Linked List

Core Patterns Identified in This Chunk:

- 1. **Two Pointers** (with dummy node or fast/slow)
- 2. **Pointer Rewiring** (reversing, reordering, splitting linked lists)
- 3. Fast/Slow Pointers (cycle detection, middle finding)
- 4. **Dummy Node Technique** (clean traversal and manipulation)
- 5. Hash Map + Doubly Linked List (for LRU Cache advanced but critical)

Pattern 1: Two Pointers (with Dummy Node)

How to Recognize

- You're working with a **linked list** and need to traverse it efficiently.
- Common use cases:
 - Merging two sorted lists
 - Removing nodes from end (e.g., Nth from end)
 - Swapping adjacent nodes
- Look for phrases like:
 - "Remove the nth node from the end"
 - "Merge two sorted lists"
 - "Swap every two adjacent nodes"

Step-by-Step Thinking Process (Recipe)

- 1. Use a **dummy head** to avoid edge case handling (e.g., removing the first node).
- 2. Initialize two pointers: left and right.
- 3. Position them appropriately (e.g., right starts at head, left at dummy).
- 4. Move one pointer ahead by N steps (if needed).
- 5. Move both pointers until right reaches the end.

- 6. Now left.next is the node to remove/edit.
- 7. Perform the required operation (update next, reverse links, etc.).

Pitfalls & Edge Cases

- Forgetting to return dummy.next instead of head.
- Not handling empty list (head == None).
- Off-by-one errors when counting from end.
- Not updating prev correctly during rewiring.

Pattern 2: Fast/Slow Pointers (Floyd's Cycle Detection)

How to Recognize

- Problem asks about:
 - Finding the **middle** of a linked list.
 - Detecting a **cycle**.
 - Determining if a list has a loop.
- Key phrase: "find the middle", "detect cycle", "loop".

Step-by-Step Thinking Process (Recipe)

- 1. Initialize two pointers: slow = head, fast = head.
- 2. Move fast two steps per iteration, slow one step.
- 3. When fast hits the end (fast == None or fast.next == None), slow is at the middle.
- 4. For cycle detection:
 - If fast meets slow again \rightarrow cycle exists.
 - Otherwise, no cycle.

Pitfalls & Edge Cases

- fast might be None before fast.next, so check fast and fast.next.
- Don't forget to reset pointers after detecting cycle.
- In some variants (like reorder), you must reverse the second half properly.

Pattern 3: Pointer Rewiring (Manual Link Manipulation)

How to Recognize

- You're asked to:
 - Reverse a sublist.
 - Swap pairs.
 - Reorder nodes (odd/even split).
 - Split and merge lists.
- The solution requires manually changing .next pointers.

Step-by-Step Thinking Process (Recipe)

- 1. Use temporary variables to store references (prev, curr, nxt).
- 2. Traverse while saving next node before modifying current.
- 3. Update current.next = previous.
- 4. Move previous and current forward.
- 5. Be careful not to lose the chain.

Pitfalls & Edge Cases

- Losing reference to the rest of the list.
- Not returning the new head (especially after reversal).
- Misplacing prev or head after loops.

Pattern 4: Dummy Node Technique

How to Recognize

- You're doing operations that may affect the **head** of the list.
- Examples: insertion, deletion, merging.
- Avoids writing special logic for head changes.

Step-by-Step Thinking Process (Recipe)

- 1. Create a dummy node: dummy = ListNode(0).
- 2. Set dummy.next = head.
- 3. Use cur = dummy as the working pointer.
- 4. After all operations, return dummy.next.

Pitfalls & Edge Cases

- Forgetting to return dummy.next.
- Using dummy directly instead of dummy.next.

Pattern 5: Hash Map + Doubly Linked List (LRU Cache)

How to Recognize

- You're implementing an LRU (Least Recently Used) cache.
- Need to support get(key) and put(key, value) in O(1).
- Must maintain order of usage.

Step-by-Step Thinking Process (Recipe)

- 1. Use a hash map to store $\{\text{key: node}\}\$ for O(1) access.
- 2. Use a **doubly linked list** to maintain order:
 - Most recently used at front.
 - Least recently used at back.
- 3. On get:
 - If key exists \rightarrow move node to front.
 - Return value.
- 4. On put:
 - If key exists \rightarrow update and move to front.
 - Else add new node to front.
 - If size > capacity \rightarrow remove tail node.
- 5. Maintain helper methods: add_to_front(node), remove_node(node), pop_tail().

Pitfalls & Edge Cases

- Forgetting to remove old node before adding new one.
- Not updating hash map on removal.
- Handling empty cache.
- Double-checking self.capacity vs actual size.

1. Merge Two Sorted Lists

Problem Summary

You are given two **sorted linked lists**, and you need to merge them into a single sorted linked list.

- Input: Two ListNode heads (list1, list2)
- Output: A new sorted linked list containing all nodes from both input lists.

```
Example: list1 = [1,2,4], list2 = [1,3,4] \rightarrow merged = [1,1,2,3,4,4]
```

Pattern(s)

• Two Pointers (with Dummy Node)

Solution with Inline Comments

```
class ListNode:
    def __init__(self, val=0, next=None):
        self.val = val
        self.next = next
def mergeTwoLists(list1, list2):
   # Create a dummy node to simplify pointer management
   dummy = ListNode(0)
   # 'tail' points to the last node in merged list
   tail = dummy
    # While both lists are non-empty
    while list1 and list2:
        # Compare values; attach smaller one
        if list1.val < list2.val:</pre>
            tail.next = list1
            list1 = list1.next
            tail.next = list2
            list2 = list2.next
        # Move tail forward
```

```
tail = tail.next
    # Attach remaining nodes (one list might be non-empty)
    if list1:
        tail.next = list1
    elif list2:
        tail.next = list2
    # Return the merged list (skip dummy)
    return dummy.next
# ---- Official LeetCode Example ----
if __name__ == "__main__":
   # Example Input: list1 = [1,2,4], list2 = [1,3,4]
   11 = ListNode(1, ListNode(2, ListNode(4)))
   12 = ListNode(1, ListNode(3, ListNode(4)))
   # Call function
   merged = mergeTwoLists(11, 12)
   # Output: [1,1,2,3,4,4]
   result = []
   while merged:
        result.append(merged.val)
        merged = merged.next
   print("Output:", result) # Output: [1, 1, 2, 3, 4, 4]
```

Step-by-Step Code Walkthrough

```
class ListNode:
    def __init__(self, val=0, next=None):
        self.val = val
        self.next = next
```

What is ListNode?

A simple node in a singly linked list: - val: stores the value. - next: points to the next node (or None if it's the last).

Function Definition

```
def mergeTwoLists(list1, list2):
```

This function takes two head nodes of sorted linked lists and returns the head of the merged sorted list.

1. Create a Dummy Node

```
dummy = ListNode(0)
tail = dummy
```

- Why? To avoid handling edge cases like empty lists or inserting the first node.
- dummy is a **fake head** that helps us build the result without worrying about where the real head goes.
- tail keeps track of the last node we added so we can append new nodes easily.

Think of dummy as a "placeholder" at the front. The actual result starts at dummy.next.

2. While Both Lists Are Non-Empty

while list1 and list2:

We compare the current values of both lists.

Compare & Attach Smaller Value

```
if list1.val < list2.val:
    tail.next = list1
    list1 = list1.next
else:
    tail.next = list2
    list2 = list2.next</pre>
```

- If list1.val < list2.val, attach list1 to tail.next.
- Then move list1 forward (list1 = list1.next).
- Otherwise, do the same for list2.

This ensures the merged list stays sorted.

Move tail Forward

```
tail = tail.next
```

After attaching a node, update tail to point to the newly added node.

Now tail will be ready to receive the next node.

3. Handle Remaining Nodes

```
if list1:
    tail.next = list1
elif list2:
    tail.next = list2
```

At this point, one of the lists is exhausted. But the other may still have remaining nodes.

Since both lists were already sorted, we can just **append the rest** of the non-empty list directly.

No need to compare anymore!

4. Return Merged List

```
return dummy.next
```

- dummy.next is the first real node in our merged list.
- We skip the dummy node because it was only used for convenience.

Example Execution: [1,2,4] and [1,3,4]

Let's trace this manually:

Initial State:

```
list1: 1 \rightarrow 2 \rightarrow 4 \rightarrow \text{None}
list2: 1 \rightarrow 3 \rightarrow 4 \rightarrow \text{None}
dummy: 0 \rightarrow ?
tail \rightarrow points to dummy
```

Iteration 1: list1.val == 1, list2.val == 1

- Equal \rightarrow go to else: attach list2
- tail.next = list2 \rightarrow now tail points to first 1 from list2
- Move list2 \rightarrow list2 now points to 3
- Move tail \rightarrow now tail points to the first 1 (from list2)

Current merged: $0 \rightarrow 1$ (from list2), then $1 \rightarrow 3 \rightarrow 4$

Iteration 2: list1.val == 1, list2.val == 3

- 1 < 3 \rightarrow attach list1
- tail.next = list1 \rightarrow add second 1
- Move list1 \rightarrow now list1 points to 2
- Move tail \rightarrow now tail points to this 1

Merged: $0 \rightarrow 1 \rightarrow 1 \rightarrow 2 \rightarrow \dots$

Iteration 3: list1.val == 2, list2.val == 3

- 2 < 3 \rightarrow attach list1
- Add 2, move list1 \rightarrow now list1 points to 4
- Move tail

Merged: $0 \rightarrow 1 \rightarrow 1 \rightarrow 2 \rightarrow 3 \rightarrow \dots$

Iteration 4: list1.val == 4, list2.val == 3

- 4 > 3 \rightarrow attach list2
- Add 3, move list2 \rightarrow now list2 points to 4
- Move tail

Merged: ... \rightarrow 3 \rightarrow 4

Iteration 5: list1.val == 4, list2.val == 4

- Equal → attach list2 (arbitrary choice due to else)
- Add 4, move list2 \rightarrow now list2 is None
- Move tail

Now list 2 is done.

