# Stream Ciphers using TOA

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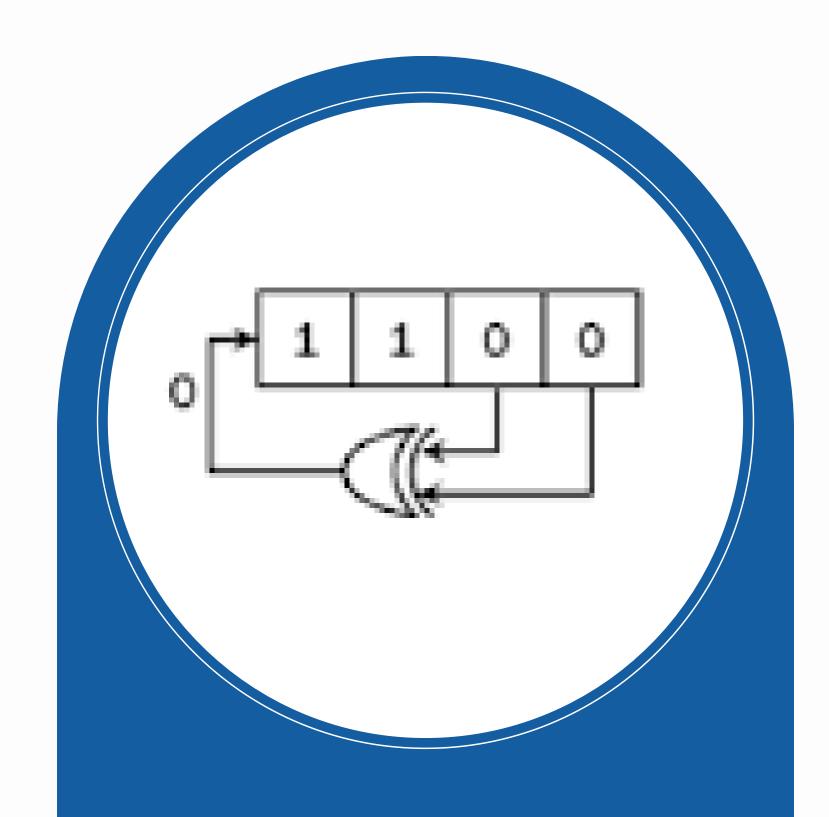
### Stream Ciphers

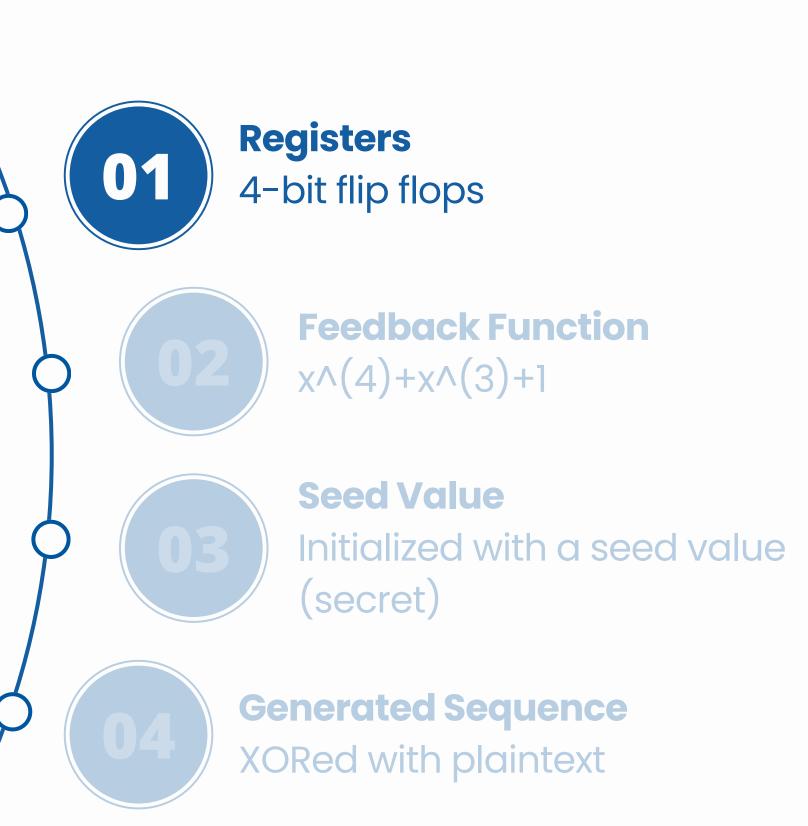
- Symmetric encryption method.
- Generates a pseudorandom key stream to encrypt plaintext using XOR.
- Lightweight and efficient for real-time encryption.
- Suitable for hardware implementations

