

Trie

Chunk 1: Problems 1–4

1. [Implement Trie \(Prefix Tree\)](#)
2. [Word Break](#)
3. [Design Add and Search Words Data Structure](#)
4. [Design In-Memory File System](#)

We'll group them by pattern, provide a template for each core technique, then solve each problem in full detail.

Core Pattern Grouping

Pattern	Problems
Trie / Prefix Tree	Implement Trie, Design Add and Search Words, Design In-Memory File System
Dynamic Programming (DP)	Word Break

Let's go through each pattern in depth.

Pattern 1: Trie / Prefix Tree

How to Recognize

- You're dealing with **prefix-based queries**: e.g., “find all words starting with ‘app’”, “check if a word is in a dictionary”, “autocomplete”.
- Frequent insert/search operations on strings.
- Wildcard matching (e.g., . in “add and search” problems).
- Need efficient storage of overlapping prefixes (like in dictionaries or file paths).

Step-by-Step Thinking Process (The Recipe)

1. Define Trie Node Structure

- Each node has:
 - A dictionary (`children`) to map `char` \rightarrow child node.
 - A boolean flag `is_end` to mark end of a valid word.

2. Insertion

- Traverse from root; create nodes as needed.
- At the last character, set `is_end = True`.

3. Search

- Traverse characters one by one.
- If any char missing \rightarrow return `False`.
- If reached end and `is_end == True` \rightarrow return `True`.

4. Wildcard Search (Backtracking)

- When encountering `.`, explore **all children** recursively.
- Use DFS/backtracking to try every possibility.

5. Path Compression via Shared Nodes

- Reuse nodes across words (e.g., “cat” and “car” share “c” \rightarrow “a”).

Common Pitfalls & Edge Cases

- Forgetting to reset `is_end` when inserting new words (if reusing nodes).
- Not handling empty string input properly.
- In wildcard search, not backtracking correctly — only exploring one path instead of all.
- Memory leaks if not cleaning up unused nodes (less critical in interviews).
- Using `dict.get()` without checking existence leads to bugs.

Problem 1: Implement Trie (Prefix Tree)

Summary

Design a data structure that supports: - Insert a word. - Check if a word exists. - Check if any word starts with a given prefix.

Official Example I/O

Input:

```
["Trie", "insert", "search", "startsWith", "search"]  
[[], ["apple"], ["apple"], ["app"], ["app"]]
```

Output:

```
[null, null, true, true, false]
```

Note: "app" is a prefix but not a complete word → `search("app") = false`.

Python Solution with Inline Comments

```
class TrieNode:  
    def __init__(self):  
        # Dictionary to store child nodes: char -> TrieNode  
        self.children = {}  
        # Boolean flag to mark end of a word  
        self.is_end = False  
  
class Trie:  
    def __init__(self):  
        # Root node is an empty node (no char)  
        self.root = TrieNode()  
  
    def insert(self, word: str) -> None:  
        """Insert a word into the trie."""  
        node = self.root  
        for char in word:  
            # If char not in children, create a new node  
            if char not in node.children:  
                node.children[char] = TrieNode()  
            # Move to the next node  
            node = node.children[char]  
        # Mark the end of the word  
        node.is_end = True  
  
    def search(self, word: str) -> bool:
```

```

        """Check if a word exists in the trie."""
        node = self.root
        for char in word:
            if char not in node.children:
                return False # Word doesn't exist
            node = node.children[char]
        # Return True only if this is the end of a valid word
        return node.is_end

    def startsWith(self, prefix: str) -> bool:
        """Check if any word starts with the given prefix."""
        node = self.root
        for char in prefix:
            if char not in node.children:
                return False # No such prefix
            node = node.children[char]
        # We don't need is_end here - just need to exist
        return True

# ---- Official LeetCode Example ----
if __name__ == "__main__":
    # Initialize trie
    trie = Trie()

    # Insert "apple"
    trie.insert("apple")

    # Search for "apple" -> should be True
    print(trie.search("apple")) # Output: True

    # Check if "app" is a prefix -> True
    print(trie.startsWith("app")) # Output: True

    # Search for "app" -> False (not a full word)
    print(trie.search("app")) # Output: False

```

Example Walkthrough (Official Input)

1. `insert("apple")`:

- Start at root.
- 'a' → new node → move to it.
- 'p' → new node → move.
- 'p' → new node → move.
- 'l' → new node → move.
- 'e' → new node → set `is_end = True`.
- Final state: `a → p → p → l → e` (end marked).

2. `search("apple")`:

- Traverse `a-p-p-l-e`. All chars exist and `e` has `is_end = True` → return `True`.

3. `startsWith("app")`:

- Traverse `a-p-p`. All exist → return `True` (even if not a full word).

4. `search("app")`:

- Traverse `a-p-p`. But the last node does **not** have `is_end = True` → return `False`.

Matches expected output: `[null, null, true, true, false]`

Complexity Analysis

- **Time:**

- `insert`: $O(m)$, where m = length of word.
- `search`: $O(m)$, same.
- `startsWith`: $O(m)$, same.