Exit Loop: list1 still has 4, list2 is None

So we run:

```
if list1:
   tail.next = list1
```

 \rightarrow Append remaining 4 from list1.

Final merged list:

```
0 \rightarrow 1 \rightarrow 1 \rightarrow 2 \rightarrow 3 \rightarrow 4 \rightarrow 4 \rightarrow None
```

Return dummy.next \rightarrow which is the first 1.

Final Output

```
result = []
while merged:
    result.append(merged.val)
    merged = merged.next
print("Output:", result) # [1, 1, 2, 3, 4, 4]
```

Matches expected output.

Key Insights

Feature	Purpose
dummy node	Avoids special case handling for the first insertion
tail pointer	Keeps track of where to append next node
Linear traversal	O(m + n) time complexity, optimal
Stable merge	Equal elements handled correctly (e.g., $1 == 1$)

Time & Space Complexity

- Time: O(m + n) each node visited once.
- Space: O(1) only using pointers, not extra data structures (excluding output).

Note: The returned list uses new nodes (not modifying inputs), so it's **not** in-place.

Summary

The algorithm elegantly merges two sorted linked lists using: - A dummy head to simplify logic, - A two-pointer technique, - And direct appending of leftovers.

Pro Tip: Always consider using a dummy node when building linked lists dynamically — it reduces code complexity and avoids edge-case bugs!

2. Linked List Cycle

Problem Overview

We are given a singly linked list and need to determine if it contains a **cycle** — meaning some node points back to a previous node, forming a loop.

- If there is a cycle \rightarrow return True
- If no cycle \rightarrow return False

The algorithm uses **two pointers**: - slow: moves 1 step at a time - fast: moves 2 steps at a time

If there is a cycle, the fast pointer will eventually "lap" the slow pointer inside the loop.

Pattern(s)

• Fast/Slow Pointers

Solution with Inline Comments

```
class ListNode:
    def __init__(self, val=0, next=None):
        self.val = val
        self.next = next
def hasCycle(head):
   # Handle empty list
    if not head or not head.next:
        return False
   # Initialize slow and fast pointers
   slow = head
   fast = head
   # Move slow by 1 step, fast by 2 steps
    while fast and fast.next:
        slow = slow.next
        fast = fast.next.next
        # If they meet, there's a cycle
        if slow == fast:
           return True
   # If fast reaches end, no cycle
    return False
# ---- Official LeetCode Example ----
if __name__ == "__main__":
   # Example Input: head = [3,2,0,-4], pos = 1 (cycle to node with value 2)
   # Create nodes
   node0 = ListNode(3)
   node1 = ListNode(2)
   node2 = ListNode(0)
   node3 = ListNode(-4)
   # Link them
   node0.next = node1
   node1.next = node2
   node2.next = node3
   node3.next = node1 # creates cycle back to node1 (pos=1)
```

```
# Check for cycle
print("Has Cycle:", hasCycle(node0)) # Output: True
```

Step-by-Step Code Walkthrough

1. Define the ListNode Class

```
class ListNode:
    def __init__(self, val=0, next=None):
        self.val = val
        self.next = next
```

This defines a node with a value (val) and a reference to the next node (next).

2. The hasCycle(head) Function

Handle Edge Cases

```
if not head or not head.next:
    return False
```

- If the list is empty (head is None) or has only one node, it cannot form a cycle.
- So we return False.

This avoids unnecessary processing.

Initialize Pointers

```
slow = head
fast = head
```

Both pointers start at the beginning of the list.

Loop: Move Pointers

```
while fast and fast.next:
    slow = slow.next
    fast = fast.next.next
```

- slow moves one step forward.
- fast moves two steps forward.
- We check fast and fast.next to ensure fast.next exists before accessing fast.next.next.

Why check fast.next? Because fast.next.next would cause an error if fast.next is None.

Check for Meeting Point

```
if slow == fast:
    return True
```

- If the two pointers meet at any point, that means there is a cycle.
- This is because the fast pointer is moving faster and can only catch up to the slow pointer if they're both in a loop.

Key Insight: In a cycle, the fast pointer will eventually "lap" the slow pointer.

No Cycle Detected

return False

• If fast reaches the end (fast is None or fast.next is None), then there's no cycle.

Example Walkthrough

Given Input:

head =
$$[3, 2, 0, -4]$$
, pos = 1

That means: - Node 0: $3 \rightarrow$ points to node 1 - Node 1: $2 \rightarrow$ points to node 2 - Node 2: $0 \rightarrow$ points to node 3 - Node 3: $-4 \rightarrow$ points back to **node 1** (i.e., cycle starts at index 1)

So the structure looks like:

$$3 \rightarrow 2 \rightarrow 0 \rightarrow -4$$
 \uparrow

Now let's simulate the algorithm.

Simulation Step-by-Step

Step	slow	fast	Notes
Start	node0 (3)	node0 (3)	Both start at head
1	node1 (2)	node2 (0)	slow: $+1$, fast: $+2$
2	node2 (0)	node1 (2)	slow: $+1$, fast: $+2$ (from node2 \rightarrow node3 \rightarrow node1)
3	node3 (-4)	node2 (0)	slow: $+1$, fast: $+2$ (node1 \rightarrow node2 \rightarrow node3)
4	node1 (2)	node1 (2)	slow: $+1 \text{ (node3} \rightarrow \text{node1)}$, fast: $+2 \text{ (node2} \rightarrow \text{node3} \rightarrow \text{node1)}$

At step 4, slow == fast \rightarrow both are at node1.

They meet! \rightarrow Return True

Final Output

Has Cycle: True

Which matches expected behavior.

Why Does This Work?

- In a non-cyclic list: fast will reach the end first \rightarrow loop exits \rightarrow return False.
- In a **cyclic** list: **fast** runs in a loop and will eventually catch up to **slow** (since it's faster).
- The meeting point doesn't matter just the fact that they meet proves a cycle exists.

Time Complexity: O(n) – worst case, fast goes around the loop a few times.

Space Complexity: O(1) – only two pointers used.

Summary

Feature	Explanation
Algorithm	Floyd's Cycle Detection (Tortoise & Hare)
Logic	Fast pointer moves twice as fast; if they meet, cycle exists
Efficiency	Optimal: $O(n)$ time, $O(1)$ space
Use Case	Detecting cycles in linked lists (LeetCode #141)

3. Reverse Linked List

1. Summary

Reverse a singly linked list by changing the direction of the next pointers so that the last node becomes the first, and the original head becomes the tail.

2. Pattern(s)

- Pointer Rewiring (Primary)
- Iterative Traversal with State Tracking

This problem teaches how to safely reverse links without losing access to the rest of the list.

3. Solution with Inline Comments

```
class ListNode:
   def __init__(self, val=0, next=None):
       self.val = val
       self.next = next
def reverseList(head):
   Reverses a singly linked list iteratively.
   Time: O(n), Space: O(1)
   Returns new head of the reversed list.
   prev = None  # Will become the new head at the end
   curr = head  # Current node we are processing
   while curr: # Traverse until we reach the end
       nxt = curr.next # 1:Save the next node (don't lose the rest!)
       curr.next = prev # 2:Reverse the link (point backward)
       prev = curr # 3:Move prev forward (curr becomes part of reversed part)
       curr = nxt # 4:Move curr to the next node
   return prev # At the end, prev points to the last node → new head
```

4. Example Code Walkthrough (Easy & Visual)

Let's reverse: $1 \rightarrow 2 \rightarrow 3 \rightarrow \text{null}$

We'll go step by step, showing what each pointer does.

Initial State:

```
prev = None

curr = 1 \rightarrow 2 \rightarrow 3 \rightarrow \text{null}
```

Step 1: Process Node 1

```
nxt = curr.next → nxt points to 2
curr.next = prev → 1 now points to None (reverse!)
prev = curr → prev moves to 1
curr = nxt → curr moves to 2
```

After Step 1:

```
prev \rightarrow 1 \rightarrow None
curr \rightarrow 2 \rightarrow 3 \rightarrow null
List so far: 1 is reversed; 2 and 3 still forward
```

Step 2: Process Node 2

```
nxt = curr.next → nxt points to 3
curr.next = prev → 2 now points to 1
prev = curr → prev moves to 2
curr = nxt → curr moves to 3
```

After Step 2:

```
prev → 2 → 1 → None

curr → 3 → null

List so far: 2→1 is reversed; 3 still forward
```

Step 3: Process Node 3

After Step 3:

```
prev \rightarrow 3 \rightarrow 2 \rightarrow 1 \rightarrow null curr = None \rightarrow exit loop
```

Final Result:

```
return prev → returns 3 (the new head)
List is reversed: 3 → 2 → 1 → null
```

5. Time and Space Complexity

Metric	Value	Explanation
Time Complexity Space Complexity	O(n) O(1)	We visit each node exactly once Only use 3 variables (prev, curr, nxt) — no extra data structures

This is optimal — can't do better than O(n) time or O(1) space.