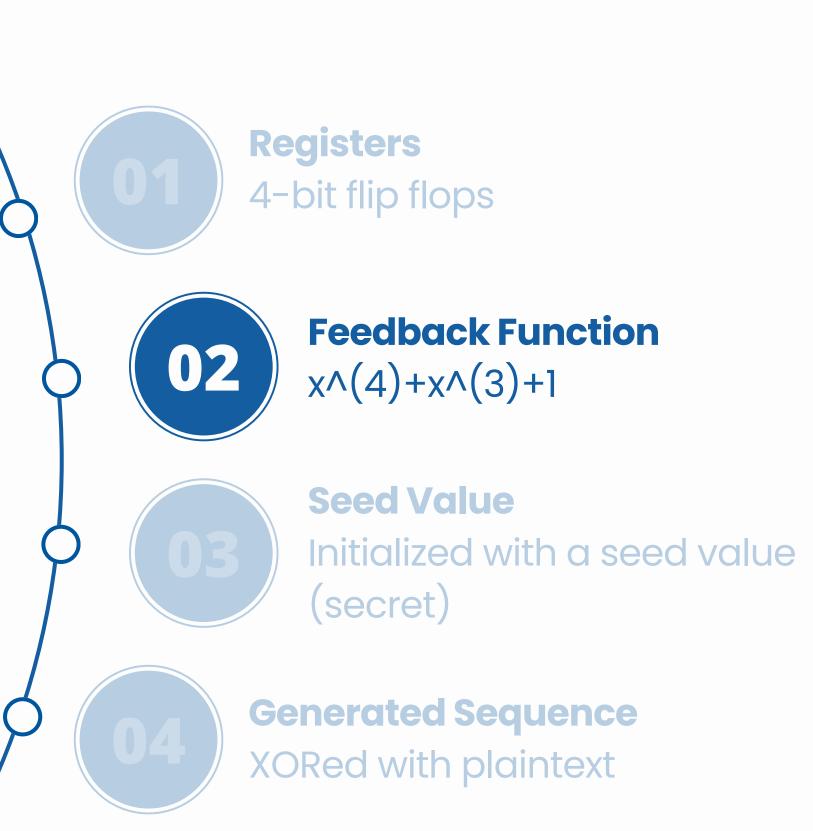
833 15474 12434 20183 8521 2723 13105 14249 27000 3339 Zugge 26856 2925 18851 19101 19978 17700 24165 20202 Z4733 30320 27513 24393 2146 30827 15237 30983 10944 6855 1211 14 1884 28270 1987 27634 719 394 28186 109 2551 22823 1

