

Q1 1

2 Points

"A computer program is said to learn from experience E with respect to some task T and some performance measure P , if its performance on T as measured by P , improves with experience E ." Suppose your email program watches which e-mails you do or do not mark as spam, and based on that learns how to better filter spam. What is the task T in this setting?

- ☐ Watching you label emails as spam or not spam
- ☐ The number of emails correctly classified as spam/not spam
- ☒ Classifying emails as spam or not spam
- ☐ None of the above - this is not machine learning problem

Q2 2

2 Points

Suppose you are running a company and you want to develop learning algorithms to address two problems:

Problem 1: You have a large inventory of identical items. You want to predict how many items will sell over the next 3 months.

Problem 2: You'd like the software to examine individual customer accounts, and for each account decide if it has been hacked/compromised.

- ☐ Treat both as classification problems.
- ☐ Treat problem 1 as a classification problem, problem 2 as a regression problem.
- ☒ Treat problem 2 as a classification problem, problem 1 as a regression problem.
- ☐ Treat both as regression problems.

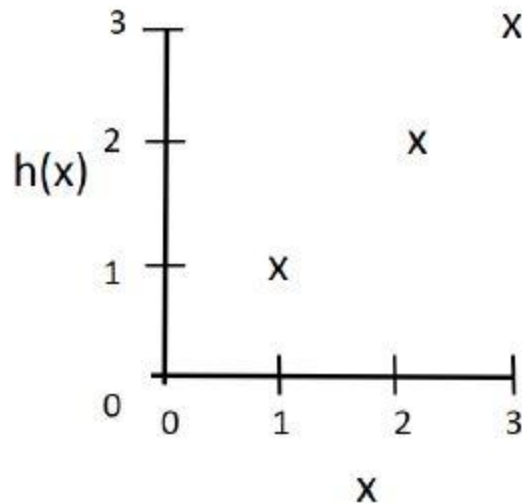
Q3 3

5 Points

Suppose we have training set with $m=3$ examples, plotted below. Our hypothesis representation is $h(\theta) = \theta_1 x$ with parameter θ_1 . The cost function is

$$J(\theta_1) = \frac{1}{2m} \sum_{i=1}^m (h_{\theta}(x^{(i)}) - y^{(i)})^2.$$

What is $J(0)$?



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Q4 4

1 Point

Which of the following are true statements? Select all that apply?

- ☒ To make gradient descent converge, we must slowly decrease over time
- ☐ Gradient descent is guaranteed to find the global minimum for any function $J(\theta)$.
- ☐ Gradient descent can converge even if α is kept fixed. (But α cannot be too large, or else it may fail to converge.)
- ☐ For the specific choice of the cost function, J used in linear regression, there are no local optima (other than the global optimum).

Q5 5

15 Points

The values of y and attribute x are given in the table below:

x	0	1	2	3	4
y	2	3	5	4	6

Q5.1 a

10 Points

Find the least square regression line $y = mx + b$

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Q5.1

x	y	x^2	y^2	xy
0	2	0	4	0
1	3	1	9	3
2	5	4	25	10
3	4	9	16	12
4	6	16	36	24
Σx 10	Σy 20	Σx^2 30	Σy^2 90	Σxy 49