Bonus: Interview Tips

- Say this aloud:
 - "I'll reverse the list by rewiring each node to point to its previous node, using three pointers to do it safely."
- Clarify edge cases:
 - If head is None or head.next is None, return head but our code already handles this naturally.
- Visualize as you code:

Draw prev → curr → nxt on paper or whiteboard.

• Mention the recursive version briefly (if asked):

```
def reverseListRecursive(head):
    if not head or not head.next:
        return head
    new_head = reverseListRecursive(head.next)
    head.next.next = head
    head.next = None
    return new_head
```

- Time: O(n), Space: O(n) due to call stack.
- Practice until muscle memory:

You should be able to write this in under 2 minutes — it's a warm-up question!

4. Middle of the Linked List

Problem Statement: Middle of the Linked List

Given the head of a singly-linked list, return the middle node of the linked list.

If there are two middle nodes (even number of nodes), return the second middle node.

Sample Input & Output

Example 1:

```
Input: [1, 2, 3, 4, 5]
Output: Node with value 3
```

Explanation: The middle node is 3.

Example 2:

```
Input: [1, 2, 3, 4, 5, 6]
Output: Node with value 4
```

Explanation: There are two middle nodes: 3 and 4. Return the second one \rightarrow 4.

Approach: Two Pointers (Slow and Fast)

We use the "Tortoise and Hare" technique: - slow pointer moves 1 step at a time. - fast pointer moves 2 steps at a time. - When fast reaches the end, slow will be at the middle.

Why does this work?

By the time the fast pointer has gone the full length (n), the slow pointer has gone half (n/2).

Clean Code with Detailed Comments

```
# Definition for a singly-linked list node
class ListNode:
    def __init__(self, val=0, next=None):
        self.val = val
        self.next = next
def middleNode(head):
    11 11 11
    Find the middle node of a linked list using slow and fast pointers.
```

```
Args:
    head: ListNode - The head of the linked list

Returns:
    ListNode - The middle node of the list
"""

# Initialize both pointers at the head
slow = head
fast = head

# Traverse: move slow by 1 step, fast by 2 steps
while fast and fast.next:
    slow = slow.next  # 1 step forward
    fast = fast.next.next  # 2 steps forward

# When fast reaches the end, slow is at the middle
return slow
```

Example Walkthrough

Example 1: $[1 \rightarrow 2 \rightarrow 3 \rightarrow 4 \rightarrow 5]$

Step	slow (1 step)	fast (2 steps)	fast.next check
0	1	1	Continue
1	2	3	Continue
2	3	5	$fast.next = None \rightarrow Stop$

Loop ends \rightarrow slow is at $\mathbf{3} \rightarrow$ Correct middle.

Example 2: $[1 \to 2 \to 3 \to 4 \to 5 \to 6]$

Step	slow	fast	fast.next check
0	1	1	yes

Step	slow	fast	fast.next check
1	2	3	yes
2	3	5	yes
3	4	None	Loop stops

slow ends at $4 \rightarrow$ Second middle (as required) \rightarrow Correct!

Time and Space Complexity

Metric	Value	Explanation
Time Complexity	O(n)	We traverse the list once with the fast
Space Complexity	O(1)	pointer. Only two pointers used — constant extra
		space.

Optimal: No need to store values or traverse twice.

Key Takeaways for Interviews

- 1. Two-pointer technique is essential for linked list problems.
- 2. This method avoids:
 - Counting total nodes and looping again.
 - Using extra memory (like storing nodes in an array).
- 3. Handles odd and even lengths naturally.
- 4. Always check fast and fast.next to avoid None.next error.
- 5. Great pattern to know for:
 - Finding cycles (Floyd's Algorithm)
 - Reversing second half of list
 - Palindrome check in linked list

Bonus: How to Test It

5. LRU Cache

Summary

Implement an LRU cache with get(key) and put(key, value) in O(1).

Pattern(s)

• Hash Map + Doubly Linked List

Solution with Inline Comments

```
class DListNode:
    def __init__(self, key=0, val=0):
        self.key = key
        self.val = val
        self.prev = None
        self.next = None

class LRUCache:
```

```
def __init__(self, capacity: int):
   self.capacity = capacity
   self.cache = {} # maps key -> DListNode
   self.head = DListNode() # dummy head
   self.tail = DListNode() # dummy tail
   self.head.next = self.tail
   self.tail.prev = self.head
def _add_node(self, node):
   """Insert node right after head (most recent)"""
   node.prev = self.head
   node.next = self.head.next
   self.head.next.prev = node
   self.head.next = node
def _remove_node(self, node):
   """Remove node from list"""
   node.prev.next = node.next
   node.next.prev = node.prev
def _move_to_head(self, node):
   """Move existing node to head (most recent)"""
   self._remove_node(node)
   self._add_node(node)
def _pop_tail(self):
   """Remove and return tail node (least recent)"""
   node = self.tail.prev
   self._remove_node(node)
   return node
def get(self, key: int) -> int:
   if key not in self.cache:
       return -1
   node = self.cache[key]
   self._move_to_head(node)
   return node.val
def put(self, key: int, value: int) -> None:
   if key in self.cache:
       # Update existing node
       node = self.cache[key]
```

```
node.val = value
            self._move_to_head(node)
       else:
           # New node
           node = DListNode(key, value)
           self.cache[key] = node
            self._add_node(node)
           # If over capacity, remove least recent
            if len(self.cache) > self.capacity:
               removed = self._pop_tail()
               del self.cache[removed.key]
# ---- Official LeetCode Example ----
if __name__ == "__main__":
   # Initialize cache with capacity 2
   lru = LRUCache(2)
   # Operations
   lru.put(1, 1)
   lru.put(2, 2)
   print("Get 1:", lru.get(1)) # Output: 1
   lru.put(3, 3) # Removes key 2
   print("Get 2:", lru.get(2)) # Output: -1
   lru.put(4, 4) # Removes key 1
   print("Get 1:", lru.get(1)) # Output: -1
   print("Get 3:", lru.get(3)) # Output: 3
   print("Get 4:", lru.get(4)) # Output: 4
```

Problem Overview: LRU Cache

- LRU (Least Recently Used): When cache is full, remove the least recently used item.
- Supports:

```
get(key) → returns value if key exists, else -1
put(key, value) → inserts or updates key-value pair
```

• Must maintain order of usage (most recent at front, least recent at end)

We use a doubly linked list + hash map (dictionary) for O(1) operations.

Data Structures Used

```
class DListNode:
    def __init__(self, key=0, val=0):
        self.key = key
        self.val = val
        self.prev = None
        self.next = None
```

Each node stores key, value, and pointers to previous/next nodes.

```
class LRUCache:
    def __init__(self, capacity: int):
        self.capacity = capacity
        self.cache = {} # maps key -> DListNode
        self.head = DListNode() # dummy head
        self.tail = DListNode() # dummy tail
        self.head.next = self.tail
        self.tail.prev = self.head
```

- cache: fast lookup via key \rightarrow node
- head and tail: dummy nodes to simplify insertion/removal
- List structure: head node1 node2 ... tail

Key Helper Methods

1. _add_node(node)

Inserts a new node **right after head** (i.e., most recently used).

```
def _add_node(self, node):
   node.prev = self.head
   node.next = self.head.next
   self.head.next.prev = node
   self.head.next = node
```

Example:

```
Before: head \rightarrow A \rightarrow B \rightarrow tail
After adding X: head \rightarrow X \rightarrow A \rightarrow B \rightarrow tail
```

Places the node at the front (most recent)

2. _remove_node(node)

Removes a node from the list.

```
def _remove_node(self, node):
   node.prev.next = node.next
   node.next.prev = node.prev
```

Breaks the links around node. Useful when moving or deleting.

3. _move_to_head(node)

Moves an existing node to the front (most recent).

```
def _move_to_head(self, node):
    self._remove_node(node)
    self._add_node(node)
```

Reuse helper functions to efficiently update position.

4. _pop_tail()

Removes the least recently used node (just before tail).

```
def _pop_tail(self):
   node = self.tail.prev
   self._remove_node(node)
   return node
```

Returns the node so we can delete it from cache.

Core Operations

get(key)

```
def get(self, key: int) -> int:
    if key not in self.cache:
        return -1
    node = self.cache[key]
    self._move_to_head(node)
    return node.val
```

- If not found \rightarrow return -1
- If found \rightarrow move to front (mark as recently used), return value

put(key, value)

```
def put(self, key: int, value: int) -> None:
    if key in self.cache:
        # Update existing node
        node = self.cache[key]
        node.val = value
        self._move_to_head(node)
    else:
        # New node
```

```
node = DListNode(key, value)
self.cache[key] = node
self._add_node(node)

# If over capacity, remove least recent
if len(self.cache) > self.capacity:
    removed = self._pop_tail()
    del self.cache[removed.key]
```

- If key exists: update value, move to front
- Else: create new node, add to front
- If size exceeds capacity: remove tail (least recent), delete from cache

Example Walkthrough

```
Initial state:
head tail
cache = {}

Step 1: lru.put(1, 1)

• New key 1, value 1
• Create node: DListNode(1, 1)
• Add to front: head → [1] → tail
• cache = {1: node_1}

List: head 1 tail
Cache: {1: node_1}
```

Step 2: 1ru.put(2, 2)

- New key 2, value 2
- Create node: DListNode(2, 2)
- Add to front: head → [2] → [1] → tail
- cache = {1: node_1, 2: node_2}

List: head 2 1 tail

Cache: {1: node_1, 2: node_2}

Step 3: print("Get 1:", lru.get(1))

- Key 1 exists \rightarrow get node
- Move 1 to front: remove 1, insert after head
- Now: head 1 2 tail
- Return 1

Output: 1

Step 4: 1ru.put(3, 3)

- Key 3 not in cache \rightarrow new entry
- Create DListNode(3, 3)
- Add to front: head \rightarrow 3 \rightarrow 1 \rightarrow 2 \rightarrow tail
- Now cache has 3 entries \rightarrow over capacity (max 2)
- Remove least recent: tail's prev = 2
- Remove 2 from list and cache

Final state: - List: head 3 1 tail - Cache: {3: node_3, 1: node_1}

2 is evicted!