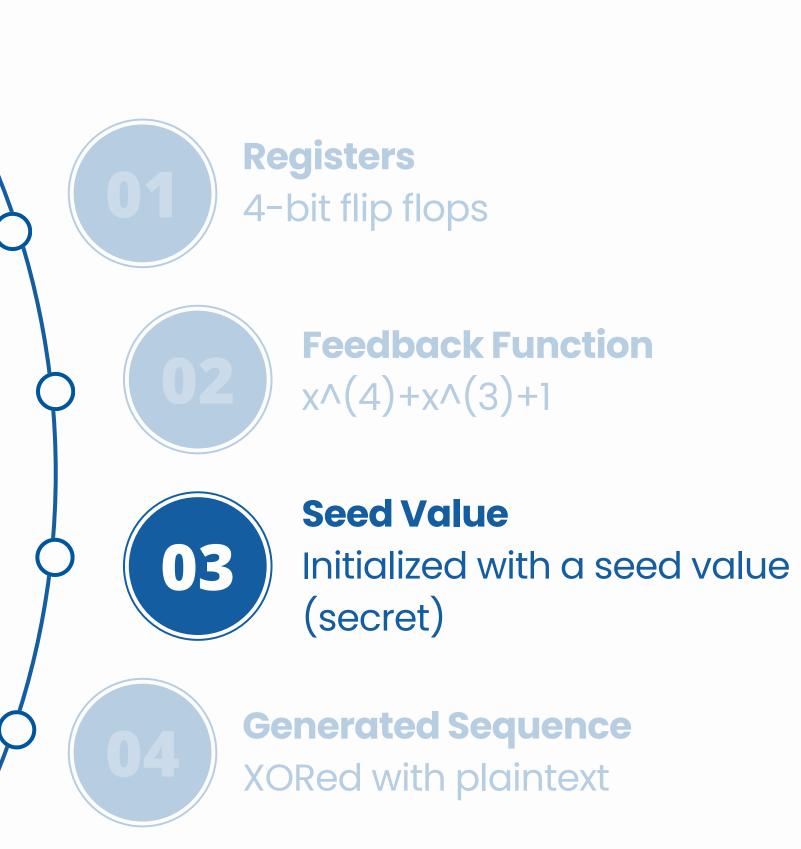
### Linear Feedback Shift Register

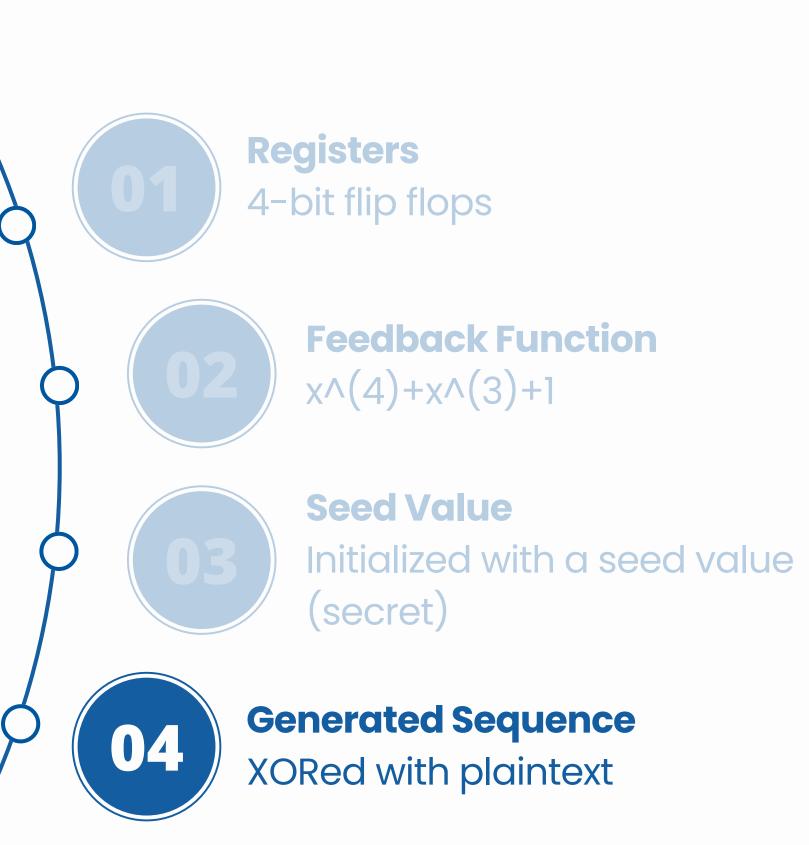
- A shift register where the input bit is a linear function of its previous state.
- Feedback function is typically XOR of selected bits.
- Generates pseudorandom sequences
- Periodicity depends on the feedback function and register length.



