

Confidentiality

It's just between you and me

Symmetric Encryption

- Both parties, Alice and Bob, share a secret **key** K
- Given a message M and a key K
 - ▶ M is known as the **plaintext** or **cleartext**, what we're trying to keep secret
 - ▶ Encrypt: $E(K, M) \rightarrow C$, C is known as the **ciphertext**
 - ▶ Decrypt: $D(K, C) \rightarrow M$
 - ▶ Attacker cannot derive M from C without K (or trying every K ...)
- E and D take the same key K , hence the name “symmetric” encryption
- Examples: AES, Blowfish, DES, RC4

One-Time Pad

- Generate a perfectly random stream of bits K
- $E(K, M) = M \oplus K$
- $D(K, C) = C \oplus K$ ($K \oplus K == 0$)
- “Perfect” secrecy
 - ▶ Informationally-theoretic secure: given C but not K , M could be anything!
 - ▶ Fast: XORing is cheap and fast
- Totally impractical
 - ▶ Need a very big key, same size as all data

Quiz: Two Time Pad

- You generate a perfectly random key K . You send two messages, M_1 and M_2 , encrypted with K ($C_1 = K \oplus M_1$, $C_2 = K \oplus M_2$). Does sending C_2 leak information about M_1 and M_2 ?

Quiz: Two Time Pad

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Yes. If an adversary Eve hears both C_1 and C_2 , she can reconstruct $M_1 \oplus M_2$. Recall that $C_1 = K \oplus M_1$, $C_2 = K \oplus M_2$. Therefore,

$$C_1 \oplus C_2 = (K \oplus M_1) \oplus (K \oplus M_2) = M_1 \oplus M_2$$

For example, if $M_1 = M_2$, then $C_1 = C_2$.

Called a “one time pad” for a reason!

Idea: Computational Security

- Distribute small K (e.g., 128 bits, 256 bits) securely
- Use K to encrypt much larger M
- Given $C = E(K, M)$, may be only one possible M
 - ▶ If M has redundancy
- But believed computationally intractable to find
 - ▶ Could try all possible K , but 2^{128} is a lot of work!

Ciphers

- Stream ciphers: pseudo-random pad
 - ▶ Generate a pseudo-random sequence of bits based on key
 - ▶ Encrypt/decrypt by XORing like one-time pad
 - ▶ BUT NOT A ONE-TIME PAD! Immediately mistrust anyone who says so!
 - ▶ Have run into many problems in practice, so I'd recommend avoiding them
 - Example: 802.11 WEP shown broken in ~2001, replaced by WPA in 2003, WPA2 in 2004
- Block ciphers
 - ▶ Operate on fixed sized blocks (64 bits, 128 bits, etc.)
 - ▶ Maps plaintext blocks to ciphertext blocks
 - ▶ Today, should use generally AES: many other algorithms