Output: Get 2: \rightarrow -1 (because 2 was removed)

Step 5: lru.put(4, 4)

- Key 4 not in cache \rightarrow new entry
- Add 4 to front: head \rightarrow 4 \rightarrow 3 \rightarrow 1 \rightarrow tail
- Size now $3 \rightarrow$ must remove least recent (1)
- Remove 1 from list and cache

```
Final state: - List: head 4 3 tail - Cache: {4: node_4, 3: node_3}

1 is gone!
```

Final Queries:

```
print("Get 1:", lru.get(1)) # -1 (not in cache)
print("Get 3:", lru.get(3)) # 3 (was recently accessed)
print("Get 4:", lru.get(4)) # 4
```

Output:

Get 1: 1
Get 2: -1
Get 1: -1
Get 3: 3
Get 4: 4

Wait — there's a small discrepancy in expected output.

Let's correct the actual expected outputs based on logic:

Operation	Ou	tput
get(1) after put(1,1) and put(2,2) get(2) after put(3,3) get(1) after put(4,4) get(3) get(4)		(evicted) (evicted)

So final printout should be:

Get 1: 1
Get 2: -1
Get 1: -1
Get 3: 3
Get 4: 4

Matches expected behavior.

Summary: How It Works

Feature	Implementation
Fast lookup	Hashmap (cache)
Order tracking	Doubly linked list
Most recent	At front (head.next)
Least recent	Just before tail
Insertion	At front
Removal	From tail when full
Update	Move existing node to front

Time Complexity

- get() \rightarrow O(1)
- put() \rightarrow O(1)
- All operations are constant time due to hash map + double linked list.

Why This Design?

- Hash map: O(1) access to any node
- Doubly linked list: O(1) insertion/deletion anywhere
- Dummy nodes eliminate edge cases (e.g., empty list)

This is the **standard optimal solution** for LRU Cache on LeetCode.

Pro Tips

- Always use dummy head/tail to avoid null checks
- Keep cache mapping key → node (so you don't need to search the list)
- When updating a key, move it to head to mark as recently used
- When inserting a new key, add to head, then evict tail if needed

6. Remove Nth Node From End of List

Problem Overview

Given a linked list and an integer n, remove the n-th node from the end of the list.

```
For example: - Input: [1,2,3,4,5], n = 2 - The 2nd node from the end is 4 - Output: [1,2,3,5]
```

Pattern(s)

• Two Pointers + Dummy Node

Solution with Inline Comments

```
class ListNode:
    def __init__(self, val=0, next=None):
        self.val = val
        self.next = next

def removeNthFromEnd(head, n):
    # Dummy node helps handle edge case: removing head
    dummy = ListNode(0)
    dummy.next = head

# Left and right pointers
left = dummy
right = head

# Move right n steps ahead
```

```
for _ in range(n):
        right = right.next
    # Move both until right reaches end
    while right:
        left = left.next
        right = right.next
    # Now left.next is the node to remove
    left.next = left.next.next
    # Return new head
    return dummy.next
# ---- Official LeetCode Example ----
if __name__ == "__main__":
   # Example Input: head = [1,2,3,4,5], n = 2
   head = ListNode(1, ListNode(2, ListNode(3, ListNode(4, ListNode(5)))))
    # Remove 2nd from end → remove 4
   new_head = removeNthFromEnd(head, 2)
    # Output: [1,2,3,5]
   result = []
    while new_head:
        result.append(new_head.val)
        new_head = new_head.next
    print("Output:", result) # Output: [1, 2, 3, 5]
```

Key Idea: Two Pointers (Fast & Slow)

We use two pointers: - left starts at a dummy node. - right starts at the head.

We move right ahead by n steps first. Then we move both pointers together until right reaches the end (None). At that point, left will be just before the node to delete.

This way, we can easily bypass the target node using left.next = left.next.next.

Why Use a Dummy Node?

To handle edge cases like removing the **head** of the list.

Without a dummy: - If you try to remove the first node (i.e., when n == length), there's no "previous" node to update.

With a dummy: - The dummy acts as a fake head. - You always have a valid left pointer pointing to the node before the one to remove. - Even if you're removing the actual head, dummy.next will correctly point to the new head.

Step-by-Step Execution with Example

Input:

```
head = [1,2,3,4,5], n = 2
```

So the linked list looks like:

```
1 \rightarrow 2 \rightarrow 3 \rightarrow 4 \rightarrow 5 \rightarrow None
```

Step 1: Create Dummy Node

```
Now: - left = dummy (at 0) - right = head (at 1)
```

Step 2: Move right ahead by n = 2 steps

```
Loop: for _ in range(2) - After 1st iteration: right = 2 - After 2nd iteration: right = 3
```

```
Now: - left = dummy (still at 0) - right = 3 (node with value 3)
```

Step 3: Move both pointers until right hits None

While right is not None: - Move both left and right one step forward.

Iteration 1:

• left = 1, right = 4

Iteration 2:

• left = 2, right = 5

Iteration 3:

• left = 3, right = None \rightarrow loop ends

Now: - left is at node 3 - right is None

So left.next is the node to remove — which is 4.

Step 4: Remove the Node

```
left.next = left.next.next
```

That means:

```
# left.next was 4 → 5
# left.next is 5
# So now: left.next becomes 5
```

So the list becomes:

dummy \rightarrow 1 \rightarrow 2 \rightarrow 3 \rightarrow 5 \rightarrow None

Step 5: Return dummy.next

Return dummy.next, which is 1.

So final result: [1, 2, 3, 5]

Final Output

```
print("Output:", result) # Output: [1, 2, 3, 5]
Correct!
```

Time & Space Complexity

Metric	Complexity
Time	(),
Space	O(1), only using constant extra space

Very efficient!

Edge Case Check: Removing Head

Try n = 5 (remove 5th from end \rightarrow first node):

- right moves 5 steps: goes from $1 \rightarrow 2 \rightarrow 3 \rightarrow 4 \rightarrow 5 \rightarrow \mathtt{None}$
- Now right is None, so the while loop doesn't run.
- left still points to dummy
- Then: left.next = left.next.next \rightarrow removes 1
- Return dummy.next \rightarrow which is 2

Works perfectly!

Summary

- Algorithm: Two-pointer technique with a dummy node.
- Why it works: Gap of n between left and right ensures left stops just before the target node.
- Strengths: Single pass, handles all edge cases cleanly.
- Use Case: Ideal for "remove Nth from end" problems.

Pro Tip

You can generalize this idea to other similar problems: - Find the middle of a linked list (fast/slow pointers). - Detect cycles (Floyd's algorithm). - Check if a linked list is a palindrome (reverse half + compare).

Complexity

Time: O(n)
 Space: O(1)

7. Swap Nodes in Pairs

Problem Recap:

We are given a singly linked list. We need to **swap every two adjacent nodes**, i.e., swap (1st and 2nd), (3rd and 4th), etc., and return the new head.

For input:

$$1 \rightarrow 2 \rightarrow 3 \rightarrow 4$$

Expected output:

$$2 \rightarrow 1 \rightarrow 4 \rightarrow 3$$

We must swap nodes, not just values.

Pattern(s)

• Pointer Rewiring + Dummy Node

Solution with Inline Comments

```
class ListNode:
    def __init__(self, val=0, next=None):
        self.val = val
        self.next = next
def swapPairs(head):
   # Dummy node to simplify handling
   dummy = ListNode(0)
   dummy.next = head
   prev = dummy
    # Traverse in pairs
    while prev.next and prev.next.next:
        # Nodes to swap
       first = prev.next
        second = first.next
        # Swap: prev → second → first → rest
        prev.next = second
        first.next = second.next
        second.next = first
        # Move prev two steps forward
        prev = first
   return dummy.next
# ---- Official LeetCode Example ----
if __name__ == "__main__":
   # Example Input: head = [1,2,3,4]
   head = ListNode(1, ListNode(2, ListNode(3, ListNode(4))))
   # Swap pairs
   swapped = swapPairs(head)
   # Output: [2,1,4,3]
   result = []
   while swapped:
        result.append(swapped.val)
        swapped = swapped.next
```

```
print("Output:", result) # Output: [2, 1, 4, 3]
```

Code Overview

```
class ListNode:
    def __init__(self, val=0, next=None):
        self.val = val
        self.next = next
```

This defines a node in a singly linked list.

```
def swapPairs(head):
    dummy = ListNode(0)
    dummy.next = head
    prev = dummy
```

- We create a **dummy node** pointing to the head. This simplifies edge cases (like swapping the first pair).
- prev is a pointer that always points to the node **before** the current pair we're about to swap.

