



College of Engineering and Physics  
**Electrical Engineering Department**

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EE562 - Digital Signal Processing I

Second Semester (212)

# Computer Assignment 1

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%Assignment 1
% Done by Mahmoud Yassin Mahmoud
% ID: 202113650
% Submitted To Dr. Wail A. Mousa
% Bism Allah and I will begin with
%(Q1)The step sequence: u(n) for n= -10,...,50.
%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%
clc;
clear;
%.....
%calculation of discrete time

    n1 = -10:-1;
    n2 = 1:50;
    n = [n1 n2];
%.....
%calculation of step sequence

u1 = zeros(size(n1));
u2 = ones(size(n2));
u = [u1 u2];
%.....
%calculation of length

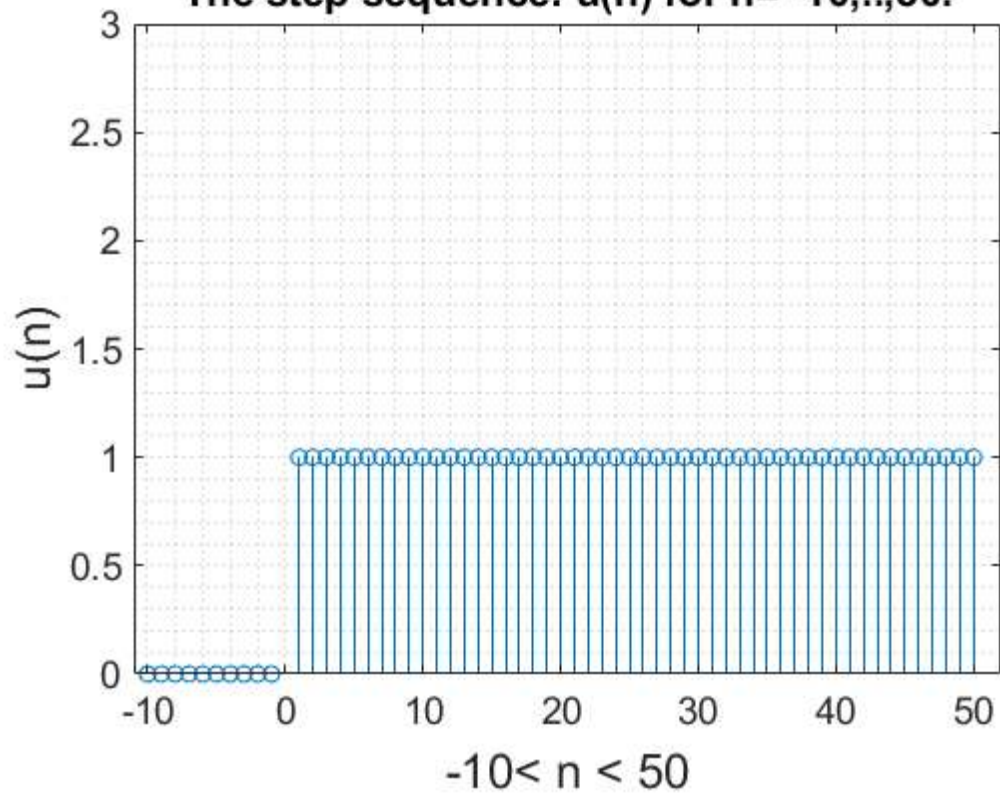
    the_length_u = length(u);
    the_length_n = length(n);
fprintf('The length of u(n) is : %d\n',the_length_u);
fprintf('The length of n is : %d\n',the_length_n);
%.....
%ploting

stem(n,u);
grid minor
xlim([-11 52])
ylim([0 3])
set(gca,'fontsize',14)
title('The step sequence: u(n) for n= -10,...,50.')
xlabel('-10< n < 50','fontsize',18)
ylabel('u(n)','fontsize',18)
%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%

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The length of u(n) is : 60  
 The length of n is : 60

The step sequence:  $u(n)$  for  $n = -10, \dots, 50$ .



