## 1)MCQS-

i) Which algorithm is used in finding all pairs shortest distance? Answer- a) Dynamic Programming is correct answer. (Floyd-Warshall algorithm)

ii) 0/1 knapsack is based on \_\_\_\_\_ method?
Answer- b) Branch & Bound(<u>https://www.youtube.com/watch?v=yV1d-b\_NeK8&t=135s</u>)

c)Dynamic Programming (<a href="https://www.youtube.com/watch?v=nLmhmB6NzcM">https://www.youtube.com/watch?v=nLmhmB6NzcM</a>)
2 answers possible as knapsack 0/1 can be solved by both but write c Dynamic Programming as it is more efficient.

iii)A \_\_\_ is a round trip path along n edges of G that visits every vertex once and returns to its starting position.

Answer-

d)Hamiltonian Cycle

(used in Travelling salesman problem)

iv) The upper bound on the time complexity of the nondeterministic sorting algorithm is? Answer-

O(n)

Non deterministic algorithmss always reduce time complexity.

(https://www.youtube.com/watch?v=ZNe1ziMExGg)

```
Non-Deterministic Algorithm
Outcome of ND Algo will be restricted to specific set of possibilities.
To specify such algorithms, we introduce three new functions:
     1. Choice(s): arbitrarily chooses one element from set s
     2. Failure(): signals an unsuccessful solution
3. Success(): signals an successful solution
Problem-1: Searching x on A[1:n], n>1. On success returns
      j if A[j]=x or returns o otherwise
             j = Choice (1, n);
            if (A[j]== x) then { write (j); Success();}
            write(0); Failure();
  Problem-2: Sorting array A[1:n] of positive integers in
       Algorithm Nsort (A, n) // sort n positive integers.
       ascending order
            { for i = 1 to n do B[i] = 0; // Initialize B[]
              for i = 1 to n do
                    j = Choice (1,m);
                  if (8[j] =0) then Failure();
                   BIJJ = A[i],
               for i= 1 to (n-1) do [[Verify order if (B[i] > B[i+1] then Failure();
               write (B[1:n]);
               Success();
```

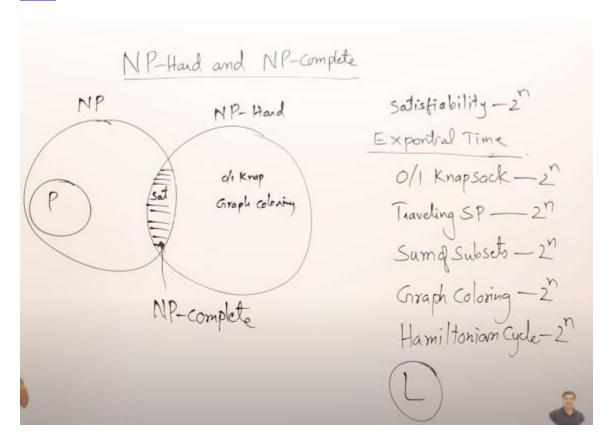
## v)Choose the correct answer-

I.Theory of NP-Completeness provides a method for providing polynomial time for NP Problems.

II. All NP Problems are NP-Hard.

Answer- a)I is false and II is true

Explanation- <a href="https://youtu.be/e2cF8a5aAhE">https://www.geeksforgeeks.org/np-completeness-set-1/</a>



Similar mcq(for practise)

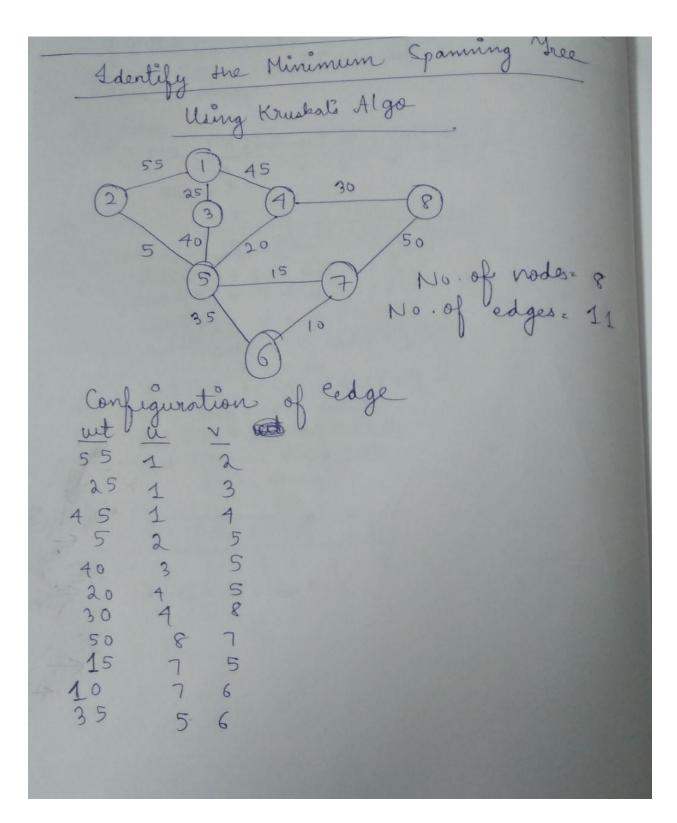
----

The following are the statements regarding the NP problems. Chose the right option from the following options:

- I. All NP-complete problems are not NP-hard.
- II. Some NP-hard problems are not known to be NP-complete.

Answer-Only II is true.

Grp B Qs 2 Page 1 of creating MST using Kruskal



Page 2 of creating MST using Kruskal Soiting (lyrosdy approach) weights 10 15 25 30 50 55 VII 10