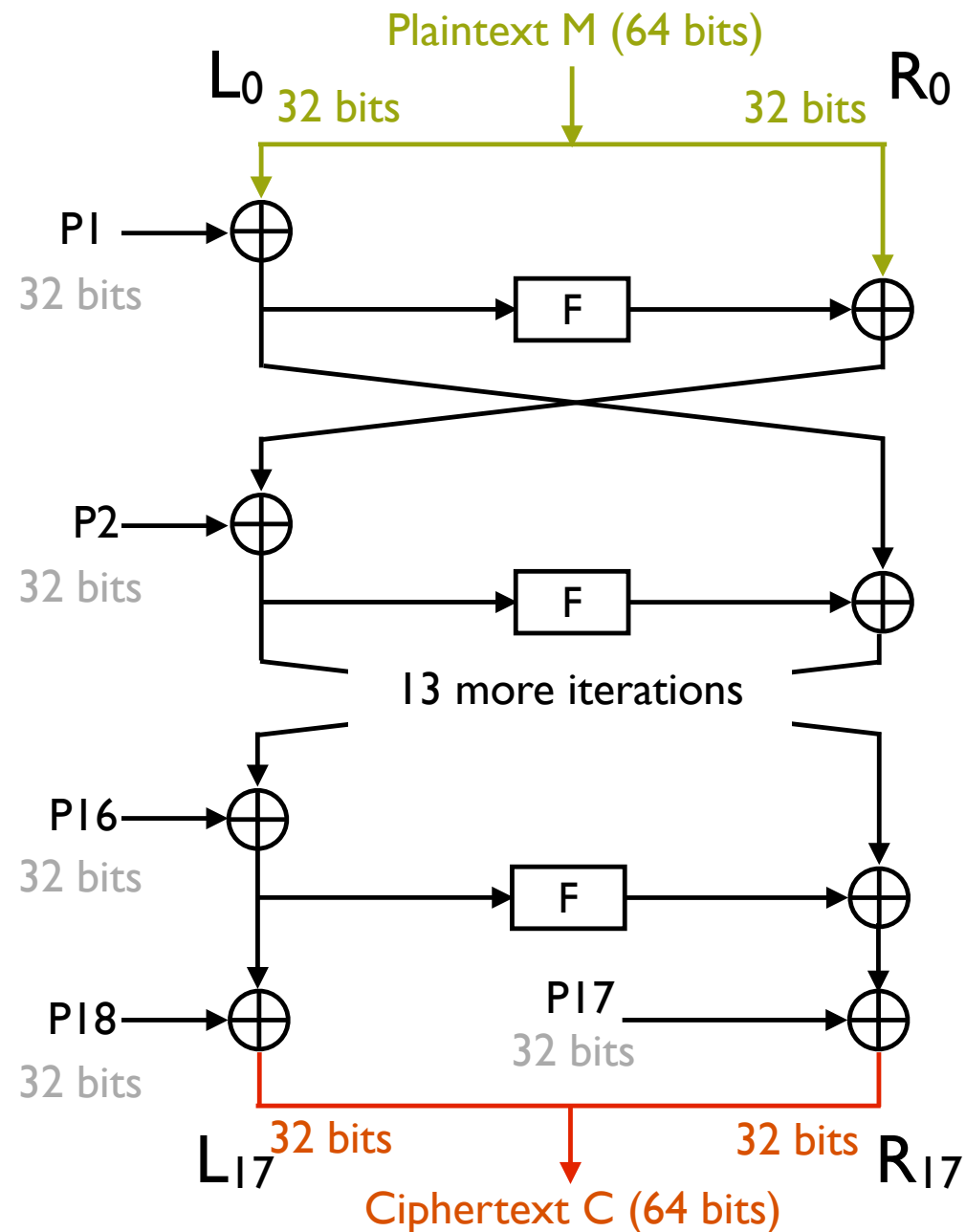
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WARNING: just giving a feel on how algorithms work, many details missing!
Don't try it this at home!

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Example Block Cipher: Blowfish



- Derive F and 18 subkeys ($P_1 \dots P_{18}$) from key
- Divide plaintext block into two halves, L_0 and R_0
 - $R_i = L_{i-1} \oplus P_i$
 - $L_i = R_{i-1} \oplus F(R_i)$
 - $R_{17} = L_{16} \oplus P_{17}$
 - $L_{17} = R_{16} \oplus P_{18}$
 - Output $L_{17}R_{17}$
- Not a complete description!