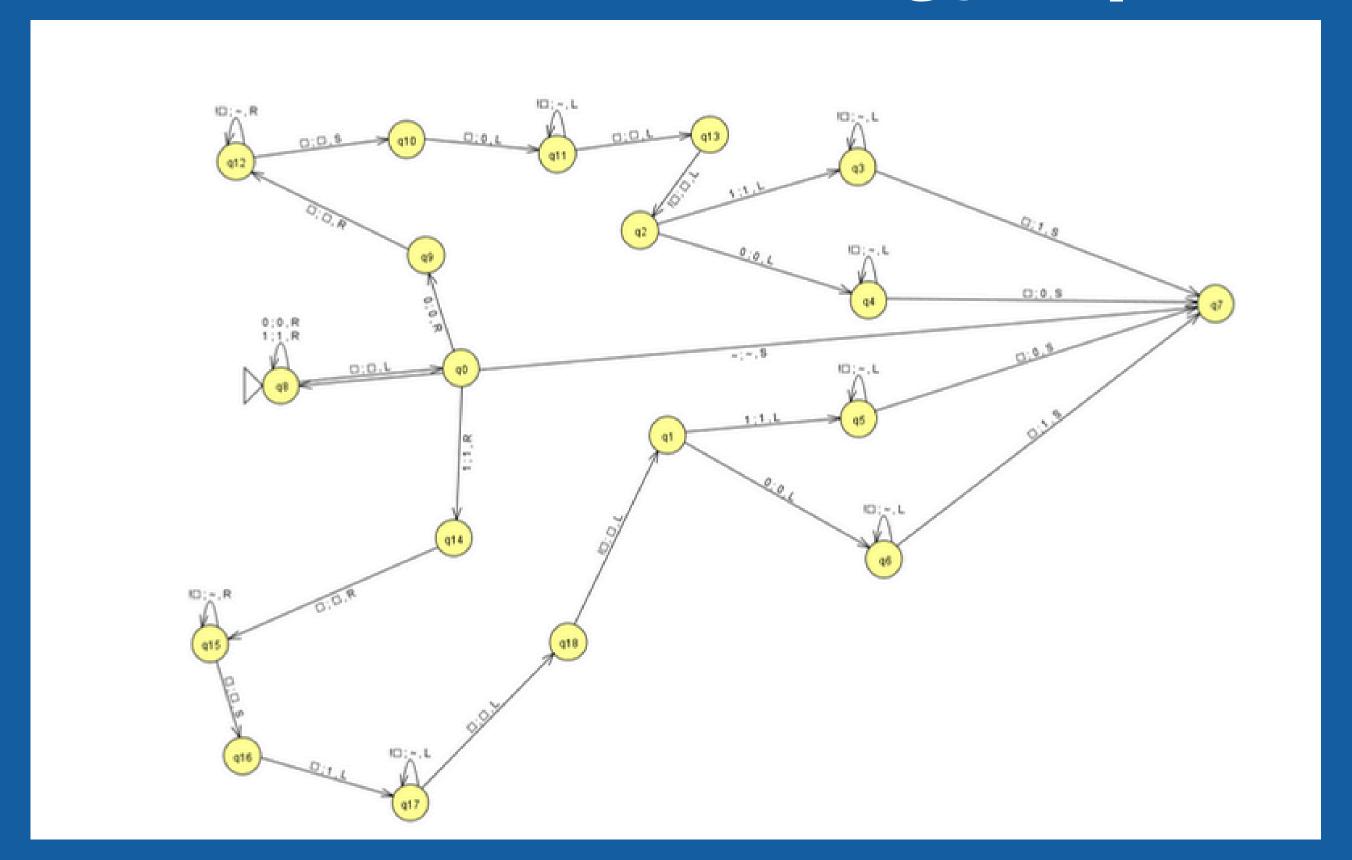








### Demonstration using JFLap



### A5/1 Encryption

A5/1 is a stream cipher used to provide over-the-air communication privacy in the GSM cellular telephone standard.