Main Loop: Swapping in Pairs

```
while prev.next and prev.next.next:
```

We can only swap if there are at least two nodes after prev.

Inside the loop:

```
first = prev.next
second = first.next
```

We identify the two nodes to swap: - first: first node of the pair - second: second node of the pair

Now perform the swap:

```
prev.next = second # prev now points to second
# first skips second and points to whatever comes after
first.next = second.next
second.next = first # second now points to first → completes the swap
```

After this:

```
Before: prev \rightarrow first \rightarrow second \rightarrow X After: prev \rightarrow second \rightarrow first \rightarrow X
```

So the pair is swapped.

Then:

```
prev = first # Move prev forward by two nodes
```

Why first? Because after swapping: - first is now the **second** node in the new order. - So prev = first sets us up to process the next pair after this one.

Step-by-Step Example: 1→2→3→4

Initial state:

```
dummy \rightarrow 1 \rightarrow 2 \rightarrow 3 \rightarrow 4 prev
```

First Iteration: Swap 1 and 2

- first = 1, second = 2
- prev.next = second \rightarrow dummy \rightarrow 2 ...
- first.next = second.next $\rightarrow 1 \rightarrow 3$
- second.next = first $\rightarrow 2 \rightarrow 1$ Now:

```
dummy \rightarrow 2 \rightarrow 1 \rightarrow 3 \rightarrow 4
```

Then: prev = first
$$\rightarrow$$
 prev = 1

Second Iteration: Swap 3 and 4

```
• first = 3, second = 4
```

- prev.next = second $\rightarrow 1 \rightarrow 4$
- first.next = second.next \rightarrow 3 \rightarrow None (since 4.next is None)
- second.next = first $\rightarrow 4 \rightarrow 3$

Now:

```
dummy \rightarrow 2 \rightarrow 1 \rightarrow 4 \rightarrow 3
```

Then: prev = first = 3

Now prev.next is None, so loop ends.

Return Result

```
return dummy.next
```

Return the new head: $2 \rightarrow 1 \rightarrow 4 \rightarrow 3$

Output Code

```
result = []
while swapped:
    result.append(swapped.val)
    swapped = swapped.next
print("Output:", result)
```

This traverses the list and collects values: - swapped starts at 2 - Then 1, 4, 3 - Output: [2, 1, 4, 3]

Key Insights

Concept	Why It Matters
Dummy Node	Handles edge case when head is swapped (no need for special logic)
prev pointer Swapping nodes Move prev = first	Always points to node before the pair; makes re-linking easy Not just values — actual pointers are changed After swap, first is now the second node in the pair, so next pair starts after it

Edge Cases Handled

- Empty list (head = None) \rightarrow returns None
- Single node \rightarrow no swap, returns same
- Odd-length list \rightarrow last node remains unswapped

Example: $1\rightarrow2\rightarrow3$ becomes $2\rightarrow1\rightarrow3$

Final Thoughts

This algorithm runs in: - **Time:** O(n) — each node visited once - **Space:** O(1) — only a few pointers used

It's an elegant and efficient solution commonly used in LeetCode and interviews.

Tip for Interviews

You can briefly explain: > "I use a dummy node to simplify pointer manipulation. Then, for every pair, I relink the previous node to the second node, then rewire the two nodes in reverse, and move forward by two nodes."

8. Odd Even Linked List

Summary

Reorder a linked list so that all odd-positioned nodes come before even-positioned ones, preserving relative order.

Pattern(s)

- Pointer Rewiring (splitting and merging)
- Two Pointers (odd/even heads)

Solution with Inline Comments

```
class ListNode:
    def __init__(self, val=0, next=None):
        self.val = val
        self.next = next
def oddEvenList(head):
    # Handle empty or single node
    if not head or not head.next:
        return head
    # Create two dummy heads for odd and even lists
    odd_head = ListNode(0)
    even_head = ListNode(0)
   odd_curr = odd_head
    even_curr = even_head
    curr = head
    is_odd = True  # Start with odd position (1st node)
    # Traverse and split
    while curr:
        if is_odd:
            odd_curr.next = curr
            odd_curr = curr
        else:
            even_curr.next = curr
            even_curr = curr
        # Toggle for next node
```

```
is_odd = not is_odd
        curr = curr.next
    # Terminate both lists
    odd_curr.next = None
    even_curr.next = None
    # Merge: odd list → even list
    odd_curr.next = even_head.next
    # Return new head (first node of odd list)
    return odd head.next
# ---- Official LeetCode Example ----
if __name__ == "__main__":
   # Example Input: head = [1,2,3,4,5]
   head = ListNode(1, ListNode(2, ListNode(3, ListNode(4, ListNode(5)))))
    # Reorder
   result_head = oddEvenList(head)
    # Output: [1,3,5,2,4]
    result = []
    while result head:
        result.append(result_head.val)
        result_head = result_head.next
    print("Output:", result) # Output: [1, 3, 5, 2, 4]
```

Let's walk through the provided Python code step by step, focusing on how the swapPairs function works to swap every two adjacent nodes in a linked list.

Problem Recap:

We are given a singly linked list. We need to swap every two adjacent nodes, i.e., swap (1st and 2nd), (3rd and 4th), etc., and return the new head.

For input:

```
1 \rightarrow 2 \rightarrow 3 \rightarrow 4
```

```
Expected output: 2 \rightarrow 1 \rightarrow 4 \rightarrow 3
```

We must swap nodes, not just values.

Code Overview

```
class ListNode:
    def __init__(self, val=0, next=None):
        self.val = val
        self.next = next
```

This defines a node in a singly linked list.

```
def swapPairs(head):
    dummy = ListNode(0)
    dummy.next = head
    prev = dummy
```

- We create a **dummy node** pointing to the head. This simplifies edge cases (like swapping the first pair).
- **prev** is a pointer that always points to the node **before** the current pair we're about to swap.

Main Loop: Swapping in Pairs

```
while prev.next and prev.next.next:
```

We can only swap if there are at least two nodes after prev.

Inside the loop:

```
first = prev.next
second = first.next
```

We identify the two nodes to swap: - first: first node of the pair - second: second node of the pair

Now perform the swap:

After this:

```
Before: prev \rightarrow first \rightarrow second \rightarrow X After: prev \rightarrow second \rightarrow first \rightarrow X
```

So the pair is swapped.

Then:

```
prev = first # Move prev forward by two nodes
```

Why first? Because after swapping: - first is now the **second** node in the new order. - So **prev** = first sets us up to process the next pair after this one.

Step-by-Step Example: 1→2→3→4

Initial state:

dummy
$$\rightarrow$$
 1 \rightarrow 2 \rightarrow 3 \rightarrow 4 prev

First Iteration: Swap 1 and 2

- first = 1, second = 2
- prev.next = second \rightarrow dummy \rightarrow 2 ...
- first.next = second.next $\rightarrow 1 \rightarrow 3$
- second.next = first \rightarrow 2 \rightarrow 1 Now:

dummy
$$\rightarrow$$
 2 \rightarrow 1 \rightarrow 3 \rightarrow 4

Then: prev = first
$$\rightarrow$$
 prev = 1

Second Iteration: Swap 3 and 4

```
• first = 3, second = 4
```

- prev.next = second $\rightarrow 1 \rightarrow 4$
- first.next = second.next \rightarrow 3 \rightarrow None (since 4.next is None)
- second.next = first $\rightarrow 4 \rightarrow 3$

Now:

```
dummy \rightarrow 2 \rightarrow 1 \rightarrow 4 \rightarrow 3
```

Then: prev = first = 3

Now prev.next is None, so loop ends.

Return Result

```
return dummy.next
```

Return the new head: $2 \rightarrow 1 \rightarrow 4 \rightarrow 3$

Output Code

```
result = []
while swapped:
    result.append(swapped.val)
    swapped = swapped.next
print("Output:", result)
```

This traverses the list and collects values: - swapped starts at 2 - Then 1, 4, 3 - Output: [2, 1, 4, 3]

Key Insights

Concept	Why It Matters
Dummy Node	Handles edge case when head is swapped (no need for special logic)
prev pointer Swapping nodes Move prev = first	Always points to node before the pair; makes re-linking easy Not just values — actual pointers are changed After swap, first is now the second node in the pair, so next pair starts after it

Edge Cases Handled

- Empty list (head = None) \rightarrow returns None
- Single node \rightarrow no swap, returns same
- Odd-length list \rightarrow last node remains unswapped

Example: $1\rightarrow2\rightarrow3$ becomes $2\rightarrow1\rightarrow3$

Final Thoughts

This algorithm runs in: - **Time:** O(n) — each node visited once - **Space:** O(1) — only a few pointers used

It's an elegant and efficient solution commonly used in LeetCode and interviews.

9. Add Two Numbers

Summary

Add two numbers represented as reverse-linked lists (each digit in a node). Return sum as a similar list.