Block Cipher Quiz

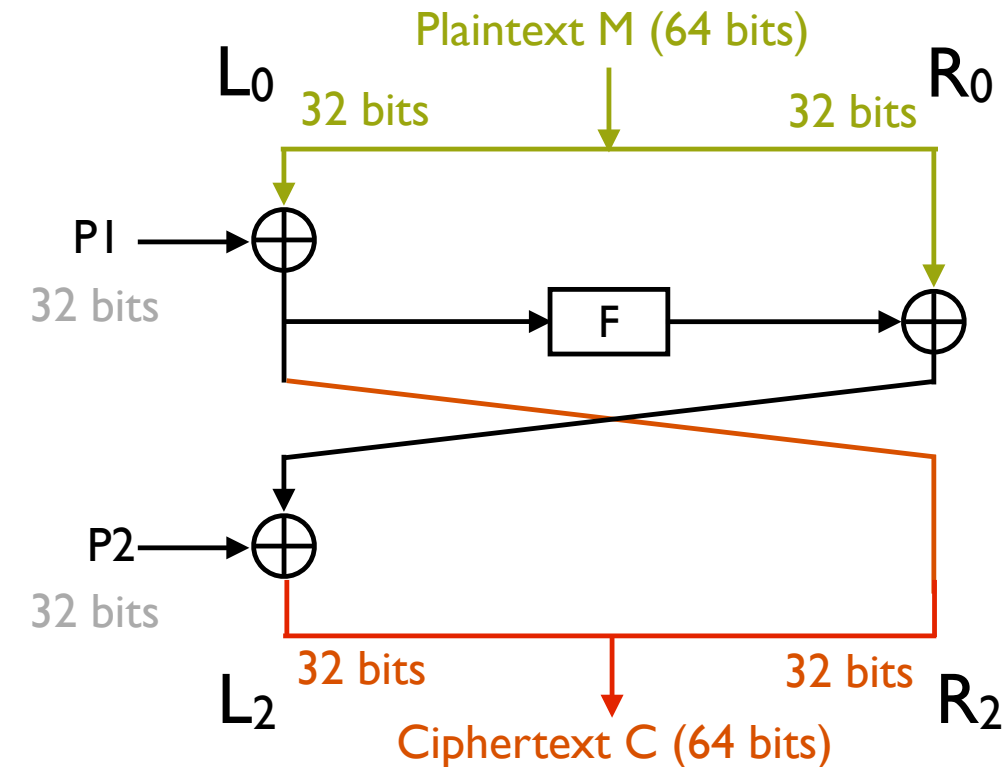
I didn't take CSI44, so I decide Blowfish is too slow and cut it to one iteration as on the left. I feed it two plaintext blocks. L_0 and L_2 are underlined.

The first plaintext block is $0x\underline{0000000000000000}$
producing ciphertext $0x\underline{4F072DBC}7B77DCA2$

The second ciphertext is $0x\underline{4F072DBC}90DCDC85$

What is the value of L_0 in the second plaintext block?

- a. EBAB0027
- b. 5414D8F7
- c. AA0A0072
- d. E6A30055
- e. E6A30057
- f. impossible to determine



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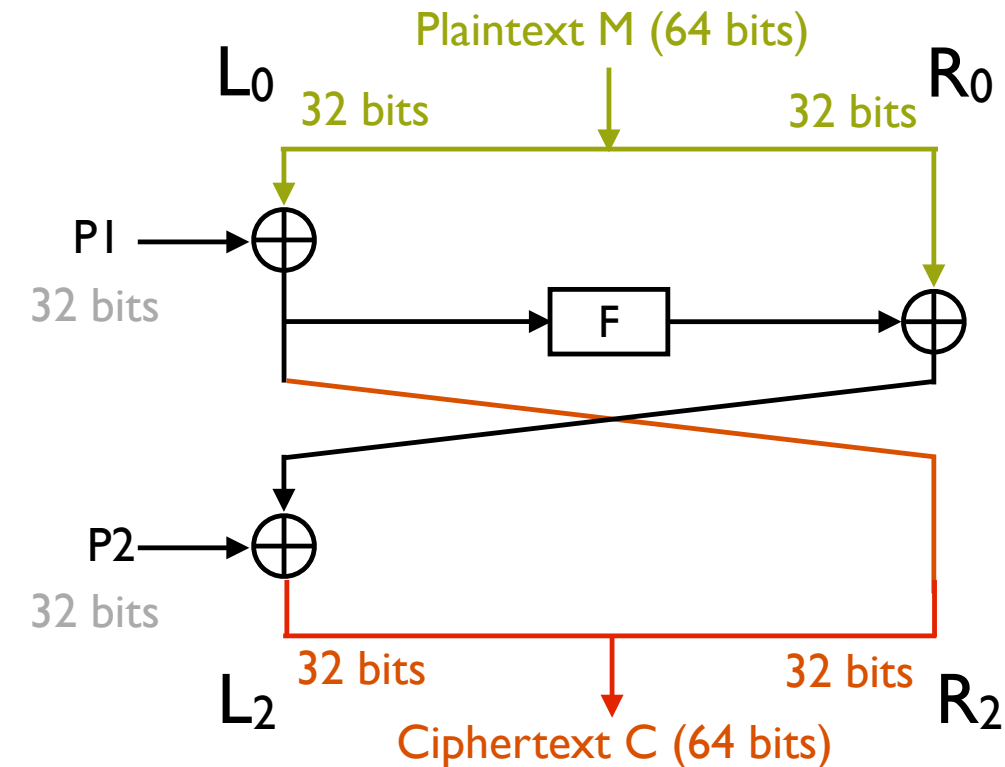
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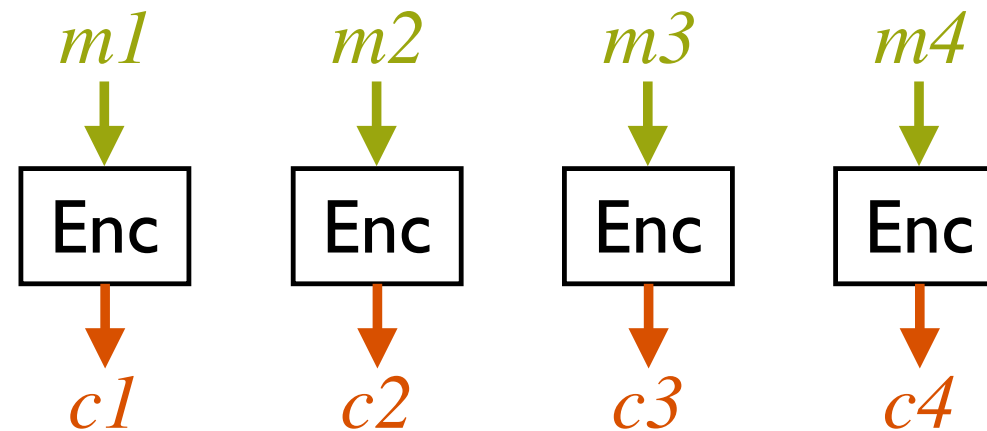
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- a. $0xEBAB0027$
- b. $0x5414D8F7$
- c. $0xAA0A0072$
- d. $0xE6A30025$
- e. $0xE6A30057$
- f. impossible to determine