#### **Stream Cipher**

Generates a pseudorandom key stream XOR-ed with plaintext to produce ciphertext.



#### **Three LFSRs**

The core consists of three Linear Feedback Shift Registers (LFSRs) with distinct lengths and feedback polynomials.



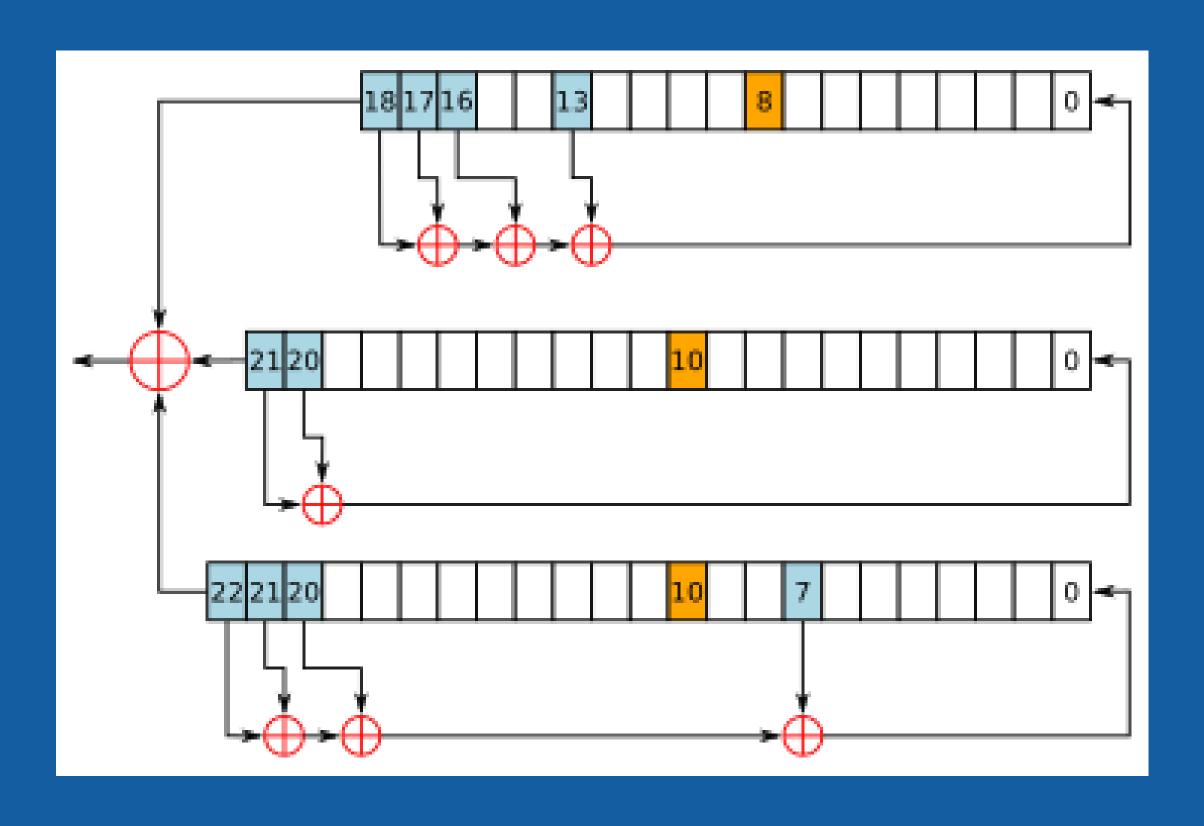
#### **Clocking Mechanism**

Uses a majority-rule clocking system to enhance security.

