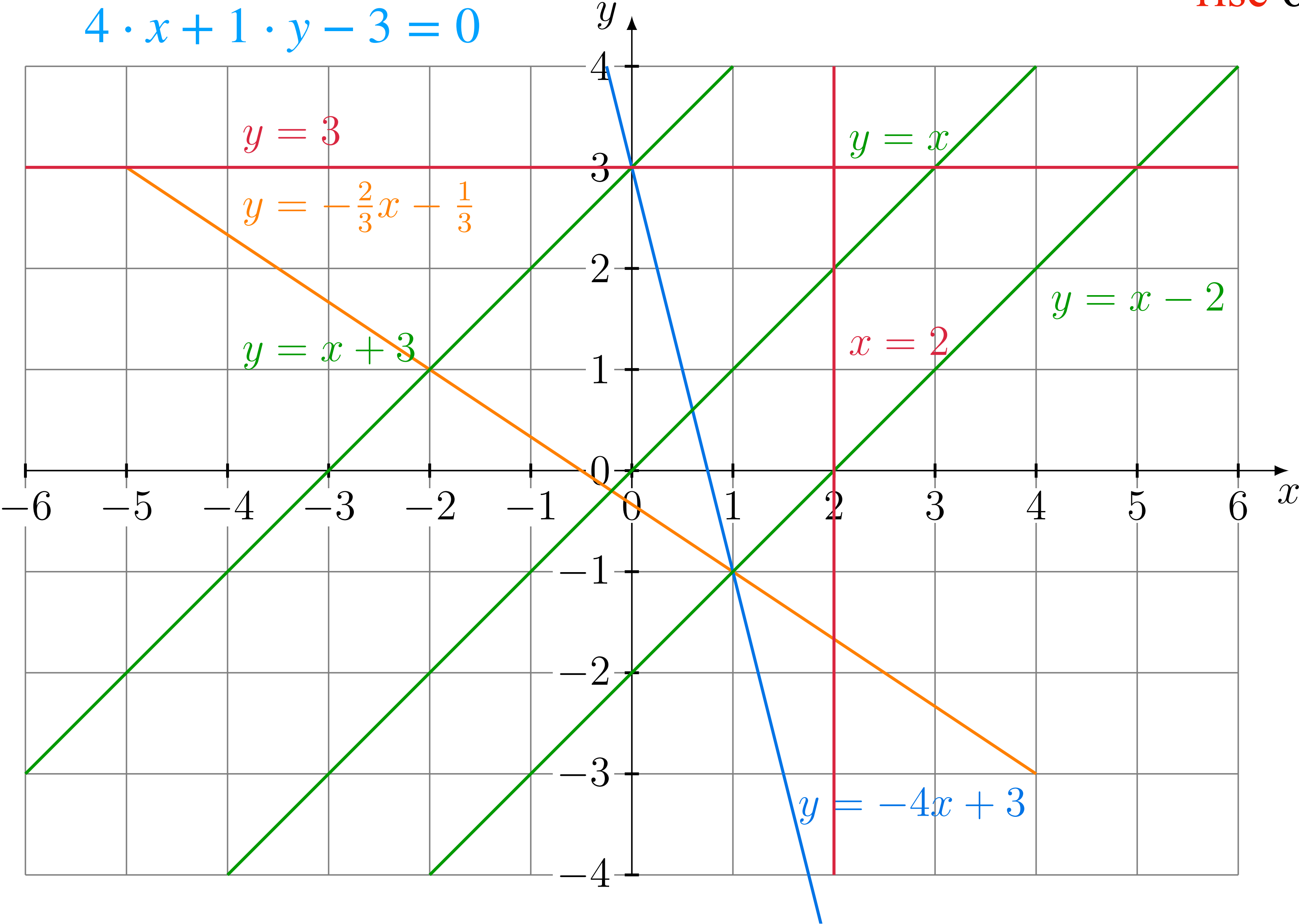


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