Using Block Ciphers

- Messages are typically longer than one block
- ECB (electronic code book) mode
 - ▶ Break plaintext into blocks, encrypt each block separately



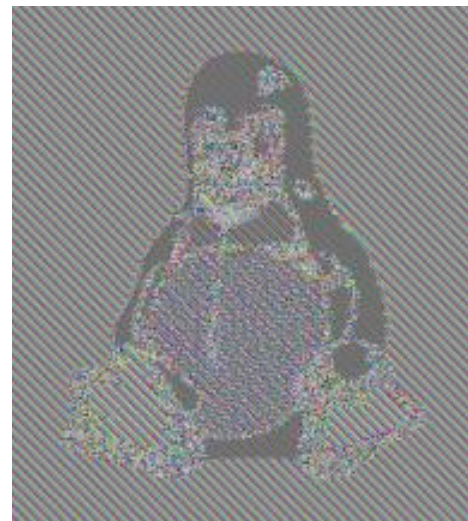
- ▶ Attacker can't decrypt any of the blocks; message secure
- ▶ Can re-use keys, every block encrypted with cipher will be secure

WRONG!

- Attacker will learn of repeated plaintext blocks
 - If transmitting a sparse file, will know where non-zero regions lie
- Example: military instructions
 - Most days, send encrypted “nothing to report”
 - One day, send “attack today”, attacker will know plans are being made