$$m = \frac{n \Sigma(xy) - \Sigma x \Sigma y}{n \Sigma(x^2) - (\Sigma x)^2}$$

$$m = \frac{5(49) - (10 \cdot 20)}{5(30) - 10^2}$$

$$m = \frac{245 - 200}{150 - 100} = \frac{45}{50} = 0,9$$

$$b = \frac{\Sigma y - m \Sigma x}{n}$$

$$b = \frac{20 - \frac{9}{10} \cdot 10}{5} = \frac{11}{5} = 2,2$$

$$y = \frac{9}{10}x + 2,2$$

Q5.2

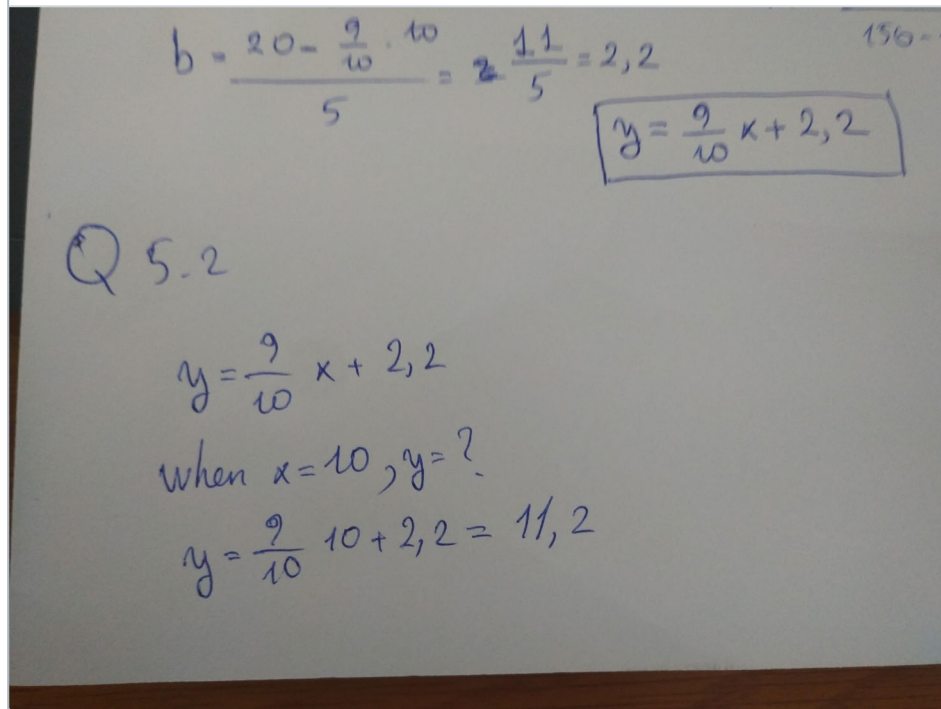
Q5.2 b

5 Points

Estimate the value of y when $x = 10$

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**Q6 6**

5 Points

Suppose we set $\theta_0 = -2$, $\theta_1 = 3$ in the linear hypothesis from Q1. What is $h(5)$?

243/16

Q7 7

70 Points

The problem of classification of Power Saving Lights by their economical feasibility as Preserver or Wasteful will be solved with k-NN. Suppose $k = 3$ and attributes : X_1 Lighting Duration and X_2 Power Consuming.

X_1 : Lighting Duration (Hours)	X_2 : Power Consuming (Watts)	Y
6	900	Wasteful
2	150	Wasteful
5	600	Wasteful
3	80	Preserver
4	200	Wasteful
2	60	Preserver
10	500	?