- **Space:**

- $O(\text{ALPHABET_SIZE} \times N \times M)$, worst case, where N = number of words, M = avg length.
 - In practice: shared prefixes reduce space usage significantly.
-

Problem 2: Word Break

Summary

Given a string `s` and a dictionary of words, determine if `s` can be segmented into a space-separated sequence of one or more dictionary words.

Example: `s = "leetcode", dict = ["leet", "code"]` → return `True`.

Official Example I/O

Input: `s = "leetcode", wordDict = ["leet","code"]`

Output: `true`

Explanation: "leetcode" can be segmented as "leet code".

Another example:

Input: `s = "applepenapple", wordDict = ["apple","pen"]`

Output: `true`

Python Solution with Inline Comments

```
def wordBreak(s: str, wordDict: list[str]) -> bool:
    """
    Determines if string s can be broken into words from wordDict.
    Uses Dynamic Programming: dp[i] = True if s[:i] can be segmented.
    """
    # Convert wordDict to set for O(1) lookup
    word_set = set(wordDict)

    # dp[i] represents whether s[0:i] can be segmented
    n = len(s)
    dp = [False] * (n + 1)

    # Base case: empty string can always be segmented
```

```

dp[0] = True

# Fill dp array from left to right
for i in range(1, n + 1):
    # Try every possible ending position j < i
    for j in range(i):
        # If s[0:j] is breakable AND s[j:i] is in dictionary
        if dp[j] and s[j:i] in word_set:
            dp[i] = True
            break # No need to check further j values

return dp[n]

# ---- Official LeetCode Example ----
if __name__ == "__main__":
    # Example 1
    s1 = "leetcode"
    wordDict1 = ["leet", "code"]
    print(wordBreak(s1, wordDict1)) # Output: True

    # Example 2
    s2 = "applepenapple"
    wordDict2 = ["apple", "pen"]
    print(wordBreak(s2, wordDict2)) # Output: True

    # Example 3 (should be False)
    s3 = "catsandog"
    wordDict3 = ["cats", "dog", "sand", "and", "cat"]
    print(wordBreak(s3, wordDict3)) # Output: False

```

Example Walkthrough (Example 1: s = "leetcode")

- word_set = {"leet", "code"}
- dp = [True, False, False, False, False, False, False, False, False, False] (length 9+1)

Loop i from 1 to 9:

- i=4: s[0:4] = "leet" → dp[0]=True and "leet" in set → dp[4] = True

- $i=8$: $s[4:8] = \text{"code"} \rightarrow dp[4]=\text{True}$ and $\text{"code" in set} \rightarrow dp[8] = \text{True}$
- Final $dp[9] = \text{True} \rightarrow \text{return True}$

Success!

Complexity Analysis

- **Time:** $O(n^2 \times m)$, where n = length of s , m = average word length (due to substring slicing).
 - But since we use `set`, lookup is $O(1)$ per word.
 - Nested loops: $O(n^2)$, inner loop checks substrings.
- **Space:** $O(n + k)$, where k = size of `word_set`, plus `dp` array of size $n+1$.

Optimization Tip: Instead of slicing $s[j:i]$, precompute or avoid copying strings.
But acceptable in interviews.

Problem 3: Design Add and Search Words Data Structure

Summary

Design a data structure that supports: - `addWord(word)` – add a word. - `search(word)` – check if a word exists. Supports wildcards (`.` matches any single character).

E.g., `search("b..")` would match `"bat"`, `"bed"`, etc.

Official Example I/O

Input:

```
["WordDictionary", "addWord", "addWord", "addWord", "search",  
"search", "search", "search"]  
[[], ["bad"], ["dad"], ["mad"], ["pad"], ["bad"], [".ad"], ["b.."]]
```

Output:

```
[null, null, null, null, false, true, true, true]
```

Python Solution with Inline Comments

```
class TrieNode:
    def __init__(self):
        self.children = {}
        self.is_end = False

class WordDictionary:
    def __init__(self):
        self.root = TrieNode()

    def addWord(self, word: str) -> None:
        """Insert a word into the trie."""
        node = self.root
        for char in word:
            if char not in node.children:
                node.children[char] = TrieNode()
            node = node.children[char]
        node.is_end = True

    def search(self, word: str) -> bool:
        """
        Search for a word with possible '.' wildcards.
        Use DFS to explore all possibilities when '.' is encountered.
        """
        def dfs(node, index):
            # Base case: reached end of word
            if index == len(word):
```

```

        return node.is_end

    char = word[index]

    if char == '.':
        # Try all possible children (wildcard)
        for child in node.children.values():
            if dfs(child, index + 1):
                return True
        return False
    else:
        # Regular character: must exist in children
        if char not in node.children:
            return False
        return dfs(node.children[char], index + 1)

    return dfs(self.root, 0)

# ---- Official LeetCode Example ----
if __name__ == "__main__":
    wd = WordDictionary()
    wd.addWord("bad")
    wd.addWord("dad")
    wd.addWord("mad")

    print(wd.search("pad"))
    # Output: False
    print(wd.search("bad"))
    # Output: True
    print(wd.search(".ad"))
    # Output: True (matches "bad", "cad"? but only "bad", "dad", "mad" exist)
    print(wd.search("b.."))
    # Output: True (
        # matches "bad", "bed"? but only "bad",
        # "dad", "mad" → "bad" and "mad" are valid)

```

Note: `.ad` → matches `bad`, `dad`, `mad` → all have 'a' at index 1, 'd' at index 2
→ so yes.