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%Assignment 1
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%(Q2)The exponential sequences:
% 1-  $h_1(n) = 0.9^n$ 
% 2-  $h_2(n) = 2^n$ 
% 3-  $h_3(n) = (-0.5)^n$ 
% 4-  $h_4(n) = (-3)^n$ 
% for  $n = 0, \dots, 50$ .
% Obtain the maximum value of each sequence and its index value.
%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%
clc;
clear;
%.....
%defining time and base for exponential
n= 0:50;
a1 = 0.9;
a2 = 2;
a3 = -0.5;
a4 = -3;
%.....
% exponential calculations and maximum value with its index

h1 = a1.^n;
[max_val_1,index_max_1] = max(h1);
fprintf('The maximum value of h1(n) is : %d and its index is %d\n',max_val_1,index_max_1);

h2 = a2.^n;
[max_val_2,index_max_2] = max(h2);
fprintf('The maximum value of h2(n) is : %d and its index is %d\n',max_val_2,index_max_2);

h3 = a3.^n;
[max_val_3,index_max_3] = max(h3);
fprintf('The maximum value of h3(n) is : %d and its index is %d\n',max_val_3,index_max_3);

h4 = a4.^n;
[max_val_4,index_max_4] = max(h4);
fprintf('The maximum value of h4(n) is : %d and its index is %d\n',max_val_4,index_max_4);
%.....
%ploting

subplot(221)
    stem(n,h1)
    grid minor
    title('h1(n) = 0.9^n')
    xlabel('0< n < 50')
    ylabel('h1(n)')

subplot(222)
    stem(n,h2)
    title('h2(n) = 2^n ');
    grid minor
    xlabel('0< n < 50')
    ylabel('h2(n)')

subplot(223)
    stem(n,h3)

```

```

grid minor
title('h3(n) = (-0.5)^n');
xlabel('0 < n < 50')
ylabel('h3(n)')

```

```

subplot(224)
stem(n,h4)
grid minor
title('h4(n) = (-3)^n');
xlabel('0 < n < 50')
ylabel('h4(n)')

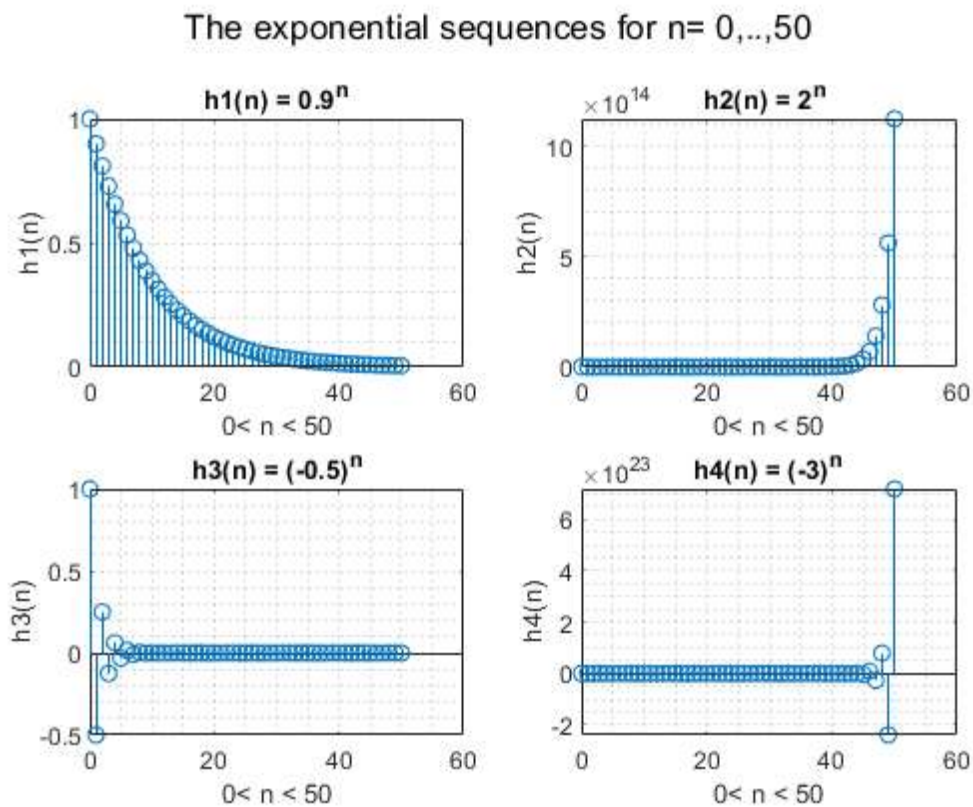
```

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sgtitle('The exponential sequences for n= 0,...,50 ') % title for the hole figure