source

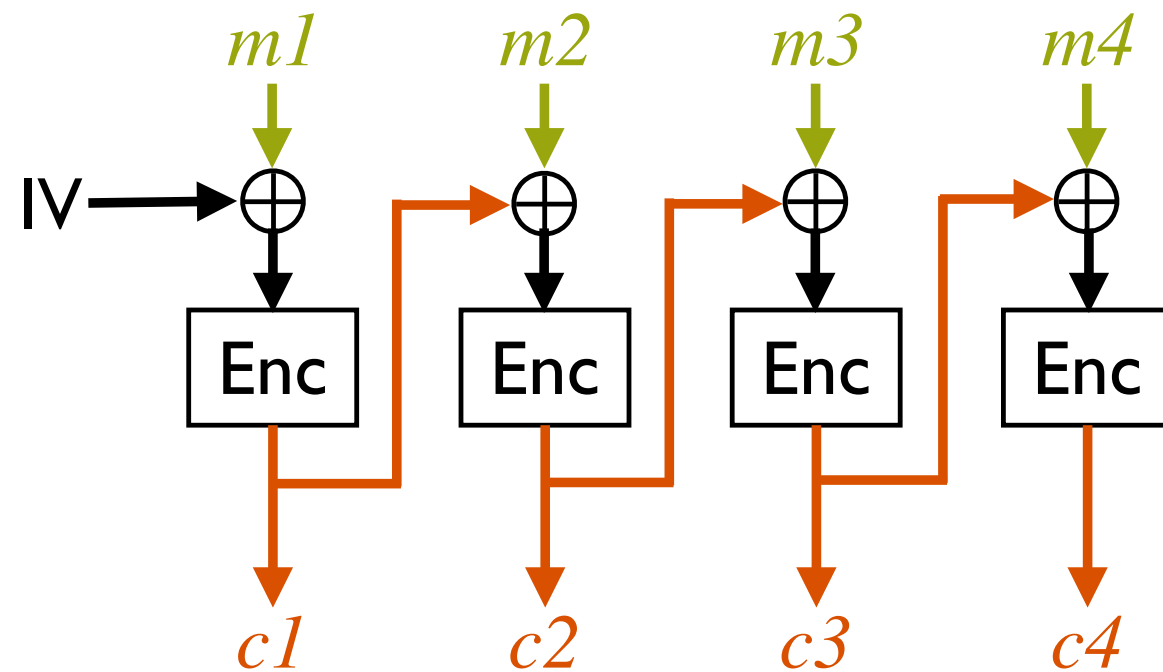


ECB



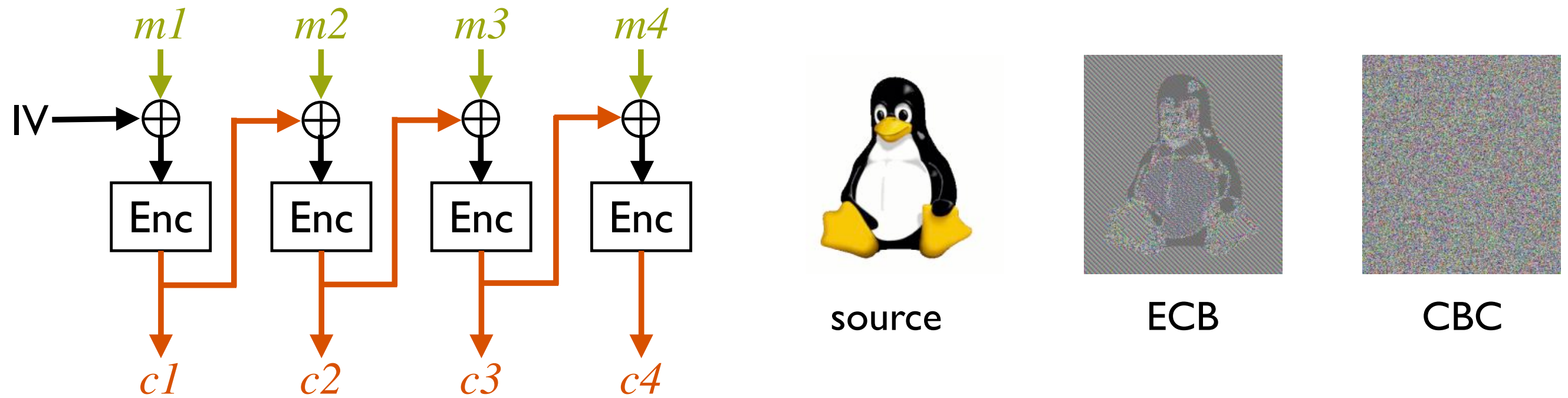
desired output

Cipher Block Chaining (CBC) Mode



- Choose initialization vector (IV) for each message, can be publicly known
 - Can be 0 iff key only ever used to encrypt one message
 - Choose randomly for each message if key re-used
- $C_1 = E(K, M_1 \oplus IV)$, $C_i = E(K, M_i \oplus C_{i-1})$

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Many Other Modes!

- Cipher Feedback (CFB) mode: $C_i = M_i \oplus E(K, C_{i-1})$
 - ▶ Useful for message that are not multiple of block size
- Output Feedback (OFB) mode
 - ▶ Repeatedly encrypt IV & use result like stream cipher
- Counter (CTR) mode: $C_i = M_i \oplus E(K, i)$
 - ▶ Useful if you want to encrypt in parallel
- Quiz: given a shared secret key, can you transmit files secured from adversaries over a network solely by encrypting them in CBC mode?

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