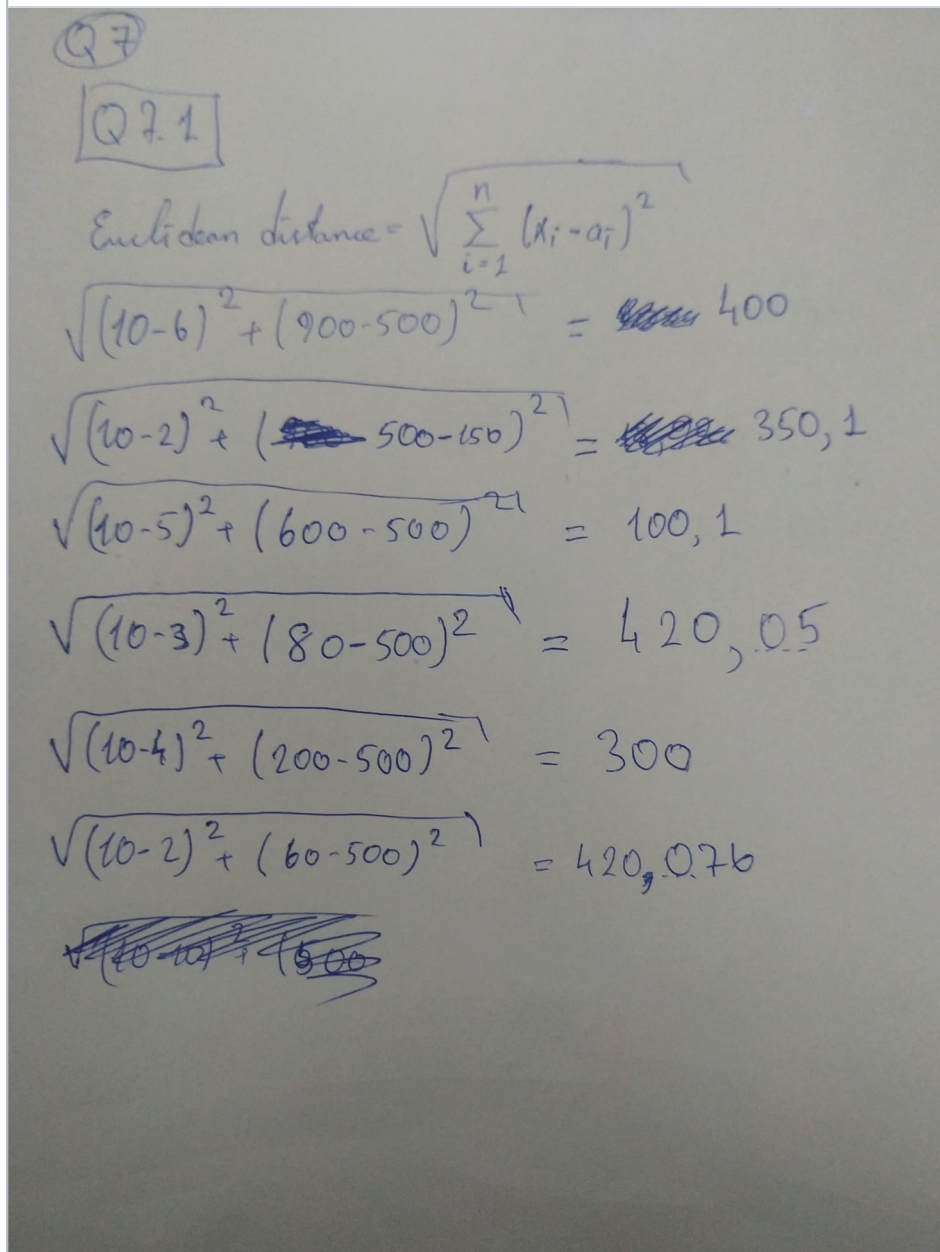
Q7.1 a

25 Points

Calculate the Euclidean distance between the test sample (X_1 : 10, X_2 : 500) and all training samples.

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Q7.2 b

5 Points

Sort the training samples based on the calculated distance.

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(7.2)

X_1	X_2	y
5	600	Wastefull
4	200	Wastefull
2	150	Waste full
6	900	Wastefull
3	80	Preserver
2	60	Preserver

Q7.3 c

10 Points

Find the label of the test sample based on the closest k neighbors (k:3)

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2 60 Preserver

(7.3)

X_1	X_2
5	600
4	200
2	150

$K=3$
 } the closest
 3 neighbours

$K_1=50 \quad K_2=500$
 TS Wastefull

Q7.4 d

30 Points

Fill in the functions for the given tasks.

```
def calculate_euclidean(sample1, sample2):  
  
    return distance  
  
def nearest_neighbors(train_set, test_sample, k):  
    \\calculate distances between test_sample and train_set  
  
    \\find closest neighbors and return k neighbors  
  
    return neighbors  
  
def predict(train_set, test_sample, k):  
    neighbors = nearest_neighbors(train_set, test_sample, k)  
  
    return label_test_sample
```

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```
Q7.4 def calculate_euclidean(sample1, sample2):  
    result = 0  
    for i in range(len(sample1)):  
        result += np.power((sample1[i] - sample2[i]))  
    return sqrt(result)  
  
def nearest_neighbors(train, test, k):  
    distances = []:  
    for i in test:  
        test_list = []  
        for j in train:  
            test_list.append(calculate_euclidean(i, j))  
        distances.append(test_list)  
  
    for i in distances:  
        i = i.sorted  
        i = i[:k]  
    return neighbours
```

Quiz-1

● GRADED

STUDENT

MEHMET TAHA USTA

TOTAL POINTS

84 / 100 pts

QUESTION 1

1	2 / 2 pts
QUESTION 2	
2	2 / 2 pts
QUESTION 3	
3	0 / 5 pts
QUESTION 4	
4	0 / 1 pt
QUESTION 5	
5	15 / 15 pts
5.1 a	10 / 10 pts
5.2 b	5 / 5 pts
QUESTION 6	
6	0 / 5 pts
QUESTION 7	
7	65 / 70 pts
7.1 a	25 / 25 pts
7.2 b	5 / 5 pts
7.3 c	10 / 10 pts
7.4 d	25 / 30 pts