Pattern(s)

• Linked List + Arithmetic (carry logic)

Solution with Inline Comments

```
class ListNode:
    def __init__(self, val=0, next=None):
        self.val = val
        self.next = next
def addTwoNumbers(11, 12):
    # Dummy head for result
    dummy = ListNode(0)
    curr = dummy
    carry = 0
    # Process both lists and carry
    while 11 or 12 or carry:
        # Get values (0 if list exhausted)
        val1 = 11.val if l1 else 0
        val2 = 12.val if 12 else 0
        # Sum including carry
        total = val1 + val2 + carry
        # New digit and carry
        carry = total // 10
        digit = total % 10
        # Add digit to result
        curr.next = ListNode(digit)
        curr = curr.next
        # Move forward
        11 = 11.next if 11 else None
        12 = 12.next if 12 else None
    return dummy.next
# ---- Official LeetCode Example ----
```

```
if __name__ == "__main__":
    # Example Input: 11 = [2,4,3], 12 = [5,6,4]
    # Represents 342 + 465 = 807
    11 = ListNode(2, ListNode(4, ListNode(3)))
    12 = ListNode(5, ListNode(6, ListNode(4)))

# Add
    result = addTwoNumbers(11, 12)

# Output: [7,0,8]
    output = []
    while result:
        output.append(result.val)
        result = result.next
    print("Output:", output) # Output: [7, 0, 8]
```

Walkthrough (Example)

- Step 1: 2+5=7, carry= $0 \rightarrow \text{node } 7$
- Step 2: 4+6=10, carry= $1 \rightarrow \text{digit}=0$, node 0
- Step 3: 3+4+1=8, carry= $0 \rightarrow \text{node } 8$
- Done \rightarrow 7 \rightarrow 0 \rightarrow 8

Complexity

- Time: O(max(m,n))
- Space: O(max(m,n)) for result

10. Sort List

Summary

Sort a linked list in ascending order using merge sort (divide & conquer).

Pattern(s)

- Divide & Conquer (Merge Sort)
- Fast/Slow Pointers (to split list)

Solution with Inline Comments

```
class ListNode:
    def __init__(self, val=0, next=None):
        self.val = val
        self.next = next
def sortList(head):
    # Base case: empty or single node
    if not head or not head.next:
        return head
    # Find middle using fast/slow pointers
   slow = head
   fast = head.next
    while fast and fast.next:
        slow = slow.next
        fast = fast.next.next
   # Split: right half starts at slow.next
   mid = slow.next
   slow.next = None # Break link
   # Recursively sort both halves
   left = sortList(head)
   right = sortList(mid)
   # Merge sorted halves
   return merge(left, right)
def merge(l1, l2):
   dummy = ListNode(0)
    curr = dummy
    while 11 and 12:
       if l1.val < l2.val:</pre>
           curr.next = 11
           11 = 11.next
        else:
           curr.next = 12
           12 = 12.next
        curr = curr.next
```

```
# Attach remaining
    if 11:
        curr.next = 11
    if 12:
        curr.next = 12
   return dummy.next
# ---- Official LeetCode Example ----
if __name__ == "__main__":
    # Example Input: head = [4,2,1,3]
   head = ListNode(4, ListNode(2, ListNode(1, ListNode(3))))
   # Sort
    sorted_head = sortList(head)
    # Output: [1,2,3,4]
   result = []
   while sorted_head:
        result.append(sorted_head.val)
       sorted_head = sorted_head.next
   print("Output:", result) # Output: [1, 2, 3, 4]
```

Walkthrough (Example)

- Split: $4\rightarrow2\rightarrow1\rightarrow3$ \rightarrow left: $4\rightarrow2$, right: $1\rightarrow3$
- Recurse: $sort([4,2]) \rightarrow split \rightarrow 4 \text{ and } 2 \rightarrow merge \rightarrow 2 \rightarrow 4$
- Recurse: $sort([1,3]) \rightarrow merge \rightarrow 1 \rightarrow 3$
- Merge $2\rightarrow 4$ and $1\rightarrow 3$: compare $\rightarrow 1$, then $2, 3, 4 \rightarrow 1\rightarrow 2\rightarrow 3\rightarrow 4$

Complexity

- Time: O(n log n)
- Space: O(log n) due to recursion stack

11. Palindrome Linked List

Summary

Check if a linked list reads the same forwards and backwards.

Pattern(s)

- Fast/Slow Pointers (find middle)
- Reverse Second Half
- Compare

Solution with Inline Comments

```
class ListNode:
    def __init__(self, val=0, next=None):
        self.val = val
        self.next = next
def isPalindrome(head):
   # Find middle using fast/slow
    slow = fast = head
    while fast and fast.next:
        slow = slow.next
        fast = fast.next.next
    # Reverse second half
   prev = None
    curr = slow
    while curr:
       nxt = curr.next
        curr.next = prev
       prev = curr
        curr = nxt
   # Compare first half and reversed second half
   left = head
   right = prev # now points to start of reversed second half
    while right:
        if left.val != right.val:
           return False
        left = left.next
        right = right.next
    return True
```

```
# ---- Official LeetCode Example ----
if __name__ == "__main__":
    # Example Input: head = [1,2,2,1]
    head = ListNode(1, ListNode(2, ListNode(2, ListNode(1))))

# Check palindrome
print("Is Palindrome:", isPalindrome(head)) # Output: True

# Example Input: head = [1,2]
head2 = ListNode(1, ListNode(2))
print("Is Palindrome:", isPalindrome(head2)) # Output: False
```

Walkthrough (Example 1)

- slow reaches node 2 (middle)
- Reverse second half: $2\rightarrow 1$ becomes $1\rightarrow 2$
- Compare: 1==1, 2==2 \rightarrow true

Complexity

Time: O(n)
 Space: O(1)

12. Reorder List

Summary

Reorder a list: L \rightarrow L \rightarrow L... \rightarrow L. \rightarrow L. \rightarrow L. \rightarrow L. \rightarrow L... \rightarrow ...

Pattern(s)

- Fast/Slow (find mid)
- Reverse Second Half
- Merge Alternating

Solution with Inline Comments

```
class ListNode:
    def __init__(self, val=0, next=None):
        self.val = val
        self.next = next
def reorderList(head):
    if not head or not head.next:
        return
    # Find middle
    slow = fast = head
    while fast and fast.next:
        slow = slow.next
        fast = fast.next.next
    # Reverse second half
    prev = None
    curr = slow
    while curr:
       nxt = curr.next
        curr.next = prev
        prev = curr
        curr = nxt
    # Now prev is head of reversed second half
    # Merge first half and reversed second half
   first = head
    second = prev
    while second.next:
        # Save next nodes
        tmp1 = first.next
        tmp2 = second.next
        # Interleave
        first.next = second
        second.next = tmp1
        # Move forward
        first = tmp1
        second = tmp2
```

```
# ---- Official LeetCode Example ----
if __name__ == "__main__":
    # Example Input: head = [1,2,3,4]
    head = ListNode(1, ListNode(2, ListNode(3, ListNode(4))))

reorderList(head)

# Output: [1,4,2,3]
    result = []
    while head:
        result.append(head.val)
        head = head.next
    print("Output:", result) # Output: [1, 4, 2, 3]
```

Walkthrough (Example)

Let's walk through the provided reorderList function step-by-step with a detailed explanation, using the example input [1,2,3,4].

Goal

Reorder a linked list such that: - The first node stays at the front, - Then the last node, - Then the second node, - Then the second-to-last node, - And so on.

```
For input: [1,2,3,4] \to \text{Output: } [1,4,2,3]
```

This is known as reordering a linked list in zigzag (interleaved) order.

Step 1: Define the ListNode Class

```
class ListNode:
    def __init__(self, val=0, next=None):
        self.val = val
        self.next = next
```

Simple singly linked list node definition.

Step 2: Input Setup

```
head = ListNode(1, ListNode(2, ListNode(3, ListNode(4))))
```

Creates the linked list:

1 -> 2 -> 3 -> 4

Step 3: reorderList(head) Function

Part A: Base Case

```
if not head or not head.next:
    return
```

If there's only one node or none, no reordering needed. We skip.

Our list has 4 nodes \rightarrow continue.

Part B: Find the Middle Using Slow & Fast Pointers

```
slow = fast = head
while fast and fast.next:
    slow = slow.next
    fast = fast.next.next
```

Let's trace this:

Iteration	fast	slow
Start	1	1
1st	3 (next of 2)	2 (next of 1)
2nd	4 (next of 3)	3 (next of 2)
3rd	None	4 (next of 3)

Wait! Let's correct:

Actually:

- Initially: fast = 1, slow = 1
- First loop:
 - fast = fast.next.next = $3 \rightarrow$ fast.next = 4, so fast = 3
 - slow = slow.next = 2
- Second loop:
 - fast = fast.next.next = 4.next = None ightarrow fast = 4.next = None ightarrow stops loop
 - So fast becomes None, exit loop.

So after loop: - slow is at node 3 - fast is None

So middle is **node 3**, which splits the list into: - First half: $1 \rightarrow 2$ - Second half: $3 \rightarrow 4$

Note: Since length is even (4), we want to split after 2nd node. This method gives us the **start of second half** at node 3 — correct.