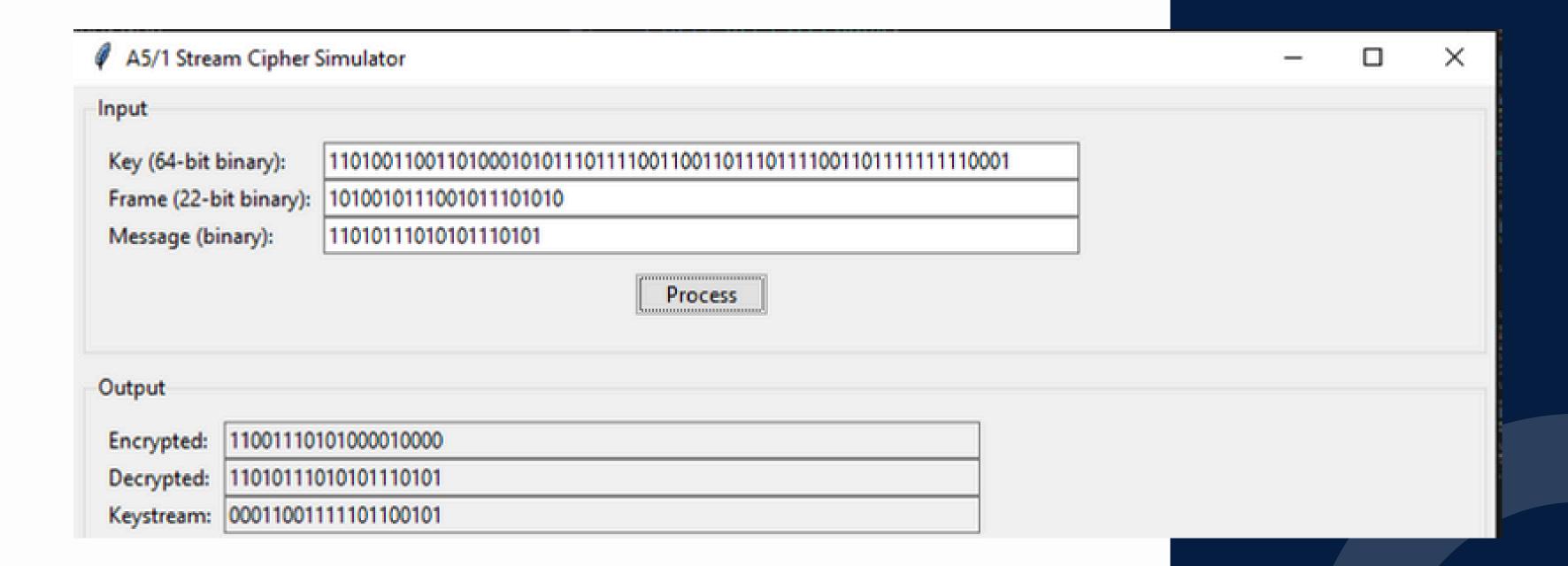
08 26414 21535 28946 1115

00 024 2273 6623 14119 66

### A5/1 Encryption



### Implementation



#### **Analysis**



#### **Periodicity**

The sequence repeats after 4 steps for a 4-bit LFSR with certain feedback functions.



