

#### Pre-Lab Part 1

1. It will take 10 rounds of swapping to sort the number using bubble sort
2. We can expect to see  $n^2$  comparisons for bubble sort as the worst case.
3. I would change the algorithm so that the elements would swap if the element before the element being compared was smaller than it.  
For example they would swap if  $arr[i] > arr[i - 1]$

#### Pre-Lab Part 2

1. The time complexity depends on the sequence of gaps because the gaps allow elements to move farther in the array towards where they are supposed to be. A slower time complexity would be if there was no gap, then it would essentially be a bubble sort. Increasing the gap size would improve time complexity
2. Reduce redundant comparisons within the array.

#### Pre-Lab Part 3

1. For quicksort to have the worst case complexity of  $O(n^2)$  means that the pivot position is the smallest or largest element. This is because all of the elements would still be at the left or right of the element, nothing would move around. Quicksort is not doomed by this scenario because you do not have to pick the pivot position randomly or pick the middle position. One could pick the median element of the array to be the pivot position which would prevent the worst case time complexity.  
<https://www.geeksforgeeks.org/can-quicksort-implemented-onlogn-worst-case-time-complexity/#:~:text=The%20worst%20case%20time%20complexity,element%20is%20picked%20as%20pivot.>

#### Pre-Lab Part 4

1. I plan on keeping track of the number of moves and comparisons by creating another file with global variables. I could also use global variables to keep track and reset them to 0 after I print the output.

## STACK

#### Stack \*stack\_create(void)

allocate memory for the stack using calloc()  
Allocate memory for items using calloc()  
If either fail then return NULL  
Top of stack is initialized at 0  
Minimum capacity is 16

void stack\_delete(Stack \*\*s)

- Frees items
- Frees the stack
- Sets stack pointer to NULL

bool stack\_empty(Stack \*s)

- Returns a boolean if top is equal to 0 to see if empty

bool stack\_push(Stack \*s, int64\_t x)

- If the top == capacity
  - Then reallocate memory \* 2
- Put x in the top of the items array
- Increment top
- Return true

bool stack\_pop(Stack \*s, int64\_t \*x)

- Check if stack is empty then return false
- Decrement the top of the stack
- \*x = items[top]
- Return true

void stack\_print(Stack \*s)

- Loop through stack until top and print each element

## **SORTING**

I am using the pseudocode in python and converting it to C from lab document  
For bubble sort, shell sort, quicksort, and heapsort.

## **TEST HARNESS**

- Have an array of sorting functions
- Loop through the command line arguments
- Allocate an array of random elements
- Loop through each element and bit-mask it to fit 30 bits
- Perform sort if command from getopt()
- Print the number of elements, moves, and compares
- Reset compare and moves to 0 after function
- Free array

## SETS

Set set\_empty(void)

Returns an empty set (0)

bool set\_member(Set s, uint8\_t x)

1 is shifted left by x

Return Bitwise AND with set

Set set\_insert(Set s, uint8\_t x)

1 is shifted left by x

Return Bitwise OR with set

Set set\_remove(Set s, uint8\_t x)

1 is shifted left by x

Invert the shifter set

Return Bitwise AND with set

Set set\_intersect(Set s, Set t)

Returns the set s bitwise AND with set t

Set set\_union(Set s, Set t)

Returns the set s bitwise OR with set t

Set set\_complement(Set s)

Return the negation of s

~ is bitwise NOT in C

Set set\_difference(Set s, Set t)

Returns the set s AND negation of set t

## WRITEUP

Get the time complexity for each sorting algorithm

Create graphs based on speed performance

Run different sorting algorithms with reversed ordered arrays and with very small/large arrays and see how they perform

Explain what I learned from the different sorting algorithms