Part C: Reverse the Second Half

We reverse the part starting from slow (node 3):

```
prev = None
curr = slow  # curr starts at node 3
```

Now reverse the second half $(3 \rightarrow 4) \rightarrow \text{becomes } 4 \rightarrow 3$

Trace:

Step	curr	nxt	curr.next = prev	prev = curr	curr = nxt
1	3	4	3.next = None	prev = 3	curr = 4
2	4	None	4.next = 3	prev = 4	curr = None

After this loop: - prev = $4 \rightarrow$ new head of reversed second half - The list now looks like: - First half: 1 -> 2 - Reversed second half: 4 -> 3 (but still connected via original links)

But note: the original link 3->4 is broken during reversal.

```
So now: - head = 1 \rightarrow 2 - prev = 4 \rightarrow 3
```

Part D: Merge First Half and Reversed Second Half

```
first = head  # first = 1
second = prev  # second = 4
```

Now merge by interleaving:

```
while second.next:
    tmp1 = first.next  # save first.next (which is 2)
    tmp2 = second.next  # save second.next (which is 3)

# Interleave
    first.next = second  # 1 -> 4
    second.next = tmp1  # 4 -> 2

# Move forward
    first = tmp1  # first = 2
    second = tmp2  # second = 3
```

Let's go step by step:

First iteration:

```
tmp1 = first.next = 2tmp2 = second.next = 3
```

• Set:

```
- first.next = second \rightarrow 1.next = 4 \rightarrow 1 -> 4 - second.next = tmp1 \rightarrow 4.next = 2 \rightarrow 4 -> 2
```

• Now:

$$-$$
 first = 2 $-$ second = 3

Current state:

And 3.next is still None? Wait - what about 3?

Originally, after reversal, 4 -> 3, then 3.next was set to None during reversal. But here we didn't change it.

Yes: 3.next is None. So second.next is None.

So while second.next: \rightarrow condition fails!

So we break out of the loop after just one iteration.

Problem Detected!

The loop condition is:

while second.next:

That means we stop when second.next is None.

But in our case: - After first iteration, second = 3, and 3.next = None \rightarrow loop ends. - So we never connect 2 to 3.

Wait — but currently: - 1 -> 4 -> 2 - 2 points to 3? No — 2.next was saved as tmp1, but we did not update 2.next.

Hold on — let's reconstruct the actual structure after the first iteration:

Before:

After reversing second half:

```
1 -> 2
4 -> 3 (and 3.next = None)
```

Then: - first = 1, second = 4 - tmp1 = 2, tmp2 = 3 - first.next = second \rightarrow 1.next = 4 - second.next = tmp1 \rightarrow 4.next = 2 - Then first = 2, second = 3

Now the chain is:

And 2.next is still pointing to 3 originally? No — wait!

When we did tmp1 = first.next, we saved 2 as tmp1, but 2.next is still 3.

So after: -4.next = 2 - 2.next is still 3 \rightarrow so 2 -> 3

So now full list is:

That's exactly what we want!

But why did the loop stop? Because second = 3, and 3.next = None, so second.next is None, so while second.next: fails.

But that's okay! We don't need more iterations because: - We've already merged the two parts. - The remaining nodes are already connected correctly.

Wait — is $2 \rightarrow 3$ valid?

Yes! After merging: - 1 -> 4 - 4 -> 2 - 2 -> 3 (original connection, untouched)

So final result: 1 -> 4 -> 2 -> 3 \rightarrow perfect.

But Why Does Loop Stop Early?

Because the loop condition is:

while second.next:

It checks if second.next exists. When second = 3, its next is None, so loop exits.

But we don't need to do another merge step because: - Only one pair left: 2 and 3 - We already have 4 -> 2, and 2 -> 3 is intact - So 3 is naturally placed at end

So the logic works only because the number of nodes is even.

What if it were odd?

Let's say $[1,2,3,4,5] \rightarrow \text{middle}$ is 3, second half is 3,4,5 \rightarrow reverse to 5,4,3

Merge: - 1 \rightarrow 5 \rightarrow 2 \rightarrow 4 \rightarrow 3 \rightarrow correct

In that case, you'd need to keep going until second.next is null.

But in our code, the loop stops too early?

Let's test that idea briefly.

No — actually, for odd-length lists, the second half has an odd number of nodes, so the while second.next: condition will still work correctly.

But in **our current implementation**, we're relying on **second.next** being non-null to continue.

However, consider this:

After merging: - first moves to 2 - second moves to 3 - Now second.next is None \rightarrow loop ends

But we haven't yet connected 2 to 3?

Wait — no, 2.next was saved as tmp1, and we used it in second.next = tmp1, i.e., 4.next = 2, but 2.next itself remains unchanged.

So 2.next still points to 3, so 2 -> 3 is preserved.

Thus, the final chain is formed naturally.

So the algorithm is correct.

Final Result

After reorderList(head):

Chain becomes:

1 -> 4 -> 2 -> 3

Output: [1, 4, 2, 3]

Matches expected.

Summary of Algorithm Steps

- 1. Find middle using slow/fast pointers \rightarrow split list into two halves.
- 2. Reverse the second half \rightarrow so we can interleave easily.
- 3. Interleave first half and reversed second half:
 - Use two pointers: first (from start), second (from reversed end).
 - At each step:
 - Save first.next and second.next.
 - Link first.next = second.
 - Link second.next = first.next_old.
 - Advance both pointers.
- 4. Loop continues while second.next exists → ensures we don't try to merge beyond the end.

Note: The loop condition could be improved to while second (i.e., while second is not None), but since we're always linking second.next to something, and the last node doesn't need to be "merged" further, it's safe.

However, a better condition would be:

while first and second:

But in our case, since we're advancing both, and the lengths are balanced, it works.

But in current code, the condition while second.next might fail prematurely if second is the last node.

Wait — in our example, second = 3, second.next = None, so loop ends.

But 3 is supposed to be the last node — so we're fine.

But suppose we had first = 2, second = 3, and 3.next = None \rightarrow loop ends \rightarrow done.

But 2 \rightarrow 3 is already there \rightarrow correct.

So yes, it's correct.

Final Answer: Output

```
print("Output:", result) # Output: [1, 4, 2, 3]
```

Correct.

Bonus: Edge Cases

Input	Expected Output
[1]	[1]
[1,2]	[1,2]
[1,2,3]	[1,3,2]
[1,2,3,4,5]	[1,5,2,4,3]

All handled correctly by this algorithm.

Conclusion

Your code is **correct and efficient**: - Time: O(n) - Space: O(1)

It uses: - Two-pointer technique to find middle - In-place reversal - Interleaving via pointer manipulation

Only minor issue: loop condition while second.next might be slightly brittle.

Suggested Fix (More Robust)

Replace:

```
while second.next:
```

With:

```
while first and second:
```

Or even better:

```
while first.next and second.next:
```

But in your current version, it works due to natural chaining.

Alternatively, use:

```
while first and second:
    tmp1 = first.next
    tmp2 = second.next

first.next = second
    second.next = tmp1

first = tmp1
    second = tmp2
```

This avoids relying on second.next and handles edge cases better.

But for even-length lists like [1,2,3,4], your current version works perfectly.

Final Verdict

Your code is **correct and well-written**. The walkthrough confirms it produces the expected output [1,4,2,3] for the given example.

Complexity

Time: O(n)
 Space: O(1)

13. Rotate List

Problem Summary

Given a linked list and an integer k, rotate the list to the right by k steps.

```
Example: Input: 1 \rightarrow 2 \rightarrow 3 \rightarrow 4 \rightarrow 5, k = 2 Output: 4 \rightarrow 5 \rightarrow 1 \rightarrow 2 \rightarrow 3
```

Rotating right means the last k nodes are moved to the front in the same order.

Pattern(s)

• Two Pointers + Modular Arithmetic

Solution with Inline Comments

```
class ListNode:
    def __init__(self, val=0, next=None):
        self.val = val
        self.next = next

def rotateRight(head, k):
    if not head or not head.next:
        return head

# Step 1: Get length and find tail
    length = 1
    tail = head
    while tail.next:
        tail = tail.next
        length += 1

# Step 2: Normalize k
```

```
k %= length
   if k == 0:
       return head # no rotation needed
   # Step 3: Find new tail (k steps from end)
   # So we want to stop at length -k-1
   new_tail = head
   for _ in range(length - k - 1):
       new_tail = new_tail.next
   # Step 4: New head is next of new_tail
   new_head = new_tail.next
   # Step 5: Break and reconnect
   new_tail.next = None
   tail.next = head # connect old tail to old head
   return new_head
# ---- Official LeetCode Example ----
if __name__ == "__main__":
   # Example Input: head = [1,2,3,4,5], k = 2
   head = ListNode(1, ListNode(2, ListNode(3, ListNode(4, ListNode(5)))))
   # Rotate right by 2
   rotated = rotateRight(head, 2)
   # Output: [4,5,1,2,3]
   result = []
   while rotated:
       result.append(rotated.val)
       rotated = rotated.next
   print("Output:", result) # Output: [4, 5, 1, 2, 3]
```

Code Breakdown

```
class ListNode:
    def __init__(self, val=0, next=None):
        self.val = val
        self.next = next
```

• Simple definition of a singly linked list node.

Function: rotateRight(head, k)

Step 1: Handle edge cases

```
if not head or not head.next:
    return head
```

- If the list is empty or has only one node, rotating doesn't change anything.
- Return the original head.

Example: head = $[1] \rightarrow still$ [1] after rotation.

Step 2: Find the length and tail of the list

```
length = 1
tail = head
while tail.next:
   tail = tail.next
length += 1
```

- Traverse the list from head to end (tail) while counting nodes.
- After this loop:
 - length = total number of nodes
 - tail = last node of the list

For input [1,2,3,4,5]: \rightarrow length = 5, tail points to node 5.

Step 3: Normalize k

```
k %= length
if k == 0:
    return head
```

- Since rotating by length steps brings us back to the same list, we reduce k using modulo.
- If k == 0, no effective rotation \rightarrow return original head.

Example: k = 7, length = $5 \rightarrow k$ %= $5 \rightarrow k = 2$. So rotate by 2.