Example Walkthrough (.ad)

- Start at root.
- Index 0: '.' → try all children: b, d, m.
- Try b → go to b node.
 - Index 1: 'a' → exists under b? Yes → go to a.
 - Index 2: 'd' → exists under a? Yes → go to d.
 - Index 3: end → check `is_end` → `True` → return `True`.

Returns `True`.

Complexity Analysis

- **Time:**
 - `addWord`: $O(m)$, m = word length.
 - `search`: $O(26^m)$ worst-case (if all dots), but usually much better due to pruning.
 - * In practice: bounded by trie depth and branching factor.
- **Space:** $O(N \times M)$, where N = number of words, M = avg length.

Key Insight: Backtracking + Trie makes wildcard search feasible.

Problem 4: Design In-Memory File System

Summary

Design a file system with: - `mkdir(path)` – create directory at `path`. - `addContentToFile(filePath, content)` – write content to file. - `readContentFromFile(filePath)` – read file content. - Paths are like `/a/b/c`, and can be relative or absolute.

Important: Files and directories coexist; `/a/file.txt` is a file, `/a/b` is a dir.

Official Example I/O

Input:

```
["FileSystem", "mkdir", "addContentToFile", "readContentFromFile", "mkdir", "addContentToFile",  
[[], ["/a"], ["/a/b.txt", "hello"], ["/a/b.txt"], ["/c"], ["/c/d.txt", "world"], ["/c/d.txt"]]
```

Output:

```
[null, null, null, "hello", null, null, "world"]
```

Python Solution with Inline Comments

```
class FileSystem:
    def __init__(self):
        # Root directory (empty name, stores children)
        self.root = {}

    def mkdir(self, path: str) -> None:
        """Create a directory at the given path."""
        parts = path.split('/')
        node = self.root

        # Traverse each part of the path
        for part in parts[1:]: # Skip first empty part from split('/')
            if part not in node:
                node[part] = {} # Create new directory
            node = node[part]

    def addContentToFile(self, filePath: str, content: str) -> None:
        """Add content to a file. Creates file if not exists."""
        parts = filePath.split('/')
        node = self.root

        # Navigate to parent directory
        for part in parts[1:-1]:
            node = node[part]

        # Last part is filename
        filename = parts[-1]
```

```

        # If file doesn't exist, create it (as a string)
        if filename not in node:
            node[filename] = "" # Initialize empty file

        # Append content
        node[filename] += content

    def readContentFromFile(self, filePath: str) -> str:
        """Read the content of a file."""
        parts = filePath.split('/')
        node = self.root

        # Navigate to parent directory
        for part in parts[1:-1]:
            node = node[part]

        # Get the file content
        filename = parts[-1]
        return node[filename]

# ---- Official LeetCode Example ----
if __name__ == "__main__":
    fs = FileSystem()

    fs.mkdir("/a")
    fs.addContentToFile("/a/b.txt", "hello")
    print(fs.readContentFromFile("/a/b.txt")) # Output: hello

    fs.mkdir("/c")
    fs.addContentToFile("/c/d.txt", "world")
    print(fs.readContentFromFile("/c/d.txt")) # Output: world

```

Example Walkthrough

1. `mkdir("/a")`:
 - Split → `['', 'a']`
 - Go to root['a'] → create {}.

2. `addContentToFile("/a/b.txt", "hello")`:
 - Split \rightarrow [' ', 'a', 'b.txt']
 - Go to `root['a']` \rightarrow then `node = root['a']`
 - `filename = 'b.txt'`, not in `node` \rightarrow create `node['b.txt'] = ""`
 - Append "hello" \rightarrow now `node['b.txt'] = "hello"`
3. `readContentFromFile("/a/b.txt")`:
 - Same path \rightarrow returns "hello".

Matches expected output.

Complexity Analysis

- **Time:**
 - `mkdir`: $O(k)$, k = number of path components.
 - `addContentToFile`: $O(k)$, same.
 - `readContentFromFile`: $O(k)$, same.
- **Space:** $O(\text{total characters stored})$, including file names and content.

Key Insight: Use nested dictionaries to simulate hierarchical file system.

Summary of Chunk 1

Problem	Pattern	Key Idea
Implement Trie	Trie	Efficient prefix storage
Word Break	DP	<code>dp[i]</code> = can <code>s[0:i]</code> be segmented?
Add/Search Words	Trie + DFS	Wildcard matching via backtracking
Design File System	Trie-like Hierarchical DS	Nested dicts for paths