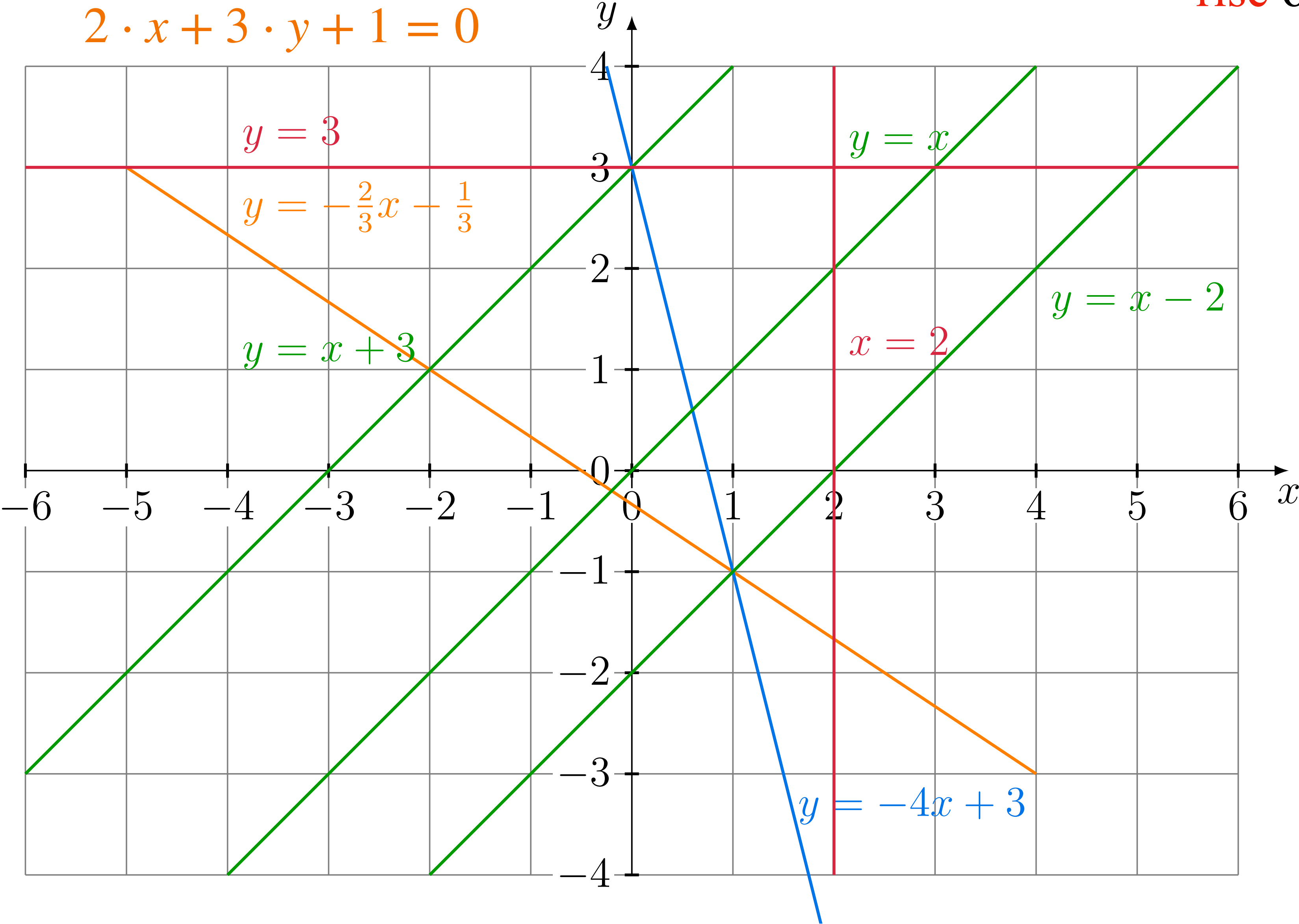


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