#### **Randomness**

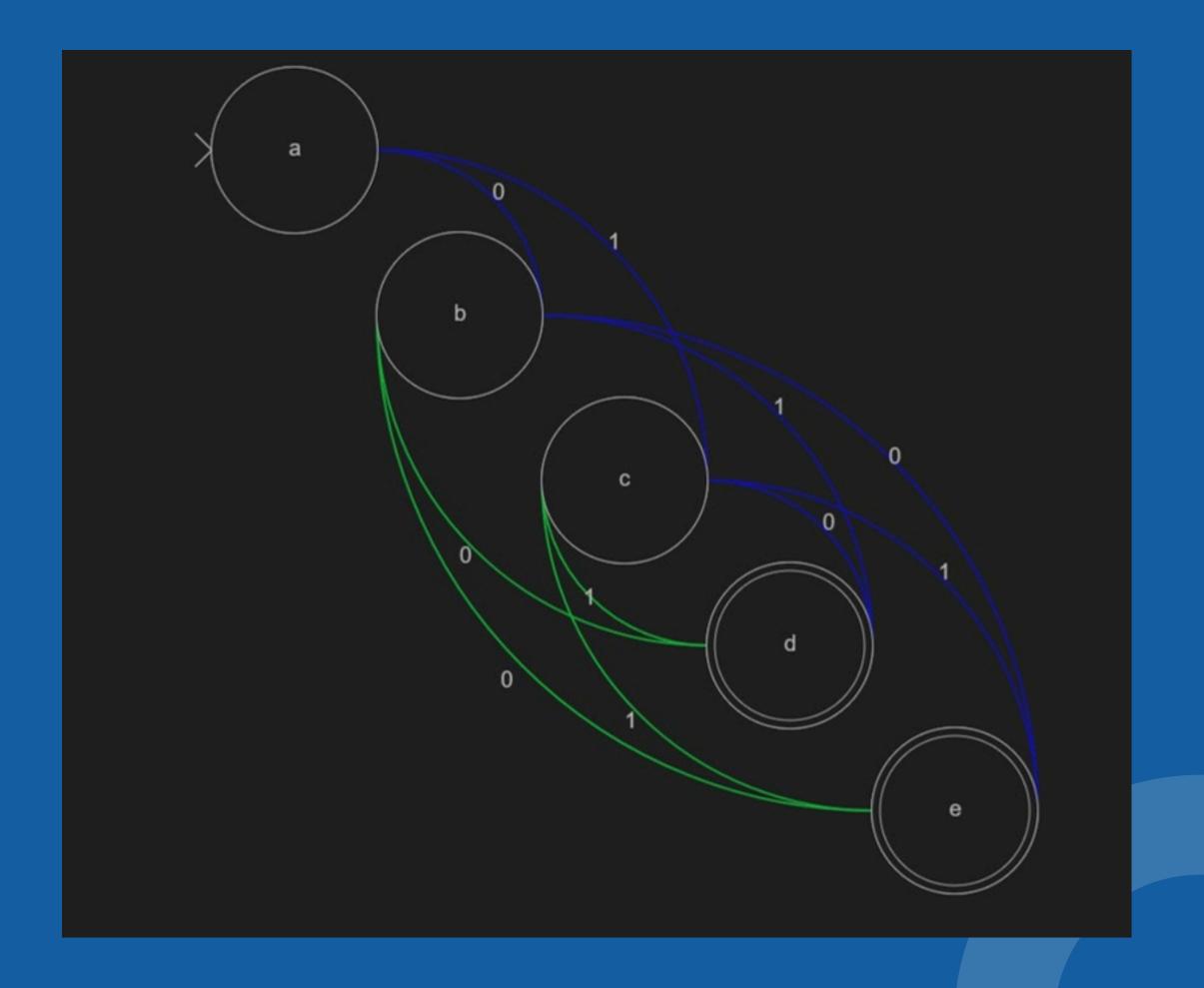
Pseudo-randomness having (2^(n)-1) states.



#### **Security**

Can be improved with non-linear feedback or larger registers.

# Finite State Transducer for XOR



### Advantages

- Simple and fast key stream generation.
- Easy to analyze and visualize using automata.

#### Limitations

- Predictable if feedback and seed are known.
- Not suitable for modern cryptographic standards.

### Conclusion

78 24047 13704 20183 8521 2723 13105 14249 27000 3333 20000 833 15474 12434 20183 8521 2723 13105 14249 27000 3333 20000

26856 2925 18851 19101 19978 17700 24165 20202 Z4733 30920

27513 24393 2146 30827 15237 30983 10944 6855 1211

14 1884 28270

1987 27634 719

394 28186 109

22823 1

- LFSRs provide an efficient method for generating pseudorandom sequences.
- Modeling LFSR as an automaton simplifies understanding.
- Encryption and decryption rely on XORing the plaintext and key stream.
- Can extend to non-linear feedback for improved security.

### THANK YOU!