Step 4: Find the new tail

```
new_tail = head
for _ in range(length - k - 1):
    new_tail = new_tail.next
```

- We want to break the list just before the **new head**.
- The new head will be at position (length k) from the start.
- So we move length k 1 steps from the head to reach the new tail.

Example: length = 5, k = 2 \rightarrow need to stop at index 5 - 2 - 1 = 2 So we go from head: - Step 0: new_tail \rightarrow node 1 - Step 1: new_tail \rightarrow node 2 - Step 2: new_tail \rightarrow node 3 \leftarrow this is our new tail!

Thus, the new head will be node 4.

Step 5: Define new head and reconnect

```
new_head = new_tail.next
```

• New head is the node after the new tail \rightarrow node 4

```
new_tail.next = None
```

• Break the link: now the list ends at node 3.

tail.next = head

• Connect the old tail (node 5) to the old head (node 1). This makes the list circular temporarily.

Now the chain looks like:

$$[1->2->3]$$
 $[4->5]$ -> 1 (circular)

But since we broke the first part at 3, the full structure becomes:

Final result: [4,5,1,2,3] — correct!

Step 6: Return new head

return new_head

Full Example Walkthrough

Input:

```
head = ListNode(1, ListNode(2, ListNode(3, ListNode(4, ListNode(5)))))
k = 2
```

List: 1 -> 2 -> 3 -> 4 -> 5

Steps:

Step Action

1 length = 5, tail = node 5
2 k %=
$$5 \rightarrow k = 2$$

Step	Action
3	Move 5 - 2 - 1 = 2 steps: new_tail = node 3
4	<pre>new_head = node 4</pre>
5	Break: node 3.next = Nonenode 5.next = node 1

Final list:

```
4 -> 5 -> 1 -> 2 -> 3
```

Output: [4,5,1,2,3]

Output Verification (in your main block)

```
rotated = rotateRight(head, 2)
result = []
while rotated:
    result.append(rotated.val)
    rotated = rotated.next
print("Output:", result) # [4, 5, 1, 2, 3]
```

Matches expected output.

Key Insights

- Rotating right by k is equivalent to cutting the list after the (length k)th node.
- Reconnecting the last part to the front forms the rotated list.
- Modulo operation avoids unnecessary full cycles.
- Time complexity: O(n) one pass to find length, one more to find new tail.
- Space complexity: O(1) only pointers used.

Bonus Tip: Visualize It!

Imagine a circular rope with nodes 1,2,3,4,5 connected in a loop.

To rotate right by 2: - Cut the rope after node 3. - Move the segment 4,5 to the front.

Result: 4,5,1,2,3

That's exactly what the algorithm does!

Summary

Part	Purpose
length & tail	Determine size and end of list
k %= length	Avoid redundant rotations
new_tail	Find where to cut
<pre>new_head = new_tail.next</pre>	First node of rotated part
new_tail.next = None	Break list
tail.next = head	Link old end to old start

Complexity

Time: O(n)
 Space: O(1)

14. Reverse Nodes in k-Group

Summary

Reverse every k nodes in groups. If fewer than k remain, leave them unchanged.

Pattern(s)

• Pointer Rewiring + Dummy Node + Reversing Sublist

Let's walk through the reverseKGroup problem step-by-step using your provided code and a real example from LeetCode (Problem 25: Reverse Nodes in k-Group).

Problem Recap

Given a linked list and an integer k, reverse the nodes of the list in groups of k. If the number of nodes is not a multiple of k, then left-out nodes should remain as they are.

Example:

```
Input: head = [1,2,3,4,5], k = 2
Output: [2,1,4,3,5]
```

We reverse every group of 2 nodes: - First group: $1 \rightarrow 2$ becomes $2 \rightarrow 1$ - Second group: $3 \rightarrow 4$ becomes $4 \rightarrow 3$ - Last node 5 remains because only one node is left (not enough for a full group of 2)

Code Walkthrough

Here's your code with comments added for clarity:

```
class ListNode:
    def __init__(self, val=0, next=None):
        self.val = val
        self.next = next
def reverseKGroup(head, k):
    # Dummy node to simplify edge cases
    dummy = ListNode(0)
    dummy.next = head
    prev_group_end = dummy # Points to end of last reversed group
    while True:
        # Step 1: Find the kth node from prev_group_end
        kth = prev_group_end
        for _ in range(k):
           kth = kth.next
            if not kth: # Not enough nodes left → stop
                return dummy.next
```

```
next_group_start = kth.next # Save start of next group

# Step 2: Reverse the k nodes between prev_group_end.next and kth
current = prev_group_end.next # Start of current group
prev = None
while current != next_group_start:
    temp = current.next
    current.next = prev
    prev = current
    current = temp

# Step 3: Connect the reversed group back into the list
old_head = prev_group_end.next # This was the first node before reversal
old_head.next = next_group_start # Connect the tail of reversed group to next group
prev_group_end.next = kth # Make kth (new head) point to this group

# Step 4: Move prev_group_end to the end of this reversed group
prev_group_end = old_head # Now old_head is the last node of the reversed group
```

Step-by-Step Execution with Example: 1->2->3->4->5, k=2

Initial Setup:

Iteration 1: Reverse first group [1,2]

Step 1: Find kth node (k=2)

- Start at prev_group_end (dummy)
- Move 2 steps:
 - After 1st: points to 1

- After 2nd: points to $2 \rightarrow$ this is kth
- kth exists \rightarrow continue

```
→ next_group_start = kth.next = 3
```

Step 2: Reverse nodes from 1 to 2

We reverse 1 \rightarrow 2 \rightarrow becomes 2 \rightarrow 1

```
current = 1
prev = None

Iteration 1:
    temp = 2
    1.next = None
    prev = 1
    current = 2

Iteration 2:
    temp = 3
    2.next = 1
    prev = 2
    current = 3 → stops since current == next_group_start (3)
```

Now the segment looks like:

Step 3: Reconnect the reversed group

```
• old_head = prev_group_end.next = 1 (original first node)
```

- old_head.next = next_group_start = $3 \rightarrow so 1.next = 3$
- prev_group_end.next = kth = $2 \rightarrow so dummy.next = 2$

Now list is:

Step 4: Update prev_group_end

• Set prev_group_end = old_head = $1 \rightarrow \text{now}$ it points to the end of the reversed group Group [1,2] successfully reversed!

Iteration 2: Reverse second group [3,4]

Step 1: Find kth node (k=2)

- Start at prev_group_end = 1
 Move 2 store:
- Move 2 steps:

$$\begin{array}{l} -1 \rightarrow 3 \\ -3 \rightarrow 4 \rightarrow \mathtt{kth} = 4 \end{array}$$

- kth exists \rightarrow continue
- next_group_start = 5

Step 2: Reverse nodes from 3 to 4

Reverse $3 \rightarrow 4 \rightarrow \text{becomes } 4 \rightarrow 3$

```
current = 3
prev = None

Iter 1:
    temp = 4
    3.next = None
    prev = 3
    current = 4

Iter 2:
    temp = 5
    4.next = 3
    prev = 4
    current = 5 → stop
```

Now we have:

Step 3: Reconnect

- old_head = prev_group_end.next = 3
- old_head.next = next_group_start = $5 \rightarrow 3.$ next = 5
- prev_group_end.next = kth = $4 \rightarrow 1.$ next = 4

Now the list becomes:

Step 4: Update prev_group_end

• prev_group_end = old_head = 3

Group [3,4] reversed!

Iteration 3: Try to reverse third group

Step 1: Find kth node

- Start at prev_group_end = 3
- Move 2 steps:

$$3$$
 \rightarrow 5 5 \rightarrow None \rightarrow kth = None

Condition: if not kth: return dummy.next

So we break out of the loop.

Final Result:

dummy
$$-> 2 -> 1 -> 4 -> 3 -> 5$$

Return dummy.next = 2

Output: 2 -> 1 -> 4 -> 3 -> 5

Summary of Key Concepts

Concept	Explanation
Dummy Node	Avoids handling edge cases when reversing the first
	group.
prev_group_end	Keeps track of where the previous group ended — helps
	reconnect.
kth Node	Used to check if there are at least k nodes remaining.
Reversal Logic	Standard iterative reversal of linked list (like in "Reverse
	Linked List" problem).
Connect Back	After reversal, link: old_head.next =
	<pre>next_group_start, and prev_group_end.next = kth.</pre>

LeetCode Official Example Verification

Input: head = [1,2,3,4,5], k = 2 Expected Output: [2,1,4,3,5]

Matches our result!

Another test case:

Input: head = [1,2,3,4,5], k = 3 Output: [3,2,1,4,5]

• First group: 1->2->3 \rightarrow reversed to 3->2->1

• Remaining: $4->5 \rightarrow less than 3 nodes \rightarrow leave unchanged$

• So output: 3->2->1->4->5

Time & Space Complexity

• Time: O(n), where n is the number of nodes — each node visited at most twice.

• Space: O(1) — only using constant extra pointers.

Final Notes

Your code is **correct**, well-structured, and handles all edge cases (like incomplete groups). The logic is solid and follows standard LeetCode patterns.

Tip: Always use a dummy node when modifying the head of a linked list — it makes life easier!

Let me know if you want a visual diagram or a version with more detailed print statements for debugging!

Time & Space Complexity

- **Time**: O(n) Each node visited at most twice (once during scan, once during reversal)
- Space: O(1) Only using pointers