```

The maximum value of  $h1(n)$  is : 1 and its index is 1  
 The maximum value of  $h2(n)$  is : 1125899906842624 and its index is 51  
 The maximum value of  $h3(n)$  is : 1 and its index is 1  
 The maximum value of  $h4(n)$  is : 7.178980e+23 and its index is 51

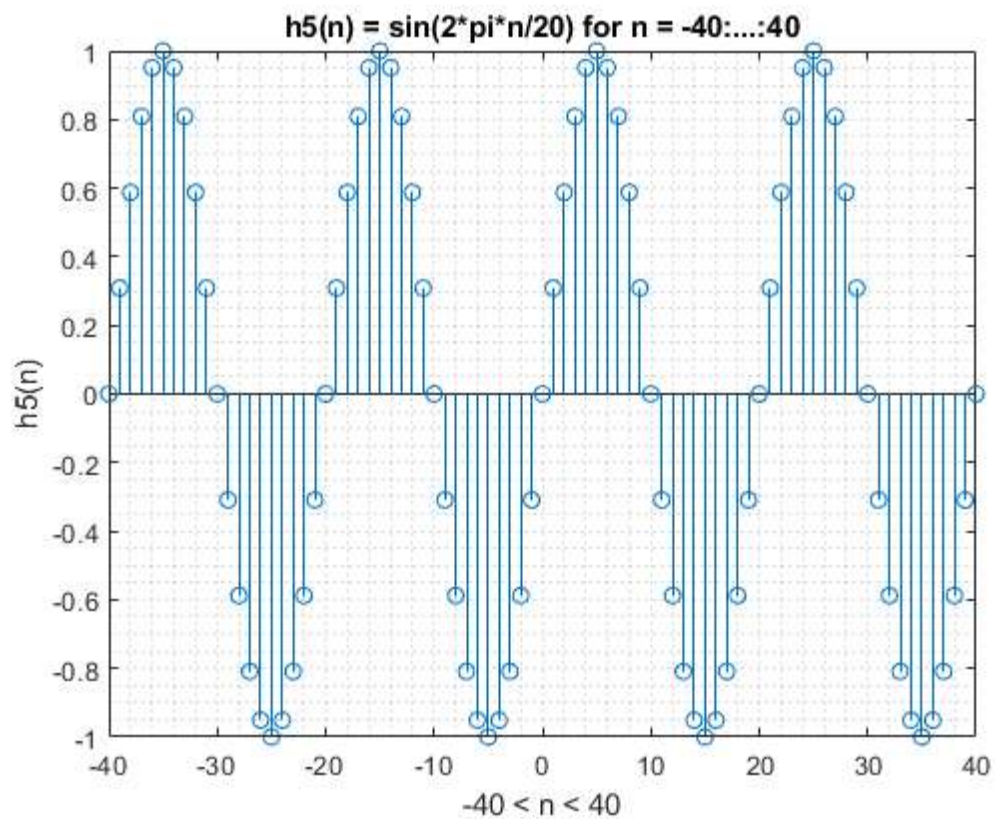


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%Assignment 1
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%(Q3)The sinusoidal sequence:
%  $h_5(n) = \sin(2\pi n/20)$  for  $n = -40:\dots:40$ 
% Is it a periodic signal? If yes, then what is its period?
%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%
clc;
clear;
%.....
% define n
n = -40:40;
%.....
%calculate sinusoidal
h5 = sin(2*pi*n/20);
%.....
%ploting
stem(n,h5)
grid minor
title('h5(n) = sin(2*pi*n/20) for n = -40:....:40')
xlabel('-40 < n < 40')
ylabel('h5(n)')
% Periodicity
fprintf('Signal is periodoc with fundamental period equals to 20\n');

```

Signal is periodoc with fundamental period equals to 20





# periodicity check for  $h_s(n)$

$$\omega = \frac{2\pi}{20} = \frac{2\pi m}{N}$$

$$\therefore \frac{\text{integer} \cdot \text{integer}}{20} = \frac{m}{N}$$

$\therefore h_s(n)$  is periodic with fundamental period = 20